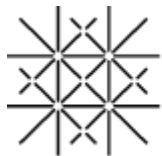


42 Years of Programming

Selected Algorithms and Data Structures

Dipl.Inform. Detlef Wolf

Detlef.Wolf@Roche.com
Roche Innovation Center Basel
F. Hoffmann - La Roche AG

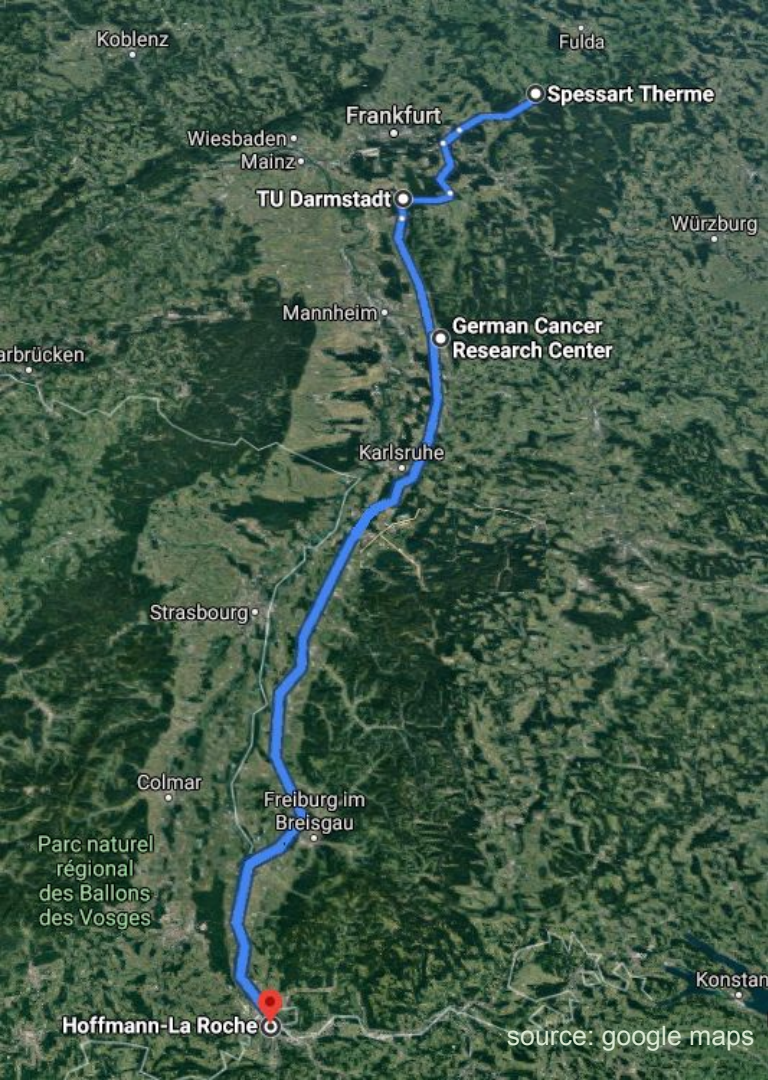


**Universität
Basel**

Applied Mathematics and
Informatics in Drug Discovery

<https://amidd.ch>

4.Dec.2020

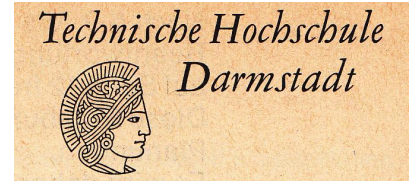


Detlef Wolf

1962 * Bad Soden, Hessen, Germany

1980 **jugend**  **forscht**

1981-1988 Computer
Science



1991-1995



**DEUTSCHES
KREBSFORSCHUNGSZENTRUM
IN DER HELMHOLTZ-GEMEINSCHAFT**

1996 -



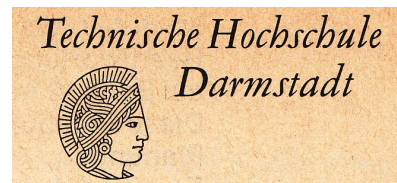
**Basel,
New York,
San Francisco**

Genetic Algorithm

1962 * Bad Soden, Hessen, Germany

1980 **jugend**  **forscht**

1981-1988 Computer
Science



Fourier Transform

1991-1995



**DEUTSCHES
KREBSFORSCHUNGSZENTRUM
IN DER HELMHOLTZ-GEMEINSCHAFT**

Unitary Matrices

1996 -



**Basel,
New York,
San Francisco**

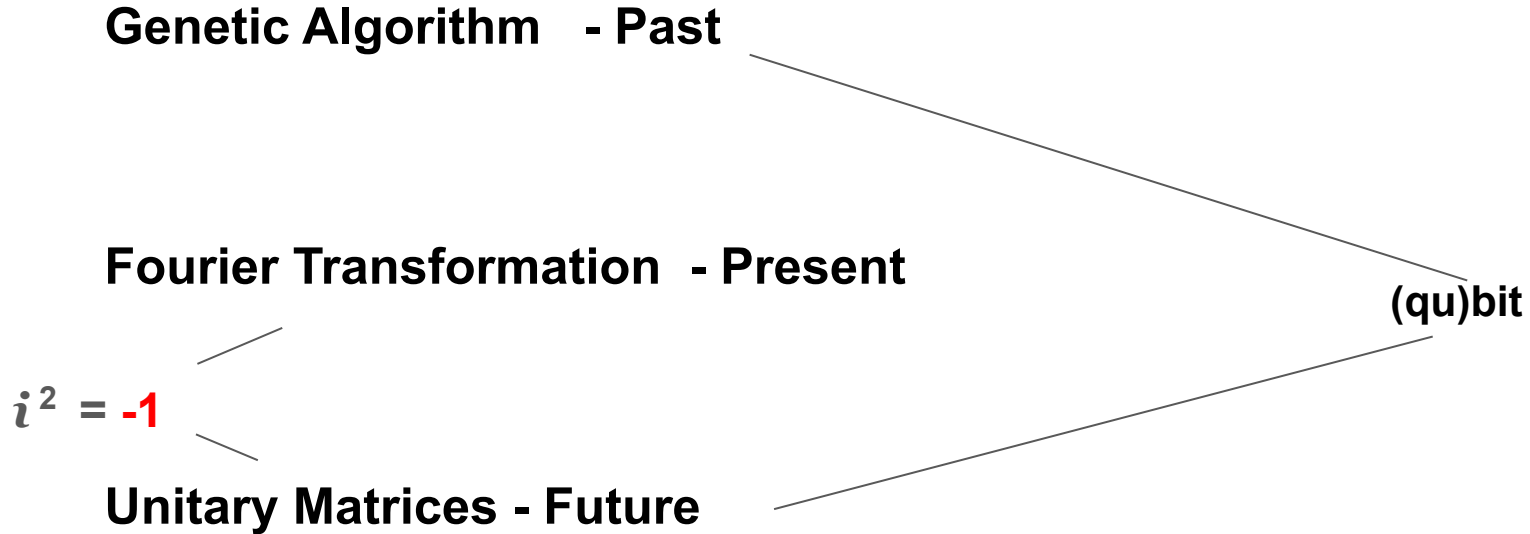
Genetic Algorithm - Past

Fourier Transformation - Present

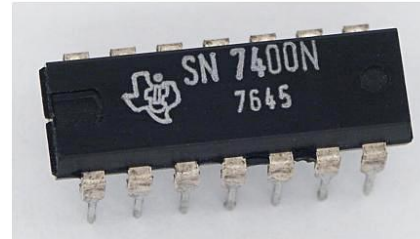
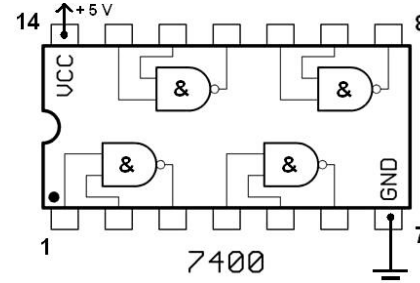
$$i^2 = -1$$

Unitary Matrices - Future

(qu)bit



1977

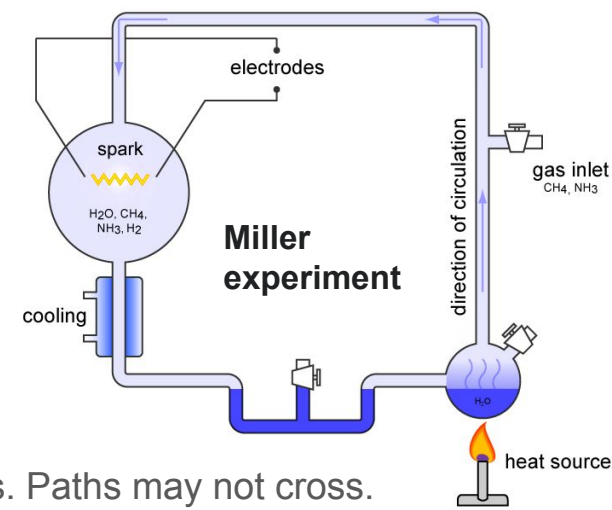
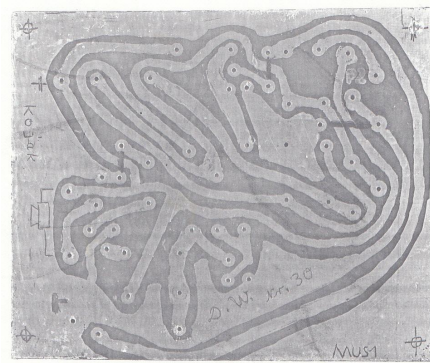


Inputs		Output
A	B	$\neg(A \wedge B)$
0	0	1
0	1	1
1	0	1
1	1	0



Charles Darwin

Olivetti P6060



Automatic Printed Circuit Board Design

A connection is defined by its two endpoints. Paths may not cross.

