## Video Compression Final Project

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## L<sup>2</sup>C – Learning to Learn to Compress

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## **Outline**

- Motivation
- Proposed method
- Experimental results

#### **Motivation**

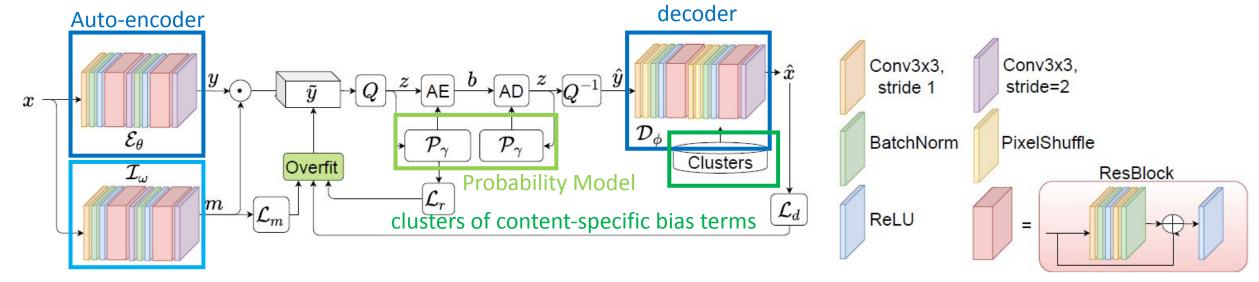
#### **Problem**

- Current architecture suffer from domain shift content type at test time is different from the content type considered during training
- The neural networks in the codec are not optimized on every unseen test image

#### Goal

- Adaption / overfitting to the input latent
- Reduce the gap between training and inference

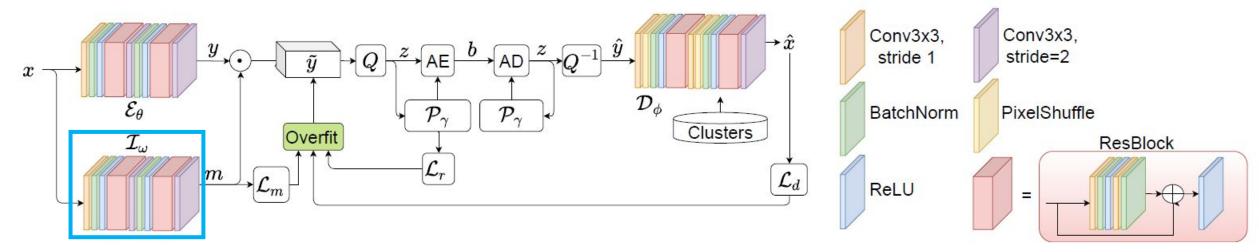
#### Overview of L<sup>2</sup>C



Importance map module

- $\varepsilon_{\theta}$ : encoder network parametrized by weight  $\theta$
- $\mathcal{D}_{\phi}$ : decoder network parametrized by weights  $\phi$
- $ext{I}_{\omega}$ : importance map module parametrized by weights  $\omega$

## A. Learned Spatially-varying Channel Masking



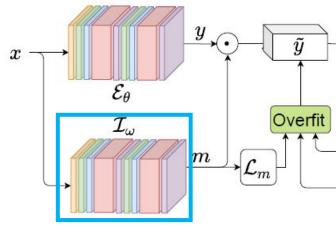
Importance map module

## A. Learned Spatially-varying Channel Masking

- Allocate a varying number of channels to different spatial areas of the encoded tensor y
- Output and importance map  $\tau \in \mathbb{R}^{\frac{H}{s}, \frac{W}{s}, 1}$  with elements in [0, 1]
- This map is then quantized with bits  $\log_2 c$  and then expanded into a mask  $m \in \mathbb{R}^{\frac{H}{S'}\frac{W}{S'}, c}$ :

