



Tree

課堂補充

by zolution
Credit by nkhg
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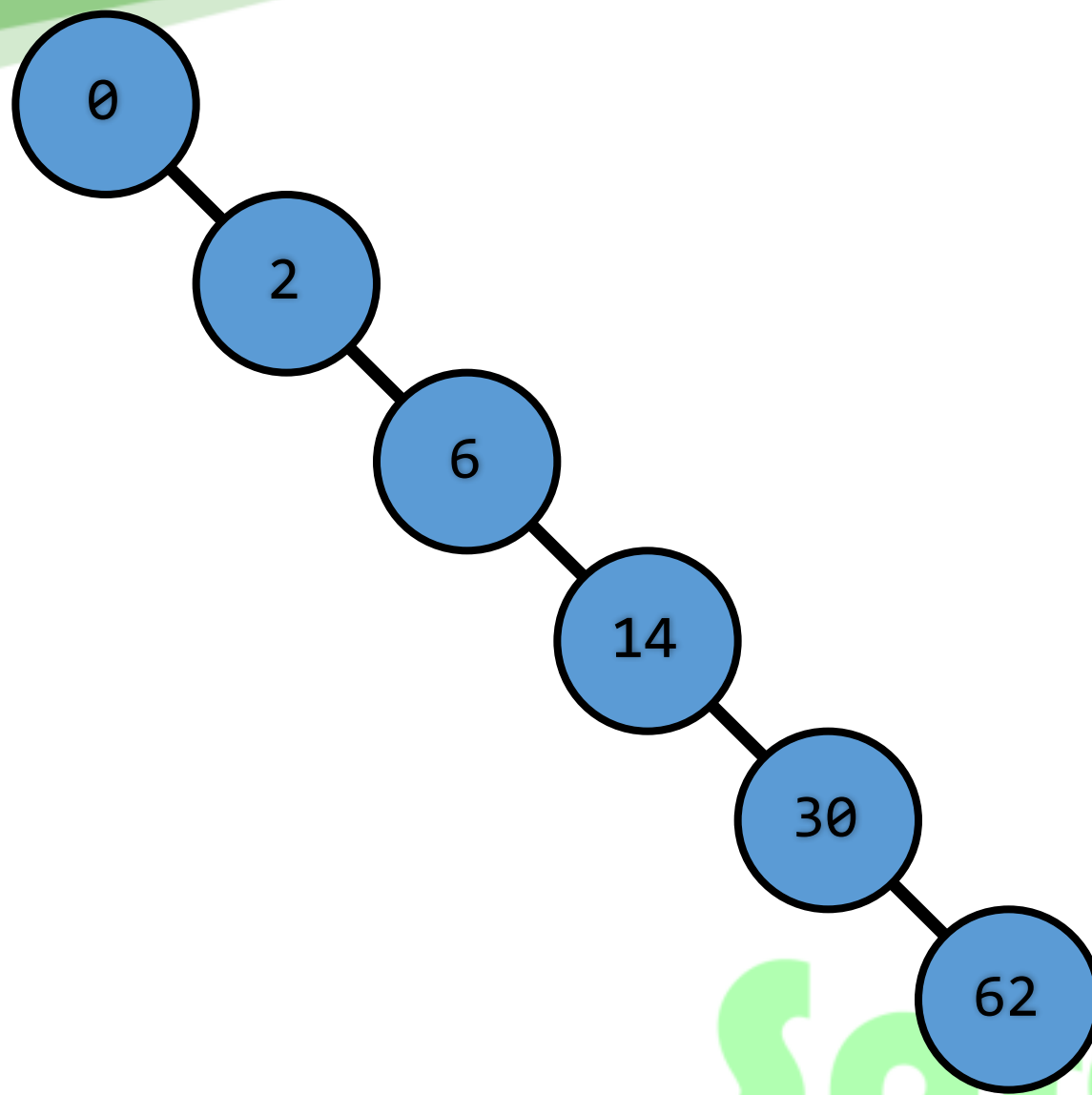
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課程影片

- 想一想，為什麼一般的binary tree不適合用陣列存呢？

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vector

```
vec[0]=1  
vec[1]=2  
vec[2]=3  
vec.back()=3  
vec[0]=1  
vec[1]=2  
0
```

```
1 #include <cstdio>  
2 #include <vector>  
3 int main()  
4 {  
5     std::vector<int> vec;  
6  
7     vec.push_back(1);  
8     vec.push_back(2);  
9     vec.push_back(3);  
10  
11     for(int i=0;i<vec.size();i++)  
12         printf("vec[%d]=%d\n",i,vec[i]);  
13  
14     printf("vec.back()=%d\n",vec.back());  
15  
16     vec.pop_back();  
17  
18     for(int i=0;i<vec.size();i++)  
19         printf("vec[%d]=%d\n",i,vec[i]);  
20  
21     vec.clear();  
22     printf("%d\n",vec.size());  
23     return 0;  
24 }
```



