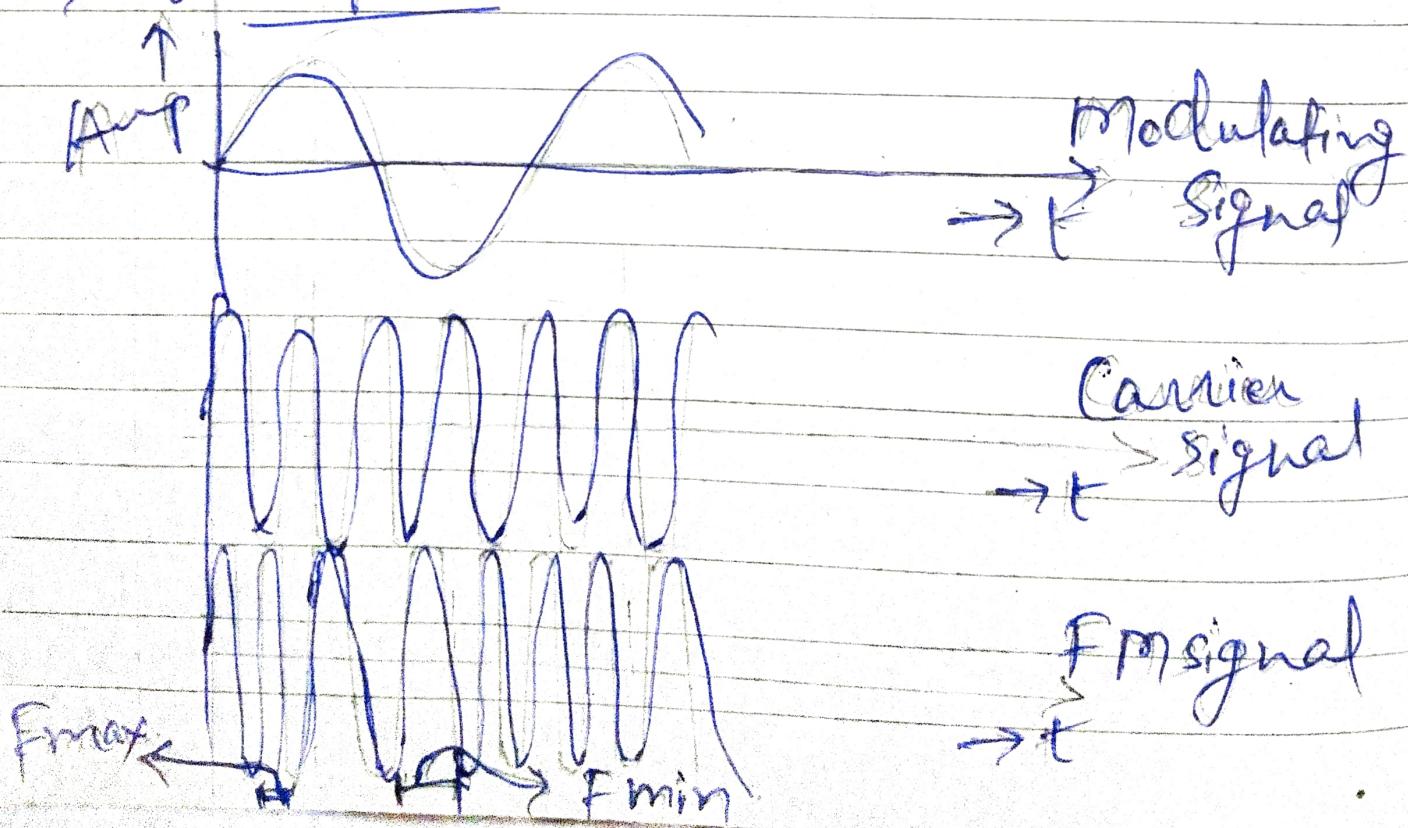


* frequency Modulation

Definatn → Freq. Modulatn is the signal in which amplitude of a modulated a carrier is constant while its freq. is vary in accordance with instantaneous value of the modulating signal.

As the amplitude of the informaⁿ signal varies. The carrier freq. ~~been~~ will shift in proportion. As the amplitude of modulating signal \uparrow se, the carrier freq. \uparrow ses. If the amplitude of the modulating signal is \downarrow se, the carrier freq. is also \downarrow ses.

* Waveform



Freq.

* Deviation

The amount of change in carrier freq. produced by the modulating signal is known as freq. Deviation.

Max. freq. deviation offered at the max. amplitude of the modulating signal. The freq. of modulating signal determines how many times per second the carrier freq. deviates above & below its normal ~~freq.~~ centre freq. This is called as freq. deviation rate.

* Modulation Index (mf)

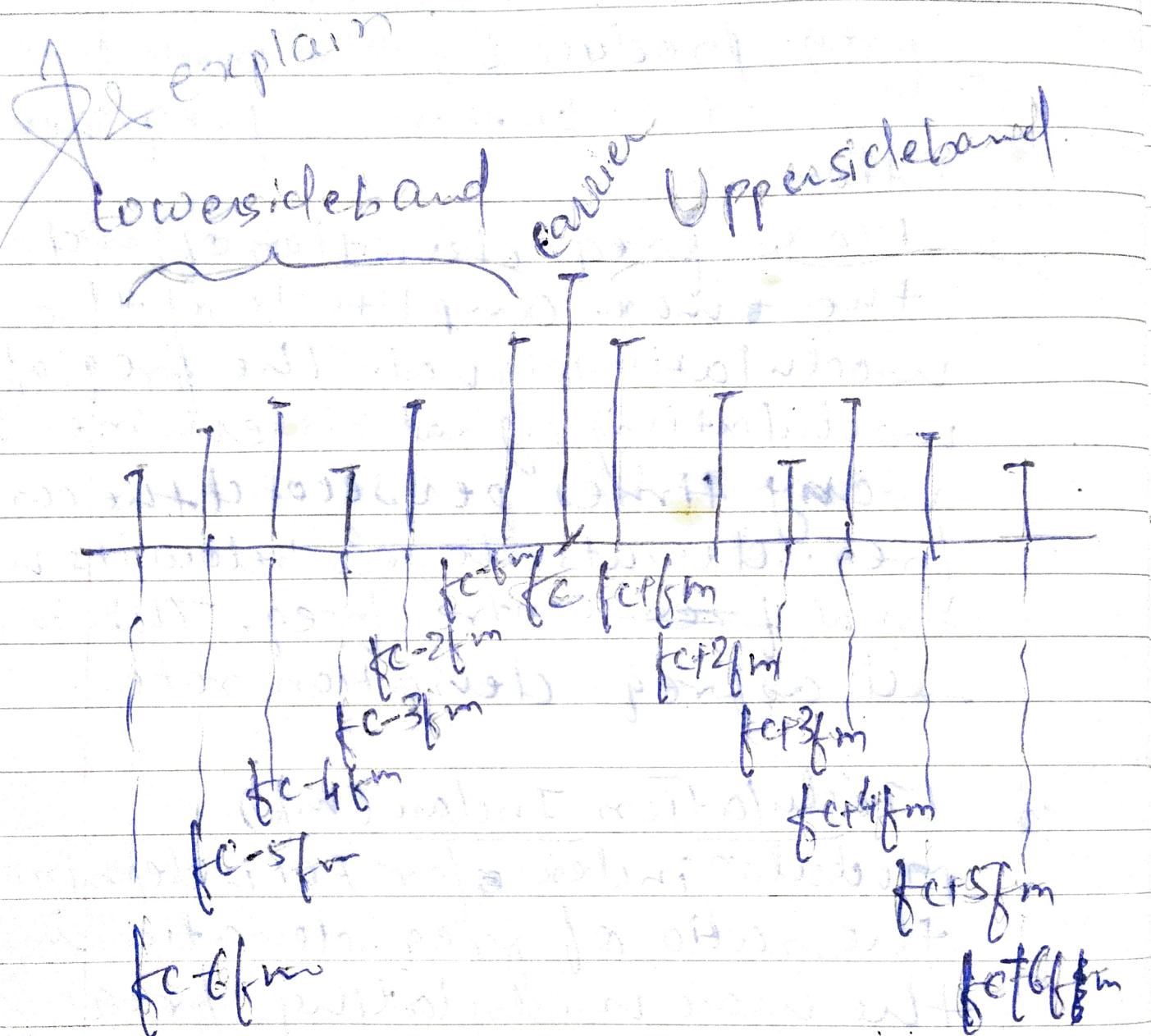
modulation index for FM is defined as the ratio of freq. deviation into the max. modulating freq.

$$mf = \frac{\delta}{F_m}$$

where. δ = freq. deviation.

