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by Author One, Author Two

Abstract An abstract of less than 150 words.

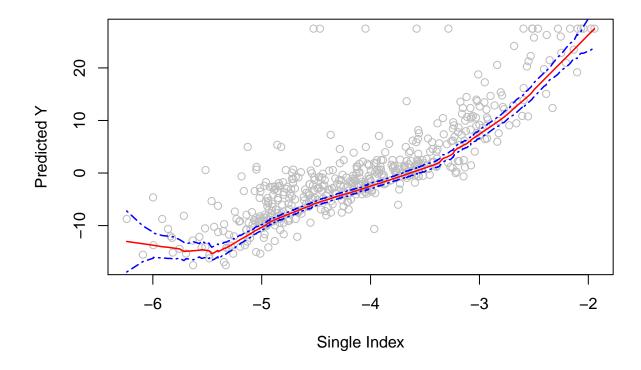
Real Rata and Simulations

Boston Housing data

```
#source the functions. Will be changed to load package
source("../R/SINDEXQ_fun.R")
#load data from MASS
library(MASS)
#help(Boston)
medv<- Boston$medv
RM <- Boston$rm
logTAX <- log(Boston$tax)</pre>
PTRATIO <- Boston$ptratio
logLSTAT <- log(Boston$lstat)</pre>
X <- cbind(RM,logTAX,PTRATIO,logLSTAT)</pre>
y0<-medv - mean(medv)
beta0 <- NULL
tau.vec <- c(0.25,0.5,0.75)
est.coefficient <- matrix(NA, nrow = length(tau.vec), ncol = 5)</pre>
est.coefficient[,1] <- tau.vec</pre>
for (i in 1:length(tau.vec)){
  est <- sigr(y0,X,beta.inital = beta0, tau=tau.vec[i],maxiter = 20,tol = 1e-6)
  est.coefficient[i,2:5] <- est$beta</pre>
}
#> Loading required package: quantreg
#> Loading required package: SparseM
#> Attaching package: 'SparseM'
#> The following object is masked from 'package:base':
#>
#>
       backsolve
colnames(est.coefficient) <- c("quantile tau",colnames(X))</pre>
est.coefficient
        quantile tau
                            RM
                                    logTAX
                                               PTRATIO logLSTAT
#> [1,] 0.25 0.3354766 -0.5243753 -0.06850000 -0.7796113
                0.50 0.3041920 -0.4281384 -0.06305787 -0.8486392
#> [2,]
                0.75 0.1962127 -0.1953405 -0.08930334 -0.9567484
#> [3,]
est.tau25 <- siqr(y0,X,beta.inital = NULL, tau=0.25)
#> [1] 0
#>
           XRM
                   XlogTAX
                              XPTRATIO XlogLSTAT
#> 0.44406205 -0.47257749 -0.07670279 -0.75736127
#> [1] 1
#>
         xnew1
                     xnew2
                                 xnew3
#> 0.37813341 -0.49256961 -0.06996417 -0.78070181
#> [1] 2
                     xnew2
#> 0.34780030 -0.51075764 -0.06745996 -0.78333310
#> [1] 3
```

```
#>
                   xnew2
                               xnew3
#> 0.34282402 -0.51624903 -0.06769887 -0.78190504
#> [1] 4
#>
                   xnew2
        xnew1
                               xnew3
#> 0.33895842 -0.52022853 -0.06783288 -0.78094057
#> [1] 5
        xnew1
                  xnew2
                              xnew3
#> 0.33666812 -0.52335876 -0.06832084 -0.77979641
#> [1] 6
       xnew1
                xnew2
                            xnew3
#> 0.3354766 -0.5243753 -0.0685000 -0.7796113
plot.siqr(est.tau25,bootstrap.interval = TRUE)
```