時間複雜度

- 剛剛用到的一切操作都是 $O(1)$
- 內部的實作方法將來手寫作業會介紹

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二元搜尋樹

Binary Search Tree

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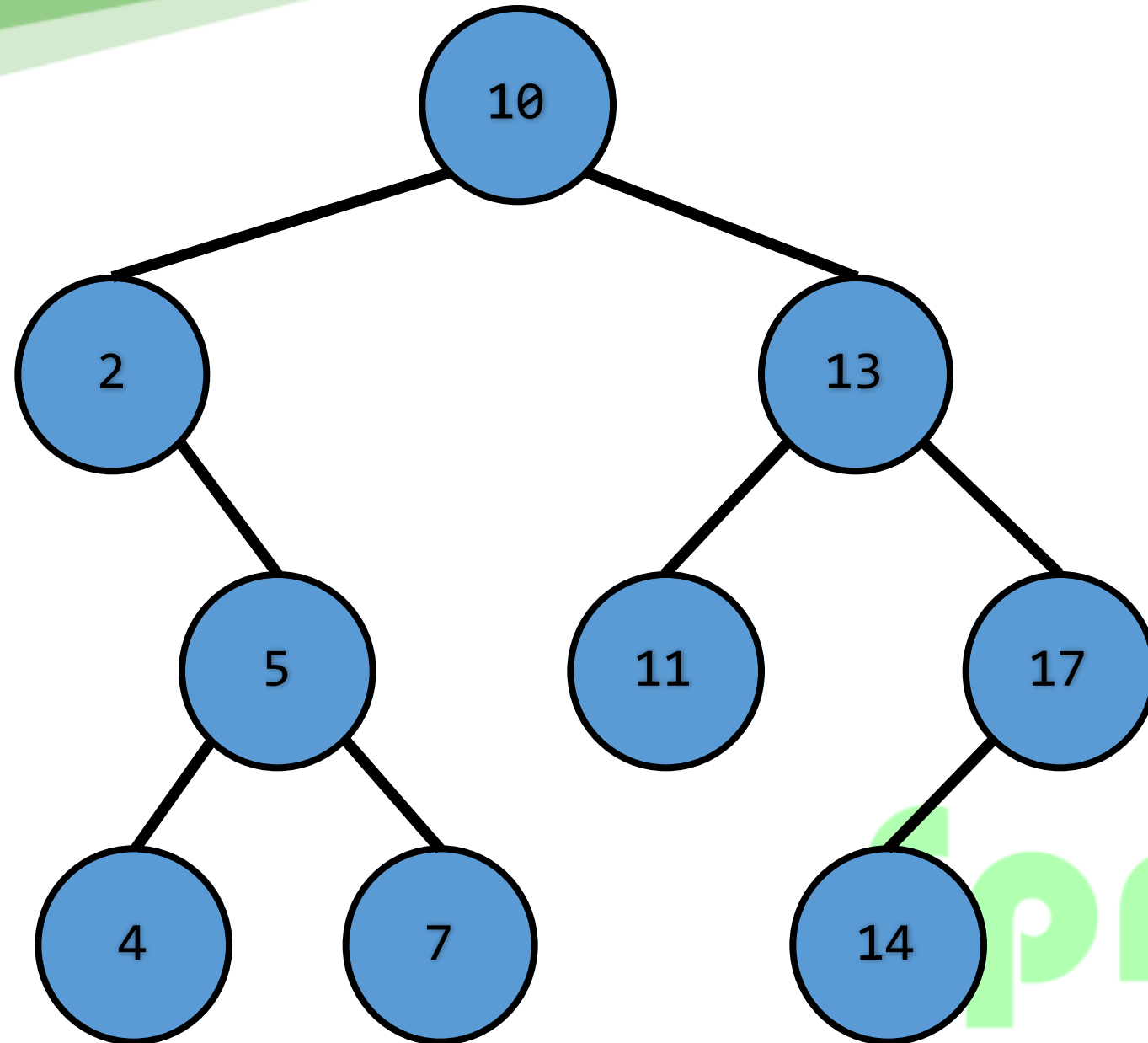
What is a binary search tree?

