

## **Prime Number Lover**

Mr. PNL (Prime Number Lover) loves prime numbers so much, and he does not love composite numbers. He defines that, "A sequence of integers is called a beautiful sequence if and only if the number of prime numbers in it is greater than or equal to the number of composite numbers in it." For example, (1,3,2,6) is a beautiful sequence, and (4,2,6,9) is not a beautiful sequence.

You are given a sequence **A** of length n. Help Mr. PNL to count the number of pairs (l, r),  $(1 \le l \le r \le n)$  such that the contiguous subsequence  $(\mathbf{A}_l, \mathbf{A}_{l+1}, ..., \mathbf{A}_r)$  of **A** is a beautiful sequence.

## Input

The first line is an integer n.  $(1 \le n \le 10^5)$ 

The next line contains n integers representing the number  $A_i$  of sequence A, where  $1 \le A_i \le 10^6$ 

## **Output**

The number of beautiful subsequence.

## **Examples**

Standard Input	Standard Output
3	3
124	
4	9
1235	