# Introduction to Machine Learning for Economists and Business Analysts

Anthony Strittmatter

#### Zoom

#### Zoom Link:

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#### Lecturer

#### **Anthony Strittmatter**

**Research Interests:** Business, Labour, and Health Economics, Program Evaluation, Computational Data Analytics

#### **Positions:**

Since 2020	Assistant Professor at the Institut Polytechnique in Paris,
	Center for Research in Economics and Statistics (CREST)
2014-2020	University of St. Gallen, with research visits at UC Berke-
	ley, Stanford University, and Ludwig Maximilian University
	of Munich
2009-2016	Albert-Ludwig University of Freiburg

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#### **Course Outline**

- Lecture 1: Introduction to Statistical Learning
- ► Lecture 2-4: Supervised Machine Learning
  - Penalized Regression
  - Trees and Random Forest
- ► Lecture 5: Unsupervised Machine Learning
  - Clustering
  - Principal Component Analysis
- ► Lecture 6: Reinforcement Learning
  - Bandit Algorithm

## **Schedule**

	Monday July 19	Tuesday July 20	Wednesday July 21	Thursday July 22	Friday July 23
3:15-4:45pm CEST	Lecture 1	Lecture 3	Lecture 4	Lecture 5	Lecture 6
5:15-6:45pm CEST	Lecture 2	PC Lab 1	PC Lab 2	PC Lab 3	PC Lab 4

#### **PC Labs**

- ▶ PC labs are integral part of the course.
- ► I will provide the entire course material on my GitHub repository: https://github.com/AStrittmatter/Wuerzburg
- ▶ I will use interactive Jupyter notebooks during the PC labs: https://mybinder.org/v2/gh/AStrittmatter/Wuerzburg/HEAD
- ► The advantage of the notebooks is that you do not need to install anything and the data is in the correct folder.
- ▶ However, in case the connection to the server is weak I also provide an R-file for download on my GitHub repository. To use it, you need to install R and RStudio on your PC. This are both open source softwares.

## **Grading**

- Grading is based on an individual home assignment.
- Deadline for submission: Sunday, August 1, 2021
- It is allowed (and even desired) to support each other.
- ▶ But do not submit identical or copied home assignments, because then you will fail.

#### **General**

- ▶ Feel free to interrupt me at any time when you have questions.
- ► Tell me when I'm too slow or too fast. Ask me to repeat material in case something was not clear.
- ➤ You can also send me an email with questions: anthony.strittmatter@ensae.fr
- Proposals to improve the course are also welcome.
- ▶ Please try to interact as much as possible with your fellow students. Build learning groups.

#### References

- Mullainathan and Spiess (2017): "Machine Learning: An Applied Econometric Approach", Journal of Economic Perspectives, 31 (2), pp. 87-106, download.
- ► Athey (2017): "Beyond Prediction: Using Big Data for Policy Problems", Science, 355 (6324), pp. 483-485, download.

# What is Machine Learning (ML)?

- ▶ ML (or statistical learning) methods exist already since decades.
- ► Currently "Machine Learning" is a buzz word
- Probably most people think of ML as some computational intensive methods that make data-driven modelling decisions and/or can deal with large data amounts.
- However, relevant textbooks consider even OLS/Logit as a statistical learning tool.

# **Purpose of Machine Learning**

Consider the structural model

$$Y = f(X) + \epsilon = X\beta + \epsilon,$$

with  $E[\epsilon] = 0$ .

- Causal analysis has the purpose to estimate  $\hat{\beta}$ , with  $plim(\hat{\beta}) = \beta$ .
- ▶ Machine learning has the purpose to predict *Y*.
- There is a clear link between causal analysis and machine learning, because

$$\hat{Y} = \hat{f}(X) = X\hat{\beta}$$

is a potential predictor for Y.

▶ Parameter consistency has not the highest priority when it comes to predictions.

# Potential Advantages and Disadvantages of ML

- ▶ ML methods can be very powerful to predict Y, even when  $\hat{\beta}$  is biased.
- ► ML methods can incorporate many (or even high-dimensional) covariates *X* in a convenient way.
- lacktriangle ML methods can model  $\hat{f}(\cdot)$  in a very flexible and data-driven way.
- ▶ Main disadvantage: ML is a black-box approach and we loose the interpretability of  $\hat{f}(\cdot)$  or  $\hat{\beta}$ .

# **Prediction vs. Causality**



## Causal vs. Predictive Questions

#### **Predictive Questions:**

- ► How will the oil price change tomorrow (forecasting)?
- ► How high is the current unemployment rate (nowcasting)?
- ► Which adolescents have a high probability of becoming addicted to drugs (policy prediction)?