F_m = max. modulating freq.

* Frequency spectrum of FM signal.



In FM theoretically infinite no. of pairs of upper & lower side band are generating. Due to this spectrum of FM signal is generally wider than equivalent of AM signal.

Fig. shows an eg. of spectrum of a typical FM signal produced by the modulating carrier with a

single freq. sine wave.

Note that the sidebands are spaced from the carrier (f_c) and are spaced from one another by a freq. equal to the modulating freq. F_m .

As the amplitude of the modulating signal varies, the freq. deviation will change. The no. of side band pairs produced; their amplitude and the spacing depends upon the freq. deviation and modulating freq. F_m . FM signal has a constant amplitude.

The side band amplitude must vary with freq. deviation and modulating freq. ~~to produce~~ ^{sum} to be produced for the amplitude of signal.

Although the FM process produces an infinite no. of upper & lower sidebands, only those with the largest amplitude are significant in carrying informaⁿ. Typically any side band whose amplitude is less than 1% of the unmodulated carrier is considered insignificant.

* Carson's Rule.

For calculating the ~~optimum~~^{optimum} bandwidth, the approximately common rule is well which is known as Carson's Rule.

$$\text{Bandwidth} = 2(\delta_{\max} + f_{m\max})$$

where δ_{\max} = max. freq. deviation.

& $f_{m\max} = \text{max. modulating freq. band}$

* In commercial fm broadcasting, maximum allowed deviation is 75 kHz.

- (1) 25 MHz carrier is modulated by 400 Hz audio signal if the carrier voltage is 4V, & the maximum deviation is ~~10~~ 10 kHz.
 find the eqn of the modulated wave for FM.

solution → eqn of modulated wave,
 this find $\Rightarrow V = A \sin(\omega_c t + m_f \cdot \sin \omega_m t)$
 eqn of fm.

find ω_c , ω_m , m_f .

$$A = 4V, \delta_{\max} = 10 \text{ kHz.}$$

$$\omega_m = 2\pi f_m$$

$$mf = \frac{\sigma}{f_m}$$

$$= \frac{10 \times 10^3}{400}$$

$$= 25$$

$$\omega_m = 2\pi f_m$$

$$= 2\pi \times 400$$

$$= 2513.27 \text{ Hz}$$

$$\omega_c = 2\pi f_c$$

$$= 2\pi \times 25 \times 10^6$$

$$= 157.07 \text{ MHz}$$

$$V = A \sin(157.07 \times 10^6 t + 25 \times \sin 2513.27 t)$$

(2) The eqⁿ of fm wave is represented by voltage eqⁿ $V = 12 \sin(6 \times 10^8 t + 5 \sin 1250 t)$

Calculate f_c , f_m , m/f , frequency deviation

comparing with $V = A \sin(\omega_c t + m_f \cdot \sin \omega_m t)$

$$\omega_c = 6 \times 10^8$$

$$\omega_m = 1250$$

$$\omega_c = 2\pi f_c$$

$$\omega_m = 2\pi f_m$$

$$f_c = \frac{6 \times 10^8}{2\pi}$$

$$f_m = \frac{1250}{2\pi}$$

$$= 95.49 \text{ MHz}$$

$$= 198.94 \text{ Hz}$$

$$\cancel{mf} = 5$$

$$mf = \frac{f}{T_m}$$

$$\delta = mf \cdot fm$$

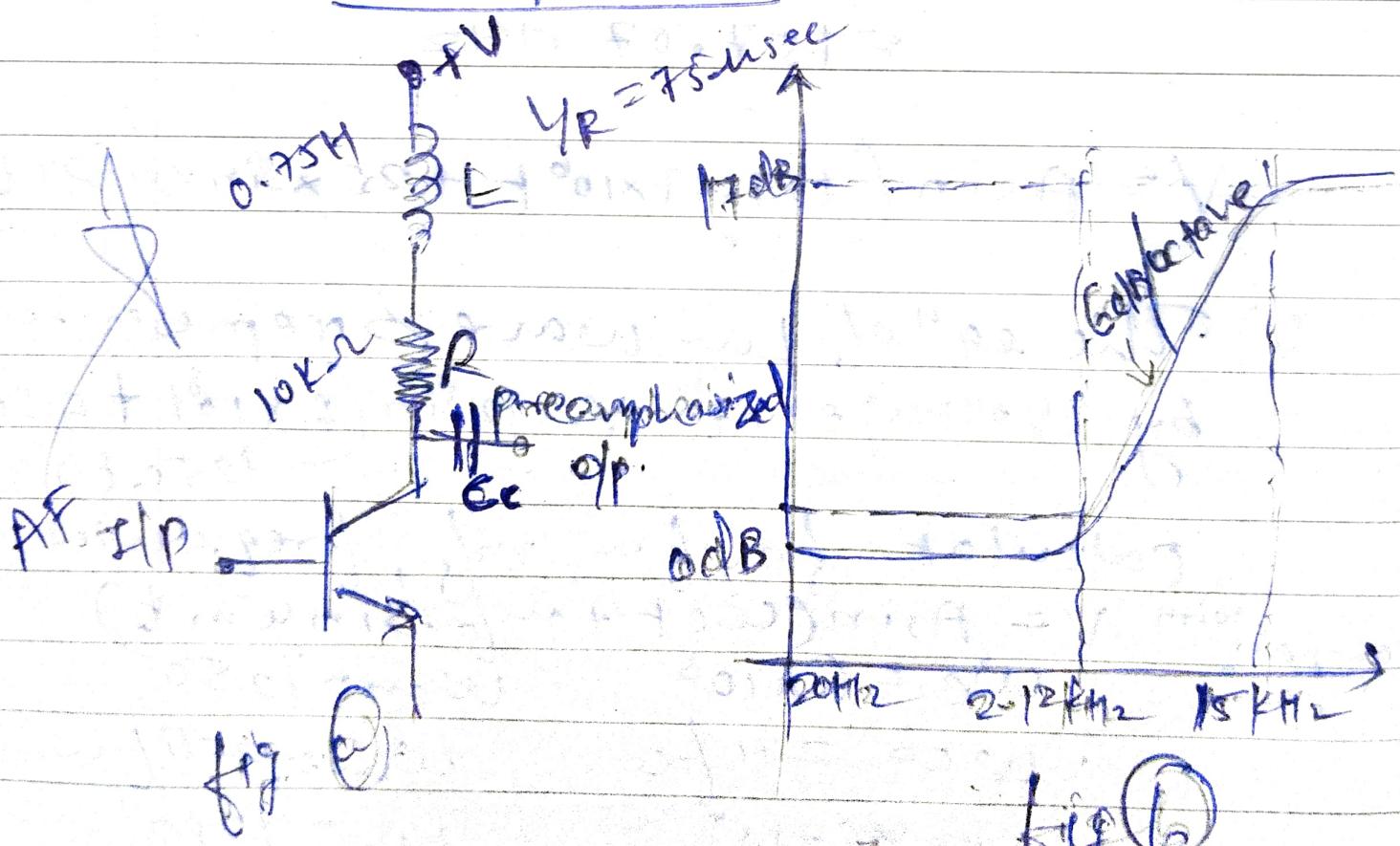
$$= 5 \times 198.94$$

$$\boxed{\delta = 994.75}$$

$$\text{Bandwidth} = 2(994.75 + 198.94)$$

$$= 3347.838 \text{ kHz.}$$

① Pre-Emphasis Ckt.