- given N connections to make

1. the algorithm starts with the first connection, route it, then second, ...

- the success depends on the order of making connections

- there are $N!$ possible orders

2. start with a random order $R1$, attempt making connections; score: number of connections that could be made plus total length

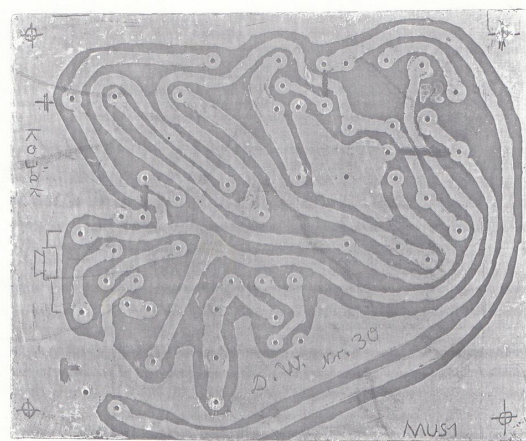
3. mutate (swap two connections) $\rightarrow R2$, try again; if score gets better, continue with $R2$, else $R1$

4. Miller experiment (I had understood it as 'lightnings help evolution'): if there is no progress for a while, mutate more, change the order dramatically.



Charles Darwin

Olivetti P6060



take home message

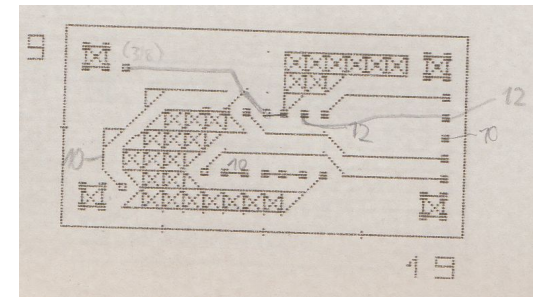
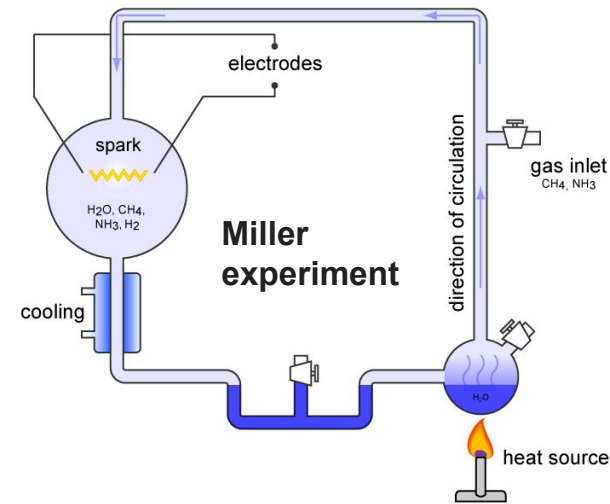
- **measure it!**

here: number of connections & total length

- **build expectations!**

have an idea of what you expect as outcome ... and if there is something unexpected explore it!

here: evolution into dead end



Now comes a big jump in time ...

Parkinson's Disease (1)

- **Key Descriptions:**

- in 1817, James Parkinson (British physician): An Essay on the Shaking Palsy
- in 1912, Friedrich Lewy described abnormal aggregates of protein in PD patients
- Dopaminergic cell loss within the substantia nigra pars compacta of the brain

- **Symptoms:**

- Trembling of hands, arms, legs, jaw and face
- Slowness of movement (walking)
- Stiffness of the arms, legs and trunk

- **Progression:**

onset around age 60; chronic and slowly progressive disorder with a mean duration of 15 years from disease recognition until death



Parkinson's Disease (2)

- **Diagnosis:**

- no established lab test only
- extensive neurological tests
- PET scan starting to be used

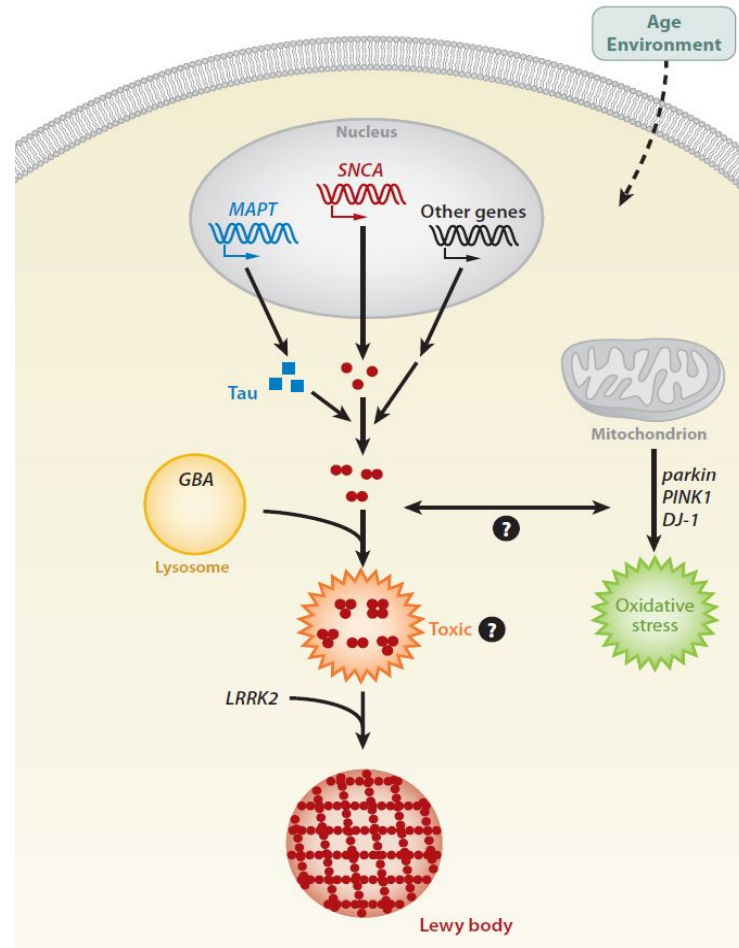
- **Therapy:**

- symptomatic : now
- disease-modifying – future?

