#### **Parallel Computing**

Academic year – 2020/21, spring semester Computer science

### Lecture 1

Lecturer, instructor:

**Balakshin Pavel Valerievich** 

(pvbalakshin@itmo.ru; pvbalakshin@hdu.edu.cn)

**Assistant:** 

**TBD** 

(TBD@hdu.edu.cn)

#### About myself

- PhD in Computer Science
- 9 years of teaching experience
- 15 years of IT industry
- Associate professor at ITMO University
- Lead RPA Developer at Masterdata
- Scientific interests: RPA, speech recognition, new IT inventions



#### Course structure

- **7-8** lectures
- 4 lab works about the following topics:
  - Automatic parallelization of programs
  - Research the effectiveness of multi-threading libraries for C programs
  - OpenMP technology
- 7-8 intermediate test after each lesson
- 1 final test (=exam)

#### Breakdown of grades

	Result	Result	
Result score	grade	mark	Explanation
[0; 59]	2F	Fail	Unsatisfactory
[60;67]	3E	Pass	Satisfactory
[68;74]	3D	Pass	Satisfactory
[75;83]	4C	Pass	Good
[84;90]	4B	Pass	Very good
[91;100]	5A	Pass	Excellent

#### Penalty

 Participants who successfully complete 70% of the attendance and 70% of class work will be allowed to

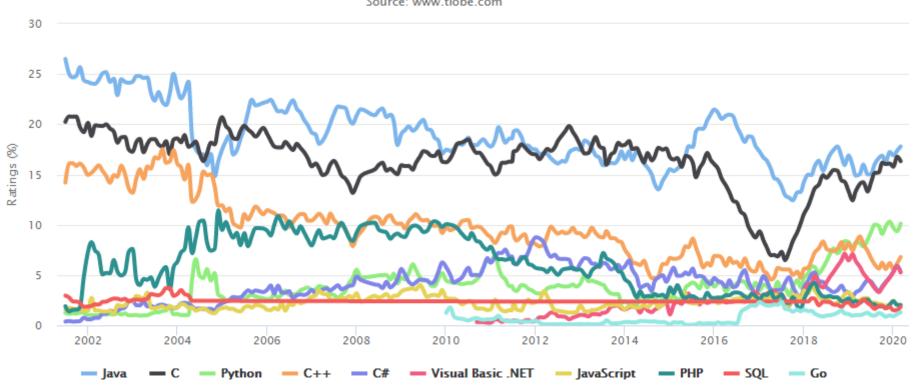
the exam.



#### Why C/C++

#### **TIOBE Programming Community Index**

Source: www.tiobe.com

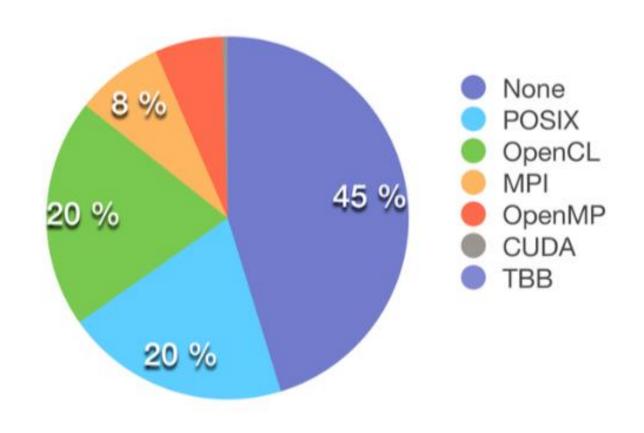


#### Why C/C++ (2)

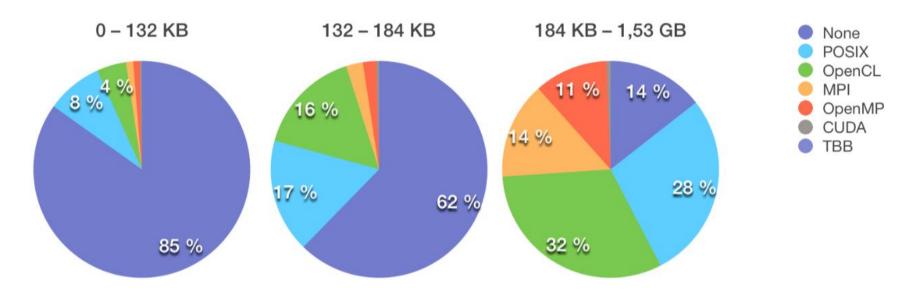
Language Rank	Types	Spectrum Ranking
1. Python	⊕ 🖵	100.0
2. C	□ 🖵 🛢	99.7
3. Java	$\oplus$ $\Box$ $\Box$	99.5
4. C++		97.1
5. C#		87.7
6. R	<u>_</u>	87.7
7. JavaScript		85.6
8. PHP	<b>(</b>	81.2
<b>9.</b> Go	⊕ 🖵	75.1
10. Swift		73.7

https://spectrum.ieee.org/computing/software/the-2017-top-programming-languages

### Choosing a language for parallel programming technology



## Choosing a language for parallel programming technology(2)



Distribution based on repository size

#### **Definitions**

**Concurrent computing** is a way of organizing calculations on one or more computers, where life periods of several tasks intersect.

