

Mini Project Report:

Kernighan-Lin (KL) Algorithm in C++

Introduction

The Kernighan-Lin (KL) algorithm performs partitioning through iterative improvement steps. It was proposed by B. W. Kernighan and S. Lin in 1970 for bi-partitioning ($k = 2$) graphs.

It is a well-known algorithm used by EDA tools for partitioning. It is implemented in this project.

Implementation:

- The program is generic and is not specific to some kind or number of netlist, it can do as many passes as defined in the algorithm.
- The program can handle the odd number of components in a netlist by adding dummy gate prior initial partitioning

Results

- 1) (a: IN1 N2, IN2 N3, OUT N4)
(b: IN1 N2, IN2 N1, OUT N3)
(c: IN1 N5, IN2 N6, OUT N7)
(d: IN1 N4, IN2 N5, OUT N6)

The result of applying the algorithm on the given netlist above:

Number of Gates: 4

Gate 1 Name: a	IN1: 2	IN2: 3	OUT: 4
Gate 2 Name: b	IN1: 2	IN2: 1	OUT: 3
Gate 3 Name: c	IN1: 5	IN2: 6	OUT: 7
Gate 4 Name: d	IN1: 4	IN2: 5	OUT: 6

Connectivity Matrix:

	a	b	c	d
a	0	2	0	1
b	2	0	0	0
c	0	0	0	2
d	1	0	2	0

||===== Applying Kernighan-Lin (KL) Algorithm =====||

Initial Partitions:

Partition A:

Gate 1 Name: a

Gate 2 Name: b

Partition B:

Gate 1 Name: c

Gate 2 Name: d

|----- Pass 1 -----|

Iteration: 0 Unfixed gates: c a d b

Cut nets of a = 1

Cut nets of b = 0

Cut nets of c = 0

Cut nets of d = 1

Uncut nets of a = 2

Uncut nets of b = 2

Uncut nets of c = 2

Uncut nets of d = 2

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Cut cost & delta_g :
D(a) = -1,      D(c) = -2
D(b) = -2,      D(d) = -1
delta_g(a,c) = -3
delta_g(a,d) = -4
delta_g(b,c) = -4
delta_g(b,d) = -3

Highest gain is: -3 -- Pair to switch are: a and c
Swap and Fix a and c
G = -3

*****
Iteration: 1      Unfixed gates: d b
*****
Cut nets of b = 2
Cut nets of d = 2
Uncut nets of b = 0
Uncut nets of d = 1

Cut cost & delta_g :
D(b) = 2,      D(d) = 1
delta_g(b,d) = 3

Highest gain is: 3 -- Pair to switch are: b and d
Swap and Fix b and d
G = 0
|----- End of Pass 1 -----|

G_m = 0

Configuration after Pass 1 :
Partition A:
Gate 1 Name: c
Gate 2 Name: d

Partition B:
Gate 1 Name: a
Gate 2 Name: b

***** Best configuration after 1 Pass(es) *****
Partition A:
Gate 1 Name: c
Gate 2 Name: d

Partition B:
Gate 1 Name: a
Gate 2 Name: b

```

- As shown in the result:
The alg. Performs 1 pass only to solve for the given netlist

- 2) (a: IN1 N2, IN2 N3, OUT N4)
 (c: IN1 N5, IN2 N6, OUT N7)
 (b: IN1 N2, IN2 N1, OUT N3)
 (d: IN1 N4, IN2 N5, OUT N6)

The result of applying the algorithm on the given netlist above (swaped c and b):

Number of Lines: 4
 Number of Pins: 0
 Number of Gates: 4

Gate 1 Name: a	IN1: 2	IN2: 3	OUT: 4
Gate 2 Name: c	IN1: 5	IN2: 6	OUT: 7
Gate 3 Name: b	IN1: 2	IN2: 1	OUT: 3
Gate 4 Name: d	IN1: 4	IN2: 5	OUT: 6

Connectivity Matrix:

	a	c	b	d
a	0	0	2	1
c	0	0	0	2
b	2	0	0	0
d	1	2	0	0

||===== Applying Kernighan-Lin (KL) Algorithm =====||

Initial Partitions:

Partition A:

Gate 1 Name: a

Gate 2 Name: c

Partition B:

Gate 1 Name: b

Gate 2 Name: d

|----- Pass 1 -----|

Iteration: 0 Unfixed gates: b a d c

Cut nets of a = 3

Cut nets of c = 2

Cut nets of b = 2

Cut nets of d = 3

Uncut nets of a = 0

Uncut nets of c = 0

Uncut nets of b = 0

Uncut nets of d = 0

Cut cost & delta_g :

D(a) = 3, D(b) = 2

D(c) = 2, D(d) = 3

delta_g(a,b) = 1

delta_g(a,d) = 4

delta_g(c,b) = 4

delta_g(c,d) = 1

Highest gain is: 4 -- Pair to switch are: a and d

Swap and Fix a and d

G = 4

