

Department of Statistics

STATS 784: Data Mining

Zhi Zhang, 708439475, zzha822
The University of Auckland

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1 Question 1

1.1 Application1

In "Applied Predictive Modelling" (Kuhn, M. and Johnson, K. (2013).), chapter 3, there is a case that describes the application of data pre-processing technology.

Data pre-processing techniques generally refer to the addition, deletion, or transformation of training set data. This case is about Cell Segmentation in High-Content Screening. Using High-Content Screening, the medical researchers can measure the cell characteristics from the kinds of samples of number of cells in a living organism or plant. These samples are regarded as the training set that can be used for data pre-processing techniques.

The first process is to do data transformations for individual predictors, which including centering, scaling, and resolving distributional skewness. Centering and scaling are generally used to improve the numerical stability of some calculations. And after skewness transformation, the distribution is not entirely symmetric but these data are better behaved than when they were in the natural units.

Another pre-process is to do data transformations for multiple predictors, using methods to resolve outliers and reduce the dimension of the data. Usually we can identify the outliers on a figure and there are some predictive models resistant to outliers. Data reduction techniques are another class of predictor transformations. These methods reduce the data by generating a smaller set of predictors that seek to capture a majority of the information in the original variables.

Dealing with Missing Values is also important for pre-processing data. It is important to understand why the values are missing. First and foremost, it is important to know if the pattern of missing data is related to the outcome. Missing data can be imputed and imputation has been extensively studied in the statistical literature. One popular technique for imputation is a K-nearest neighbor model. A new sample is imputed by finding the samples in the training set closest to it and averages these nearby points to fill in the value.

Removing predictors is also used to get potential advantages for the data modeling. A rule of thumb for detecting near-zero variance predictors is:

- The fraction of unique values over the sample size is low (say 10%).
- The ratio of the frequency of the most prevalent value to the frequency of the second most prevalent value is large (say around 20).

In addition, collinearity is the technical term for the situation where a pair of

predictor variables have a substantial correlation with each other. It is also possible to have relationships between multiple predictors at once (called multicollinearity).

Also adding predictors and binning predictors are also general techniques we used for pre-processing data before modeling. More details are discussing with the case of Cell Segmentation.

1.2 Application2

In "Applied Predictive Modelling" (Kuhn, M. and Johnson, K. (2013).), chapter 12, there is a case that describes the application of Discriminant Analysis technology.

Discriminant Analysis is one of the techniques of Classification Analysis for Data Mining. Generally it includes the techniques for linear and nonlinear classification models. In this chapter, the case is about Predicting Successful Grant Applications. The data of these applications are from a 2011 Kaggle competition sponsored by the University of Melbourne where there was interest in predicting whether or not a grant application would be accepted. In addition to predicting grant success, the university sought to understand factors that were important in predicting success.

Logistic regression is a very popular model due to its simplicity and ability to make inferential statements about model terms. It is linear in the parameters, and these parameters are obtained by minimizing the sum of the squared residuals. It turns out that the model that minimizes the sum of the squared residuals also produces maximum likelihood estimates of the parameters when it is reasonable to assume that the model residuals follow a normal (i.e., Gaussian) distribution.

Another important technique is called Linear Discriminant Analysis (LDA). This method defines a linear discriminant function (may find an optimal discriminant vector) to do analysis and estimation. Examining the coefficients of the linear discriminant function can provide an understanding of the relative importance of predictors. Due to the inherent problem with LDA, as well as its other fundamental requirements, it is recommended that LDA be used on data sets that have at least 510 times more samples than predictors.

The third technique is called Partial Least Squares Discriminant Analysis (PLSDA). For retrospectively or prospectively, measured predictors for any particular problem can be highly correlated or can exceed the number of samples collected. If either of these conditions is true, then the usual LDA approach cannot be directly used to find the optimal discriminant function. So we use PLS for the purpose of discrimination. Applying PLS in the classification setting with a multivariate response has strong mathematical connections to both canonical correlation analysis and LDA.