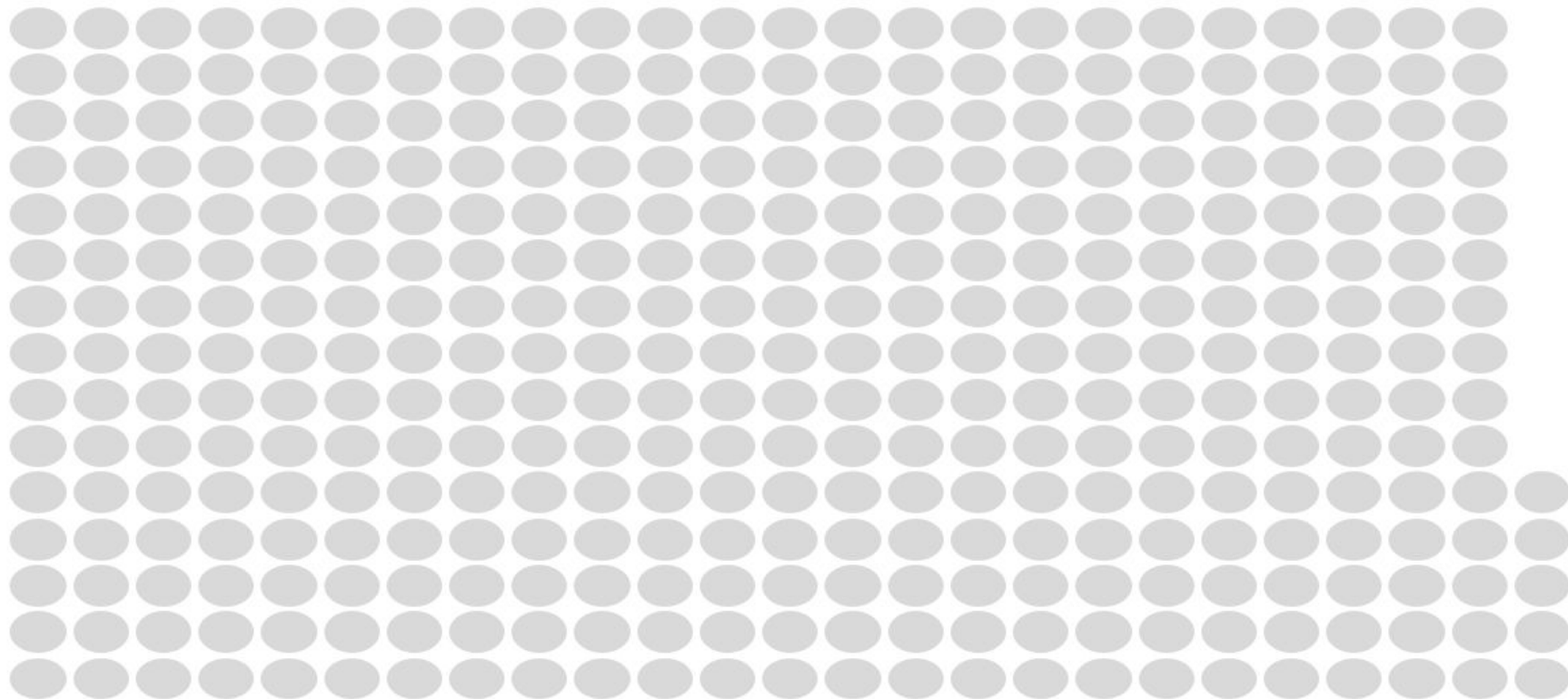
- **Hypothesis:**

Aggregation of α -synuclein (product of gene SNCA) is proposed as the central pathway leading to neurotoxicity in PD.

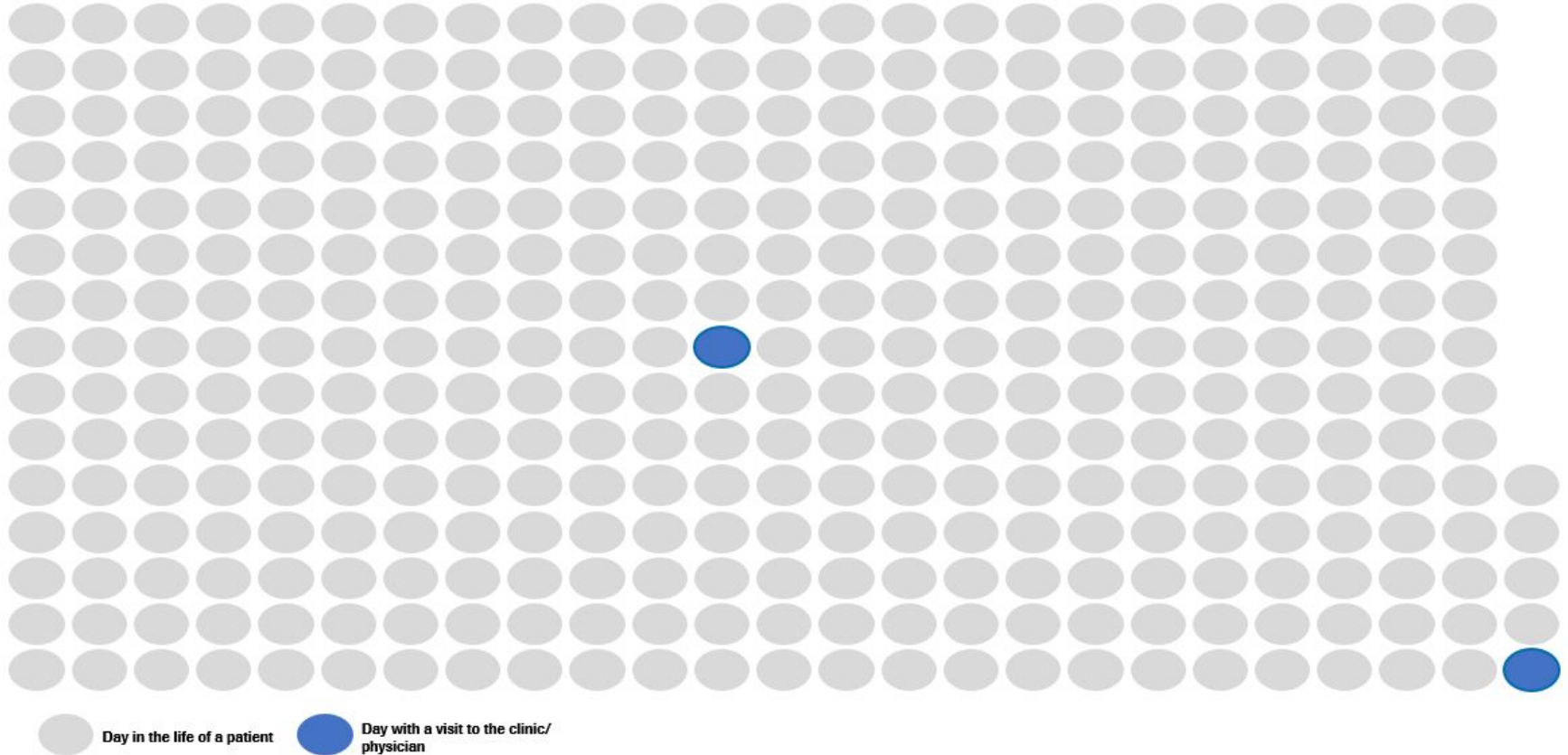
Other hypotheses include: PINK1, PARK2, PARK7, LRRK2



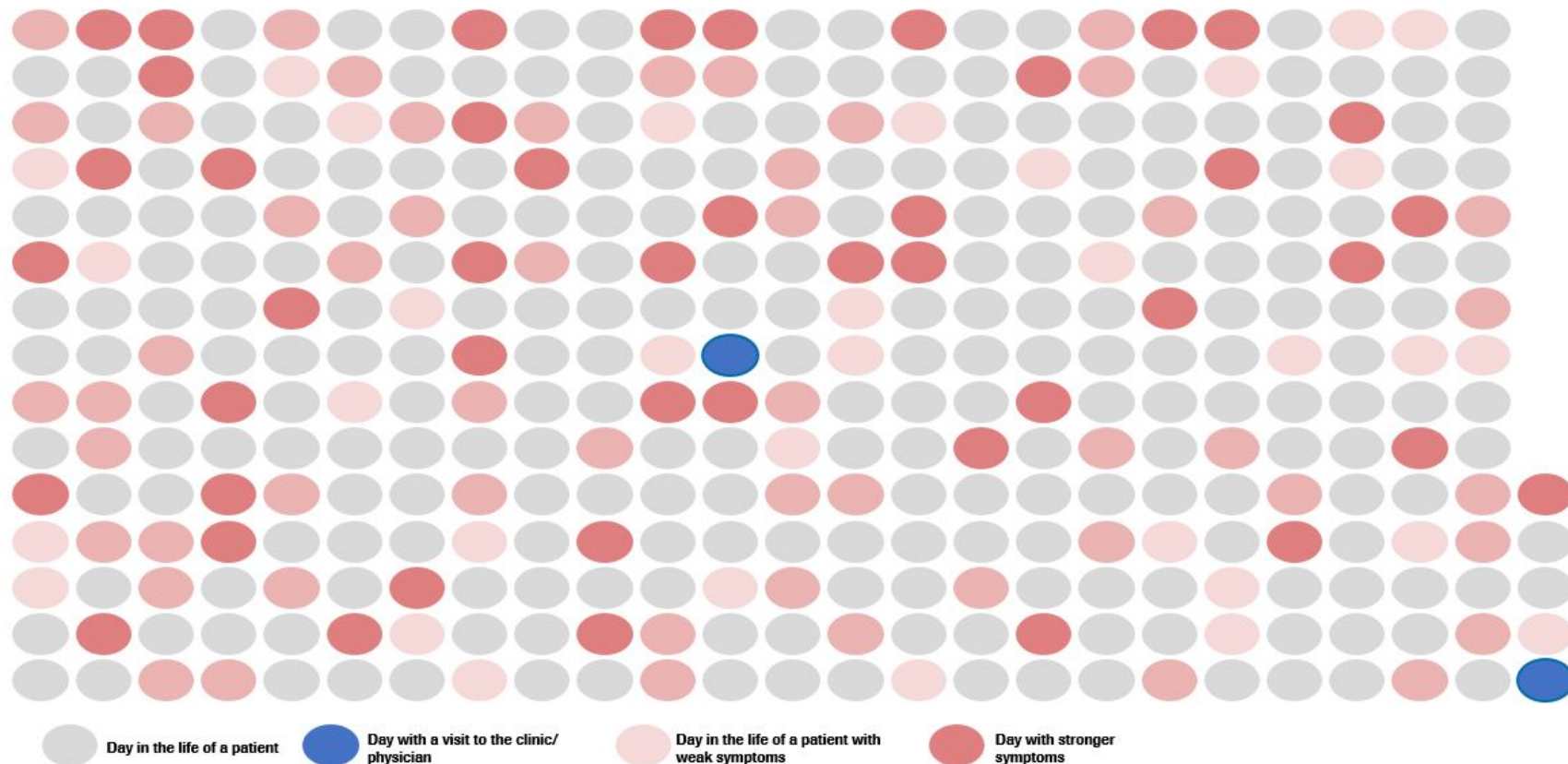
Remote patient monitoring can transform clinical research



