

**Compiler Construction: Principles and Practice**  
by Kenneth C. Louden

**Chapter 6 Exercise Answers**

**Exercise 6.2**

GRAMMAR RULE	SEMANTIC RULES
$dnum \rightarrow num_1 . num_2$	$dnum.val =$ $num_1.val + num_2.val / 10^{num_2.count}$
$num_1 \rightarrow num_2 digit$	$num_1.val = num_2.val * 10 + digit.val$ $num_1.count = num_2.count + 1$
$num \rightarrow digit$	$num.val = digit.val$ $num.count = 1$
$digit \rightarrow 0$	$digit.val = 0$
$digit \rightarrow 1$	$digit.val = 1$
$digit \rightarrow 2$	$digit.val = 2$
$digit \rightarrow 3$	$digit.val = 3$
$digit \rightarrow 4$	$digit.val = 4$
$digit \rightarrow 5$	$digit.val = 5$
$digit \rightarrow 6$	$digit.val = 6$
$digit \rightarrow 7$	$digit.val = 7$
$digit \rightarrow 8$	$digit.val = 8$
$digit \rightarrow 9$	$digit.val = 9$

**Exercise 6.4**

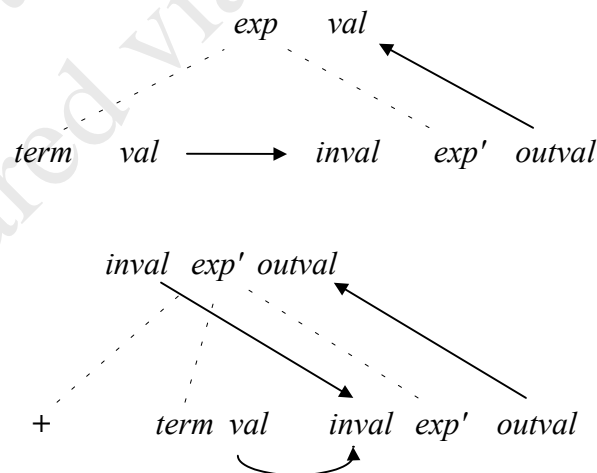
GRAMMAR RULE	SEMANTIC RULES
$exp \rightarrow term exp'$	$exp'.inval = term.val$ $exp.val = exp'.outval$
$exp_1' \rightarrow + term exp_2'$	$exp_2'.inval = exp_1'.inval + term.val$ $exp_1'.outval = exp_2'.outval$
$exp_1' \rightarrow - term exp_2'$	$exp_2'.inval = exp_1'.inval - term.val$ $exp_1'.outval = exp_2'.outval$
$exp' \rightarrow \epsilon$	$exp'.outval = exp'.inval$
$term \rightarrow factor term'$	$term'.inval = factor.val$ $term.val = term'.outval$
$term_1' \rightarrow * factor term_2'$	$term_2'.inval = term_1'.inval * factor.val$ $term_1'.outval = term_2'.outval$
$term' \rightarrow \epsilon$	$term'.outval = term'.inval$
$factor \rightarrow ( exp )$	$factor.val = exp.val$
$factor \rightarrow \text{number}$	$factor.val = \text{number}.val$

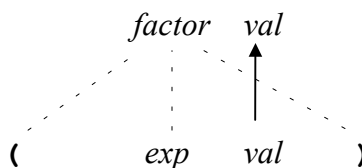
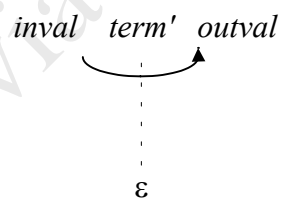
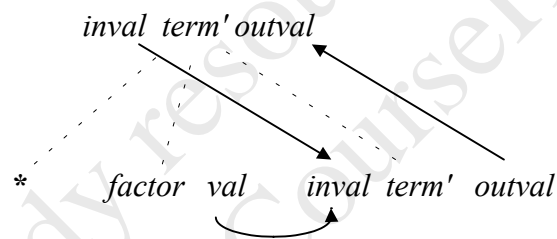
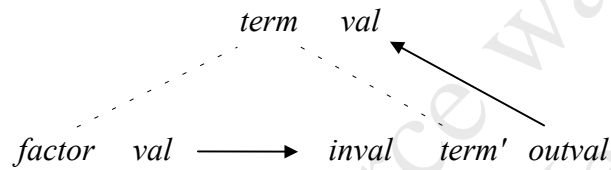
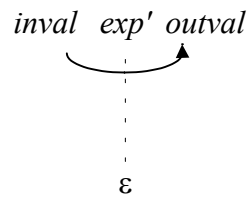
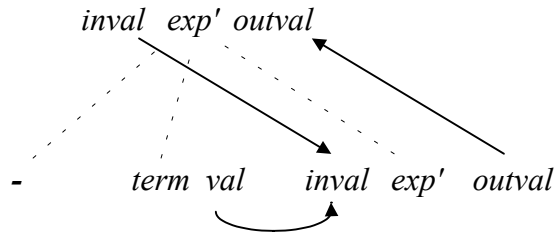
**Exercise 6.7**