指一棵空樹或者具有下列性質的二元樹：

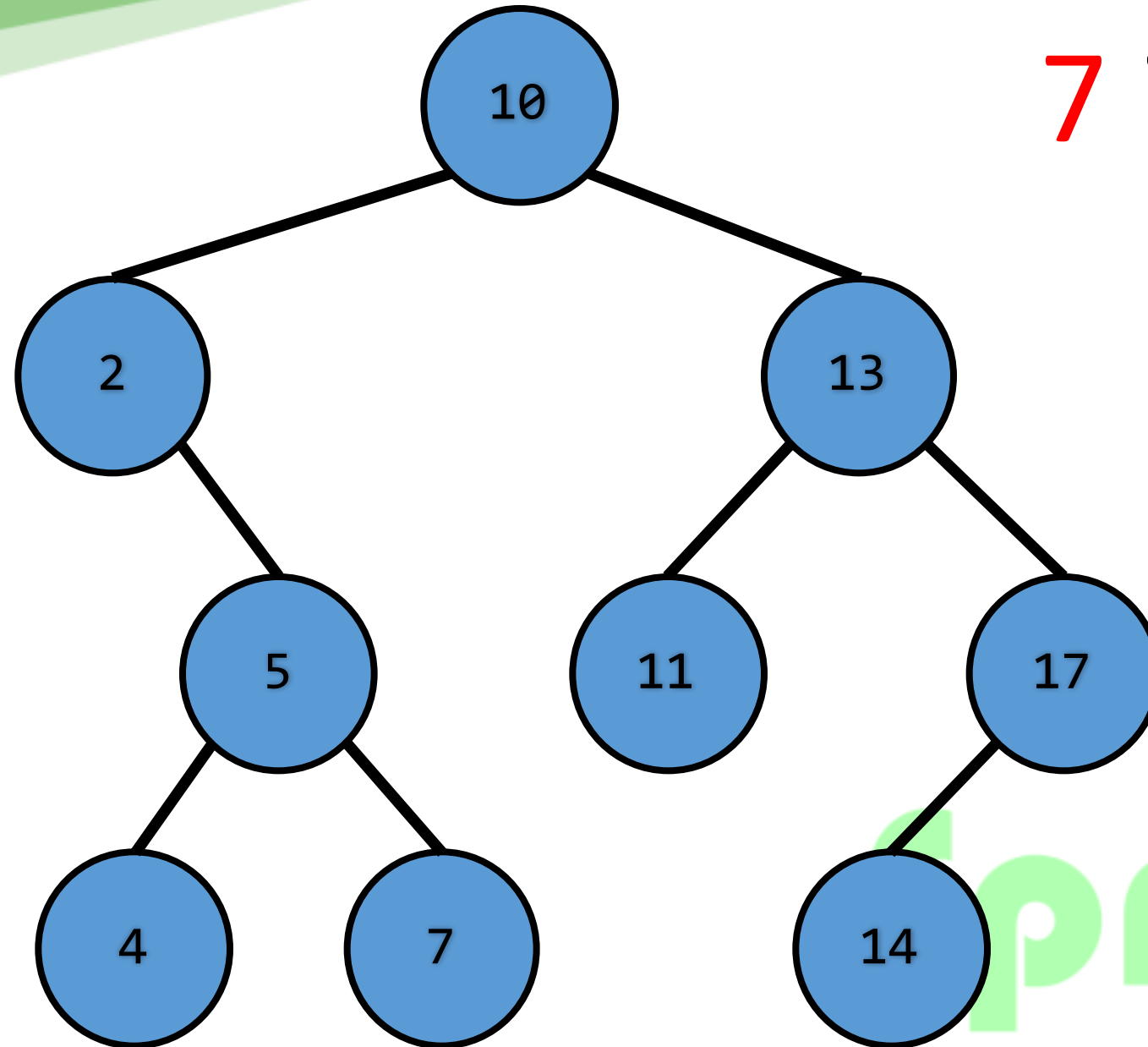
1. 若任意節點的左子樹不空，則左子樹上所有節點的值均小於它的根節點的值。
2. 任意節點的右子樹不空，則右子樹上所有節點的值均大於它的根節點的值。
3. 任意節點的左、右子樹也分別為二元搜尋樹。
4. 沒有鍵值相等的節點 (no duplicate nodes) 。

(from wikipedia)

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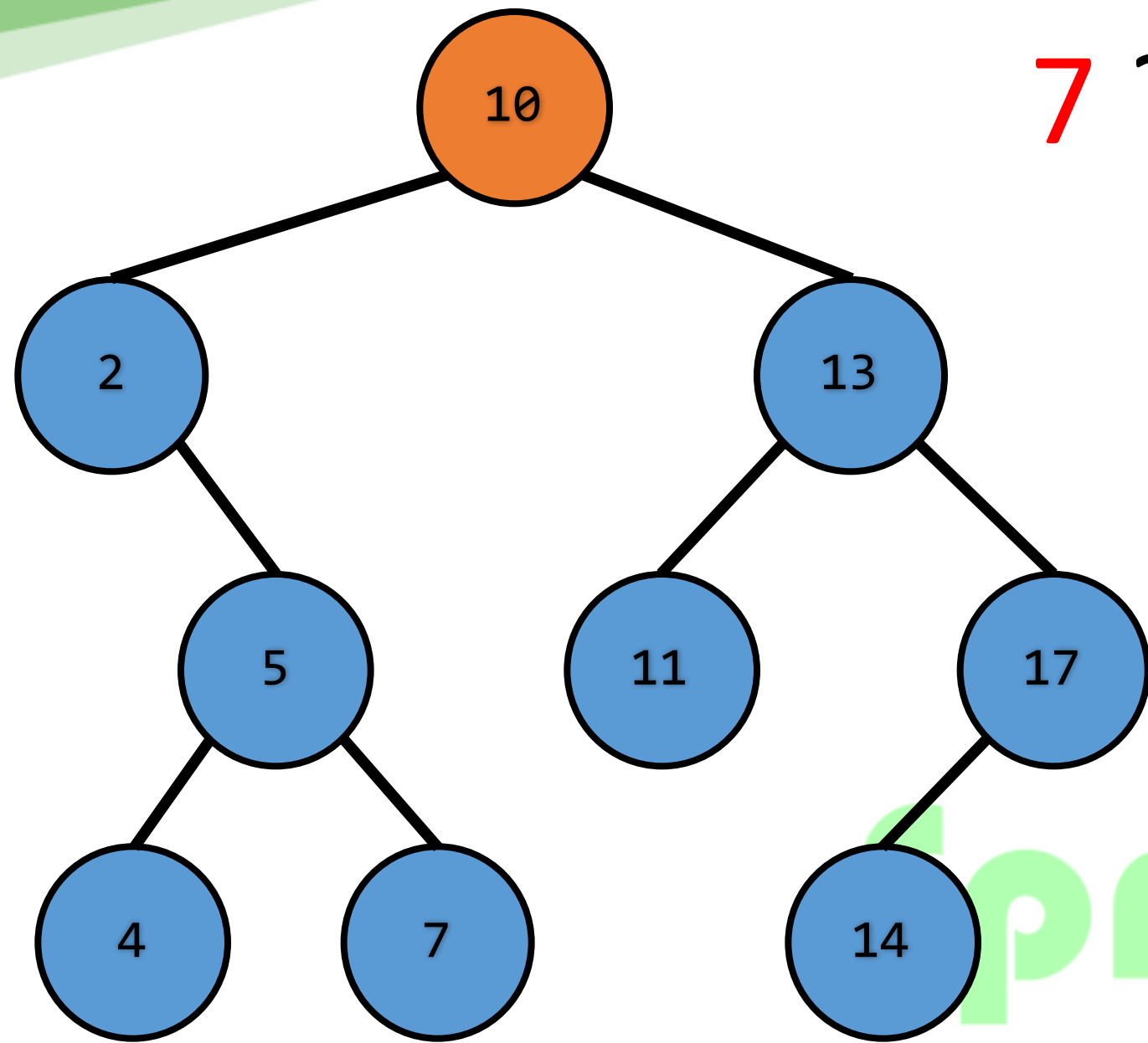