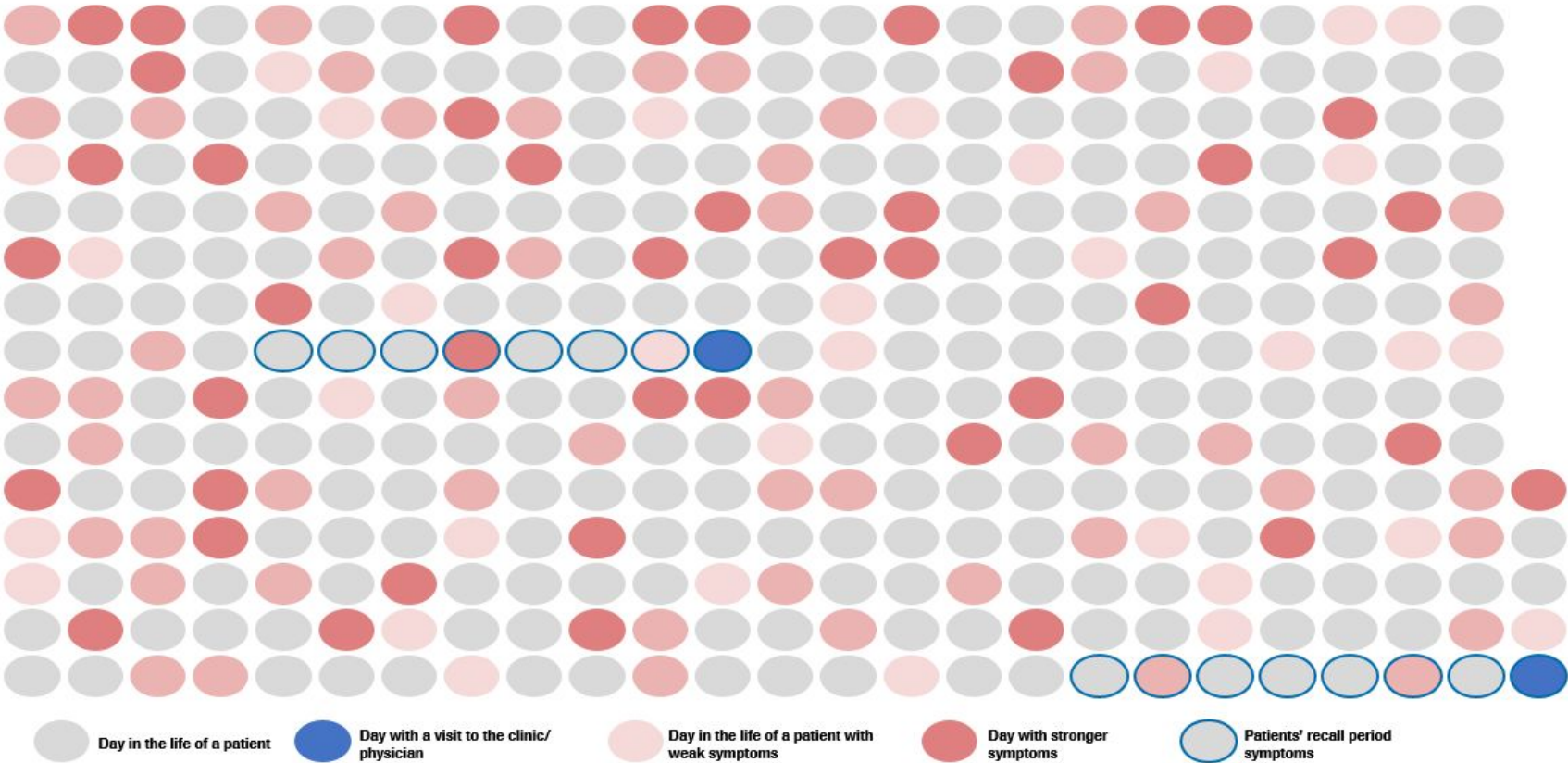
Remote patient monitoring can transform clinical research



Remote patient monitoring can transform clinical research



Remote patient monitoring can transform clinical research

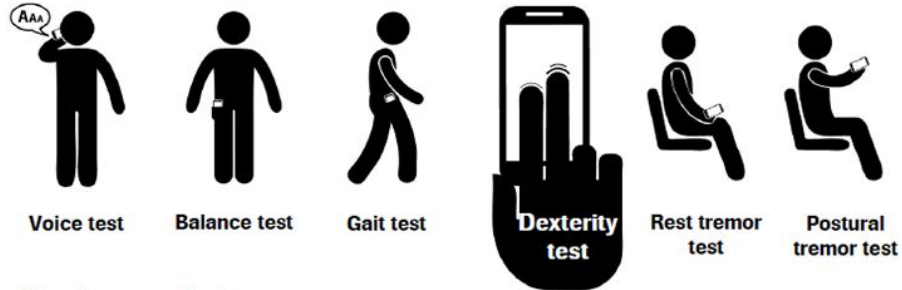


Roche technology measures Parkinson's disease fluctuations



Active tests

Patients complete six tests on the App at the same time each day



Passive monitoring

Patients carry the phone around all day as they go about their daily activities

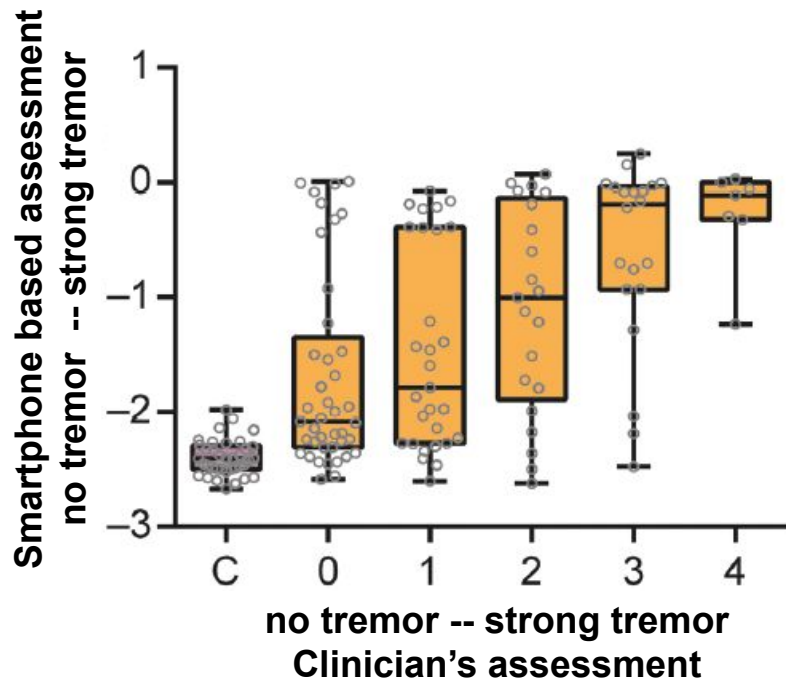


Passive monitoring

<https://youtu.be/qAu9SyfQsQY>



It is possible to measure Parkinson's Disease status with smartphones



Potential to shorten clinical trials

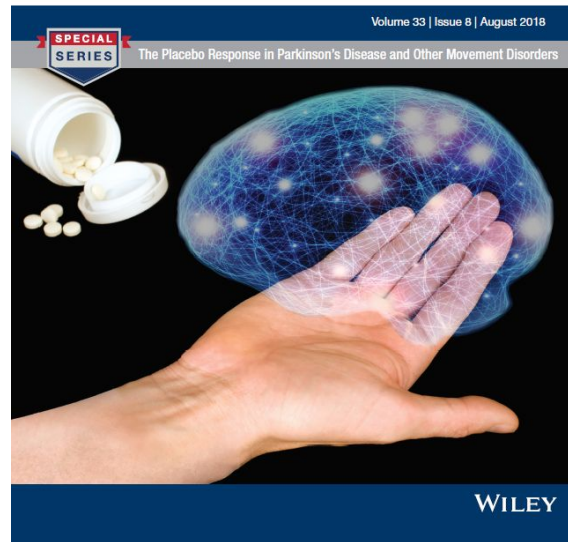


Official Journal of the International Parkinson and Movement Disorder Society



Movement Disorders

2018



RESEARCH ARTICLE

Evaluation of Smartphone-Based Testing to Generate Exploratory Outcome Measures in a Phase 1 Parkinson's Disease Clinical Trial

