

## Problem E

### Euler's Number

Euler's number (you may know it better as just  $e$ ) has a special place in mathematics. You may have encountered  $e$  in calculus or economics (for computing compound interest), or perhaps as the base of the natural logarithm,  $\ln x$ , on your calculator.

While  $e$  can be calculated as a limit, there is a good approximation that can be made using discrete mathematics. The formula for  $e$  is:

$$e = \sum_{i=0}^n \frac{1}{i!}$$
$$= \frac{1}{0!} + \frac{1}{1!} + \frac{1}{2!} + \frac{1}{3!} + \frac{1}{4!} + \cdots$$

Note that  $0! = 1$ . Now as  $n$  approaches  $\infty$ , the series converges to  $e$ . When  $n$  is any positive constant, the formula serves as an approximation of the actual value of  $e$ . (For example, at  $n = 10$  the approximation is already accurate to 7 decimals.)

You will be given a single input, a value of  $n$ , and your job is to compute the approximation of  $e$  for that value of  $n$ .

### Input

A single integer  $n$ , ranging from 0 to 10 000.

### Output

A single real number – the approximation of  $e$  computed by the formula with the given  $n$ . All output must be accurate to an absolute or relative error of at most  $10^{-12}$ .

#### Sample Input 1

3

#### Sample Output 1

2.6666666666666665

#### Sample Input 2

15

#### Sample Output 2

2.718281828458995

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