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Daniel Hondal

```
HW 7B: Problem 1
% Matrix A
A = [
   1 7 -1 4
   2 -1 3 -2
   -1 4 0 3
   3 - 2 - 2 1
% Matrix B
B = [25;6;14;-45]
% Determining linear independence
size(A)
det(A)
cond(A)
A =
    1
         7
              -1
                    4
    2
         -1
              3
                     -2
    -1
         4
              0
                    3
         -2
                    1
              -2
B =
   25
    6
   14
   -45
ans =
    4
ans =
 -140
```

ans = 10.7289

Part A: Prove Unique or Not Unique Solution

Matrix A is a square matrix (4x4). Matrix A is not singular the determinant is non-zero (-140) & the condition number is not a very large number ($\operatorname{cond}(A) \sim 10^{\circ}1$, so lose approximately one digit of accuracy). Therefore, Matrix A linear independent and thus has a unique solution.

Part B: Unique Solution

Solving for x

 $soln = A \setminus B$

soln =

-4.0000

10.1500

1.2500

-10.2000

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