PHASE 1 Study

Example Device and Sensor

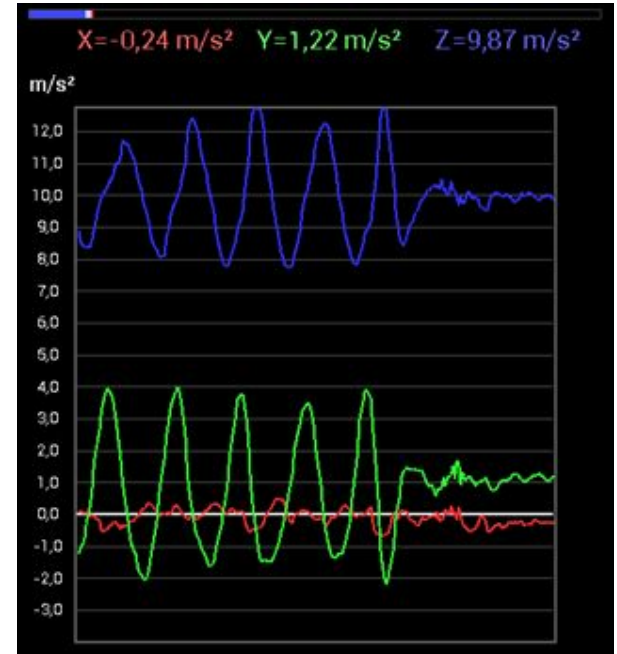
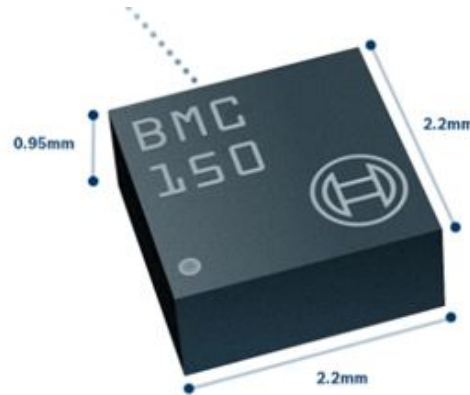
*If you
would like
to try out
things
yourself :*



<https://phyphox.org/>



Accelerometer
Detects linear motion
and gravitational forces



A digital biomarker learning experience

For a conference, we wanted to make a digital biomarker learning experience with a live element. To add a fun element, instead of measuring tremor, we measured dancing -- after all it (should be) also a periodic movement, thus analyzable by a Fourier transform.



Digital biomarkers are defined as objective, quantifiable physiological and behavioral data that are collected and measured by means of **digital** devices such as portables, wearables, implantables or ingestibles. The data collected is typically used to explain, influence and/or predict health-related outcomes.

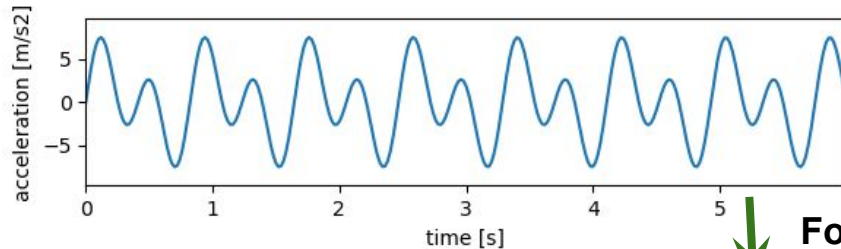


we used this song:

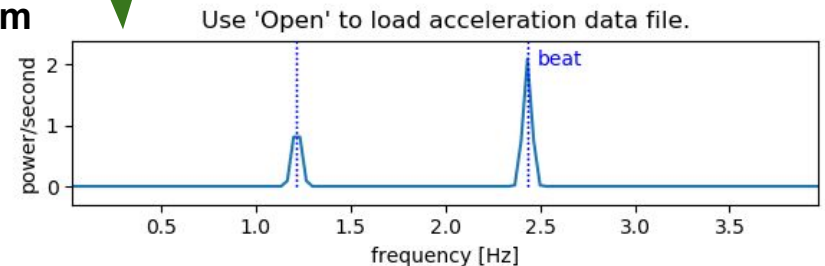
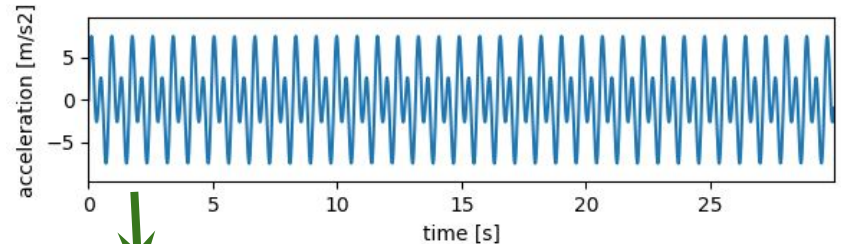
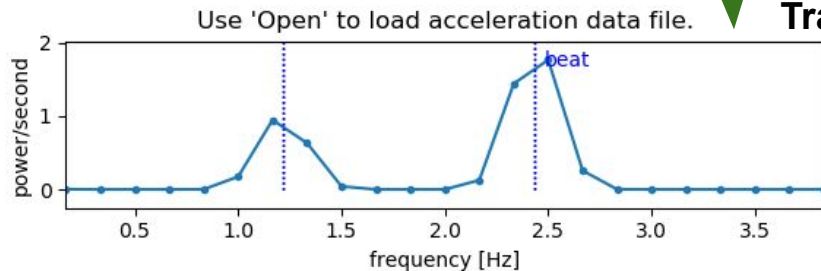
https://www.youtube.com/watch?v=KXO_Slg5bV0

Simulate Data, Check Correctness of Software & Understanding

```
def generateDummy():  
    bfs = 146.0 / 60.0 # beat frequency [Hz] (146 beats per min.)  
    bfs2 = bfs / 2.0    # [Hz]  
    sampling_frequency = 1 / 0.02 # Hz  
    duration = 30.0 # seconds  
    timepoints = np.arange(0.0, duration, 1.0/sampling_frequency)  
    acc = (np.sin(2.0 * np.pi * bfs * timepoints) +  
          np.sin(2.0 * np.pi * bfs2 * timepoints)) /  
          math.sqrt(2)) * 9.81 / 2.0  
    return sampling_frequency, timepoints, acc
```



**Fourier
Transform**

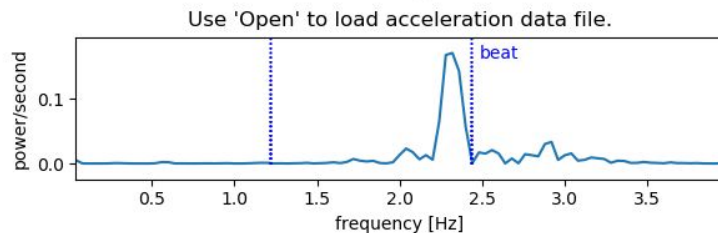
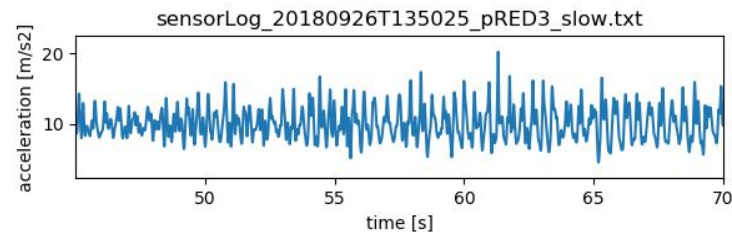
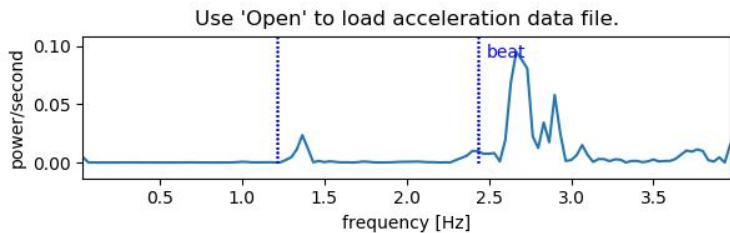
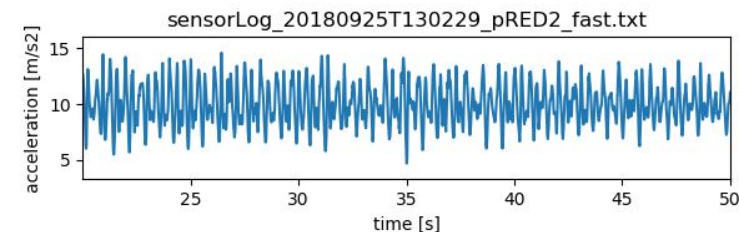
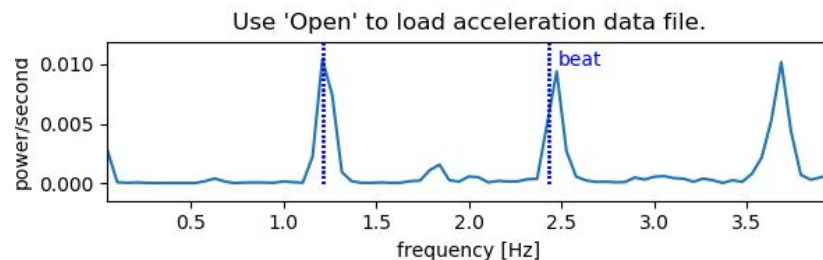
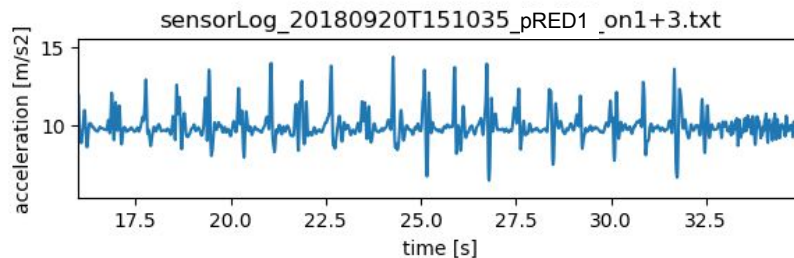