In addition, Many classification models utilize penalties (or regularization) to improve the fit to the data, such as the lasso. And penalization strategies can be applied to LDA models. The penalized LDA model was applied to the grant data. The software for this model allows the user to specify the number of retained predictors as a tuning parameter. As the penalty increases and predictors are eliminated, performance improves and remains relatively constant until important factors are removed. At this point, performance falls dramatically. As a result of the tuning process, six predictors were used in the model which is competitive to other models.

The nearest-shrunken centroid model (also known as PAM, for predictive analysis for microarrays) is a linear classification model that is well suited for high-dimensional problems. The nearest shrunken centroid method has one tuning parameter: shrinkage. This model works well for problems with a large number of

predictors since it has built-in feature selection that is controlled by the shrinkage tuning parameter. Nearest shrunken centroids were originally developed for RNA profiling data, where the number of predictors is large (in the many thousands) and the number of samples is small.

2 Question 2

First we load the Housing Price data from the URL and change variables *view*, and *waterfr* to be used as factors for R functions.

```
> URL = "https://www.stat.auckland.ac.nz/~lee/784/Assignments/kc_house_data.csv"
> input.df = read.csv(URL)
> names(input.df) = c("id", "date", "price", "bedrooms", "bathrooms",
+ "sqftlv", "sqftlot", "floors", "waterfr", "view",
+ "cond", "grade", "sqfta", "sqftb", "yrb", "yrr",
+ "zip", "lat", "long", "sqftlv15", "sqftlot15")
> head(input.df)
```

	id	date	price	bedrooms	bathrooms	sqftlv	sqftlot	floors
1	7129300520	20141013T000000	221900	3	1.00	1180	5650	1
2	6414100192	20141209T000000	538000	3	2.25	2570	7242	2
3	5631500400	20150225T000000	180000	2	1.00	770	10000	1
4	2487200875	20141209T000000	604000	4	3.00	1960	5000	1
5	1954400510	20150218T000000	510000	3	2.00	1680	8080	1
6	7237550310	20140512T000000	1225000	4	4.50	5420	101930	1

```

  waterfr view cond grade sqfta sqftb yrb yrr zip lat long
1      0    0    3     7  1180     0 1955   0 98178 47.5112 -122.257
2      0    0    3     7  2170    400 1951 1991 98125 47.7210 -122.319
3      0    0    3     6   770     0 1933   0 98028 47.7379 -122.233
4      0    0    5     7  1050    910 1965   0 98136 47.5208 -122.393
5      0    0    3     8  1680     0 1987   0 98074 47.6168 -122.045
6      0    0    3    11  3890   1530 2001   0 98053 47.6561 -122.005

  sqftlv15 sqftlot15
1     1340     5650
2     1690     7639
3     2720     8062
4     1360     5000
5     1800     7503
6     4760    101930
>
> input.df$waterfr = factor(input.df$waterfr)
> input.df$view = factor(input.df$view)
> str(input.df)
'data.frame':   21613 obs. of  21 variables:
 $ id      : num  7.13e+09 6.41e+09 5.63e+09 2.49e+09 1.95e+09 ...
 $ date    : Factor w/ 372 levels "20140502T000000",...: 165 221 291 221
              284 11 57 252 340 306 ...
 $ price   : num  221900 538000 180000 604000 510000 ...
 $ bedrooms: int   3 3 2 4 3 4 3 3 3 3 ...
 $ bathrooms: num   1 2.25 1 3 2 4.5 2.25 1.5 1 2.5 ...
```

```

$ sqftlv : int 1180 2570 770 1960 1680 5420 1715 1060 1780 1890 ...
$ sqftlot : int 5650 7242 10000 5000 8080 101930 6819 9711 7470 6560 ...
$ floors : num 1 2 1 1 1 1 2 1 1 2 ...
$ waterfr : Factor w/ 2 levels "0","1": 1 1 1 1 1 1 1 1 1 1 ...
$ view : Factor w/ 5 levels "0","1","2","3",...: 1 1 1 1 1 1 1 1 1 1 ...
$ cond : int 3 3 3 5 3 3 3 3 3 3 ...
$ grade : int 7 7 6 7 8 11 7 7 7 7 ...
$ sqfta : int 1180 2170 770 1050 1680 3890 1715 1060 1050 1890 ...
$ sqftb : int 0 400 0 910 0 1530 0 0 730 0 ...
$ yrb : int 1955 1951 1933 1965 1987 2001 1995 1963 1960 2003 ...
$ yrr : int 0 1991 0 0 0 0 0 0 0 0 ...
$ zip : int 98178 98125 98028 98136 98074 98053 98003 98198 98146 98038 ...
$ lat : num 47.5 47.7 47.7 47.5 47.6 ...
$ long : num -122 -122 -122 -122 -122 ...
$ sqftlv15 : int 1340 1690 2720 1360 1800 4760 2238 1650 1780 2390 ...
$ sqftlot15 : int 5650 7639 8062 5000 7503 101930 6819 9711 8113 7570 ...