#### **Causal Questions:**

- What is the effect of a tweet by president Donald Trump on oil prices?
- How does inflation affect the unemployment rate?
- Can prevention programs reduce the probability of drug addiction among high risk youths?

# **Assessing the Model Accuracy**

#### Causal Analysis:

- ightharpoonup True  $\beta$  is unobservable.
- ► Assess the model with asymptotic properties

$$\sqrt{N}(\hat{\beta}-\beta) \stackrel{d}{\rightarrow} N(0,\sigma^2).$$

Finite sample biases are mostly neglected.

# **Assessing the Model Accuracy**

#### **Prediction:**

- ▶ We observe *Y* for each unit (e.g. individual).
- We can assess the model accuracy directly in the sample of our analysis, for example, using the mean-squared-error (MSE)

$$\frac{1}{N}\sum_{i=1}^{N}(Y_i-\hat{Y}_i)^2.$$

MSE accounts for finite sample biases.

## **Example: Prediction of Used Car Prices**

- ▶ We have access to web-scraped data from the online advertisement platform *myLemons*.
- We want to predict asking prices of used cars based on observable characteristics.
- ► We observe around 40 covariates about car brand, mileage, age, emissions, maintenance certificate, seller type, guarantee, etc. (including several non-linear and interaction terms)

# In-Sample MSE

- Partition data into training and test sample
- ▶ In the training sample, we estimate the empirical model

$$Y_{tr} = \hat{f}_{tr}(X_{tr}) + \hat{\epsilon}_{tr} = X_{tr}\hat{\beta}_{tr} + \hat{\epsilon}_{tr}$$

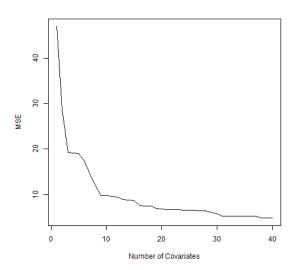
In the training sample, we predict the fitted values

$$\widehat{Y}_{tr} = \widehat{f}_{tr}(X_{tr}) = X_{tr}\widehat{\beta}_{tr}$$

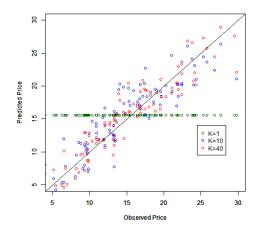
and calculate the MSE

$$\widehat{MSE}_{tr} = \frac{1}{N_{tr}} \sum_{i=1}^{N_{tr}} (Y_{i,tr} - \widehat{Y}_{i,tr})^2.$$

# **MSE** in Training Sample



## **Predicted Car Prices in Training Sample**



Number of Covariates	1	10	40
MSE	46.948	9.819	4.866

# **Out-of-Sample MSE**

In the training sample, we estimate the empirical model

$$Y_{tr} = \hat{f}_{tr}(X_{tr}) + \hat{\epsilon}_{tr} = X_{tr}\hat{\beta}_{tr} + \hat{\epsilon}_{tr}$$

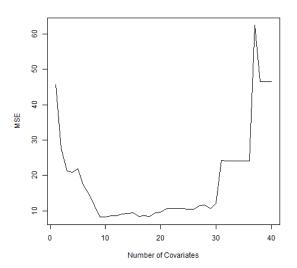
▶ In the test sample, we predict the fitted values

$$\hat{Y}_{te} = \hat{f}_{tr}(X_{te}) = X_{te}\hat{\beta}_{tr}$$

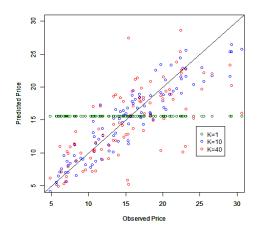
and calculate the MSE

$$\widehat{\mathit{MSE}}_{te} = \frac{1}{\mathit{N}_{te}} \sum_{i=1}^{\mathit{N}_{te}} (Y_{i,te} - \widehat{Y}_{i,te})^2.$$

# **MSE** in Test Sample



# **Predicted Car Prices in Test Sample**



Number of Covariates	1	10	40
MSE	45.742	8.222	46.499

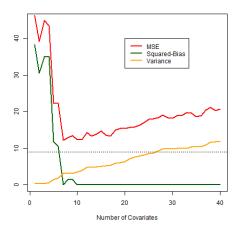
#### **Bias-Variance Trade-Off**

When we assess the model for one randomly drawn individual from the test sample with fixed characteristics x<sub>te</sub>, then we can decompose the MSE to

$$\begin{split} MSE_{te} = & E[(Y_{te} - \hat{Y}_{te})^2] \\ = & E[(f(x_{te}) + \epsilon_{te} - \hat{f}_{tr}(x_{te}))^2] \\ = & \underbrace{E[(f(x_{te}) - \hat{f}_{tr}(x_{te}))^2]}_{\text{Reducible}} + \underbrace{Var(\epsilon_{te})}_{\text{Irreducible}} \\ = & \underbrace{E[f(x_{te}) - \hat{f}_{tr}(x_{te})]^2}_{\text{Squared-Bias}} + \underbrace{Var(\hat{f}_{tr}(x_{te}))}_{\text{Variance}} + Var(\epsilon_{te}) \end{split}$$

▶ For i.i.d. data,  $\hat{f}_{tr}(\cdot)$  and  $\epsilon_{te}$  are independent of each other.