→ 30 seconds of sampling can give nice peaks (left), at least 6 seconds it should be (right)

Measure some persons dancing

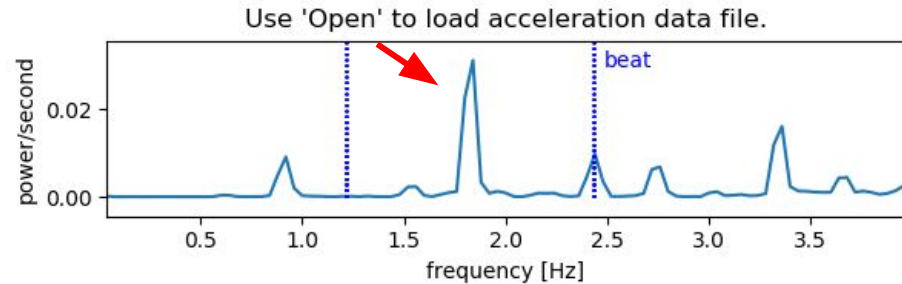
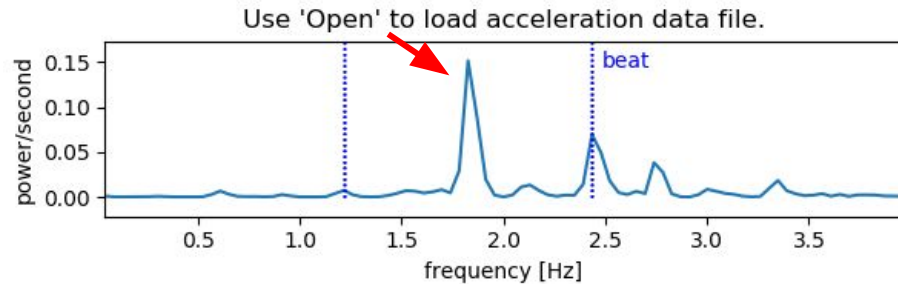
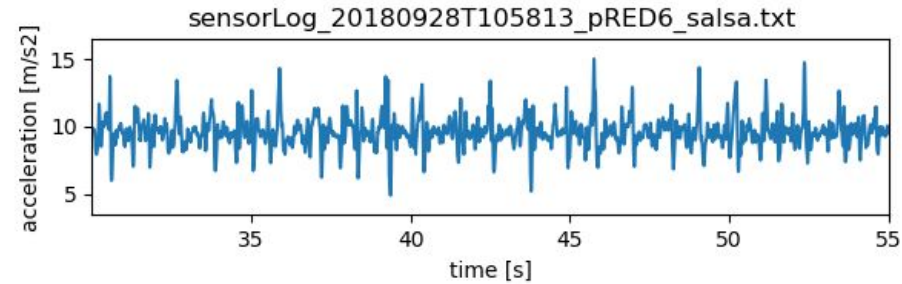
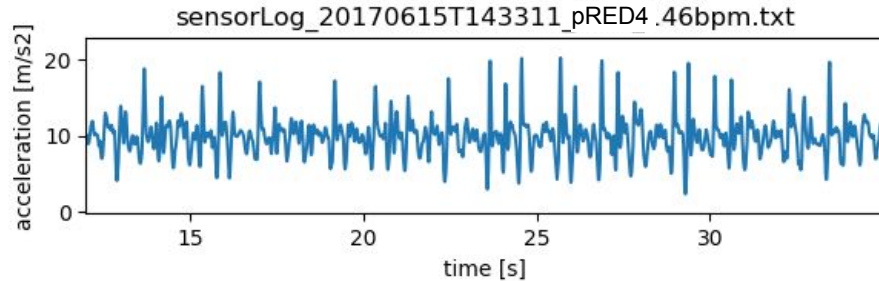
Yeah, it works!

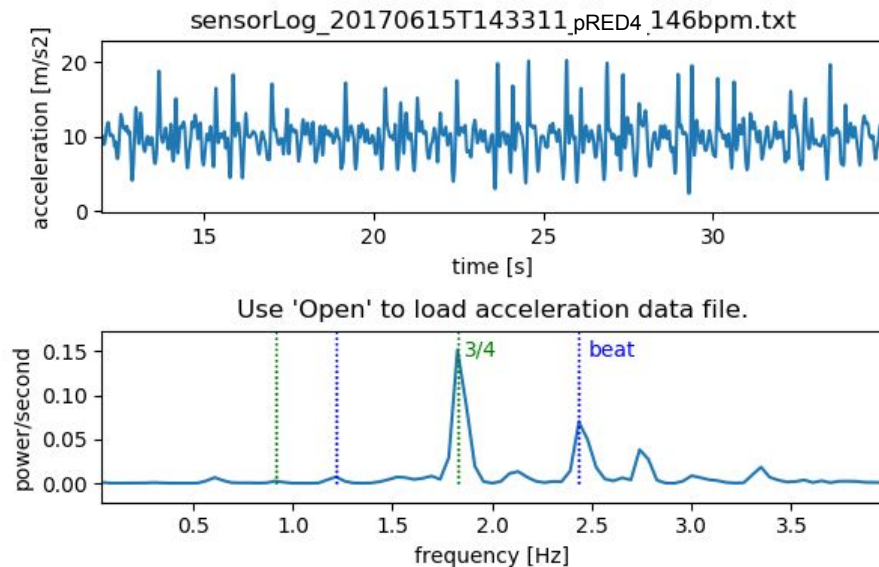
one person dancing at the right speed,
another too fast, another too slow ... looks reasonable



Measure more persons

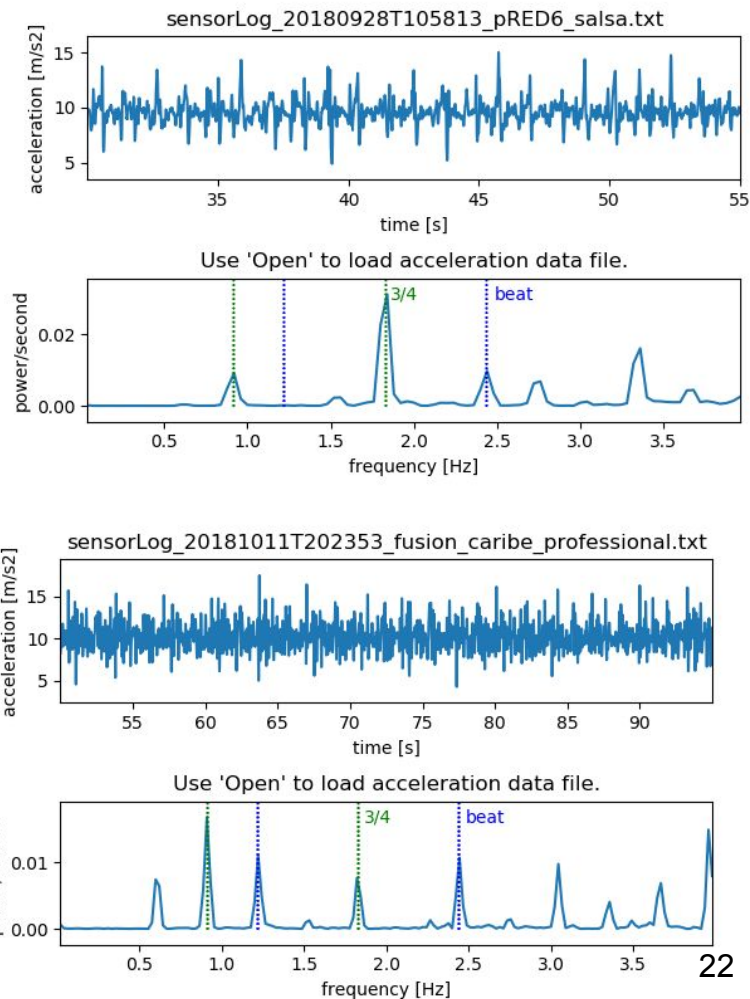
But what are these strange peaks in the middle? (samples from different persons)





Measuring their position shows they are at $3/4$ of the beat frequency.