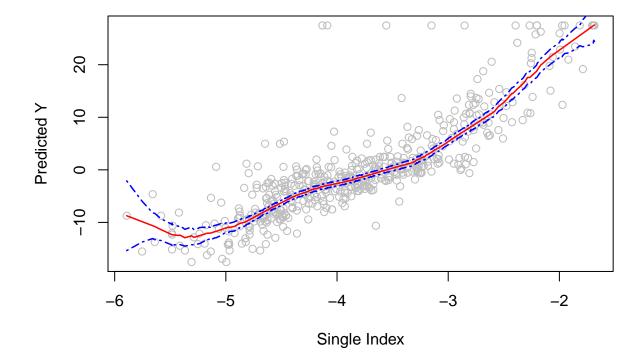
Fitted Quantiles Plot



```
est.tau50 <- siqr(y0,X,beta.inital = NULL, tau=0.5)
#> [1] 0
#>
          XRM
                 XlogTAX
                           XPTRATIO XlogLSTAT
#> 0.57091640 -0.36647234 -0.09713939 -0.72822828
#> [1] 1
#>
         xnew1
                     xnew2
                                  xnew3
#> 0.292809179 0.426155484 -0.005734161 0.855933063
#> [1] 2
        xnew1
                   xnew2
                              xnew3
#> 0.009225218 0.372118912 0.026440252 0.927762536
#> [1] 3
#>
        xnew1
                    xnew2
                               xnew3
#> 0.12328173 -0.35983254 -0.04707677 -0.92363734
#> [1] 4
#>
        xnew1
                   xnew2
                               xnew3
                                           xnew4
#> 0.22298100 -0.36720391 -0.05962984 -0.90104664
#> [1] 5
#>
       xnew1
                  xnew2
                            xnew3
                                       xnew4
```

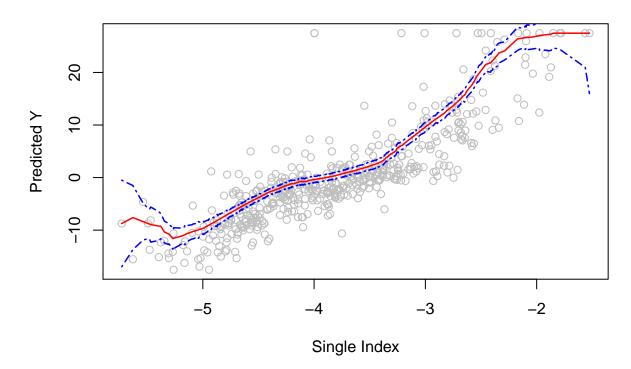
```
#> 0.2704938 -0.3988501 -0.0634627 -0.8739131
#> [1] 6
#>
        xnew1
                   xnew2
                               xnew3
                                           xnew4
#> 0.28888858 -0.41131208 -0.06460482 -0.86208583
#> [1] 7
#>
        xnew1
                   xnew2
                              xnew3
#> 0.30554290 -0.42608004 -0.06319432 -0.84917949
#> [1] 8
                   xnew2
        xnew1
                              xnew3
#> 0.30441006 -0.42736713 -0.06305407 -0.84894996
#> [1] 9
#>
        xnew1
                  xnew2
                              xnew3
#> 0.30419198 -0.42813835 -0.06305787 -0.84863920
#> [1] 10
#>
        xnew1
                  xnew2
                              xnew3
#> 0.30411236 -0.42865435 -0.06304605 -0.84840811
#> [1] 11
                  xnew2
        xnew1
                              xnew3
                                          xnew4
#> 0.30404379 -0.42920321 -0.06303784 -0.84815577
#> [1] 12
#>
        xnew1
                   xnew2
                               xnew3
#> 0.30399266 -0.42954021 -0.06302136 -0.84800471
plot.siqr(est.tau50,bootstrap.interval = TRUE)
```