\rightarrow fig ③

Higher freq components have less amplitude compared to low freq component

Max deviation is 75 kHz
Deviation depends upon Amplitude of modulating signal

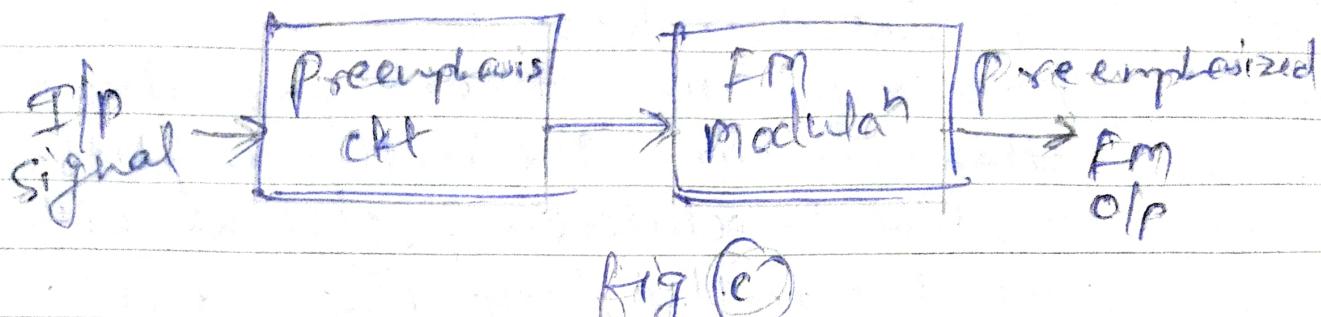


Fig (e)

In the modulating voltage high freq. components have small amplitudes & hence these components produce freq. deviaⁿ for less than maximum permitted value of 75 kHz. Consequently the signal strength at these high modulating freq. is very low relative to the transistor & ckt noise which are uniformly distributed over the entire spectrum occupied by the channel. To improve the S/N ratio, at this high modulating freq. pre-emphasis ckt is used to emphasize the high freq. components prior to modulation.

In pre-emphasis process there is a high pass filter (differentiator). Fig. shows ckt diagram for active pre-emphasis network & therefore corresponding freq. response curve

as shown in fig.
 Pre emphasis network provides a ~~the~~ constant rise in the amplitude of the modulating signal with an rise in the freq. The break freq. is determined by RC or $\frac{1}{R}$ time constant of the network. The break freq. occurs at the freq. where $X_C = X_L = R$ i.e. ~~capacitive~~
~~resonant~~ Mathematically break freq. is,

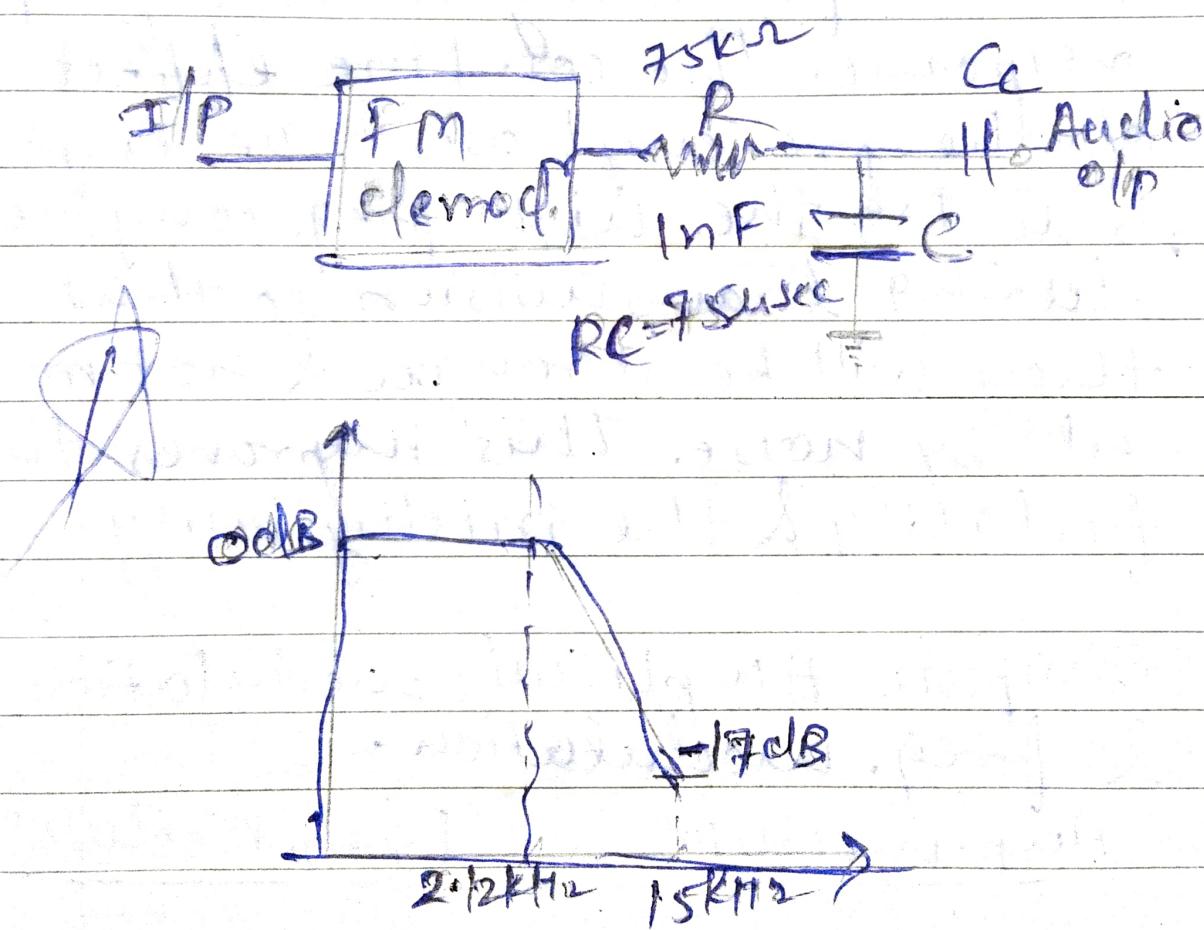
$$f_s = \frac{1}{2\pi RC} \quad \text{or} \quad f_s = \frac{1}{2\pi L R}$$

The network shown in fig. @ of the FM broadcast band which uses 75 usec time constant, i.e. $4\mu\text{s} = 75\text{usec}$. Therefore the break freq. approximately equals to $F = 1/2\pi 4\mu\text{s}$ which equals to $1/2\pi 75\text{usec}$, which equals to 2.12 kHz.
 [$F = 1/2\pi 4\mu\text{s} = 1/\pi 75\text{usec} = 2.12\text{kHz}$].
 The ~~FM~~ transmission of the audio portion of commercial TV broadcasting uses a 50 usec time constant.

Advantages of pre-emphasis.

- (i) It uses the energy content of high freq. signals, so that they are not affected by noise components. This improves the S/N ratio & ~~increases~~ readability & intelligibility.

De-Emphasis ckt



To ~~return~~ return the freq. response to its normal level a de-emphasis ckt is used at the receiver. This is a simple low pass filter with a time constant of 75usec. It features a cut off freq. of 2.12 KHz.

accusing the signal above this freq. to be attenuated at the rate of 6dB/octave. The response curve is as shown in the fig.

As a result of pre-emphasis at the transmitter is exactly offset by the de-emphasis ckt. in the receiver providing normal freq. response. The combine effect of the pre-emphasis & De-emphasis is to use the high freq. components during transmission so that they will be stronger & not masked by noise. This improves the fecality & the intelligibility.

★ Compair Amplitude modulation & freq. modulation.

Amp. modulaⁿ.

Freq. modulaⁿ.

(1) In amp. modulaⁿ. (2) In freq. modulaⁿ the amplitude of the freq. of carrier is changes carrier is changes with instantaneous with the instantaneous value of the modulating signal. value of modulating signal

freq. & phase remain constant.

~~Ampl.~~ & phase remains constant.

(2) AM. operate in medium & high freq. band.

(2) FM operate in VHF (very high freq.) & UHF (ultra high freq.) band.