```

Next we transform the target to make it more symmetric, using the Box-Cox transformation.

```

> library(caret)
> trans = BoxCoxTrans(input.df$price)
> trans
Box-Cox Transformation

```

21613 data points used to estimate Lambda

Input data summary:

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
75000	321950	450000	540088	645000	7700000

Largest/Smallest: 103

Sample Skewness: 4.02

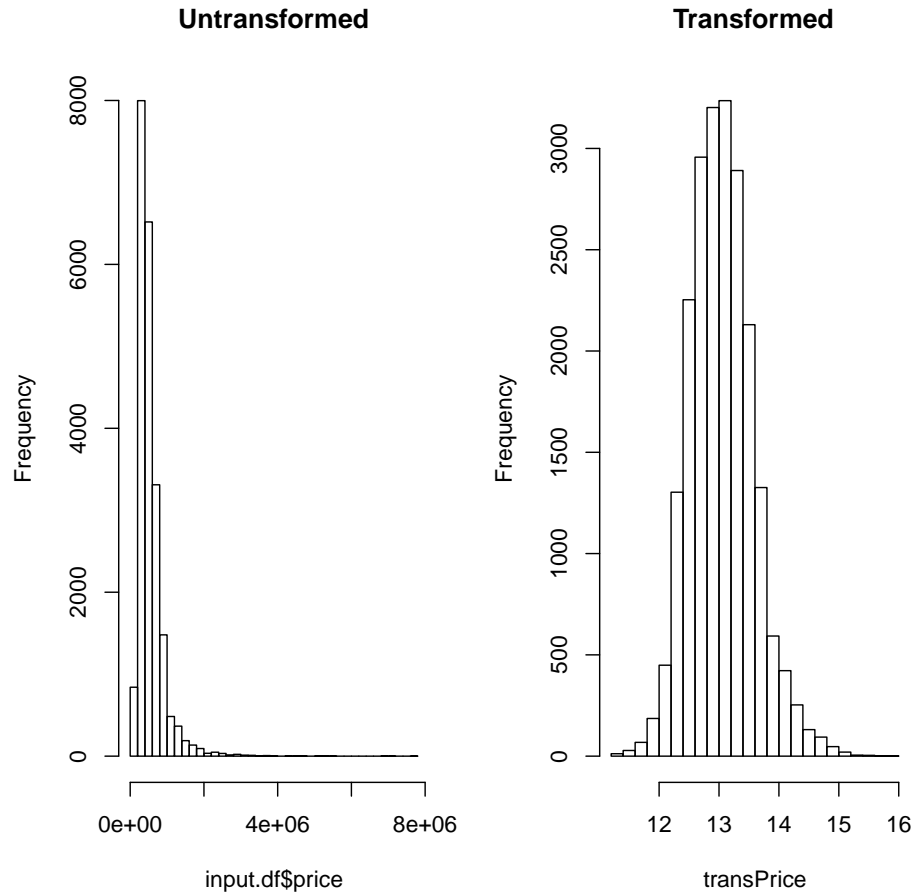
Estimated Lambda: -0.2

With fudge factor, Lambda = 0 will be used for transformations

```

>
> transPrice = predict(trans, input.df$price)
> par(mfrow = c(1, 2))
> hist(input.df$price, main = "Untransformed", nclass = 30)
> hist(transPrice, main = "Transformed", nclass = 30)