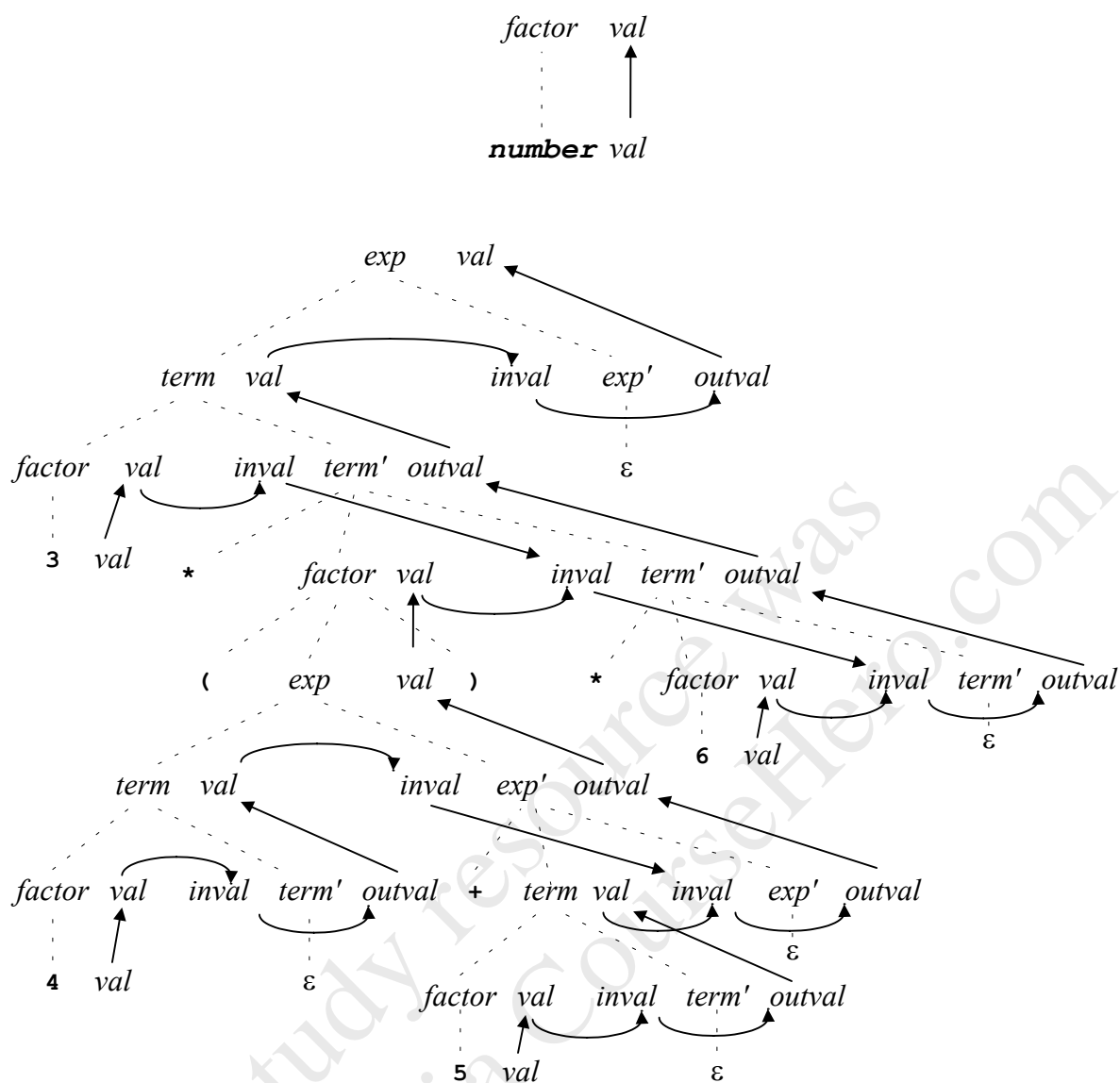
GRAMMAR RULE	SEMANTIC RULES
$decl \rightarrow var\text{-}list : type$	$var\text{-}list.dtype = type.dtype$
$var\text{-}list_1 \rightarrow var\text{-}list_2, id$	$id.dtype = var\text{-}list_1.dtype$ $var\text{-}list_2.dtype = var\text{-}list_1.dtype$
$var\text{-}list \rightarrow id$	$id.dtype = var\text{-}list.dtype$
$type \rightarrow integer$	$type.dtype = integer$
$type \rightarrow real$	$type.dtype = real$

