

Logistic Regression

- HTRU_2 dataset – size 17897X9
 - Data [link](#)
- TMF – coreset made in "Coresets for Near-Convex Functions"
 - [link](#)
- Parameters:
 - Repetitions
 - 50 for UNI (Uniform sampling)
 - 1 for SGD (our work)
 - 40 for TMF (external experiment)

weak test

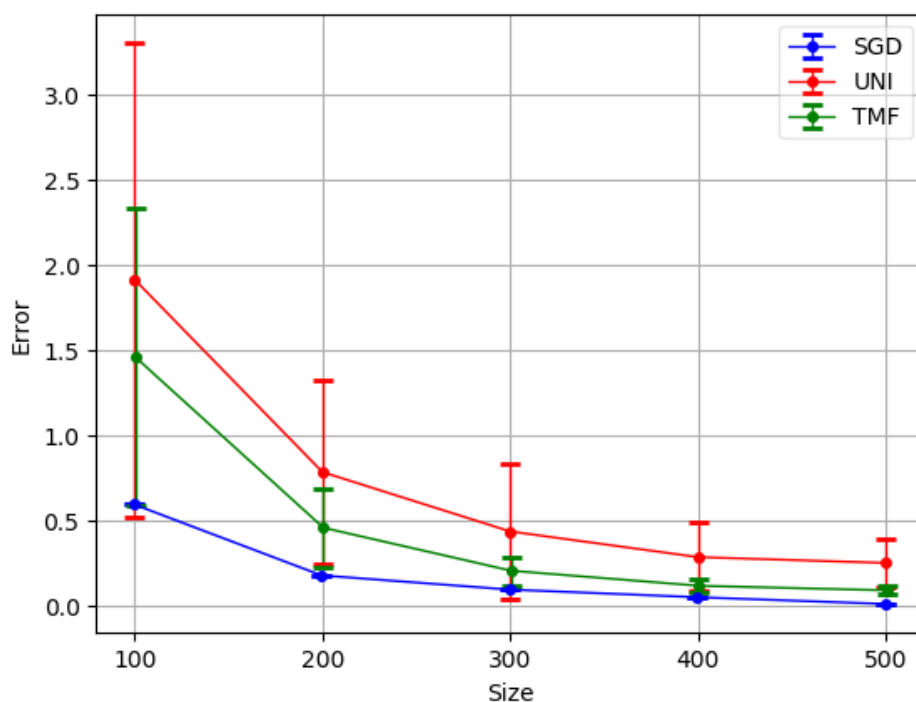
$$y \text{ values} := \frac{1}{\text{repetitions}} * \sum_{C_i \in \text{Coresets}} |1 - f(A, q_1) / f(A, q_2)|$$

where $q_1 = \text{solver}(C_i, U_i)$ and $q_2 = \text{solver}(A)$

problem: Logistic Regression, ds HTRU_2([17897, 9])

bal_test on SGD,UNI,TMF

weak test: $1/\text{reps} * \text{sum}(|1 - f(A, q_1) / f(A, q_2)|)$ where $q_1 = \text{solver}(C, U)$, $q_2 = \text{solver}(A)$



trajectories test:

- To create a “real” Q set, we used a simple training process that finds the q opt (the optimal linear regression for this data).
 - We ran the learning process 1000 epochs
 - In each epoch we have #batches states. We sampled 10% of them.
 - We did 10 normal initializations
 - Used Adam optimizer with lr=0.001
 - Example of 1 run out of 10:

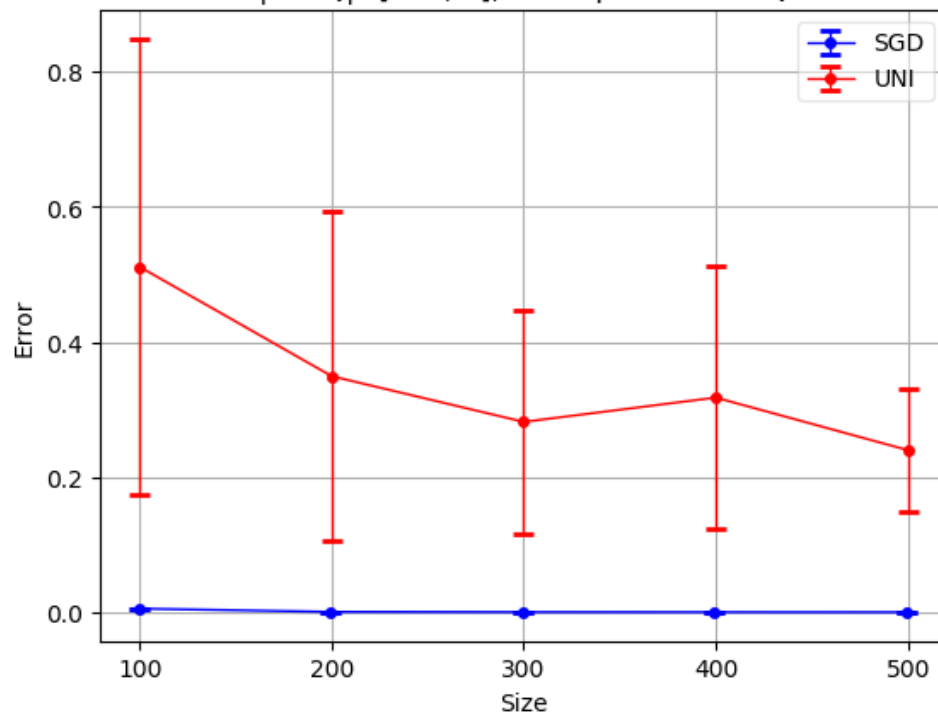
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1/10
build_Q:
  epochs 1000, bs 1000, #batches 18, base lr 0.001
  In each epoch(1000 total) there are 18 batches(different qs). sample 10%(2) from them. expected |Q|=2000
  early stop if |1-loss_q/loss_q_opt|< 0.001
  Opt loss 1,336.531. avg=0.075
  Our loss 14,184.877. avg=0.793
Training...
epoch [100/1000] real avg loss:0.10727896,diff=0.43653363 lr=0.001, |Q|=200
epoch [200/1000] real avg loss:0.08705017,diff=0.16565730 lr=0.001, |Q|=400
epoch [300/1000] real avg loss:0.08181309,diff=0.09552941 lr=0.001, |Q|=600
epoch [400/1000] real avg loss:0.07995901,diff=0.07070217 lr=0.001, |Q|=800
epoch [500/1000] real avg loss:0.07920439,diff=0.06059734 lr=0.001, |Q|=1000
epoch [600/1000] real avg loss:0.07886817,diff=0.05609511 lr=0.001, |Q|=1200
epoch [700/1000] real avg loss:0.07871678,diff=0.05406785 lr=0.001, |Q|=1400
epoch [800/1000] real avg loss:0.07864630,diff=0.05312407 lr=0.001, |Q|=1600
epoch [900/1000] real avg loss:0.07861379,diff=0.05268878 lr=0.001, |Q|=1800
epoch [1000/1000] real avg loss:0.07860144,diff=0.05252336 lr=0.001, |Q|=2000
Done training. Results:
Opt avg loss 0.075
Our avg loss 0.079 (epoch 990)
best_diff=0.052467
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- |Q_all| = 20000
- We sampled |Q| = 9800
 - 8000 for training
 - 1600 for validation
 - 200 for testing

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Q_all : [20000, 9], dtype:torch.float64, trainable:False, i:
|Q|=9800, 9]:
  loss(A,q_opt)=          1,336.53
  avg loss(A,Q)=          1,938.91
  avg |1- loss(A,q)/loss(A,q_opt)|=0.451 with std 1.484
|trainQ|=8000, 9]:
  loss(A,q_opt) =          1,336.53
  avg loss(A,trainQ)=      1,945.32
  avg |1- loss(A,q)/loss(A,q_opt)|=0.456 with std 1.511
|valQ|=1600, 9]:
  loss(A,q_opt) =          1,336.53
  avg loss(A,valQ)=        1,911.00
  avg |1- loss(A,q)/loss(A,q_opt)|=0.430 with std 1.388
|testQ|=200, 9]:
  loss(A,q_opt) =          1,336.53
  avg loss(A,testQ)=        1,905.94
  avg |1- loss(A,q)/loss(A,q_opt)|=0.426 with std 1.102
```

$$y \text{ values} := \frac{1}{\text{repetitions}} * \sum_{C_i \in \text{Corsets}} \max_{q_j \in Q} |1 - f(C_i, U_i, q_j) / f(A, q_j)|$$

problem: Logistic Regression, ds HTRU_2([17897, 9])
bal_test on SGD,UNI (reps=50)
save avg of: for (Ci,Ui) in coresets: save max of: for q in Q: $|1 - f(C_i, U_i, q) / f(A, q)|$
|testQ|=[200, 9], description: build Q



q_{opt} test

$$y \text{ values} := \frac{1}{\text{repetitions}} * \sum_{C_i \in \text{Corsets}} |1 - f(C_i, U_i, q_{opt}) / f(A, q_{opt})| \text{ where } q_{opt} = \text{solver}(A)$$

problem: Logistic Regression, ds HTRU_2([17897, 9])

bal_test on SGD,UNI (reps=50)

q_opt test: $1/\text{reps} * \sum (|1 - f(C, U, q_{opt}) / f(A, q_{opt})|)$ where $q_{opt} = \text{solver}(A)$
q opt test