(3) It required smaller bandwidth than FM.

$$B.W. = 2 F_m (\text{max})$$

(3) It required 7 to 15 times larger bandwidth than AM.

$$B.W. = 2(\Delta f_{\text{max}} + f_m)$$

(4) Modulation index is always less than unity.

$$m_a = \frac{V_m}{V_c}$$

(4) Modulation index is greater than unity.

$$m_f = \frac{\delta}{f_m}$$

(5) In AM. noise is affected on reception.

(5) In FM, ^{noise} is eliminated by using limiter ckt in receiver.

(6) In AM. only one side band pair is produced.

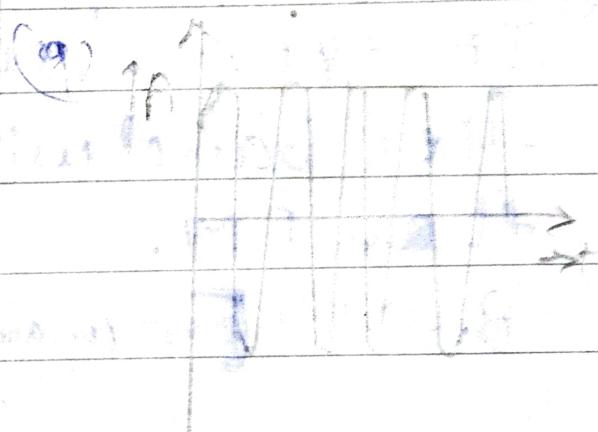
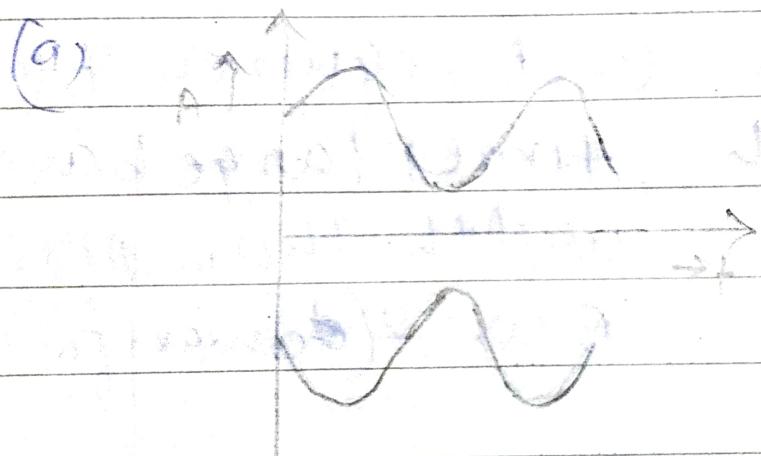
(6) Infinite side band pairs are produced.

(+) Simple ckt is required for transmitting & receiving.

(+) Complex ckt is required for transmitting & receiving.

(8) AM covers large area.

(8) FM covers small ext area.



$$\underline{V(AM)} = V_c \cdot \sin \omega_c t + \frac{m_a \cdot V_c \cdot \cos(\omega_c - \omega_m)t}{2} - \frac{m_a \cdot V_c \cdot \cos(\omega_c + \omega_m)t}{2}$$

$$V(FM) = A \cdot \sin(\omega_c t + m_f \cdot \sin \omega_m t)$$

b) Varactor diode Modulator

* CKT diag is as -

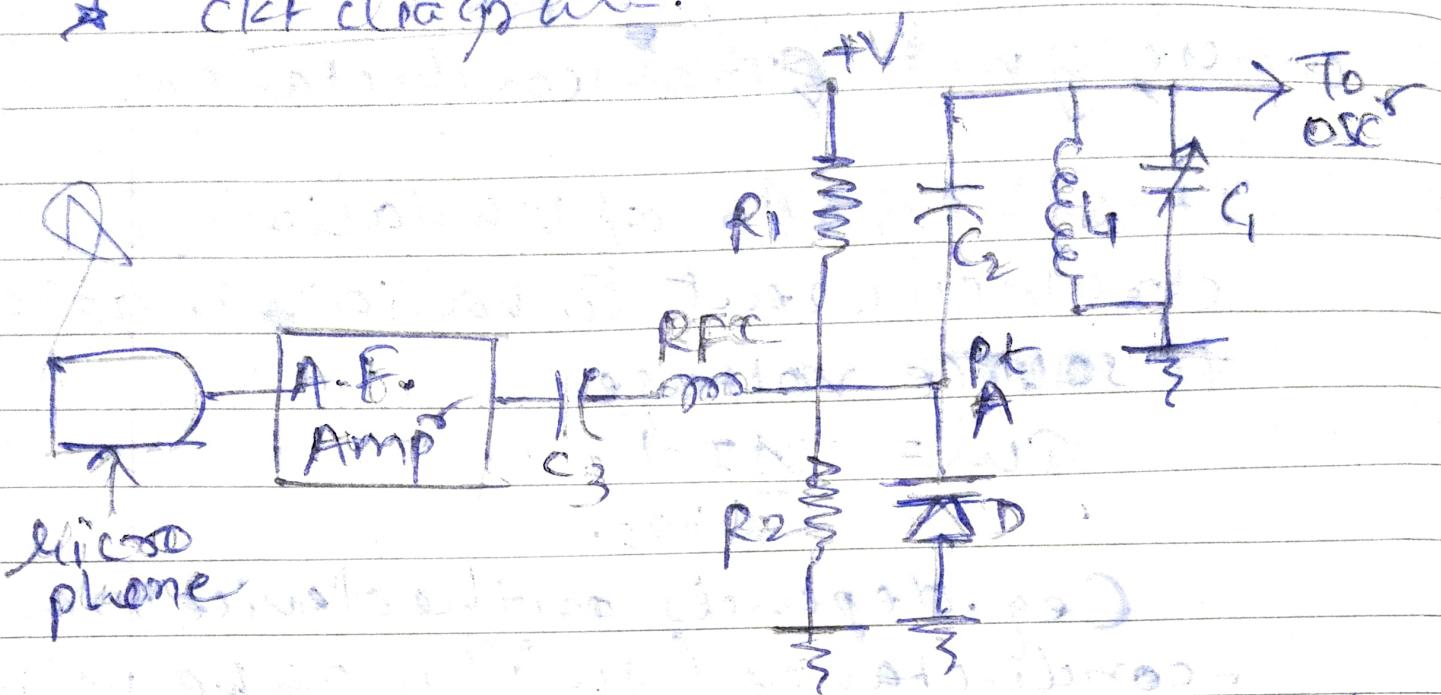


Fig. shows the basic concept of varactor freq. modulator.

The C_2 & D represent the tuned ckt of the carrier osc. Varactor diode D is connected in series with the capacitor C_2 across the tuned ckt. The value of C_2 is made very large at the operating freq., so that its reactance is very low, as a result C_2 is connected in series with the lower capacitance of D . The effect is if D is directly connected across the tuned ckt, the total effective ckt capacitance is then a capacitance of D in parallel

with C. This fixes centre carrier freq.

The capacitance of D_1 is controlled by two factors:

(i) A fixed DC bias.

(ii) Modulating signal.

The bias on D_1 is set by voltage divider which is made up of R_1 & R_2 .

The modulating signal is applied through C_3 & RFC. The C_3 is a blocking capacitor that keeps the DC bias out of the modulating signal ckt.

The RFC is radio freq. choke whose reactance is high at the carrier freq.

To prevent the carrier signal from getting into the modulating signal ckt.