**Exercise 6.8**

GRAMMAR RULE	SEMANTIC RULES
$decl \rightarrow id\ rest$	$id.dtype = rest.dtype$
$rest_1 \rightarrow , id\ rest_2$	$id.dtype = rest_2.dtype$ $rest_1.dtype = rest_2.dtype$
$rest \rightarrow : type$	$rest.dtype = type.dtype$
$type \rightarrow integer$	$type.dtype = integer$
$type \rightarrow real$	$type.dtype = real$

**Exercise 6.11**



**Exercise 6.14**

Consider the two input strings `int x` and `int x,y`. Using the conventions of Section 6.2.5 (pages 291-293), and using  $T$  for type,  $D$  for decl, and  $V$  for var-list, we have the following actions during an LR parse of each of these input strings:

	Parsing stack	Input	Parsing Action	Value stack	Semantic Action
1	\$	<code>int x</code> \$	shift	\$	
2	\$ <code>int</code>	<code>x</code> \$	reduce $T \rightarrow \text{int}$	\$ <code>int</code>	$T.dtype = \text{integer}$
3	\$ $T$	<code>x</code> \$	shift	\$ <code>integer</code>	
4	\$ $T$ <code>id</code>	\$	reduce $V \rightarrow \text{id}$	\$ <code>integer id</code>	$\text{id}.dtype = V.dtype$

	Parsing stack	Input	Parsing Action	Value stack	Semantic Action
1	\$	int x,y \$	shift	\$	
2	\$ int	x,y \$	reduce $T \rightarrow \text{int}$	\$ int	$T.dtype = \text{integer}$
3	\$ T	x,y \$	shift	\$ integer	
4	\$ T id	,y \$	shift	\$ integer id	
5	\$ T id ,	y \$	shift	\$ integer id ,	
6	\$ T id , id	\$	reduce $V \rightarrow \text{id}$	\$ integer id , id	$\text{id}.dtype = V.dtype$

In the first parse, when the reduction in the last line occurs, the *dtype* value is found in the value stack at position  $\text{top}-1$ , while in the second parse, when the reduction in the last line occurs the *dtype* value is found at position  $\text{top}-3$ .

### Exercise 6.18

In the following attribute grammar, we designate the new value attribute *val*. We also change the *lookup* function from Table 6.9, page 311 (which returns the nesting level of a name) to *lookupLevel*. We also add a *lookupVal* function, since the symbol table must now store the numeric value of a name, as well as the nesting level. Also, the *insert* procedure must have the value as an additional parameter. Finally, we include an **error** value as a potential value and discard the *err* attribute and the *isin* function (the *lookupVal* function returns **error** if the name is not found in the symbol table).