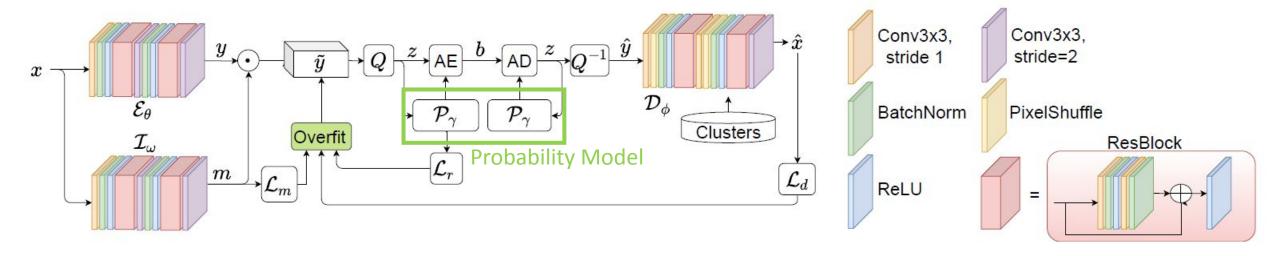
$$m_{i,j,k} = \begin{cases} 1 & \text{if } k < c\tau_{i,j} \\ 0 & \text{otherwise.} \end{cases}$$

- Constraint:  $\mathcal{M}( au) = |ar{ au} \zeta|$
- $ar{ au}$  is the mean value of au and  $\zeta$  is a constant representing the target average non-zero ratio in m



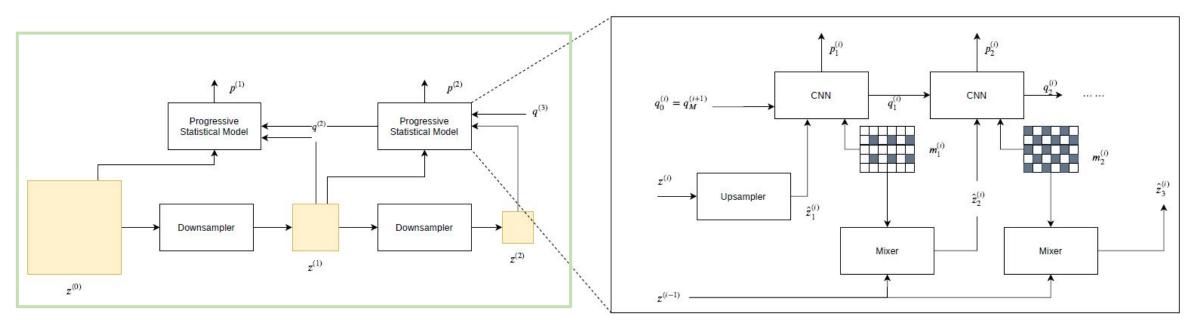
Importance map module

#### **B. Probability Model for Lossless Coding**



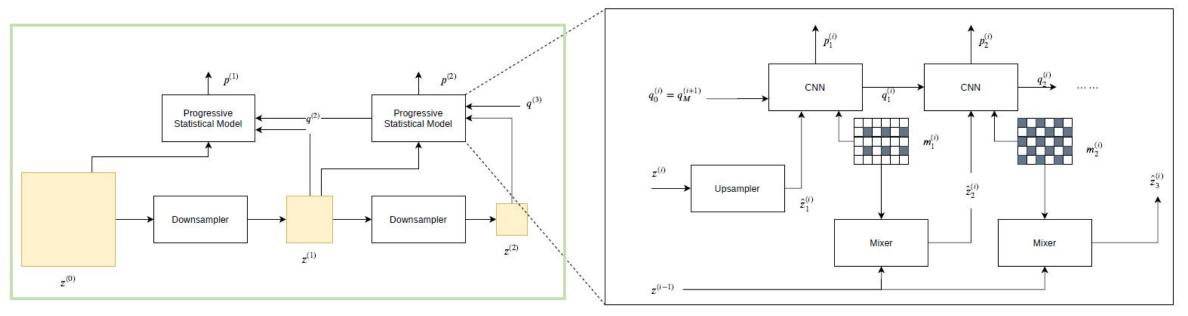
[1] H. Zhang, F. Cricri, R. Tavakoli, N. Zou, E. Aksu, and M. Hannuksela, "Lossless Image Compression Using a Muli — Scale Progressive Statistical Model," ACCV, 2020.

# $\mathcal{P}_{\gamma}$ $\mathcal{P}_{\gamma}$ Probability Model



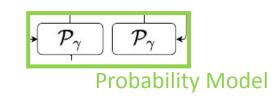
- Downsample an input image into a number of low-resolution representations
- Used as a context to estimate the distribution function of the pixels in a higher resolution representation.