## Simulation of Bias-Variance Trade-Off



- Only the first ten covariate have an impact on car prices in the simulation.
- ▶ Horizontal dashed line is the simulated noise  $Var(\epsilon_{te})$ .

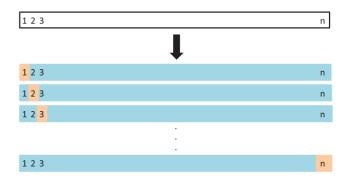
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## Lasso Example

$$\arg\min_{\beta} \left\{ \sum_{i=1}^{N} \left( Y_i - \beta_0 - \sum_{j=1}^{p} X_{ij} \beta_j \right)^2 + \lambda \sum_{j=1}^{p} |\beta_j| \right\}$$

	OLS	Lasso
Intercept	21.246	22.776
diesel	2.075	
other_car_owner	0.730	
pm_green	1.635	
private_seller	6.100	0.076
guarantee	-2.440	-0.437
inspection	-0.813	
maintenance_cert	1.481	
mileage	-0.049	-0.031
age_car_years	-1.291	-1.012
$R^2$ training	0.655	0.543
R <sup>2</sup> test	0.606	0.611

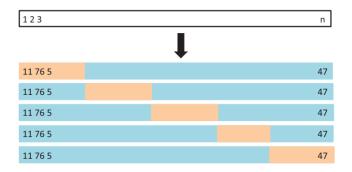
## Leave-One-Out Cross-Validation



Source: James et al. (2013), p. 179

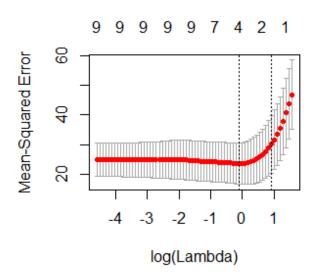
# **Selection of Optimal Penalty Parameter**

#### k-fold Cross-Validation (CV) Algorithm



Source: James et al. (2013), p. 181

## **Cross-Validated MSE**



# Stability of the Lasso Model

	Lasso 1	Lasso 2	Lasso 3	Lasso 4	Lasso 5
Intercept	22.776	25.947	24.937	27.309	25.116
diesel			2.387		0.886
other_car_owner		-1.257	0.393		
pm_green		2.871			
private_seller	0.076	5.094	•	-1.037	
guarantee	-0.437	1.677	15.939	•	•
inspection	•	-0.666	-0.374	•	•
maintenance_cert		-2.579	-0.868		
mileage	-0.031	-0.037	-0.041	-0.069	-0.062
age_car_years	-1.012	-1.347	-1.416	-0.874	-1.115

 $\rightarrow$  ML is a black-box approach

<sup>→</sup> We do not learn the "true" structural model from ML

## **Stability of the Lasso Predictions**

#### Correlation of Predicted Car Prices in Test Sample:

	Lasso 1	Lasso 2	Lasso 3	Lasso 4
Lasso 2	0.94			
Lasso 3	0.85	0.81		
Lasso 4	0.97	0.91	0.85	
Lasso 5	0.99	0.94	0.87	0.99

#### When could Predictions be Useful?

#### Tasks with a prediction purpose:

- ▶ Predict stock or commodity prices using Twitter data.
- Nowcasting unemployment rate or GDP using Google search queries.
- Pre-screening of job applications.
- Consumer demand (shipping before the order occurs).
- Movie recommendations on Netflix.
- ► Handwriting, image, face, or voice recognition.
- Generating data

## **Examples of Business and Economic Studies**

#### **Prediction Tasks:**

- ► <u>Chandler, Levitt, and List (2011)</u> predict shootings among high-risk youth to target mentoring interventions.
- ► <u>Kleinberg, et al. (2018)</u> predict the crime probability of defendants released from investigative custody to improve judge decisions.

#### **Pre-Processing Unstructured Data:**

- ► Glaeser et al. (2016) use images from Google Street View to measure block-level income in New York City and Boston.
- ► Kang et al. (2013) use restaurant reviews on Yelp.com to predict the outcome of hygiene inspections.
- ► Kogan et al. (2009) predict volatility of firms from market-risk disclosure texts (annual 10-K forms).