```



From the plot we see that the transformed data is more symmetric, which will get more advantage to the prediction. We will use transformed *price* to do the prediction.

```
> input.df$price = transPrice
>
> trans = BoxCoxTrans(input.df$sqftlv)
> transSqftlv = predict(trans, input.df$sqftlv)
> input.df$sqftlv = transSqftlv
> trans = BoxCoxTrans(input.df$sqftlot)
> transSqftlot = predict(trans, input.df$sqftlot)
> input.df$sqftlot = transSqftlot
> trans = BoxCoxTrans(input.df$sqftlv15)
> transSqftlv15 = predict(trans, input.df$sqftlv15)
> input.df$sqftlv15 = transSqftlv15
> trans = BoxCoxTrans(input.df$sqftlot15)
> transSqftlot15 = predict(trans, input.df$sqftlot15)
> input.df$sqftlot15 = transSqftlot15
```

Then we build a linear regression model to predict the house price. We will use

half part of the data as the training set and another half part as the test set. And use the training set to make the linear regression model. Pay attention that we remove variables of *id*, *date*, and *zip* for they make no sense to the regression.

```
> used = sample(21613, 10000)
> kingCounty.df = input.df[used,]
> rownames(kingCounty.df) = 1:10000
>
> kingCounty = lm(log(price)~ bedrooms + bathrooms
+ + sqftlv + sqftlot
+ + floors + waterfr + view + cond + grade
+ + sqfta + sqftb + yrb + yrr + lat + long
+ + sqftlv15 + sqftlot15,
+ data = kingCounty.df)
```

We get apparent error and the test set error as below:

```
> mean(residuals(kingCounty)^2)
[1] 0.0003669361
> newKingCounty.df = input.df[-used,]
> rownames(newKingCounty.df) = 1:11613
> predictions = predict(kingCounty, newdata = newKingCounty.df)
> actuals = log(newKingCounty.df$price)
> mean((predictions - actuals)^2)
[1] 0.0003754052
```

Next, we will use function `cross.val` in library `R330` to calculate estimates of prediction error for the predictor. The cross validation results and standard error are below:

```
> library(R330)
> cross.val(kingCounty, nfold = 10, nrep = 20)
Cross-validated estimate of root
mean square prediction error = 0.01921305
> 0.01921305^2
[1] 0.0003691413
> #####
> cross.val.mod <- function (f, nfold = 10, nrep = 20, ...){
+   X <- model.matrix(f$terms, model.frame(f))
+   y = fitted.values(f) + residuals(f)
+   n <- dim(X)[1]
+   CV <- numeric(nrep)
+   pred.error <- numeric(nfold)
+   m <- n%/nfold
+   for (k in 1:nrep) {
+     rand.order <- order(runif(n))
+     yr <- y[rand.order]
+     Xr <- X[rand.order, ]
+     sample <- 1:m
+     for (i in 1:nfold) {
+       use.mat <- as.matrix(Xr[-sample,])
+       test.mat <- as.matrix(Xr[sample,])
```

```

+             y.use = yr[-sample]
+             new.data <- data.frame(test.mat)
+             fit <- lm(y.use ~ -1+use.mat)
+             my.predict = test.mat%*%coefficients(fit)
+             pred.error[i] <- sum((yr[sample] - my.predict)^2)/m
+             sample <- if(i==nfold) (max(sample)+1):n else sample + m
+
+         }
+         CV[k] <- mean(pred.error)
+     }
+ mean(CV)
+ }
> #####
>
> cvvec = 1:20
> for (i in 1:20) {
+ cvvec[i] = cross.val.mod(kingCounty, nfold = 10, nrep = 1)
+ }
> mean(cvvec)
[1] 0.0003690537
> sd(cvvec)
[1] 2.123223e-07