The modulating signal comes from the microphone V_b is amplified & applied to the modulator. As the modulating signal varies it adds to & subtracts from the fixed bias voltages. Thus the effective voltage applied to D ' causes its capacitance to vary. Due to this it produces a deviation of the

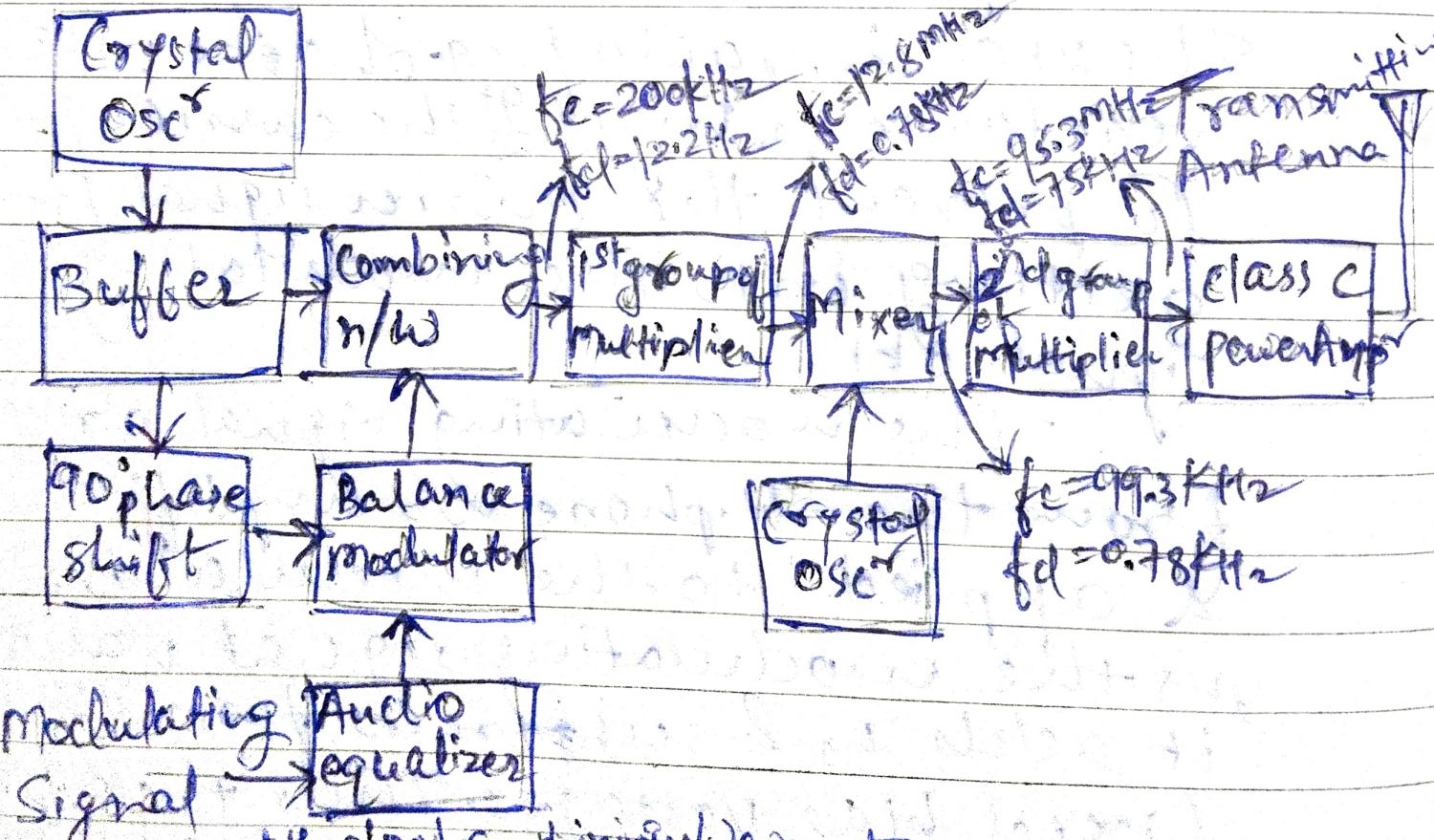
carrier freq. as desired.

A +ve going signal at pt. A adds to the reverse bias, & using the capacitance & \downarrow ing the carrier freq. A -ve going signal at pt. A subtracts from the bias using the capacitance & \uparrow ing the carrier freq.

①

②

Indirect method \Rightarrow Armstrong method



at the of DSB combining n/w we get Deviated signal whose deviation depends upon Amplitude of carrier which is generated by balance modulator.

* The indirect fm modulating signal directly deviates the phase of the receiver which indirectly changes the freq.

Fig shows the block diagram of wide band armstrong indirect fm transmitter.

(1) Armstrong modulator

With an armstrong ~~transmitter~~ a relatively low freq. sub carrier $[f_c]$ is phase shifted by 90° $[f_c - c]$ and fed to a balance modulator. When it is mixed with the ip modulating signal, the o/p of balance modulator is a ~~DSBSC~~ wave & is combined with the original carrier in a combining network to produce a low index phase modulated wave form.

With the armstrong transmitter the phase of the carrier is directly modulated in the combining network through summation producing indirect freq. modulation. The magnitude of the phase deviation is directly proportional

\$ To the amplitude of the modulating signal, but independent of its freq. So the modulating index remains constant for all modulating signal freq. of a given amplitude.

, freq. multiplier, freq. changer, and power amplifier.

The O.P. of combining amp is a desired freq. modulated voltage. Relative amplitude of the modulated voltage and the carrier voltage are so adjusted that the maximum phase deviaⁿ is small.

This is necessary in order to avoid excessive result. As a result, freq. deviaⁿ (f_{cl}) is small. In the transmitter f_{cl} is 12.2 Hz at the O.P. of modulator. This freq. modulated voltage is fed to G freq. doubler to get a carrier freq. of 12.8 MHz and f_{cl} equals to 0.78 kHz . At this stage the carrier freq. is sufficiently high, but the freq. deviaⁿ is low only about 0.78 kHz . To

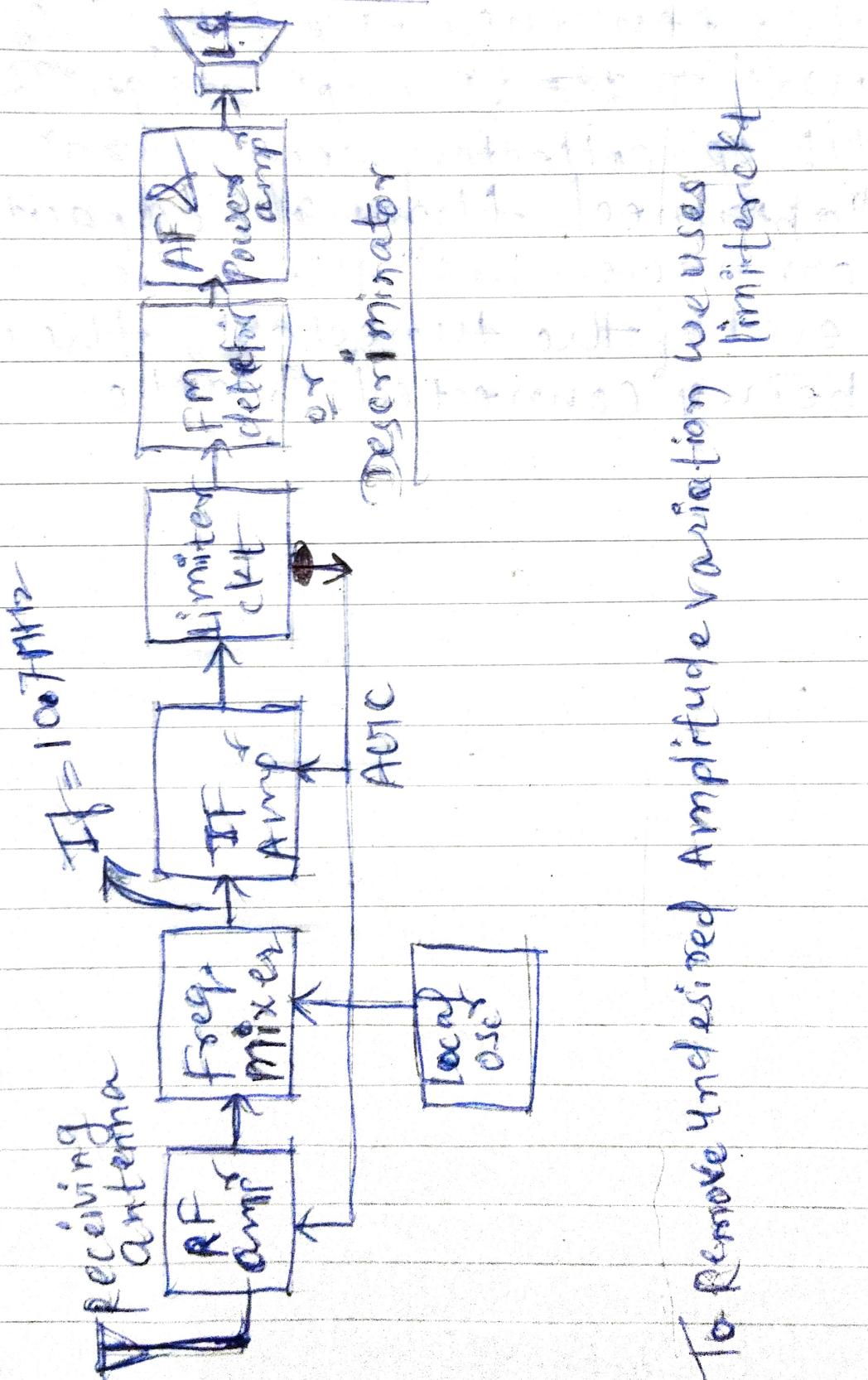
use the freq. deviaⁿ further, the freq. modulated voltage is fed to a mixer which shifts the carrier freq. down to a low value of 99.3 kHz. However freq. deviaⁿ remains unaltered. Subsequently freq. multiplier raises the carrier freq. to a desired value of 95.3 MHz & freq. deviation to a standard value of ± 5 kHz.