7 ?

prout



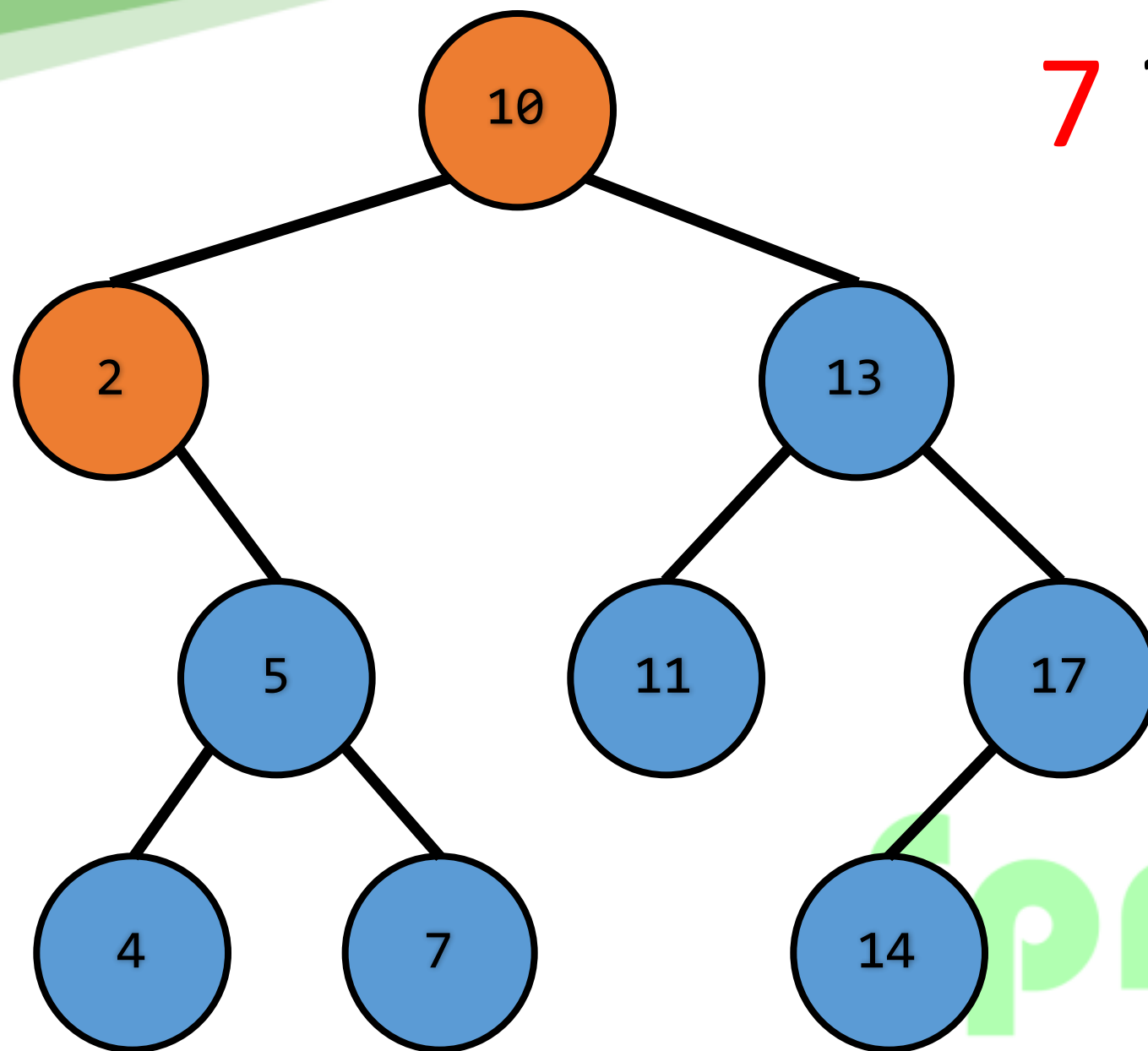
7 ?