```

We can also use err.boot function to calculate the estimates of the error.

```

> err.boot(kingCounty, B = 50)
$err
[1] 0.0003669361

$Err
[1] 0.0003696291

```

Now we will try using bootstrap library to estimate the prediction error of our model. The function we will use is crossval() and bootpred().

```

> library(bootstrap)
> theta.fit = function(x, y){lsfit(x, y)}
> theta.predict = function(fit, x){cbind(1, x) %*% fit$coef}
> sq.err = function(y, yhat) {(y - yhat)^2}
>
> y = log(kingCounty.df[,3])
> x = data.matrix(kingCounty.df[,-c(1:3, 17)])
> cv10err = crossval(x, y, theta.fit, theta.predict, ngroup = 10)
> cv10 = mean((y - cv10err$cv.fit)^2)
> cv10
[1] 0.000370193
>
> boot = bootpred(x, y, nboot = 200,
+ theta.fit, theta.predict,
+ err.meas = sq.err)
> bootopt = boot[[1]] + boot[[2]]

```

```

> bootopt
[1] 0.0003701098
> boot632 = boot[[3]]
> boot632
[1] 0.0003699513

```

Finally, we will use caret library to calculate the estimates of the predictor error by using function train() to call CV and bootstrap methods.

```

> library(caret)
>
> CV10 = train(log(price)~ bedrooms + bathrooms
+ + sqftlv + sqftlot + floors
+ + waterfr + view + cond + grade
+ + sqfta + sqftb + yrb + yrr + lat + long
+ + sqftlv15 + sqftlot15,
+ data = kingCounty.df,
+ method = "lm",
+ trControl = trainControl(method = "cv", number = 10,
+ repeats = 20))
> CV10
Linear Regression

```

```

10000 samples
  17 predictor

```

```

No pre-processing
Resampling: Cross-Validated (10 fold)
Summary of sample sizes: 9001, 8999, 9000, 9000, 9000, 9000, ...
Resampling results:

```

RMSE	Rsquared
0.0191967	0.7671784

Tuning parameter 'intercept' was held constant at a value of TRUE

```

> 0.0191967^2
[1] 0.0003685133
>
> boot = train(log(price)~ bedrooms + bathrooms
+ + sqftlv + sqftlot + floors
+ + waterfr + view + cond + grade
+ + sqfta + sqftb + yrb + yrr + lat + long
+ + sqftlv15 + sqftlot15,
+ data = kingCounty.df,
+ method = "lm",
+ trControl = trainControl(method = "boot",
+ repeats = 200))
> boot
Linear Regression

```


-2.211e+00	-1.341e-03	4.577e-03	1.264e-02	8.757e-04	3.637e-03
waterfr1	view1	view2	view3	view4	cond
2.961e-02	1.388e-02	9.002e-03	1.108e-02	1.622e-02	4.723e-03
grade	sqfta	sqftb	yrb	yrr	lat
1.174e-02	6.916e-06	5.486e-06	-2.584e-04	2.222e-06	1.040e-01
sqftlv15	sqftlot15				
1.790e-02	-3.098e-03				

```
>
> selected = step(kingCounty, scope = formula(kingCounty),
+ direction = "both", trace = 0)
> selected
```

Call:

```
lm(formula = log(price) ~ bedrooms + bathrooms + sqftlv + sqftlot +
    floors + waterfr + view + cond + grade + sqfta + sqftb +
    yrb + yrr + lat + sqftlv15 + sqftlot15, data = kingCounty.df)
```

Coefficients:

(Intercept)	bedrooms	bathrooms	sqftlv	sqftlot	floors
-2.211e+00	-1.341e-03	4.577e-03	1.264e-02	8.757e-04	3.637e-03
waterfr1	view1	view2	view3	view4	cond
2.961e-02	1.388e-02	9.002e-03	1.108e-02	1.622e-02	4.723e-03
grade	sqfta	sqftb	yrb	yrr	lat
1.174e-02	6.916e-06	5.486e-06	-2.584e-04	2.222e-06	1.040e-01
sqftlv15	sqftlot15				
1.790e-02	-3.098e-03				

```
>
> allpossregs(kingCounty)
```

	rssp	sigma2	adjRsqr	Cp	AIC	BIC	CV	bedrooms	bathrooms
1	8.101	0.001	0.488	12035.281	22035.28	22049.70	0.810	0	0
2	5.777	0.001	0.635	5717.636	15717.64	15739.27	0.578	0	0
3	4.806	0.000	0.696	3077.784	13077.78	13106.62	0.481	0	0
4	4.298	0.000	0.728	1698.871	11698.87	11734.92	0.430	0	0
5	4.139	0.000	0.738	1269.514	11269.51	11312.78	0.415	0	0
6	4.025	0.000	0.745	960.341	10960.34	11010.81	0.403	0	0
7	3.930	0.000	0.751	703.268	10703.27	10760.95	0.394	0	1
8	3.884	0.000	0.754	579.988	10579.99	10644.88	0.389	0	1
9	3.839	0.000	0.757	459.820	10459.82	10531.92	0.385	0	1
10	3.810	0.000	0.759	384.113	10384.11	10463.43	0.382	0	1
11	3.787	0.000	0.760	324.011	10324.01	10410.53	0.380	0	1
12	3.761	0.000	0.762	253.468	10253.47	10347.20	0.377	0	1
13	3.731	0.000	0.764	174.060	10174.06	10275.00	0.374	0	1
14	3.713	0.000	0.765	127.229	10127.23	10235.38	0.373	0	1
15	3.700	0.000	0.766	95.360	10095.36	10210.73	0.372	1	1
16	3.687	0.000	0.766	62.038	10062.04	10184.61	0.370	0	1
17	3.677	0.000	0.767	35.725	10035.73	10165.51	0.370	1	1
18	3.670	0.000	0.768	19.334	10019.33	10156.33	0.369	1	1

19	3.669	0.000	0.768	19.031	10019.03	10163.24	0.369		1	1	
20	3.669	0.000	0.768	21.000	10021.00	10172.42	0.369		1	1	
	sqftlv	sqftlot	floors	waterfr1	view1	view2	view3	view4	cond	grade	sqfta
1	0	0	0	0	0	0	0	0	0	1	0
2	1	0	0	0	0	0	0	0	0	0	0
3	1	0	0	0	0	0	0	0	0	1	0
4	1	0	0	0	0	0	0	0	0	1	0
5	1	0	0	1	0	0	0	0	0	1	0
6	1	0	0	1	0	0	0	0	0	1	0
7	1	0	0	1	0	0	0	0	0	1	0
8	1	0	0	1	0	0	0	0	1	1	0
9	1	0	1	1	0	0	0	0	1	1	0
10	0	0	1	1	0	0	0	0	1	1	1
11	0	0	1	1	0	1	0	0	1	1	1
12	1	0	1	1	0	1	1	1	1	1	0
13	1	0	1	1	1	1	1	1	1	1	0
14	1	0	0	1	1	1	1	1	1	1	1
15	1	0	0	1	1	1	1	1	1	1	1
16	1	0	1	1	1	1	1	1	1	1	1
17	1	0	1	1	1	1	1	1	1	1	1
18	1	0	1	1	1	1	1	1	1	1	1
19	1	1	1	1	1	1	1	1	1	1	1
20	1	1	1	1	1	1	1	1	1	1	1
	sqftb	yrb	yrr	lat	long	sqftlv15	sqftlot15				
1	0	0	0	0	0	0	0				
2	0	0	0	1	0	0	0				
3	0	0	0	1	0	0	0				
4	0	1	0	1	0	0	0				
5	0	1	0	1	0	0	0				
6	0	1	0	1	0	1	0				
7	0	1	0	1	0	1	0				
8	0	1	0	1	0	1	0				
9	0	1	0	1	0	1	0				
10	1	1	0	1	0	1	0				
11	1	1	0	1	0	1	0				
12	0	1	0	1	0	1	0				
13	0	1	0	1	0	1	0				
14	0	1	0	1	0	1	1				
15	0	1	0	1	0	1	1				
16	1	1	0	1	0	1	1				
17	1	1	0	1	0	1	1				
18	1	1	1	1	0	1	1				
19	1	1	1	1	0	1	1				
20	1	1	1	1	1	1	1				