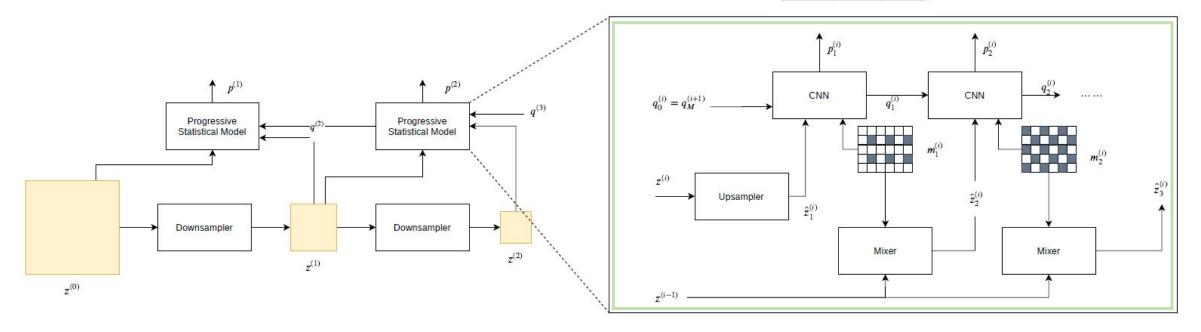
# $\mathcal{P}_{\gamma}$ $\mathcal{P}_{\gamma}$ Probability Model



- $z^{(0)}$ : *Latent*
- $z^{(i)}$ : low resolution representation of  $z^{(0)}$  at scale i, i = 1, 2, ..., M
- The joint distribution function of elements in  $z^{(0)}$  is defined by  $p(z^{(0)}) = \left(\prod_{i=1}^{M-1} p\left(z^{(i-1)}|z^{(i)}\right)\right) p\left(z^{(M)}\right)$
- $\mathcal{L}_r(z) = -\mathbb{E}(\log(p(z^{(0)})))$

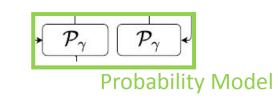
1	2	1	2	1	2
3	X	3	X	3	X
1	2	1	2	1	2
3	X	3	x	3	X