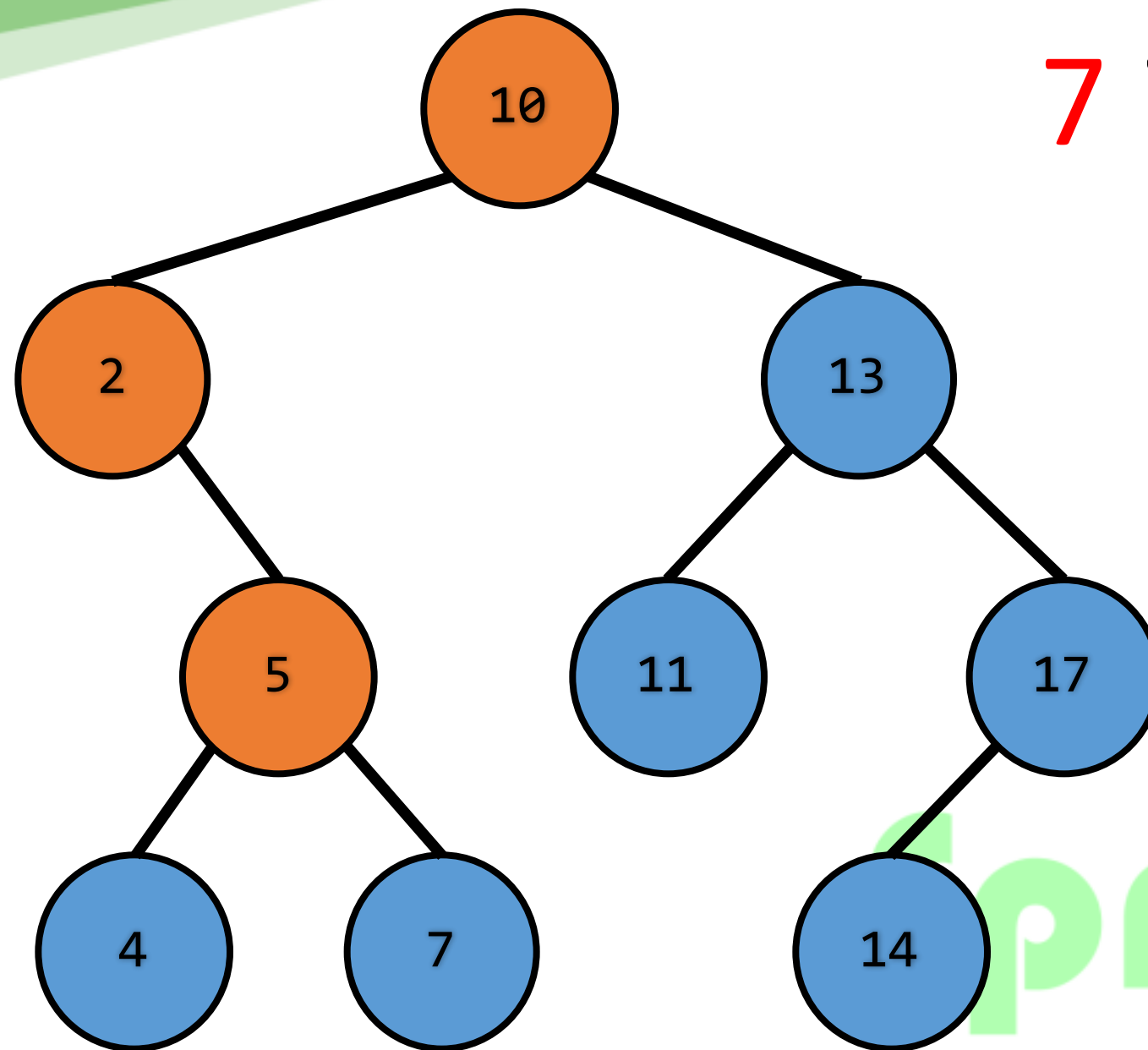
prout



7 ?