If we do not use transformed price data (meaning not symmetric), the result seemed similar but has a little flaw for some of the coefficients are NA.

```
> kingCounty.df = origInput.df[used,]
> rownames(kingCounty.df) = 1:10000
```

```
>
> null.model = lm(log(price)~1, data = kingCounty.df)
> selected = step(null.model, scope = formula(kingCounty),
+ direction = "forward", trace = 0)
> selected
```

Call:

```
lm(formula = log(price) ~ grade + lat + sqftlv + yrb + view +
    bathrooms + sqftlv15 + cond + floors + waterfr + sqftlot +
    yrr + bedrooms + long, data = kingCounty.df)
```

Coefficients:

(Intercept)	grade	lat	sqftlv	yrb	view1
-5.412e+01	1.559e-01	1.358e+00	1.387e-04	-3.304e-03	1.832e-01
view2	view3	view4	bathrooms	sqftlv15	cond
1.163e-01	1.279e-01	2.092e-01	7.165e-02	1.072e-04	6.298e-02
floors	waterfr1	sqftlot	yrr	bedrooms	long
6.822e-02	3.944e-01	3.969e-07	2.904e-05	-9.046e-03	-5.663e-02

```
>
> selected = step(kingCounty, scope = formula(kingCounty),
+ direction = "backward", trace = 0)
> selected
```

Call:

```
lm(formula = log(price) ~ bedrooms + bathrooms + sqftlv + sqftlot +
    floors + waterfr + view + cond + grade + sqfta + sqftb +
    yrb + yrr + lat + sqftlv15 + sqftlot15, data = kingCounty.df)
```

Coefficients:

(Intercept)	bedrooms	bathrooms	sqftlv	sqftlot	floors
-4.700e+01	-9.119e-03	7.158e-02	1.425e-04	3.952e-07	7.133e-02
waterfr1	view1	view2	view3	view4	cond
3.963e-01	1.867e-01	1.178e-01	1.298e-01	2.107e-01	6.211e-02
grade	sqfta	sqftb	yrb	yrr	lat
1.578e-01	-6.790e-06	NA	-3.414e-03	2.820e-05	1.359e+00
sqftlv15	sqftlot15				
1.042e-04	-6.251e-08				

```
>
> selected = step(kingCounty, scope = formula(kingCounty),
+ direction = "both", trace = 0)
> selected
```

Call:

```
lm(formula = log(price) ~ bedrooms + bathrooms + sqftlv + sqftlot +
    floors + waterfr + view + cond + grade + sqfta + sqftb +
    yrb + yrr + lat + sqftlv15 + sqftlot15, data = kingCounty.df)
```

```

Coefficients:
(Intercept) bedrooms bathrooms sqftlv sqftlot floors
-4.700e+01 -9.119e-03 7.158e-02 1.425e-04 3.952e-07 7.133e-02
waterfr1 view1 view2 view3 view4 cond
3.963e-01 1.867e-01 1.178e-01 1.298e-01 2.107e-01 6.211e-02
grade sqfta sqftb yrb yrr lat
1.578e-01 -6.790e-06 NA -3.414e-03 2.820e-05 1.359e+00
sqftlv15 sqftlot15
1.042e-04 -6.251e-08