Fitted Quantiles Plot



```
#> [1] 2
#> xnew1 xnew2 xnew3 xnew4
#> 0.4437019 -0.1828056 -0.0832210 -0.8733756
#> [1] 3
#>
      xnew1
                xnew2
                           xnew3
#> 0.41422345 -0.18944785 -0.08159574 -0.88649342
#> [1] 4
       xnew1
                xnew2
                           xnew3
#> 0.38561975 -0.19626649 -0.08040366 -0.89794884
#>
      xnew1
                xnew2
                           xnew3
#> 0.37307787 -0.19673467 -0.08123174 -0.90305580
#> [1] 6
#>
     xnew1
              xnew2 xnew3
#> 0.05565072 0.21650455 0.07029835 0.97215581
#> [1] 7
               xnew2
   xnew1
                        xnew3
                                  xnew4
#> 0.1319618 -0.2429183 -0.0809211 -0.9576161
#> [1] 8
      xnew1
                xnew2
                          xnew3
#> 0.17237441 -0.23361863 -0.08824924 -0.95284913
#> [1] 9
#>
       xnew1
                xnew2
                           xnew3
#> 0.18360648 -0.22316848 -0.08940544 -0.95314802
#> [1] 10
      xnew1
                xnew2
                           xnew3
#> 0.18835577 -0.21367807 -0.09014301 -0.95432595
#> [1] 11
       xnew1
                xnew2
                           xnew3
#> 0.19350855 -0.20513986 -0.09014037 -0.95516846
       xnew1
                xnew2
                          xnew3
#> 0.19532713 -0.19735563 -0.08948809 -0.95649880
#> [1] 13
#>
       xnew1
                xnew2
                          xnew3
#> 0.19600836 -0.19574310 -0.08934566 -0.95670409
#> [1] 14
               xnew2
       xnew1
                          xnew3
#> 0.19621271 -0.19534046 -0.08930334 -0.95674845
#> [1] 15
#>
                xnew2
       xnew1
                           xnew3
#> 0.19646554 -0.19486430 -0.08926289 -0.95679744
#> [1] 16
      xnew1 xnew2 xnew3
#>
#> 0.19674115 -0.19433461 -0.08921794 -0.95685273
#> [1] 17
      xnew1
               xnew2
                        xnew3
#> 0.1968269 -0.1941526 -0.0892026 -0.9568735
#> 「17 18
#> xnew1
                xnew2
                           xnew3 xnew4
#> 0.19686041 -0.19408891 -0.08919724 -0.95688000
plot.siqr(est.tau75,bootstrap.interval = TRUE)
```

Fitted Quantiles Plot



Simulation

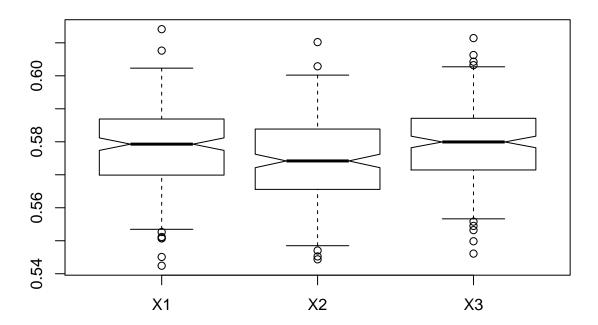
Setting 1

```
n <- 400
beta0 <- c(1, 1, 1)/sqrt(3)
n.sim <- 200
tau.vec <- c(0.25, 0.5, 0.75)
tau <- tau.vec[1]
data <- generate.data(n, true.theta=beta0, setting = "setting1",ncopy = n.sim)</pre>
#paralell
library(parallel)
library(foreach)
cl<- makeCluster(12)</pre>
doParallel::registerDoParallel(cl)
sim.results.50 <- foreach(m = 1:n.sim,.combine = "rbind") %dopar% {</pre>
  X <- data$X
  Y <- data$Y[[m]]
  est <- siqr(Y, X, beta.inital = c(2,1,0), tau=0.5, maxiter = 30, tol = 1e-8)
  if(est$flag.conv == 0){
    return(NULL)
  }else{
    return(est$beta)
  }
}
sim.results.25 <- foreach(m = 1:n.sim,.combine = "rbind") %dopar% {</pre>
  X <- data$X
  Y <- data$Y[[m]]</pre>
  est <- siqr(Y, X, beta.inital = c(2,1,0), tau=0.25, maxiter = 30, tol = 1e-8)
```

```
if(est$flag.conv == 0){
    return(NULL)
  }else{
    return(est$beta)
}
sim.results.75 <- foreach(m = 1:n.sim,.combine = "rbind") %dopar% {</pre>
  X <- data$X
  Y <- data$Y[[m]]
  est <- siqr(Y, X, beta.inital = c(2,1,0), tau=0.75, maxiter = 30, tol = 1e-8)
  if(est$flag.conv == 0){
    return(NULL)
  }else{
    return(est$beta)
  }
}
stopCluster(cl)
sim.results.25 <- readRDS("./sim1.results25.RDS")</pre>
sim.results.50 <- readRDS("./sim1.results50.RDS")</pre>
sim.results.75 <- readRDS("./sim1.results75.RDS")</pre>
```