**Sequential computing** – there are no overlapping periods of tasks.

**Parallel computing** – tasks are executed physically simultaneously on different processors and/or cores of the same computer.

**Multicore computing** – computations when each processor has more then one core.

**Shared memory processing (SMP)** – refers to the work of parallel programs on systems with shared memory. In such systems all the processors/cores share common memory of one computer.

**Distributed computing** – sort of parallel computing, at which to calculations take place on processors located on different computers connected by a network, means one has to transfer programs and/or data through a network to perform calculations. 10

#### Definitions (2)

Parallel calculations are always concurrent ones.

Not all concurrent calculations are parallel.

Parallel computing = multicore computing = SMP.

Not in scope of the course:

- Bit-level parallelism
- Parallelism at the operand level concurrency at the data level
- Parallelism at the instruction level superscalarity
- Preemptive multitasking

#### Definitions (3)

During the existence of computer technology, the speed of triggering of elements has increased 10<sup>6</sup> times, and the speed of calculations has increased 10<sup>9</sup> times.

The performance of single-processor systems increased by 1.5 times annually from 1986 to 2002.

Since 2002 this increase is only 1.2 times.

**Conclusion**: Computer science development is history of architectural excellence and practical use of parallelism.

# Why do we need parallel computing?

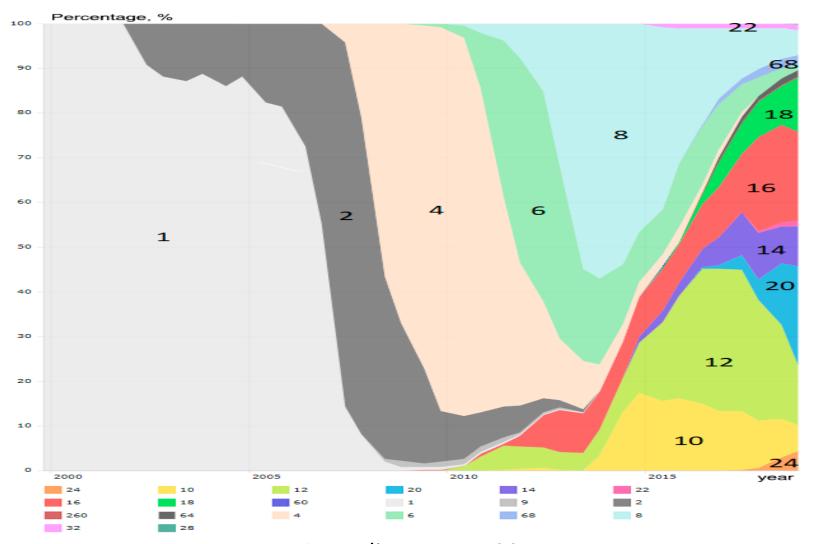
- 1. Problems of Grand Challenge solution (performance of existing computing systems is not enough > 1 Tflops):
- climate modeling;
- genetic engineering;
- integrated circuit design;
- environmental pollution analysis;
- drug development.
- 2. Software development for modern smartphones.
- 3. Gaming industry.

## Classification of parallel systems (architectures)

- SMP (Shared Memory Parallelism, Symmetric MultiProcessor system) – multiprocessor, multicore, GPGPU.
- MPP (Massively Parallel Processing) cluster systems, GRID (distributed computing).

#### History of SMP-systems development

Number of occupied cores during supercomputers creation



### What contributes to the development of parallel computing

- Theoretical limited growth in performance of nonparallel computers.
- Sharp reduction in the cost of multiprocessor (parallel) computing systems.
  - $-1 \times Cray T90: 1.8 Gflops = $2,5 million (1995)$
  - $-8 \times 1BM SP2: 2.1 GFlops = $0.5 million (~2000)$
- Appearance of a multi-core processor building paradigm.