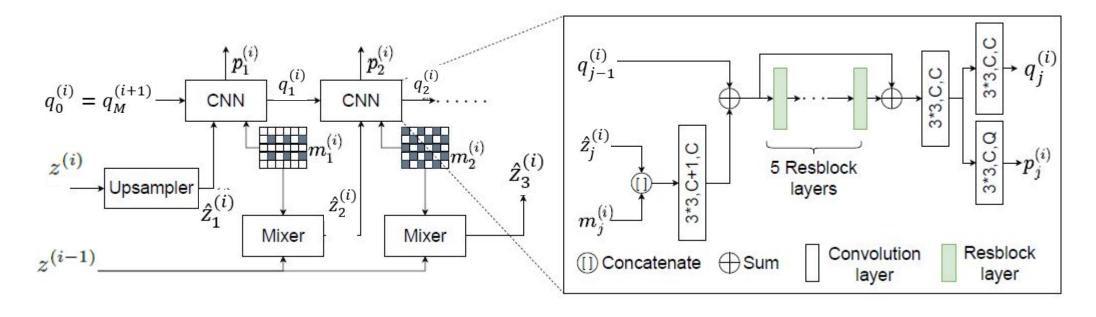




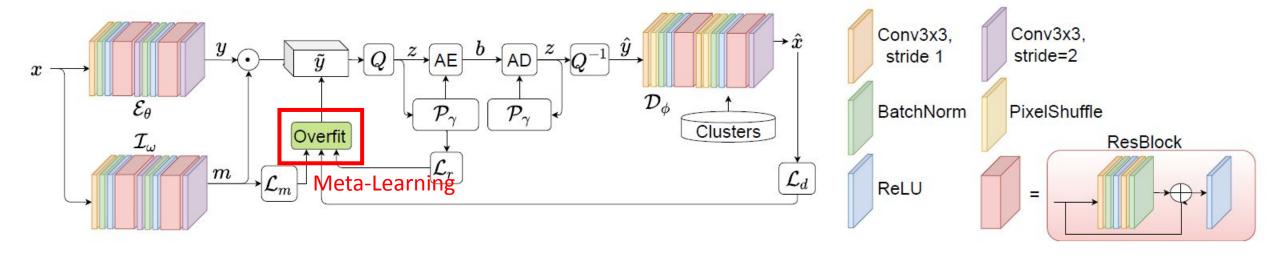
- Partition each scale into multiple groups  $(g_j^{(i)}: group \ j \ at \ scale \ i)$
- The context for group is  $C_i^{(i)} = \{g_1^{(i)}, g_1^{(i)}, \dots, g_{j-1}^{(i)}, z^{(i-1)}\}$
- The conditional distribution  $p(z^{(i-1)}|z^{(i)})$  can be written as  $p\left(z^{(i-1)}|z^{(i)}\right) = \prod_{i=1}^{B_i} p\left(g_j^{(i)}|C_j^{(i)}\right)$ .
- $z_k$ : the element in group  $g_j^{(i)} \Longrightarrow p\left(g_j^{(i)}|C_j^{(i)}\right) = \prod_{k=1}^{N_j^{(i)}} p\left(z_k|C_j^{(i)}\right)$ .

1	2	1	2	1	2
3	X	3	X	3	X
1	2	1	2	1	2
3	X	3	X	3	X





- Assume  $p\left(z_k \middle| C_j^{(i)}\right)$  follows a mixture of logistic distribution
- The parameters are determined by a function modeled by a deep neural network with  $C_j^{(i)}$  as its input.



- First Stage:
  - ✓ Loss:

$$\mathcal{L}(\hat{x}, x, z, \tau) = \lambda_{d_1} \mathcal{L}_{d_1}(\hat{x}, x) + \lambda_{d_2} \mathcal{L}_{d_2}(\hat{x}, x) + \lambda_{d_3} \mathcal{L}_{d_3}(\hat{x}, x) + \lambda_r \mathcal{L}_r(z) + \lambda_m \mathcal{M}(\tau)$$

- $\succ \mathcal{L}_{d_1}: MS SSIM \ Loss$
- $\succ \mathcal{L}_{d_2}$ : Meam squared error
- $\triangleright \mathcal{L}_{d_3}$ : Perceptual Loss
- $\triangleright \mathcal{L}_r$ : Probability module Loss
- $\triangleright$   $M(\tau)$ : Importance module Loss

- Second Stage:
  - ✓ the performance of latent tensor overfitting is maximized at inference time
  - ✓ Few-shots learning problem (1-shot)
    - □ allow for overfitting the latent tensor in few iterations



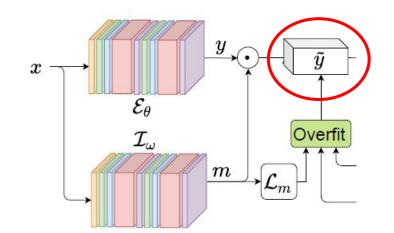
- ✓ Get the initial latent  $\tilde{y}_i^{(0)} = \varepsilon_\theta(x_i) \odot m$
- √ The latent updated by gradient descent for n overfitting iterations and with learning

rate 
$$\alpha$$

$$\tilde{y}_i^{(k+1)} = \tilde{y}_i^k - \alpha \nabla_{\tilde{y}_i} \mathcal{L}_{x_i}(\tilde{y}_i^k, \theta, \omega, \phi, \gamma)$$