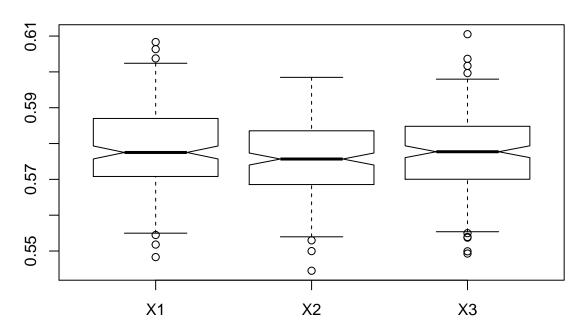
boxplot(data.frame((sim.results.25)), outline=T,notch=T,range=1,main = "Boxplots of Coefficient Estimates, ta

Boxplots of Coefficient Estimates, tau = 0.25



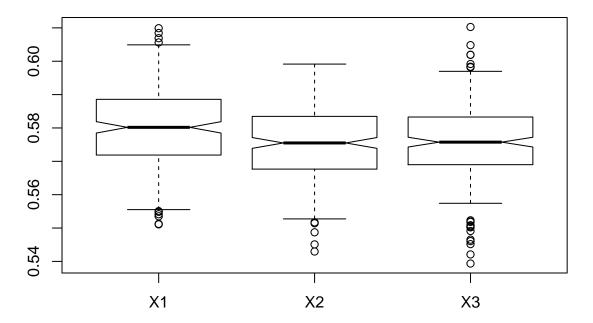
boxplot(data.frame((sim.results.50)), outline=T,notch=T,range=1,main = "Boxplots of Coefficient , tau = 0.50"

Boxplots of Coefficient , tau = 0.50



boxplot(data.frame((sim.results.75)), outline=T,notch=T,range=1,main = "Boxplots of Coefficient Estimates, ta

