



IIT ROORKEE



NPTEL ONLINE  
CERTIFICATION COURSE

# Project Management for Managers

Lec – 09

Methods of Project Selection - II

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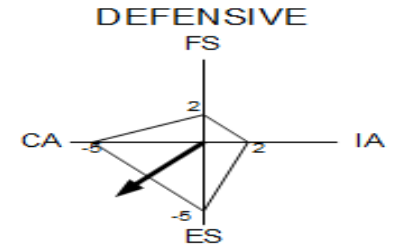
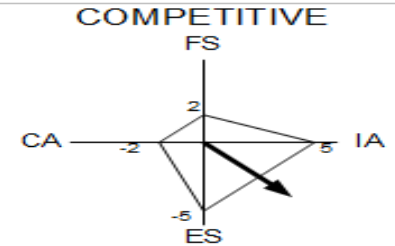
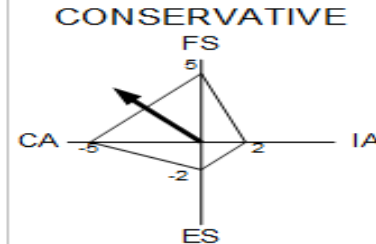
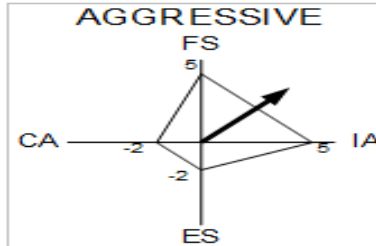
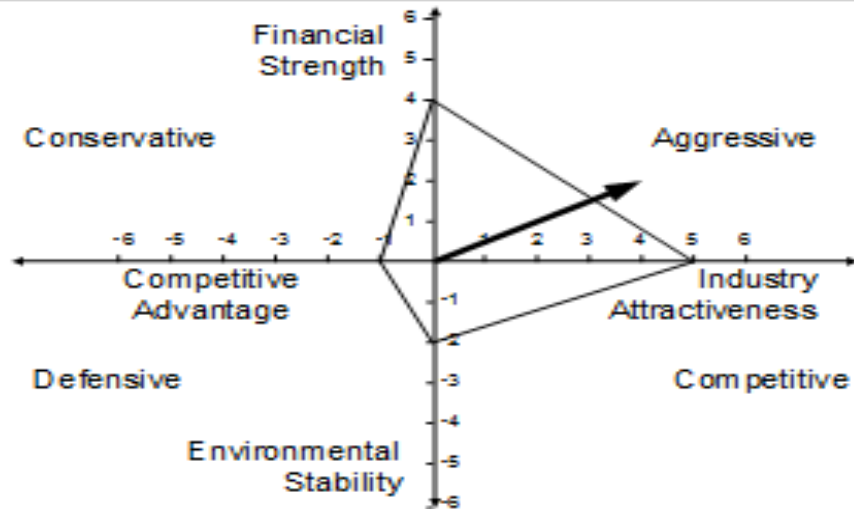


**SPACE : (Strategic Position and Action Evaluation diagram: A management tool to analyse a company and decide its future strategy.**

A set of variables should be selected to define:

- Financial strength,
- Competitive advantage,
- Environmental stability, and
- Industry attractiveness.

Internal  
and External???



# The set of variables could be as follows: Internal Dimensions

## Financial Strength

- Return of investment
- Ability to raise funds
- Liquidity
- **Working capital**
- Cash flows

## Competitive Advantage

- Market share
- Capacity utilization
- **Location advantage**
- Brand image
- Product **Quality**
- Product life cycle
- Customer preference
- Technological **innovation**
- **Sound** supply chain



# The set of variables could be as follows:External Dimensions

## **Environmental Stability**

- Technological changes
- Inflation
- **Demand elasticity**
- Competitor's price ranges
- Barriers to entry
- Competitive pressure
- **Ease of exit**
- Price elasticity of demand
- Risk exposure

## **Industry attractiveness**

- Growth potential
- Profit potential
- Financial stability
- Resource availability
- **Ease of entry**
- Capacity utilization



# Criteria

Tangible:  
Rs, %,   
Rs/year

Commensurate

Incommensurate  
(Rs for investment  
& years for PBP)

Intangible: (Not  
measurable on a  
well defined  
scale)

(Not measurable – Score on a  
subjective scale ?????)



