## Paradiseo: MoeoLesson2

# Paradiseo-MOEO Lesson 2 : Implement NSGA-II for the SCH1 problem

#### Introduction

We describe here a complete methodology to design and implement an easy-to-use NSGA-II algorithm using ParadisEO-MOEO applied to the SCH1

academic problem (Schaffer's bi-objective poblem 1). All the sources and programs required for this lesson are provided in the ParadisEO-MOEO package (located in the *paradiseo-moeo/tutorial/Lesson2* directory). The main file explained here is *Sch1.cpp*.

### **Fitness functions**

The goal is to minimize the following functions:

- $f1(x)=x^2$
- $f2(x)=(x-2)^2$

We have one decision variable x, and two objective functions f1 and f2 that we want to minimize. We define a *Sch1ObjectiveVectorTraits* class:

```
class Sch1ObjectiveVectorTraits : public moeoObjectiveVectorTraits {
  public:static bool minimizing (int i) { return true; }
  static unsigned nObjectives () { return 2; }
}.
```

Note that Sch1ObjectiveVectorTraits must extend the ParadisEO-MOEO class moeoObjectiveVectorTraits.

The next step consists in defining the type of our individuals. Assuming our individuals are coded using a real-coded genotype, we need an *moeoRealObjectiveVector* templatized within *Sch1ObjectiveVectorTraits*:

```
typedef moeoRealObjectiveVector < Sch1ObjectiveVectorTraits > Sch1ObjectiveVector;
class Sch1 : public moeoRealVector < Sch1ObjectiveVector, double, double >
{
   public:
   Sch1() : moeoRealVector < Sch1ObjectiveVector, double, double > (1) {}
}:
```

Then, we give the content of the fitness functions thanks to an moeoEvalFunc class based on Sch1:

```
class Sch1Eval : public moeoEvalFunc < Sch1 >
{
  public:
  void operator () (Sch1 & _sch1)
  {
    if (_sch1.invalidObjectiveVector())
    {
        Sch1ObjectiveVector objVec;
        double x = _sch1[0];
        objVec[0] = x * x;
        objVec[1] = (x - 2.0) * (x - 2.0);
        _sch1.objectiveVector(objVec);
```

} } };

## **Crossover and mutation operators**

Many variation operators are available within ParadisEO-EO for this kind of representation. We choose here a *eoQuadCloneOp* as the crossover operator and a *eoUniformMutation* as the mutation operator.

```
double M_EPSILON = 0.01;
eoQuadCloneOp < Sch1 > xover;
eoUniformMutation < Sch1 > mutation (M EPSILON);
```

## **Initial Population**

The *eoPop* class represents a population of individuals. Many initializers are available within ParadisEO-EO, we use a *eoRealInitBounded*, that generates individuals real genotype at random into a specified range.

```
unsigned POP_SIZE = 20; // population size
eoRealVectorBounds bounds (1, 0.0, 2.0); // range [0, 2]
eoRealInitBounded < Sch1 > init (bounds); // initializer
eoPop < Sch1 > pop (POP_SIZE, init);
```

#### The NSGA-II declaration

The last parameters we need to provide are:

```
unsigned MAX_GEN = 100; // number of generations before stopping double P_CROSS = 0.25; // crossover probability double P_MUT = 0.35; // mutation probability Sch1Eval eval; // global evaluation object // definition of NSGA-II for our problem moeoNSGAII < Sch1 > nsgaII (MAX_GEN, eval, xover, P_CROSS, mutation, P_MUT);
```

#### Run it

Now we are ready to apply NSGA-II on the initial population: nsgaII (pop);

## **Extract Pareto front from the final population**

At the end, the population "pop" contains both the Pareto front found by NSGA-II and maybe some individuals from next fronts too. So we have to extract the Pareto front from it. This is done by using a *moeoArchive* object like this:

```
moeoArchive < Sch1 > arch; arch.update (pop);
```

## **Conclusion**

For any question or further information, please contact paradiseo-help@lists.gforge.inria.fr.