We assume this is due to the nature of this dance (Salsa): there are **3 steps on 4 beats**, producing a **superposition** of two rhythms. Lower right: professional Salsa dancer



take home message (again)

- **measure it!**

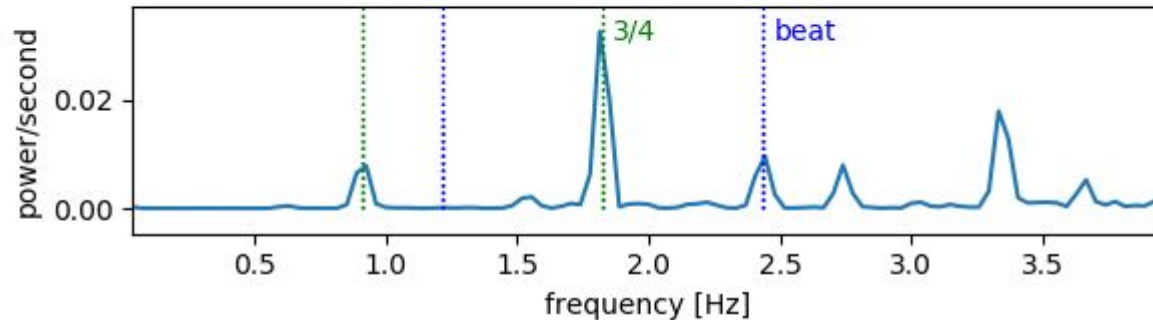
here: location of peaks

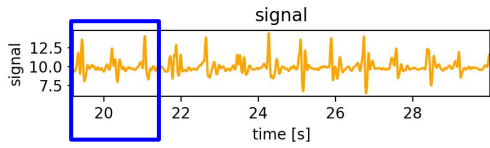
- **build expectations!**

have an idea of what you expect as outcome ...

and if there is something unexpected explore it!

here: only peak at beat or its harmonics

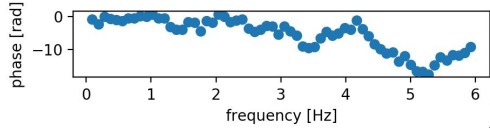




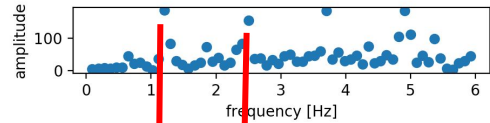
X
 $n=1080$
 $s=100$ Hz

Discrete Fourier Transform

transform from the time domain into the frequency + phase domain



... 50 Hz
 step 0.093



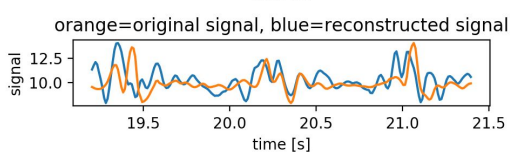
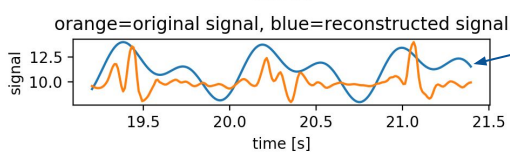
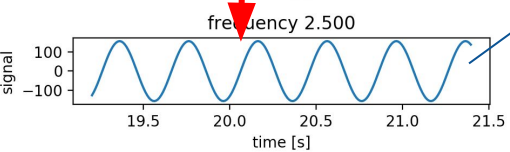
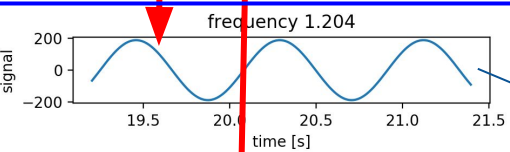
$Y = \text{numpy.fft.rfft}(X)$

[adapted from Python manual]

This function computes the one-dimensional n -point discrete Fourier Transform (DFT) of a real-valued vector X by means of an efficient algorithm called the Fast Fourier Transform (FFT).

s = sampling frequency, $n = \text{length}(X)$

$Y \rightarrow n/2$ complex numbers,
 one per frequency f : $0 \dots s/2$ in steps of s/n
 Each complex number *contains* amplitude and phase information



+

↓

=

$\text{amp} = \sqrt{\text{imag}(f)^2 + \text{real}(f)^2}$

\rightarrow complex absolute (modulus)

$\text{phase} = \text{atan2}(\text{imag}(f), \text{real}(f)) * 180/\pi$

Why do today's discrete fourier transform implementations return complex numbers?

$$S_N(x) = \frac{a_0}{2} + \sum_{n=1}^N (a_n \cos(2\pi nx) + b_n \sin(2\pi nx))$$

Original Fourier Series:
only real numbers

$$e^{i\varphi} = \cos \varphi + i \sin \varphi$$

Euler's formula

$$\sqrt{-1} = i \quad i^2 = -1$$

exponential
representation
allows more efficient
computation

$$c = a + ib \quad \text{a, b are real numbers}$$

$$|c| = \sqrt{a^2 + b^2} \quad \text{modulus of complex number}$$



Calculating the unimaginable

Quantum computers promise to offer computing power far beyond anything we can imagine. They have enormous potential, especially in the pharmaceutical industry. That is why we have a task force that is preparing for “the big wave”.

Goals in Quantum Computing (QC) at Roche

Chemistry

Will QC disrupt X?

Optimization

When will QC disrupt X?

Machine Learning

What are the requirements for QCs to disrupt X?

Accurate binding affinity estimation would strongly influence efficiency in **chemical Lead Identification/Optimization**.

Rapid identification of minima would broadly influence Research & Early Development. If Machine Learning is improved by QC, better predictions would impact areas from **biological target assessment to in-vivo trials** and beyond.

1 Qubit

state

"how much
zero"

"how much
one"

allows
Superposition
while not
measured /

$$|\Psi\rangle = \alpha|0\rangle + \beta|1\rangle$$

**binary
when
measured**

$$|\alpha|^2 + |\beta|^2 = 1$$

$$\alpha = a + ib$$

$$|\alpha| = \sqrt{a^2 + b^2}$$

probability of
measuring "one":

$$p(|1\rangle) = \frac{|\beta|^2}{|\alpha|^2 + |\beta|^2} = |\beta|^2$$

alternate representation:

$$|\Psi\rangle = \cos(\theta)|0\rangle + e^{i\phi} \sin(\theta) |1\rangle$$

There is no way of measuring α or β directly.
When measuring the qubit shows either 0 or 1,
nothing in between.

1 Qubit example

$$|\Psi_1\rangle = \begin{bmatrix} 1/\sqrt{2} \\ 1/\sqrt{2} \end{bmatrix} = \frac{\overset{\alpha}{1}}{\sqrt{2}} \begin{bmatrix} 1 \\ 0 \end{bmatrix} + \frac{\overset{\beta}{1}}{\sqrt{2}} \begin{bmatrix} 0 \\ 1 \end{bmatrix} = \frac{1}{\sqrt{2}} (|0\rangle + |1\rangle)$$

one qubit in 50:50 superposition

Dirac's notation



Notational Forrest

apply a 1-qubit operator

$$p(|1\rangle) = \frac{|\beta|^2}{|\alpha|^2 + |\beta|^2} = 0.5$$

$$\begin{array}{ccc} \text{Hadamard} & q(t) & q(t+1) \\ \begin{bmatrix} 1/\sqrt{2} & 1/\sqrt{2} \\ 1/\sqrt{2} & -1/\sqrt{2} \end{bmatrix} & \begin{bmatrix} 1 \\ 0 \end{bmatrix} & = \begin{bmatrix} 1/\sqrt{2} \\ 1/\sqrt{2} \end{bmatrix} \end{array}$$

from pure zero to 50:50 superposition

a unitary matrix

From 1 qubit to 2 qubits Preparation

There are several ways to multiply vectors ...