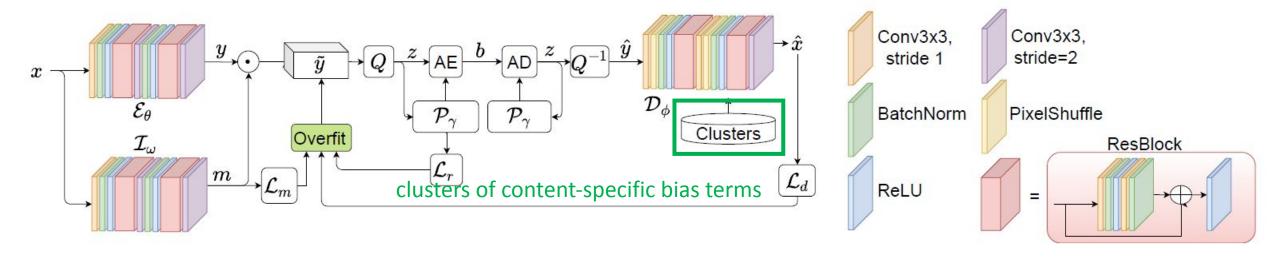
- Outer-Loop: Overfitting the network parameters
  - ✓ Use overfitted latent tensor  $\tilde{y_i}^{(n)} = \varepsilon_{\theta}(x_i) \odot m$  to compute the loss
  - ✓ Update the network's parameters with learning rate  $\beta$

$$\{\theta, \omega, \phi, \gamma\} = \{\theta, \omega, \phi, \gamma\} - \beta \nabla_{\{\theta, \omega, \phi, \gamma\}} \sum_{x_i \sim p(\mathcal{X})} \mathcal{L}_{x_i}(\tilde{y}_i^{(n)}, \theta, \omega, \phi, \gamma)$$



### **D. Adapting Decoders' Parameters**

• Third Stage:

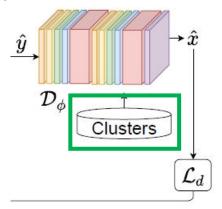


#### clusters of content-specific bias terms

## Proposed Method — L<sup>2</sup>C

#### D. Adapting Decoders' Parameters

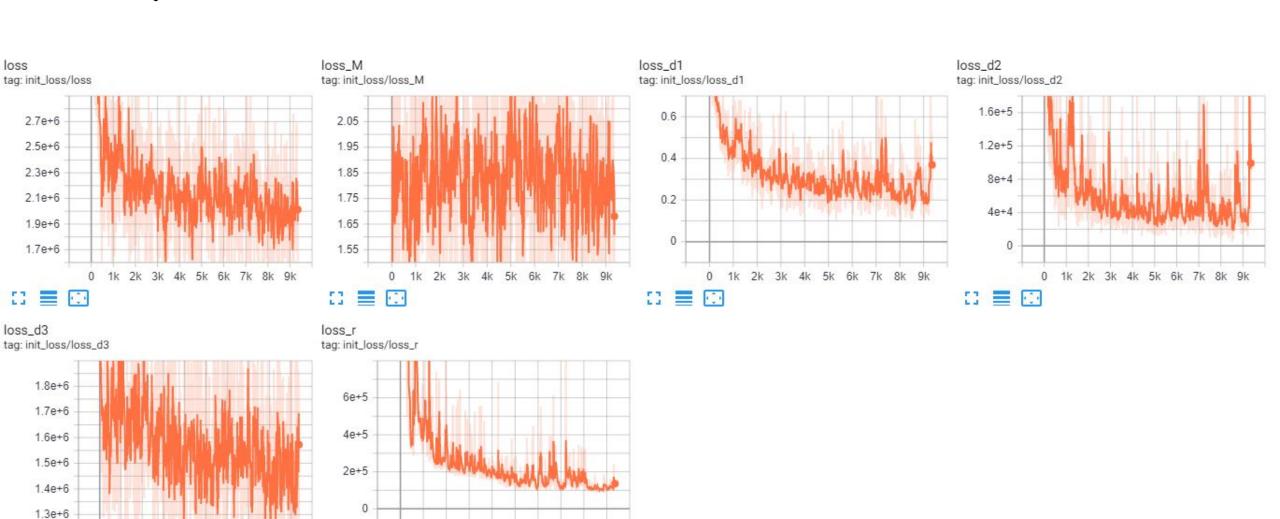
- Authors of [2] found that updating only the bias terms is a good trade-off between gain in reconstruction quality and bitrate overhead incurred by signaling the updated weights.
- overfit only the bias terms of the convolutional layers of  ${\cal D}_{|\phi}$
- 255 sets of overfitted decoder's parameters
- 1 index is reserved for default bias (no adaption)