```

*****
Iteration: 1      Unfixed gates:  b  c
*****

Cut nets of c = 0
Cut nets of b = 0
Uncut nets of c = 2
Uncut nets of b = 2

Cut cost & delta_g :
D(b) = -2
D(c) = -2,      delta_g(c,b) = -4

Highest gain is: -4  --  Pair to switch are: c and b
Swap and Fix c and b
G = 0
|----- End of Pass 1 -----|

G_m = 4

Configuration after Pass 1 :
Partition A:
Gate 1 Name: d
Gate 2 Name: c

Partition B:
Gate 1 Name: b
Gate 2 Name: a

|----- Pass 2 -----|

*****
Iteration: 0      Unfixed gates:  b  d  a  c
*****

Cut nets of d = 1
Cut nets of c = 0
Cut nets of b = 0
Cut nets of a = 1
Uncut nets of d = 2
Uncut nets of c = 2
Uncut nets of b = 2
Uncut nets of a = 2

Cut cost & delta_g :
D(d) = -1,      D(b) = -2
D(c) = -2,      D(a) = -1
delta_g(d,b) = -3
delta_g(d,a) = -4
delta_g(c,b) = -4
delta_g(c,a) = -3

Highest gain is: -3  --  Pair to switch are: d and b
Swap and Fix d and b
G = -3

*****
Iteration: 1      Unfixed gates:  a  c
*****

Cut nets of c = 2
Cut nets of a = 2
Uncut nets of c = 0
Uncut nets of a = 1

Cut cost & delta_g :
D(c) = 2,      D(a) = 1
delta_g(c,a) = 3

Highest gain is: 3  --  Pair to switch are: c and a
Swap and Fix c and a
G = 0
|----- End of Pass 2 -----|

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G_m = 0

Configuration after Pass 2 :

Partition A:

Gate 1 Name: b

Gate 2 Name: a

Partition B:

Gate 1 Name: d

Gate 2 Name: c

***** Best configuration after 2 Pass(es) *****

Partition A:

Gate 1 Name: b

Gate 2 Name: a

Partition B:

Gate 1 Name: d

Gate 2 Name: c

- As shown in the result:
The alg. Performs 2 pass to solve for the rearranged netlist

- 3) (a: IN1 N2, IN2 N3, OUT N4)
(b: IN1 N2, IN2 N1, OUT N3)
(d: IN1 N4, IN2 N5, OUT N6)

The result of applying the algorithm on the given netlist above (deleted c to make odd number):

Number of Lines: 3

Number of Pins: 0

Number of Gates: 3

Gate 1 Name: a IN1: 2 IN2: 3 OUT: 4

Gate 2 Name: b IN1: 2 IN2: 1 OUT: 3

Gate 3 Name: d IN1: 4 IN2: 5 OUT: 6

Connectivity Matrix:

	a	b	d
a	0	2	1
b	2	0	0
d	1	0	0

||===== Applying Kernighan-Lin (KL) Algorithm =====||

Initial Partitions:

Partition A:

Gate 1 Name: a

Gate 2 Name: b

Partition B:

Gate 1 Name: d

Gate 2 Name: dummy

```

|----- Pass 1 -----|

*****
Iteration: 0      Unfixed gates: d a dummy b
*****
Cut nets of a = 1
Cut nets of b = 0
Cut nets of d = 1
Cut nets of dummy = 0
Uncut nets of a = 2
Uncut nets of b = 2
Uncut nets of d = 0
Uncut nets of dummy = 0

Cut cost & delta_g :
D(a) = -1,      D(d) = 1
D(b) = -2,      D(dummy) = 0
delta_g(a,d) = -2
delta_g(a,dummy) = -1
delta_g(b,d) = -1
delta_g(b,dummy) = -2

Highest gain is: -1 -- Pair to switch are: a and dummy
Swap and Fix a and dummy
G = -1

*****
Iteration: 1      Unfixed gates: d b
*****
Cut nets of b = 2
Cut nets of d = 0
Uncut nets of b = 0
Uncut nets of d = 1

Cut cost & delta_g :
D(d) = -1
D(b) = 2,      delta_g(b,d) = 1

Highest gain is: 1 -- Pair to switch are: b and d
Swap and Fix b and d
G = 0
|----- End of Pass 1 -----|

G_m = 0

Configuration after Pass 1 :
Partition A:
Gate 1 Name: dummy
Gate 2 Name: d

Partition B:
Gate 1 Name: b
Gate 2 Name: a

***** Best configuration after 1 Pass(es) *****
Partition A:
Gate 1 Name: dummy
Gate 2 Name: d

Partition B:
Gate 1 Name: b
Gate 2 Name: a

```

- As shown in the result:
The alg. Adds a dummy gate and performs 1 pass to solve for the netlist