After power amplifier in a few stages raising the power level to the desired value, the op is fed to the transmitting antenna.

FM Radio Receiver

* Super heterodyne FM radio receiver

* Block dia.



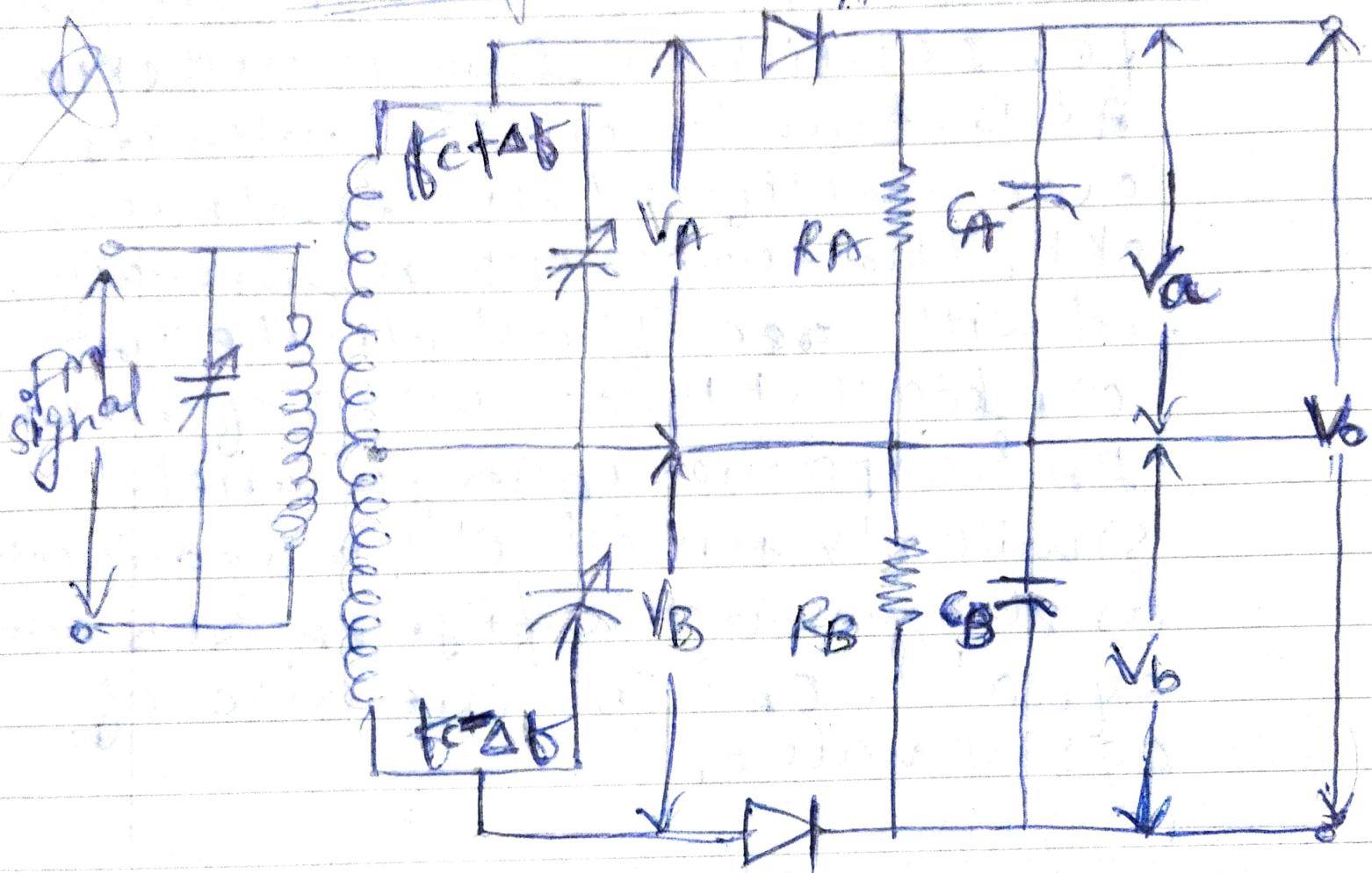
To remove undesired Amplitude variation we uses limiter

To Remove Undesired Amplitude variation we uses limiter

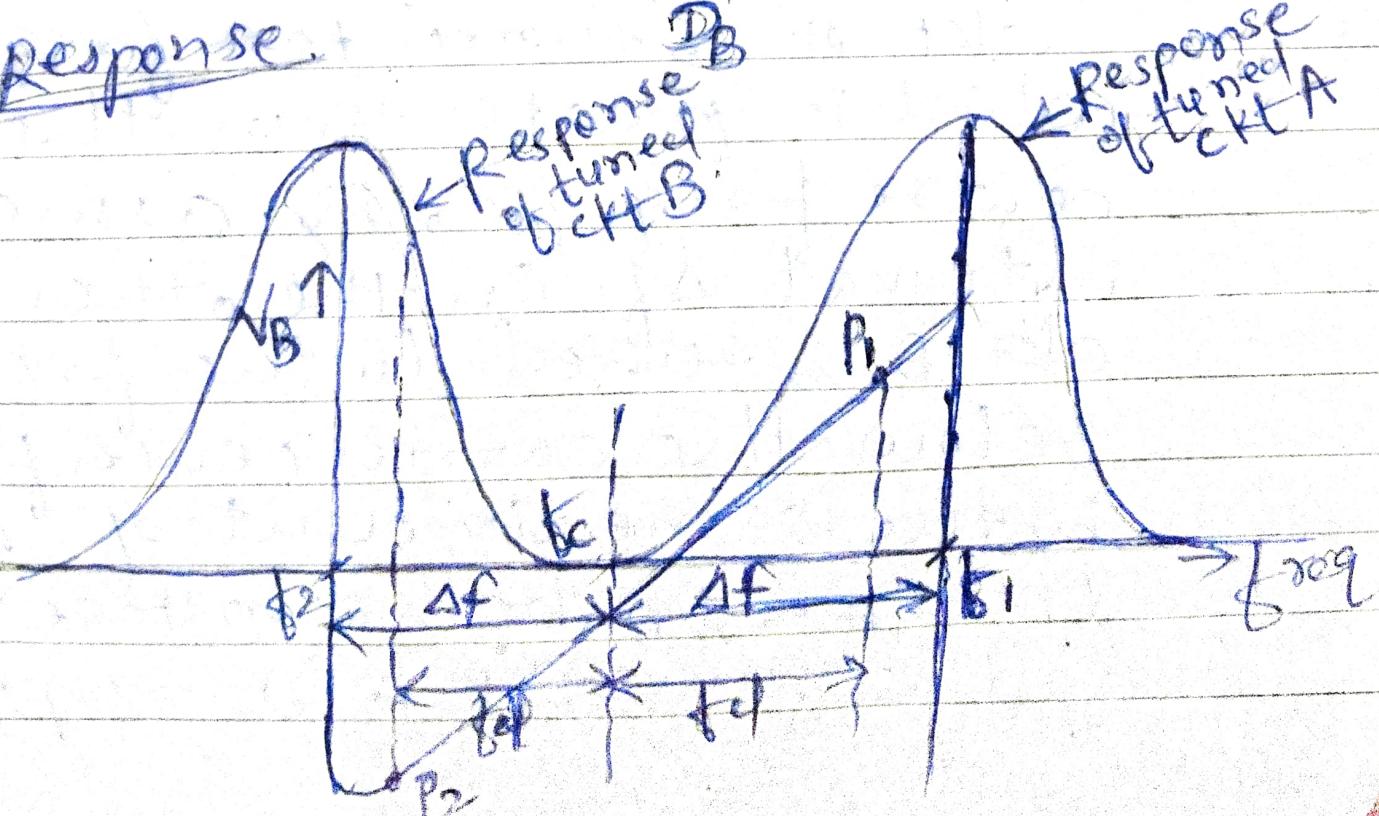
To Remove Undesired Amplitude variation we uses limiter