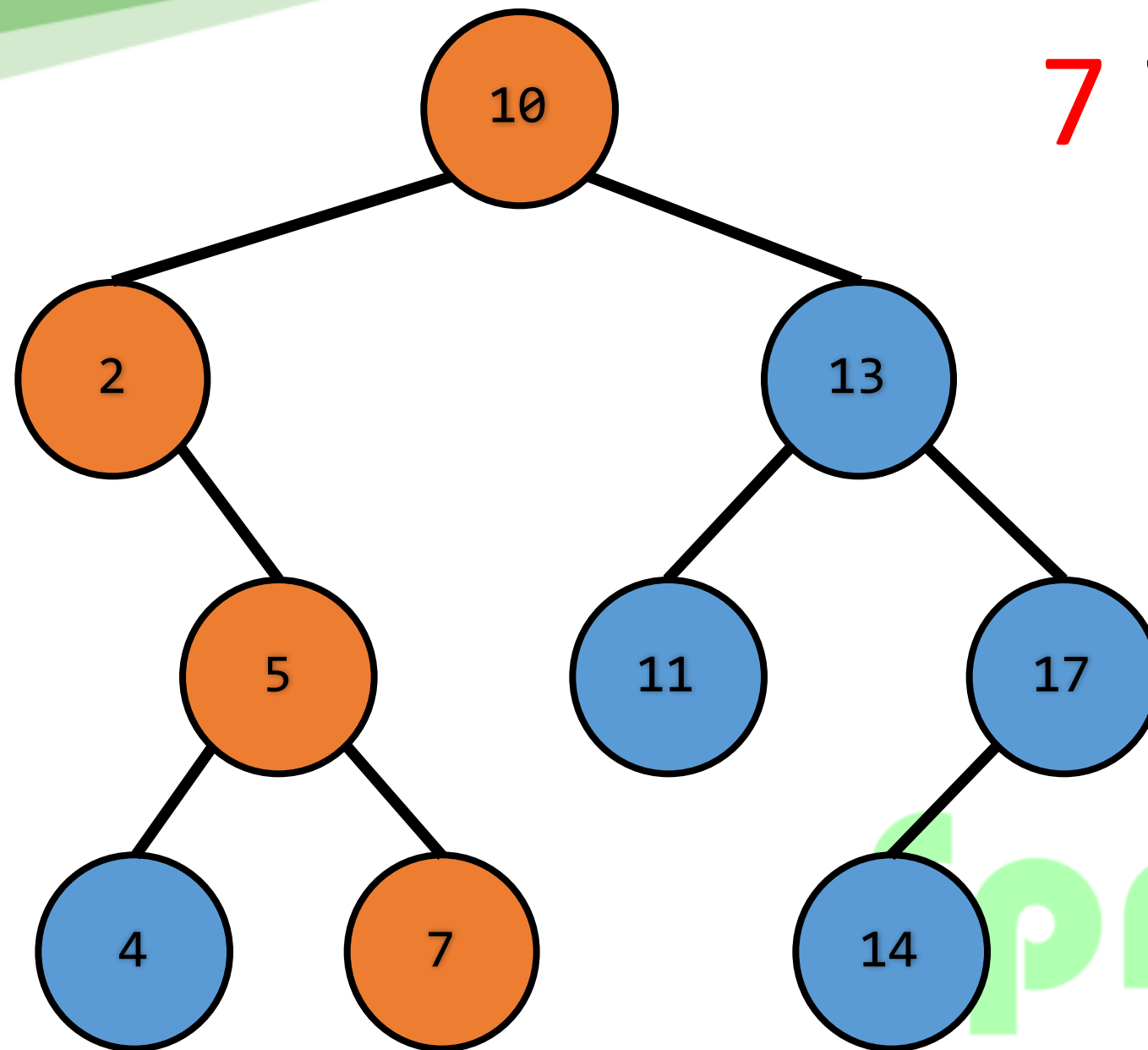


prout



7 ?

prout



7 ?