Boxplots of Coefficient Estimates, tau = 0.75

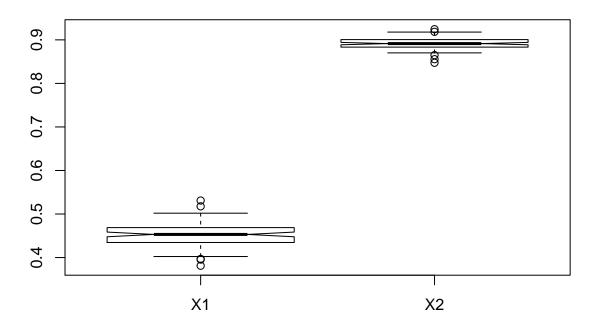


est.sim.05 <- siqr(data\$Y[[1]],data\$X,beta.inital = NULL, tau=0.5)</pre>

plot.siqr(est.sim.05,bootstrap.interval = TRUE)

```
Setting 3
n <- 400
beta0 <- c(1, 2)/sqrt(5)
n.sim <- 100
tau <- 0.5
data <- generate.data(n, true.theta=beta0, setting = "setting3",ncopy = n.sim)</pre>
#paralell
library(parallel)
library(foreach)
cl<- makeCluster(12)</pre>
doParallel::registerDoParallel(cl)
sim.results <- foreach(m = 1:n.sim,.combine = "rbind") %dopar% {</pre>
     X <- data$X
     Y <- data$Y[[m]]</pre>
      est <- siqr(Y, X, beta.inital = NULL, tau=tau, maxiter = 30, tol = 1e-8)
      est$beta
}
tau <- 0.5
sim.results <- readRDS("./sim.results.RDS")</pre>
est.mean <- c(tau,apply(sim.results,2,mean))</pre>
names(est.mean) <- c("tau","beta1.hat","beta2.hat")</pre>
est.mean
#>
                            tau beta1.hat beta2.hat
#> 0.5000000 0.4515909 0.8917233
est.se <- c(tau,apply(sim.results,2,sd))</pre>
names(est.se) <- c("tau","beta1.se.hat","beta1.se.hat")</pre>
est.se
                                      tau beta1.se.hat beta1.se.hat
#>
#>
               0.50000000 0.02682211 0.01359602
boxplot(data.frame((sim.results)), outline=T,notch=T,range=1,main = "Boxplots of Coefficient Estimates, example to the complex of the complex
```

Boxplots of Coefficient Estimates, example 2

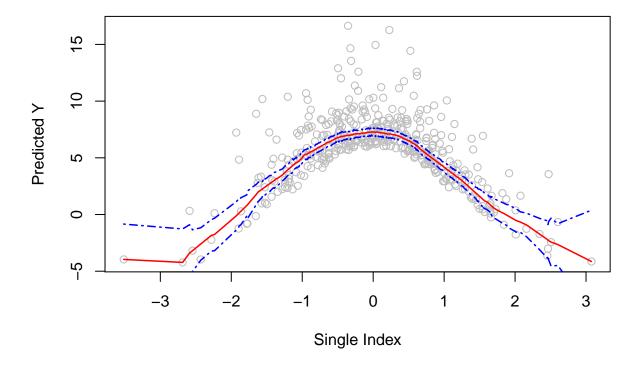


```
n <- 400
beta0 <- c(1, 2)/sqrt(5)
n.sim <- 100
tau <- 0.5
data <- generate.data(n, true.theta=beta0, setting = "setting3",ncopy = 2)</pre>
est.sim.05 <- siqr(data$Y[[1]],data$X,beta.inital = NULL, tau=0.5)</pre>
#> [1] 0
#>
          X1
#> 0.4591969 -0.8883345
#> [1] 1
        xnew1
                  xnew2
#> 0.04819079 0.99883815
#> [1] 2
#>
       xnew1
                 xnew2
#> 0.2754254 0.9613224
#> [1] 3
       xnew1
#>
                xnew2
#> 0.3781022 0.9257639
#> [1] 4
#>
       xnew1
                xnew2
#> 0.3986258 0.9171137
#> [1] 5
#>
       xnew1
#> 0.4013716 0.9159153
#> [1] 6
#>
      xnew1
                xnew2
#> 0.4026119 0.9153708
#> [1] 7
      xnew1
                 xnew2
#> 0.4034853 0.9149861
#> [1] 8
      xnew1
                 xnew2
```

```
#> 0.4038987 0.9148037
#> [1] 9
#>
       xnew1
                 xnew2
#> 0.4040899 0.9147193
#> [1] 10
#>
       xnew1
                 xnew2
#> 0.4042582 0.9146449
#> [1] 11
       xnew1
                xnew2
#> 0.4043899 0.9145867
       xnew1
                 xnew2
#> 0.4044719 0.9145504
#> [1] 13
#>
                 xnew2
       xnew1
#> 0.4045083 0.9145343
```

plot.siqr(est.sim.05,bootstrap.interval = TRUE)

Fitted Quantiles Plot



Sys.sleep(100)

Bibliography

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