Projects

```
graph TD; Projects --> Dominance; Projects --> NonDominance[Non dominance/Pareto optimal set];
```

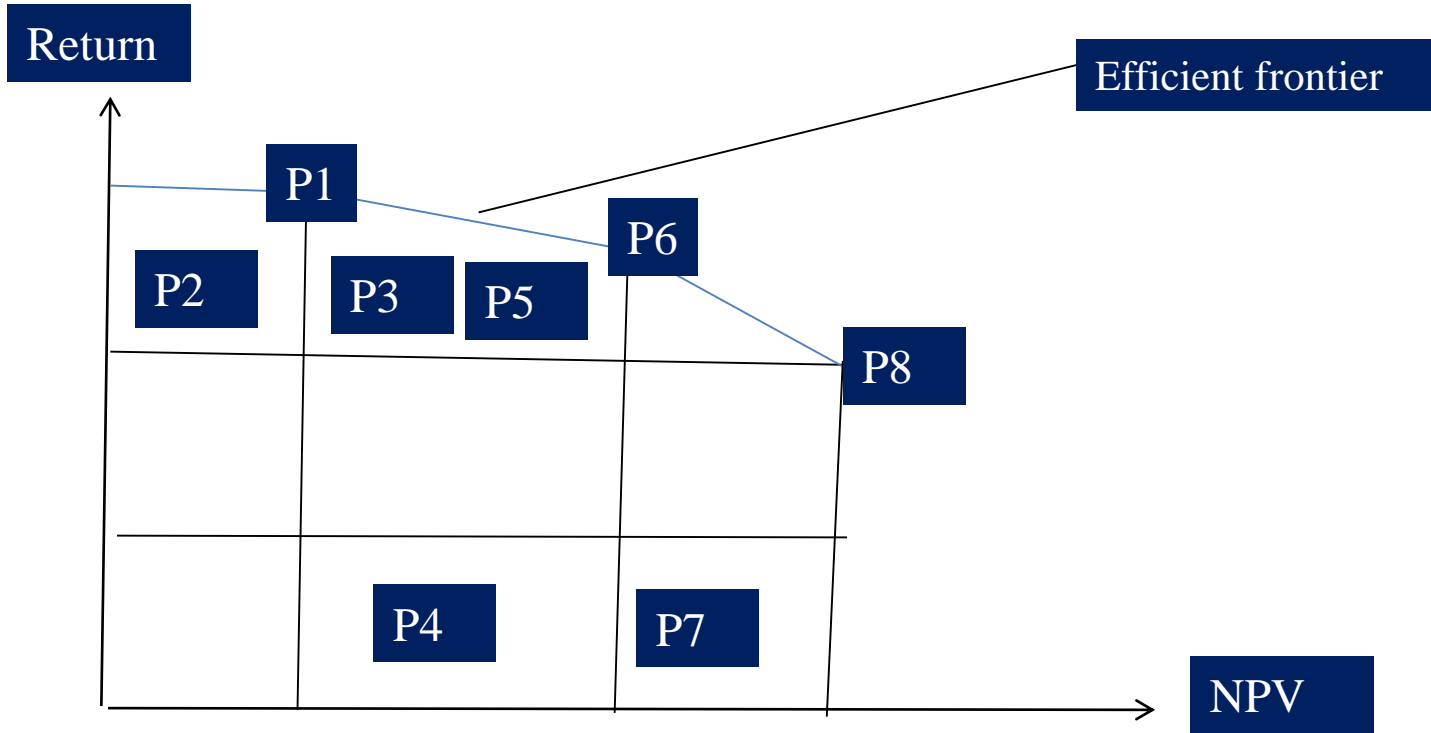
A flowchart with three rectangular boxes. The top box is labeled 'Projects'. Two arrows originate from the bottom of this box: one points down and to the left to a box labeled 'Dominance', and the other points down and to the right to a larger box labeled 'Non dominance/Pareto optimal set'.

Dominance

Non dominance/Pareto optimal set



# Non dominance/Pareto optimal set



## Selection method: (un-weighted)/ Dominance

Project	Criteria	Performance on criteria		
		High	Medium	Low
Alpha	Cost	x		
	Profit potential			x
	Time to market		x	
	Development risk			x
Beta	Cost		x	
	Profit potential		x	
	Time to market	x		
	Development risk		x	
Gamma	Cost	x		
	Profit potential	x		
	Time to market			x
	Development risk	x		
Delta	Cost			x
	Profit potential			x
	Time to market	x		
	Development risk		x	

Maximize :  
which is the  
best project  
based on  
maximizing  
all the criteria?





# SIMPLIFIED SCORING MODEL (WEIGHTED)

Project	Criteria	Performance on criteria		
		High	Medium	Low
Alpha	Cost	x		
	Profit potential			x
	Time to market		x	
	Development risk			x
Beta	Cost		x	
	Profit potential		x	
	Time to market	x		
	Development risk		X	
Gamma	Cost	X		
	Profit potential	x		
	Time to market			x
	Development risk	x		
Delta	Cost			x
	Profit potential			x
	Time to market	x		
	Development risk		x	