- # Quantization bits = 8
- msssim: 0.135 | mse: 21666.465 | bpp: 0.616 | PSNR: 25.134
- # Quantization bits = 6
- msssim: 0.161 | mse: 23985.810 | bpp: 1.460 | PSNR: 24.103
- # Quantization bits = 4
- msssim: 0.138 | mse: 22538.275 | bpp: 8.910 | PSNR: 24.714
- # Quantization bits = 2
- msssim: 0.341 | mse: 50103.955 | bpp: 926.334 | PSNR: 20.121

### # Quantization bits = 8

0 1k 2k 3k 4k 5k 6k 7k 8k 9k

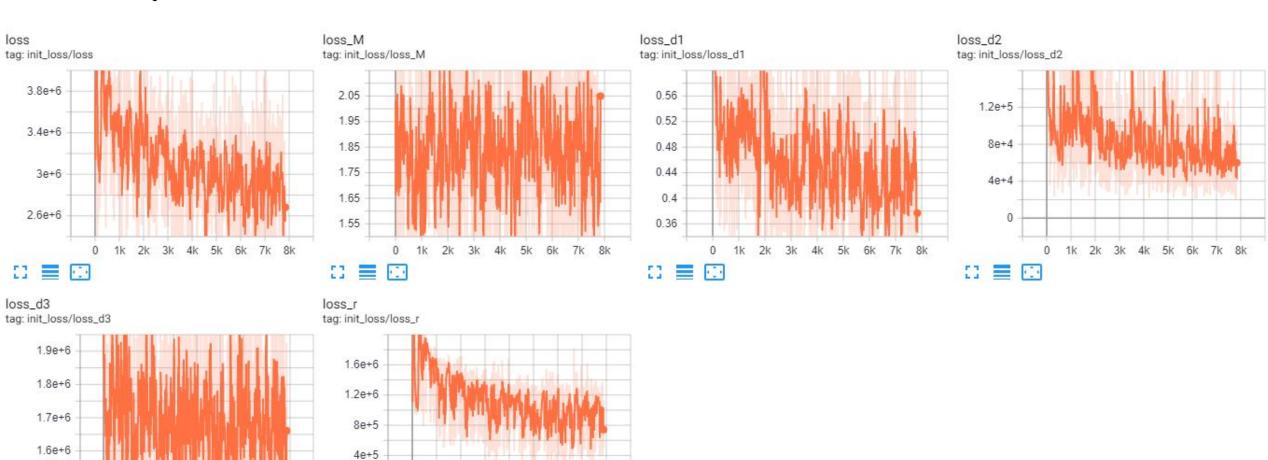


0 1k 2k 3k 4k 5k 6k 7k 8k 9k

### # Quantization bits = 2

1.5e+6

0 1k 2k 3k 4k 5k 6k 7k 8k

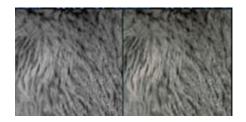


0 1k 2k 3k 4k 5k 6k 7k 8k

# Quantization bits = 8

MS-SSIM loss: 0.044 | MSE: 3668.470 |

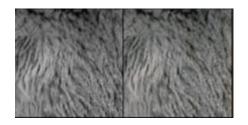
bpp: 0.552 | PSNR: 30.216



# Quantization bits = 4

MS-SSIM loss: 0.035 | MSE: 3842.724 |

bpp: 13.290 | PSNR: 30.007



# Quantization bits = 6

MS-SSIM loss: 0.103 | MSE: 6571.239 |

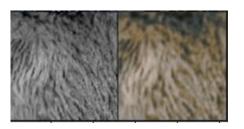
bpp: 1.980 | PSNR: 27.685



• # Quantization bits = 2

• MS-SSIM loss: 0.505 | MSE: 19770.715

bpp: 116.410 | PSNR: 22.878



# Quantization bits = 8

MS-SSIM loss: 0.080 | MSE: 8635.454 |

bpp: 0.257 | PSNR: 26.481



# Quantization bits = 4

MS-SSIM loss: 0.084 | MSE: 8908.573

bpp: 5.318 | PSNR: 26.348



# Quantization bits = 6

MS-SSIM loss: 0.079 | MSE: 8980.742 |

bpp: 0.169 | PSNR: 26.320



• # Quantization bits = 2

• MS-SSIM loss: 0.248 | MSE: 27755.230

bpp: 147.673 | PSNR: 21.414