(ii) Balance slope deflector

deficiency.



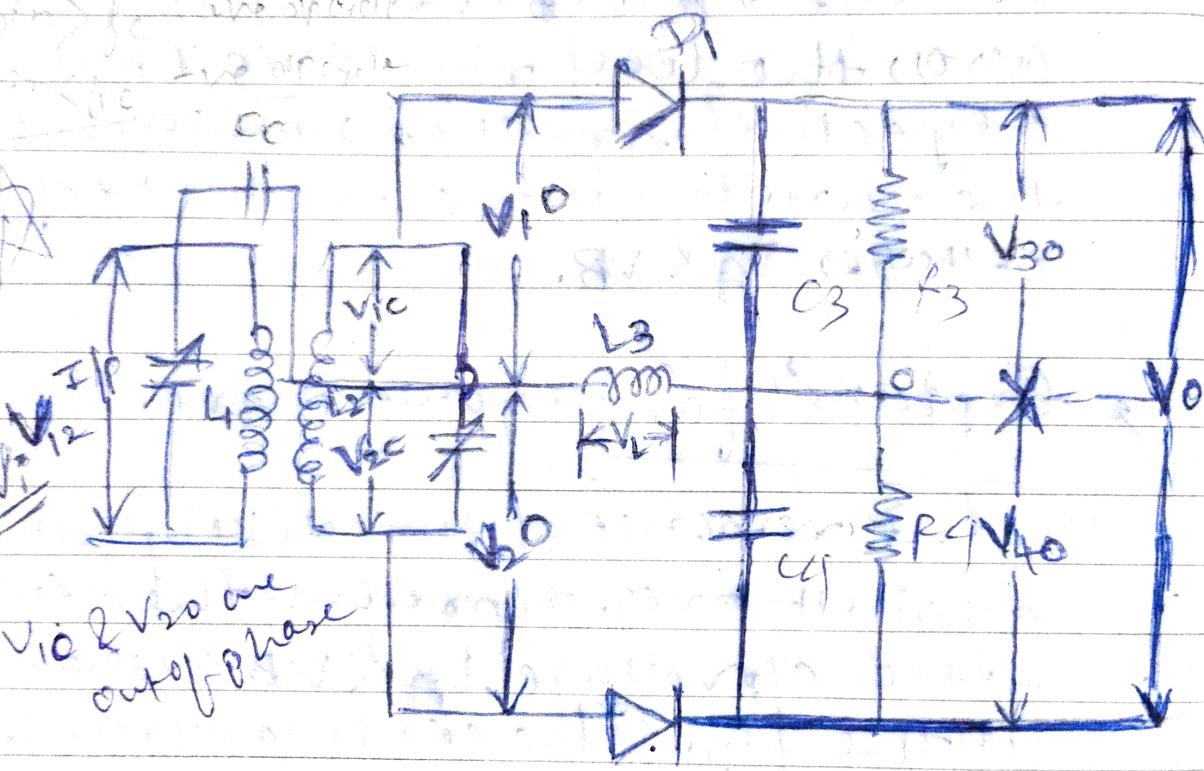
Response



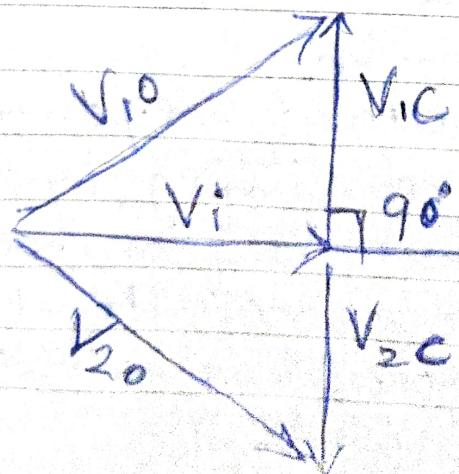
- ① linear chara. is limited to small freq. deviation
- ② The tuned O/P is not purely band limited hence LPF of envelop detector introduce distortion

in the range P_1 & P_2 amplif. cuts
the freq. axis at the carrier
centre freq. f_c . phase \rightarrow 0°

* Foster-Seeley discriminator.



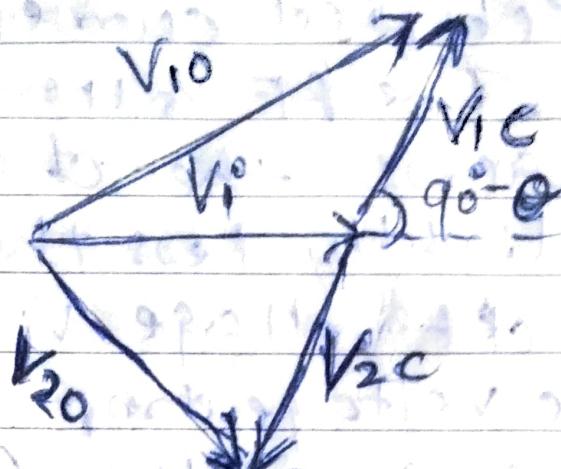
$$\textcircled{1} \quad f_m = f_c$$



(2)

$$f_m > f_c$$

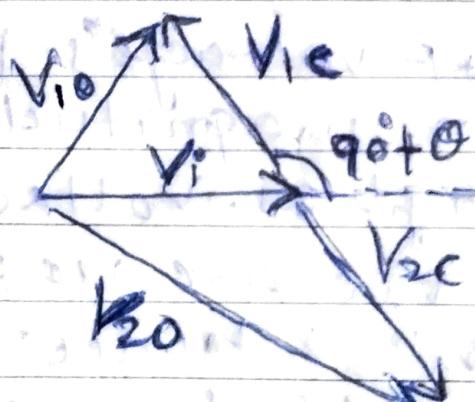
$$(f_c + \Delta f)$$



(3)

$$f_m < f_c$$

$$(f_c - \Delta f)$$



Construction & working

It uses a double tuned ckt in which both the primary & the secondary are tuned to the same freq. namely the IF inductively coupled. The centre of the secondary is connected to the CT. The primary is connected to the double tuned ckt through a coupling capacitor C_c . The RF choke L_3 provides the return.

path for the DC component of the rectified current of diodes D_1 & D_2 . The RF voltage V_1 developed across the choke L_3 is very slightly less than the primary ckt voltage V_i because of the voltage drop ~~in~~ in the coupling capacitor. C. voltage V_1 may be put approximately equal to V_i .

The RF voltages V_{1c} & V_{2c} are equal in magnitude but opposite in phas. Voltages ~~V_{1c} & V_{2c}~~ V_{1c} & V_{2c} are not in phase with V_i & hence these have to be added vectorially to V_i to produce voltage V_{1o} & V_{2o} . This vectorial addition is shown in the fig.

Explanation of Vector dia.