```

```

>
> allpossregs(kingCounty)
      rssp sigma2 adjRsqr      Cp      AIC      BIC      CV bedrooms bathrooms
1  8.101  0.001  0.488 12035.281 22035.28 22049.70 0.810      0      0
2  5.777  0.001  0.635  5717.636 15717.64 15739.27 0.578      0      0
3  4.806  0.000  0.696  3077.784 13077.78 13106.62 0.481      0      0
4  4.298  0.000  0.728  1698.871 11698.87 11734.92 0.430      0      0
5  4.139  0.000  0.738  1269.514 11269.51 11312.78 0.415      0      0
6  4.025  0.000  0.745   960.341 10960.34 11010.81 0.403      0      0
7  3.930  0.000  0.751   703.268 10703.27 10760.95 0.394      0      1
8  3.884  0.000  0.754   579.988 10579.99 10644.88 0.389      0      1
9  3.839  0.000  0.757   459.820 10459.82 10531.92 0.385      0      1
10 3.810  0.000  0.759   384.113 10384.11 10463.43 0.382      0      1
11 3.787  0.000  0.760   324.011 10324.01 10410.53 0.380      0      1
12 3.761  0.000  0.762   253.468 10253.47 10347.20 0.377      0      1
13 3.731  0.000  0.764   174.060 10174.06 10275.00 0.374      0      1
14 3.713  0.000  0.765   127.229 10127.23 10235.38 0.373      0      1
15 3.700  0.000  0.766    95.360 10095.36 10210.73 0.372      1      1
16 3.687  0.000  0.766    62.038 10062.04 10184.61 0.370      0      1
17 3.677  0.000  0.767    35.725 10035.73 10165.51 0.370      1      1
18 3.670  0.000  0.768    19.334 10019.33 10156.33 0.369      1      1
19 3.669  0.000  0.768    19.031 10019.03 10163.24 0.369      1      1
20 3.669  0.000  0.768    21.000 10021.00 10172.42 0.369      1      1
      sqftlv sqftlot floors waterfr1 view1 view2 view3 view4 cond grade sqfta
1      0      0      0      0      0      0      0      0      0      1      0
2      1      0      0      0      0      0      0      0      0      0      0
3      1      0      0      0      0      0      0      0      0      1      0
4      1      0      0      0      0      0      0      0      0      1      0
5      1      0      0      1      0      0      0      0      0      1      0
6      1      0      0      1      0      0      0      0      0      1      0
7      1      0      0      1      0      0      0      0      0      1      0
8      1      0      0      1      0      0      0      0      1      1      0
9      1      0      1      1      0      0      0      0      1      1      0
10     0      0      1      1      0      0      0      0      1      1      1
11     0      0      1      1      0      1      0      0      1      1      1
12     1      0      1      1      0      1      1      1      1      1      0
13     1      0      1      1      1      1      1      1      1      1      0
14     1      0      0      1      1      1      1      1      1      1      1
15     1      0      0      1      1      1      1      1      1      1      1

```

16	1	0	1	1	1	1	1	1	1	1	1	1
17	1	0	1	1	1	1	1	1	1	1	1	1
18	1	0	1	1	1	1	1	1	1	1	1	1
19	1	1	1	1	1	1	1	1	1	1	1	1
20	1	1	1	1	1	1	1	1	1	1	1	1
	sqftb	yrb	yrr	lat	long	sqftlv15	sqftlot15					
1	0	0	0	0	0	0	0					
2	0	0	0	1	0	0	0					
3	0	0	0	1	0	0	0					
4	0	1	0	1	0	0	0					
5	0	1	0	1	0	0	0					
6	0	1	0	1	0	1	0					
7	0	1	0	1	0	1	0					
8	0	1	0	1	0	1	0					
9	0	1	0	1	0	1	0					
10	1	1	0	1	0	1	0					
11	1	1	0	1	0	1	0					
12	0	1	0	1	0	1	0					
13	0	1	0	1	0	1	0					
14	0	1	0	1	0	1	1					
15	0	1	0	1	0	1	1					
16	1	1	0	1	0	1	1					
17	1	1	0	1	0	1	1					
18	1	1	1	1	0	1	1					
19	1	1	1	1	0	1	1					
20	1	1	1	1	1	1	1					

The accuracy is pretty good when using transformed Price value in the king-County data, which is also similar to the result of using `cross.val()` and `err.boot()` in R330 library. The `train()` function in caret library also gives almost same results. The prediction error is about 0.00037 and the standard deviation is around 2.123223e-07.