### What slows down the development of parallel computing (1)

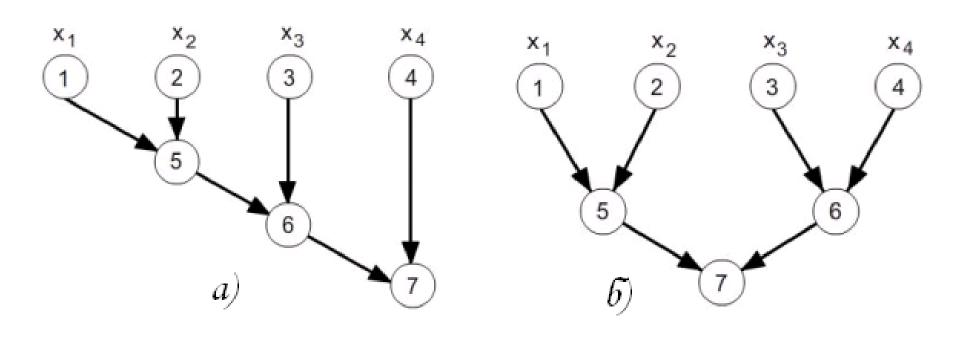
- Marvin Minsky's <u>hypothesis</u> (1971): acceleration of a parallel system is proportional to the binary logarithm of the number of processors.
- Gordon Moore's law (1975): the number of transistors in a dense integrated circuit doubles about every 18 months.
- Herb Grosch's law (1953): computer performance increases as the square of the cost.
- Difficult to learn the principles of parallel programming.

### What slows down the development of parallel computing (2)

- Gene Amdahl's law (1967): any program has a nonparallelized part.
- Non-universality (not cross-platform) of parallelism: while programming you should take into account characteristic features of concrete parallel systems.
- Existing software is oriented on sequential computers.

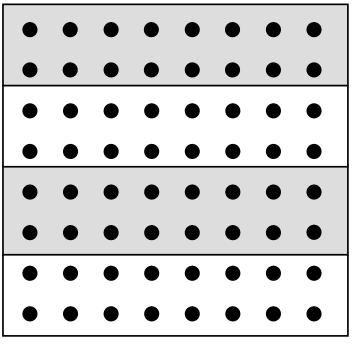
#### Example of paralleling an algorithm (1)

#### Sequential and cascading summation

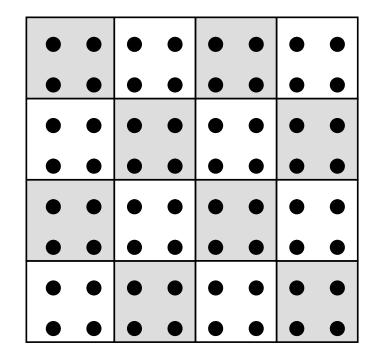


#### Example of paralleling an algorithm (2)

Search for the maximum element of an array



a)



б)

#### Example of paralleling an algorithm (3)

#### Parallel sorting:

- Split the source array into two parts.
- Sort each part independently from its processor.
- Perform merging of the sorted pieces.

Computational complexity:  $C_1*N*N \rightarrow C_1*N/2*N/2 + C_2*N$ 

## Performance indicators of parallel programs

- p number of available calculators (cores, processors)
- V average speed of program execution (arbitrary units of work per second)

$$S(p) = V(p) / V(1) - parallel speedup$$

$$E(p) = S(p) / p = V(p) / [p * V(1)] - parallel efficiency$$

#### Amdahl's law

$$S(p)|_{w=const} = \frac{t(1)}{t(p)} = \frac{t(1)}{\frac{k \cdot t(1)}{p} + (1-k) \cdot t(1)} = \frac{1}{\frac{k}{p} + 1 - k}$$

$$E_A(p) = (k + p - p \cdot k)^{-1}$$

w(p) – arbitrary total units of work
 t(p) – runtime w using p processors
 k – paralleling fraction / portion of parallel instructions

#### Gustafson-Barsis's law

$$S(p)|_{t=const} = \frac{w(p)}{w(1)} = p \cdot k + 1 - k$$

w(p) – arbitrary total units of work, performed by the program in the time t

### Modification of the Amdahl' Law (by Prof. A.V. Boukhanovsky)

$$T_{1}(N) = t_{c}(N + M)$$

$$T_{P}(p, N) = T_{OMP} + \frac{t_{c}N}{p} + M \cdot t_{c}$$

$$T_{OMP} = \alpha(p-1)t_{c}N$$

$$S(p, N) = \frac{T_1}{T_P} = \frac{N + M}{\alpha(p-1)N + \frac{N}{p} + M}$$

N – number of paralleled instructions, M – number of non-paralleled instructions,  $t_c$  – single instruction operation time, p – number of available calculators,  $T_i$  – program execution time during usage of i parallel threads on i-calculators,  $\alpha$  – scaling factor

#### Comparison with Amdahl