GRAMMAR RULE	SEMANTIC RULES
$S \rightarrow \text{exp}$	$\text{exp.symtab} = \text{emptytable}$ $\text{exp.nestlevel} = 0$
$\text{exp}_1 \rightarrow \text{exp}_2 + \text{exp}_3$	$\text{exp}_2.\text{symtab} = \text{exp}_1.\text{symtab}$ $\text{exp}_3.\text{symtab} = \text{exp}_1.\text{symtab}$ $\text{exp}_2.\text{nestlevel} = \text{exp}_1.\text{nestlevel}$ $\text{exp}_3.\text{nestlevel} = \text{exp}_1.\text{nestlevel}$ $\text{exp}_1.\text{val} =$ <b>if</b> ( $\text{exp}_2.\text{val} = \text{error}$ ) <b>or</b> ( $\text{exp}_3.\text{val} = \text{error}$ ) <b>then error</b> <b>else</b> $\text{exp}_2.\text{val} + \text{exp}_3.\text{val}$
$\text{exp}_1 \rightarrow ( \text{exp}_2 )$	$\text{exp}_2.\text{symtab} = \text{exp}_1.\text{symtab}$ $\text{exp}_2.\text{nestlevel} = \text{exp}_1.\text{nestlevel}$ $\text{exp}_1.\text{val} = \text{exp}_2.\text{val}$
$\text{exp} \rightarrow \text{id}$	$\text{exp.val} = \text{lookupVal}(\text{exp.symtab}, \text{id.name})$

$exp \rightarrow num$	$exp.val = num.val$
$exp_1 \rightarrow$ $\text{let } dec\text{-list in } exp_2$	$dec\text{-list}.intab = exp_1.symtab$ $dec\text{-list}.nestlevel = exp_1.nestlevel + 1$ $exp_2.symtab = dec\text{-list}.outtab$ $exp_2.nestlevel = dec\text{-list}.nestlevel$ $exp_1.val =$ <b>if</b> ( $dec\text{-list}.outtab = errtab$ ) <b>then error</b> <b>else</b> $exp_2.val$
$dec\text{-list}_1 \rightarrow dec\text{-list}_2 ,$ $decl$	$dec\text{-list}_2.intab = dec\text{-list}_1.intab$ $dec\text{-list}_2.nestlevel = dec\text{-list}_1.nestlevel$ $decl.intab = dec\text{-list}_2.outtab$ $decl.nestlevel = dec\text{-list}_2.nestlevel$ $dec\text{-list}_1.outtab = decl.outtab$
$dec\text{-list} \rightarrow decl$	$decl.intab = dec\text{-list}.intab$ $decl.nestlevel = dec\text{-list}.nestlevel$ $dec\text{-list}.outtab = decl.outtab$
$decl \rightarrow id = exp$	$exp.symtab = decl.intab$ $exp.nestlevel = decl.nestlevel$ $decl.outtab =$ <b>if</b> ( $decl.intab = errtab$ ) <b>then</b> $errtab$ <b>else if</b> $lookupLevel(decl.intab, id.name) = decl.nestlevel$ <b>then</b> $errtab$ <b>else</b> $insert(decl.intab, id.name, decl.nestlevel, exp.val)$

**Exercise 6.22**

(a) If we want the parser to distinguish between cast expressions and regular arithmetic expressions, then when an identifier such as A is reached, the parser must be able to lookup A in the symbol table to determine whether it was declared as a type name or a variable name. It can do this if, during the parse, the parser also enters each name into the symbol table as it is declared, with an indication of whether it is declared as a type or variable (i.e. in a typedef or not). Note that further type checking/semantic analysis is not required. Then the parser would construct a syntax tree node representing a type expression for the expression (A), rather than an arithmetic expression. Based on this tree, the parser would then determine whether the following minus sign is unary or binary.

(b) If we want the scanner to disambiguate the use of A, then the scanner must be able to look A up in the symbol table. This also requires that the *parser* has been inserting the names of variables and types as they are declared into the symbol table, since the scanner does not see enough of the input at one time to determine whether an identifier is declared in a typedef or not. Once the scanner has looked up A in the table and found it to be a type name, it can return a

*different token* to indicate the status of A: instead of an ID, it can generate a TypeID token. The parser then doesn't need to perform a lookup, but based on the token returned by the scanner, it can generate the appropriate syntax tree.

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