prout

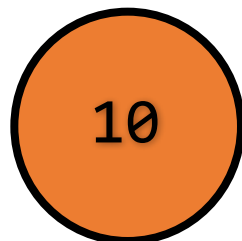


10,2,5,13,17,11,7,14,4

Sprout



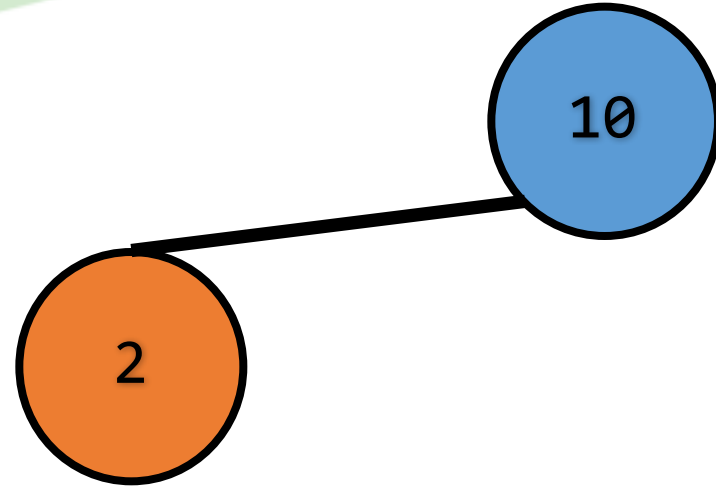
10,2,5,13,17,11,7,14,4



Sprout



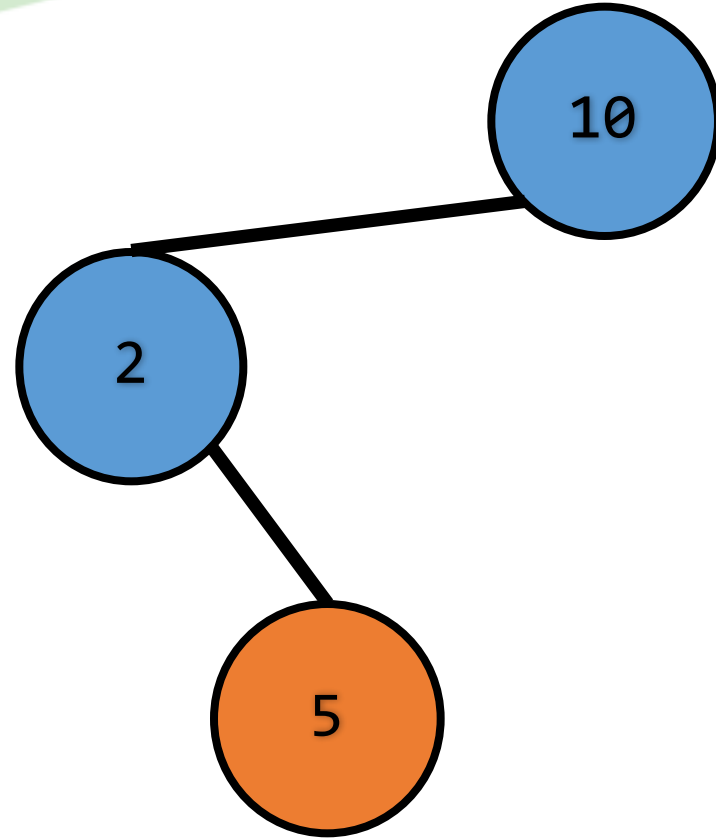
10, 2, 5, 13, 17, 11, 7, 14, 4



Sprout