If however the applied freq. f differs from the resonant freq. of the tuned ckt, the phase angles of the voltage V_{1c} & V_{2c} relative ~~to~~ to the voltage V_i

- (1) Good level of performance & resonance linearity,
- (2) Easy to construct
- (A) (1) Not suitable for IC technology
- (2) Costly. (3) Amplitude noise

differs from 90° . The voltage applied to each diode is the sum of the primary voltage & corresponding half secondary voltage. It will also show that the primary & the secondary voltages are,

- (1) Exactly 90° out of phase when the i/f freq is f_c . [$f_{ipm} = f_c$]
- (2) Less than 90° out of phase [$f_{ipm} < f_c$] when f_{ipm} is higher than f_c .
- (3) More than 90° out of phase when f_{ipm} is below f_c . [$f_{ipm} > f_c$]

The RF voltage V_{10} & V_{20} are separately rectified in linear diode detectors D_1 & D_2 respectively to produce OIP voltages V_{30} & V_{40} across the resistors R_3 & R_4 .

The RF component of the rectified currents are bypassed through shunt capacitors C_3 & C_4 leaving only the modulating freq. component & DC component to flow.

through resistors R_3 & R_4 .

The output voltages V_{30} & V_{40} represent the amplitude variation of RF voltages V_{10} & V_{20} . It may be seen that for the given arrangement of the diode, the o/p voltages oppose each other. The final o/p V_o is then equal to the arithmetic difference $|V_{20}| - |V_{30}|$. This resultant rectified o/p voltage V_o will then vary with the instantaneous freq. of the applied signal.

When f_{RF} the zero voltage results because RF voltages V_{10} & V_{20} have equal amplitude. At instantaneous freq. greater than the resonant freq. the rectified o/p voltage V_o of discriminator is +ve because RF voltage V_{10} has larger amplitude than the RF voltage V_{20} . At an i/p freq.

less than the resonant freq.,
 the rectified o/p voltage V_o is
 -ve because RF voltage V_{10} has
 smaller amplitude than the
 RF voltage V_{20} .

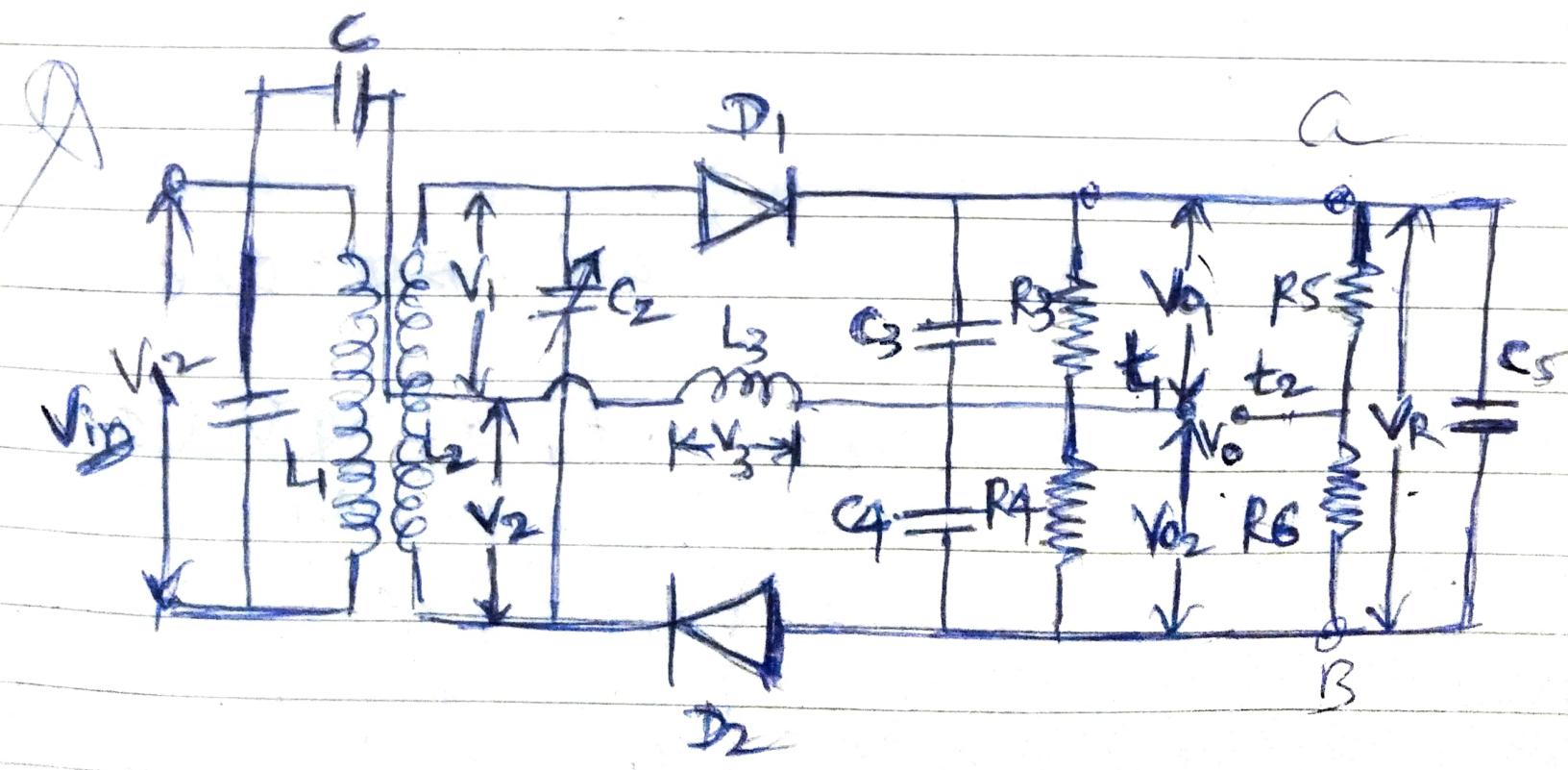
The performance of Foster
 seelay discriminator is linear
 over freq. range $\pm 200 \text{ kHz}$.

Disadvantage

- (1) It does not provide any amplitude limiting provision.



Ratio Detector ckt



Construction

ratio detector is an improvement over the Foster relay discriminator. It is widely used. If it does not respond through amplitude via a limiter is not required. The circuit is similar to the circuit of Foster relay discriminator except the following.

(1) The polarity of diode D_2 has been reversed.

(2) The o/p voltage is taken from the centre tap of a resistor R that shunts the load impedance of two diodes. The o/p voltage varies with the i/p signal freq. exactly in the same way as it does in the Foster relay discriminator, but its magnitude is reduced to half.

$$R_5 = R_6$$

$$\begin{aligned} V_{oP} &= V_i \cdot t_1 + t_2 \\ &= |V_t \cdot V_{1P} - |V_t - V_2| \\ &= |V_{o2}| + \left| \frac{V_R}{2} \right| \end{aligned}$$

$$V_R = |V_{o1}| + |V_{o2}|$$

$$V_o = V_{o2} - [|V_{o1}| + |V_{o2}|]$$

$$\therefore V_o = \frac{V_{o2} - V_{o1}}{2}$$

- (1) Good performance & less noise (inarity)
- (2) Better immunity against amplitude noise
- (3) wider BW.

Amplitude limiting by ratio detector

If the ilp voltage V_{ilp} is constant & has been so for some time, C_5 is been able to charge up to the potential existing betⁿ a, b .

This is the DC voltage if V_{ilp} is constant there will be no current either flowing to charge the capacitor or flowing out to discharge it. In other words the ilp impedance of C_5 is infinite.

As soon as the ilp voltage tries to rise, extra diode current flows, but this excess current flows in to the capacitor C_5 charging it. The voltage across V_{ilp} , t_2 remains constant because it is not possible for the voltage across capacitor to change instantaneously. Here the load impedance rises.

If the ilp voltage falls, the diode current will fall, but the load voltage will not at first because of the presence of the capacitor.

The effect is that of an opposed diode load impedance. The diode current has fallen but the load

Voltage has remain constant

\$ \underline{Actv.}

I F does not respond to amplitude variations.

Disadv

O/P Efficiency is just half of
foster relay due to
not suitable for IC technology.
High cost.