	Weight
Cost	1
Profit potential	2
Time to market	3
Development risk	2

Low-1 Medium-2 High-3



# SIMPLIFIED SCORING MODEL (WEIGHTED)

Project	Criteria	Performance on criteria		
		High	Medium	Low
Alpha	Cost	3		
	Profit potential			1
	Time to market		2	
	Development risk			1
Beta	Cost		2	
	Profit potential		2	
	Time to market	3		
	Development risk		2	
Gamma	Cost	3		
	Profit potential	3		
	Time to market			1
	Development risk	3		
Delta	Cost			1
	Profit potential			1
	Time to market	3		
	Development risk		2	

	Weight
Cost	1
Profit potential	2
Time to market	3
Development risk	2

Low-1 Medium-2 High-3  
 Alpha:  $3*1+1*2+2*3+1*2=13$   
 Beta:  $2*1+2*2+3*3+2*2=19$   
 Gamma:  $3*1+3*2+1*3+3*2=18$   
 Delta:  $1*1+1*2+3*3+2*2=16$



# Optimization Techniques

Linear Programming: ????????????



# Optimization Techniques

Linear Programming: Optimization of a function of variables known as objective function, subject to a set of linear equations and/or inequalities known as constraints.



Ex:

	Mobile	Laptop	
Assembly	6	3	90hrs
Finishing	3	6	72hrs
Profit	120	90	

**Determine the best combination of mobile and laptops to realize maximum profit.**



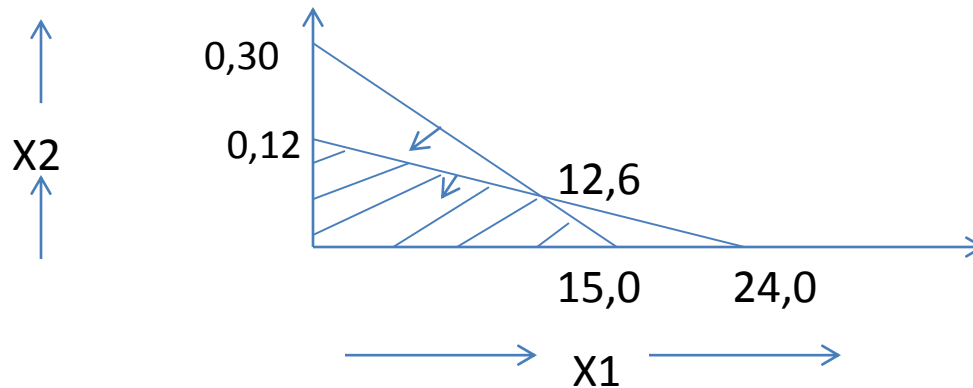
Maximize  $Z = 120x_1 + 90x_2$

ST  $6x_1 + 3x_2 \leq 90$

$3x_1 + 6x_2 \leq 72$

$x_1, x_2 \geq 0$

Answer:  $x_1 = 12$  and  $x_2 = 6$ . Total profit = 1980



# Integer programming

A company is planning its capital spending for the **next  $T$  periods**. There are  **$N$  projects** that compete for the limited **capital  $B_i$** , available for investment in **period " $i$ "**.

Each project requires a certain investment in each period once it is selected.

Let “ $a_{ij}$ ” be the required investment in project  $j$  for period  $i$ .

The value of the project is **measured in terms of NPV**. Let,  $V_j$  is NPV of project  $j$ .

The problem is to select the **proper project** for investment that will **maximize total NPV**.



**Integer programming** : A company is planning its capital spending for the next  $T$  periods,. There are  $N$  projects that compete for the limited capital  $B_i$ , available for investment in period " $i$ ". Each project requires a certain investment in each period once it is selected. Let " $a_{ij}$ " be the required investment in project  $j$  for period  $i$ . The value of the project is measured in terms of NPV. Let ,  $V_j$  is NPV of project  $j$ . The problem is to select the proper project for investment that will maximize total NPV.

$x_j = 1$  if project  $j$  is selected

$x_j = 0$  if project  $j$  is not selected

Max  $Z = \sum v_j x_j \quad (j=1 \text{ to } N)$

ST  $\sum a_{ij} x_j \leq B_i, \text{ for } i=1 \text{ to } T$

$0 \leq x_j \leq 1, x_j \text{ a binary and for all } j=1 \text{ to } N$





	Project 1	Project 2	Project 3	Project 4
Profit	105	140	80	100
Cash flow (first year)	60	108	200	90
Cash flow (second year)	160	40	150	70

Cash flows in first and second year should not exceed 600 and 700.

Project 1 and 3 are mutually exclusive.

Company wants to maximize profit.



$$\text{Max } Z = 105x_1 + 140x_2 + 80x_3 + 100x_4$$

$$\text{ST} \quad 60x_1 + 108x_2 + 200x_3 + 90x_4 \leq 600$$

$$160x_1 + 40x_2 + 150x_3 + 70x_4 \leq 700$$

$$x_1 + x_3 = 1,$$

$$\text{All } 0 \leq x_i \leq 1$$