Matrix multiplication

$$\begin{bmatrix} a & c \end{bmatrix} * \begin{bmatrix} e \\ f \end{bmatrix} = \begin{bmatrix} ae + cf \end{bmatrix}$$

1 number

tensor product

$$\begin{bmatrix} a \\ b \end{bmatrix} \otimes \begin{bmatrix} e \\ f \end{bmatrix} = \begin{bmatrix} a \begin{bmatrix} e \\ f \end{bmatrix} \\ b \begin{bmatrix} e \\ f \end{bmatrix} \end{bmatrix} = \begin{bmatrix} ae \\ af \\ be \\ bf \end{bmatrix}$$

4 numbers

2 Qubits

combining two qubits

$$|\Psi_2\rangle = \begin{bmatrix} \alpha \\ \beta \end{bmatrix} \otimes \begin{bmatrix} \gamma \\ \delta \end{bmatrix} = \begin{bmatrix} \alpha\gamma \\ \alpha\delta \\ \beta\gamma \\ \beta\delta \end{bmatrix} \begin{matrix} |00\rangle \\ |01\rangle \\ |10\rangle \\ |11\rangle \end{matrix}$$

apply a 2-qubit operator

$$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & 1 & 0 \end{bmatrix} \begin{bmatrix} \alpha\gamma \\ \alpha\delta \\ \beta\gamma \\ \beta\delta \end{bmatrix} = \begin{bmatrix} \alpha\gamma \\ \alpha\delta \\ \beta\delta \\ \beta\gamma \end{bmatrix} \quad \text{swap (C-NOT)}$$

another unitary matrix



combining 1-qubit quantum operators

$$\begin{bmatrix} a & c \\ b & d \end{bmatrix} * \begin{bmatrix} e & g \\ f & h \end{bmatrix} = \begin{bmatrix} ae + cf & ag + ch \\ be + df & bg + dh \end{bmatrix}$$

m=number of qubits

2^m

$$\begin{bmatrix} a & c \\ b & d \end{bmatrix} \otimes \begin{bmatrix} e & g \\ f & h \end{bmatrix} = \begin{bmatrix} a \begin{bmatrix} e & g \\ f & h \end{bmatrix} & c \begin{bmatrix} e & g \\ f & h \end{bmatrix} \\ b \begin{bmatrix} e & g \\ f & h \end{bmatrix} & d \begin{bmatrix} e & g \\ f & h \end{bmatrix} \end{bmatrix} = \begin{bmatrix} ae & ag & ce & cg \\ af & ah & cf & ch \\ be & bg & de & dg \\ bf & bh & df & dh \end{bmatrix} 2^m$$

↑
Transition Matrices
for two 1-qubit
operations

**tensor
product**

↑
Transition Matrix for
one 2-qubit operation

2-qubit quantum operator: non separable → entanglement

$$\begin{bmatrix} a & c \\ b & d \end{bmatrix} * \begin{bmatrix} e & g \\ f & h \end{bmatrix} = \begin{bmatrix} ae + cf & ag + ch \\ be + df & bg + dh \end{bmatrix}$$

m=number of qubits

2^m

$$\begin{bmatrix} a & c \\ b & d \end{bmatrix} \otimes \begin{bmatrix} e & g \\ f & h \end{bmatrix} = \begin{bmatrix} a \begin{bmatrix} e & g \\ f & h \end{bmatrix} & c \begin{bmatrix} e & g \\ f & h \end{bmatrix} \\ b \begin{bmatrix} e & g \\ f & h \end{bmatrix} & d \begin{bmatrix} e & g \\ f & h \end{bmatrix} \end{bmatrix} = \begin{bmatrix} ae & ag & ce & cg \\ af & ah & cf & ch \\ be & bg & de & dg \\ bf & bh & df & dh \end{bmatrix} 2^m$$

↑ ↑
Transition Matrices
for two 1-qubit
operations

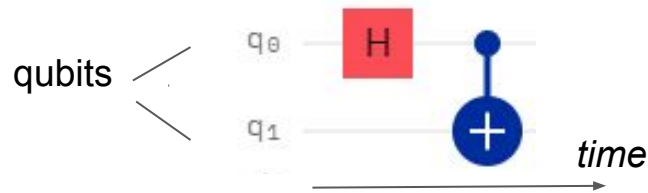
**tensor
product**

↑
Transition Matrix for
one 2-qubit operation

C-NOT is
not a
tensor
product!



$$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & 1 & 0 \end{bmatrix}$$



Hadamard

$q_0(t)$ $q_0(t+1)$

$$\begin{bmatrix} 1/\sqrt{2} & 1/\sqrt{2} \\ 1/\sqrt{2} & -1/\sqrt{2} \end{bmatrix} \begin{bmatrix} 1 \\ 0 \end{bmatrix} = \begin{bmatrix} 1/\sqrt{2} \\ 1/\sqrt{2} \end{bmatrix}$$

A quantum computing program

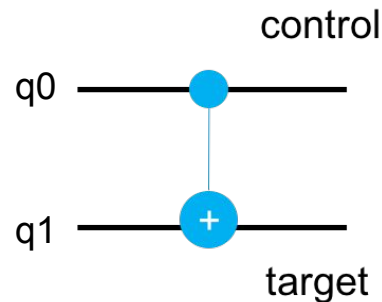
$$\frac{1}{\sqrt{2}} (|0\rangle + |1\rangle) \otimes |0\rangle = \frac{1}{\sqrt{2}} |q_0 q_1\rangle = \frac{1}{\sqrt{2}} |00\rangle + \frac{1}{\sqrt{2}} |10\rangle$$

Combine with second qubit

C-NOT

$$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & 1 & 0 \end{bmatrix} \begin{bmatrix} 1/\sqrt{2} \\ 0 \\ 1/\sqrt{2} \\ 0 \end{bmatrix} = \begin{bmatrix} 1/\sqrt{2} \\ 0 \\ 0 \\ 1/\sqrt{2} \end{bmatrix}$$

$|00\rangle$
 $|01\rangle$
 $|10\rangle$
 $|11\rangle$



Conditional NOT

Job run settings

Backend: 5q-ibmq_athens

Provider: ibm-q/open/main

Shots (max 8192)

Circuits / H CNOT Saved

</> Code

Docs

Jobs



Code editor

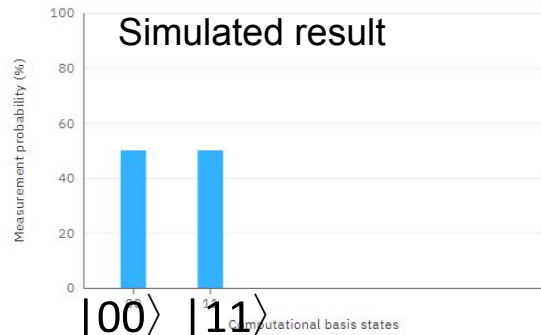
Open in Quantum Lab

QASM

```
1 OPENQASM 2.0;
2 include "qelib1.inc";
3
4 qreg q[2];
5 creg c[2];
6
7 h q[0];
8 cx q[0],q[1];
9 measure q[0] -> c[0];
10 measure q[1] -> c[1];
```

Measurement Probabilities

Simulated result

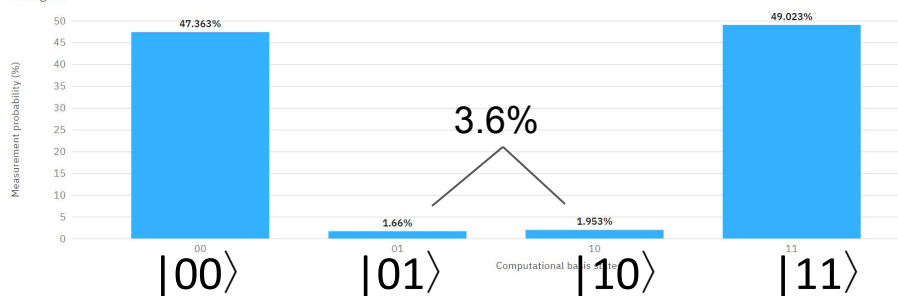
Backend
ibmq_athensRun mode
fairshareShots
1024Status:
COMPLETEDTime taken
4m 31.1sLast Update
Nov 19, 2020 10:51 AM

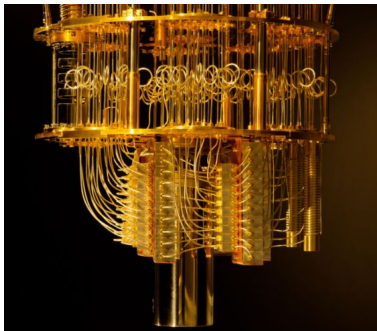
1024

Result

Measured result

Histogram

**A practical test**



take home message (once again)

- **measure it!**

here: get access to a quantum computer

- **build expectations!**

have an idea of what you expect as outcome ...

and if there is something unexpected explore it!

here: future will tell ...

Acknowledgements

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**Thank you for your attention.
Questions welcome.**