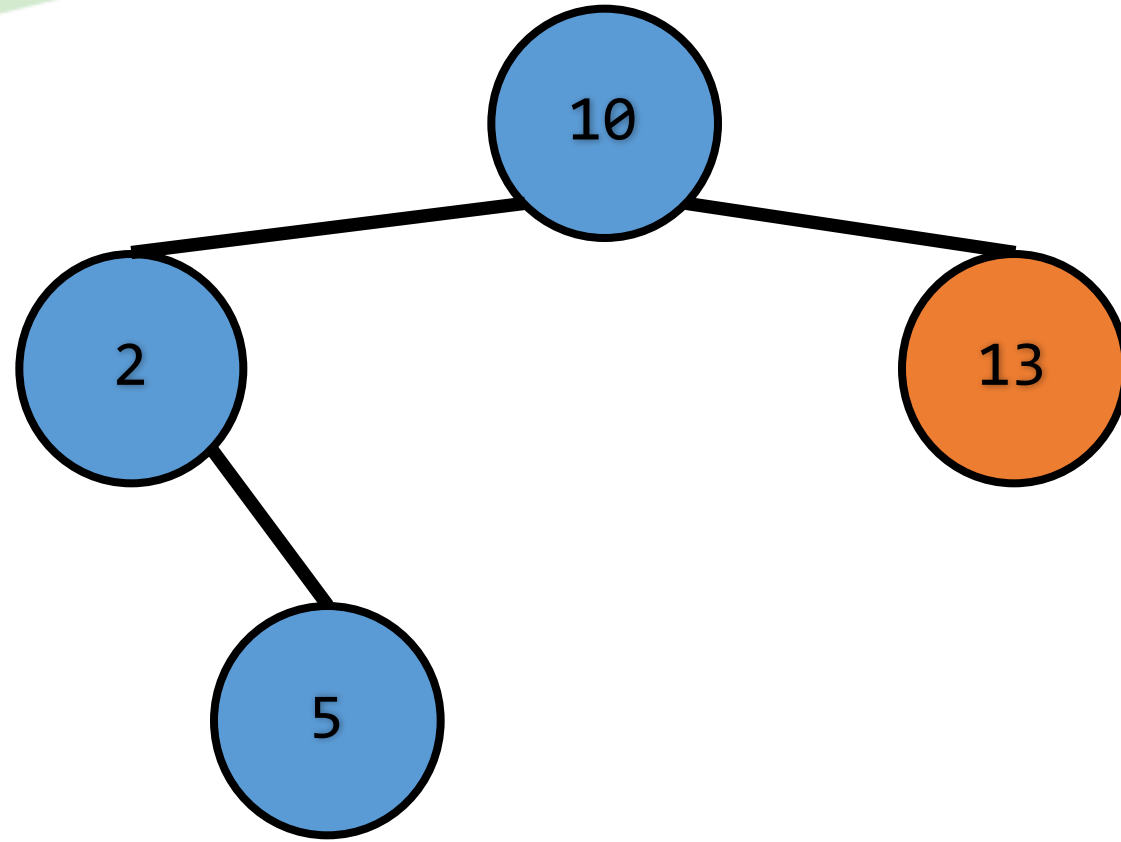
10,2,**5**,13,17,11,7,14,4



Sprout



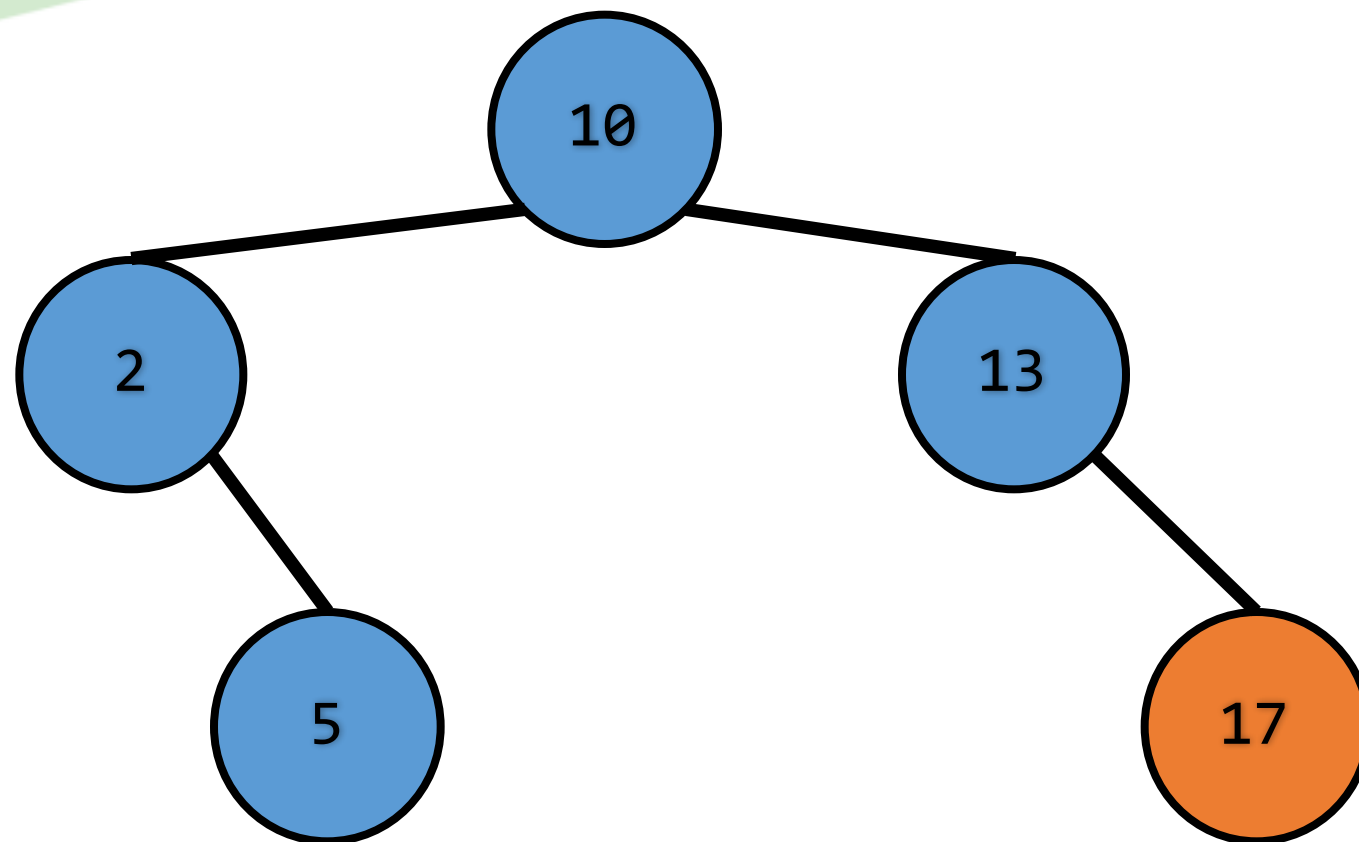
10,2,5,**13**,17,11,7,14,4



Sprout



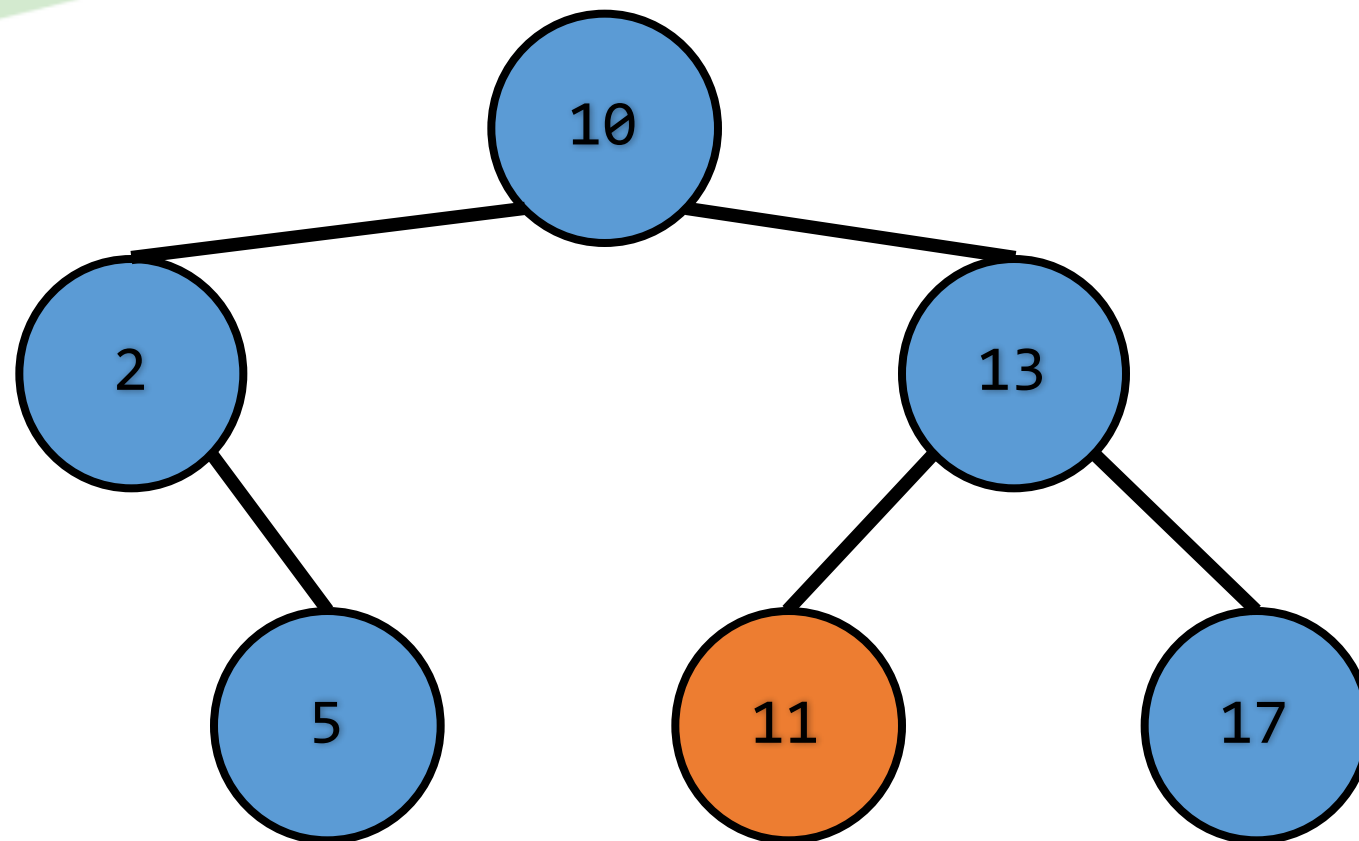
10,2,5,13,17,11,7,14,4



Sprout



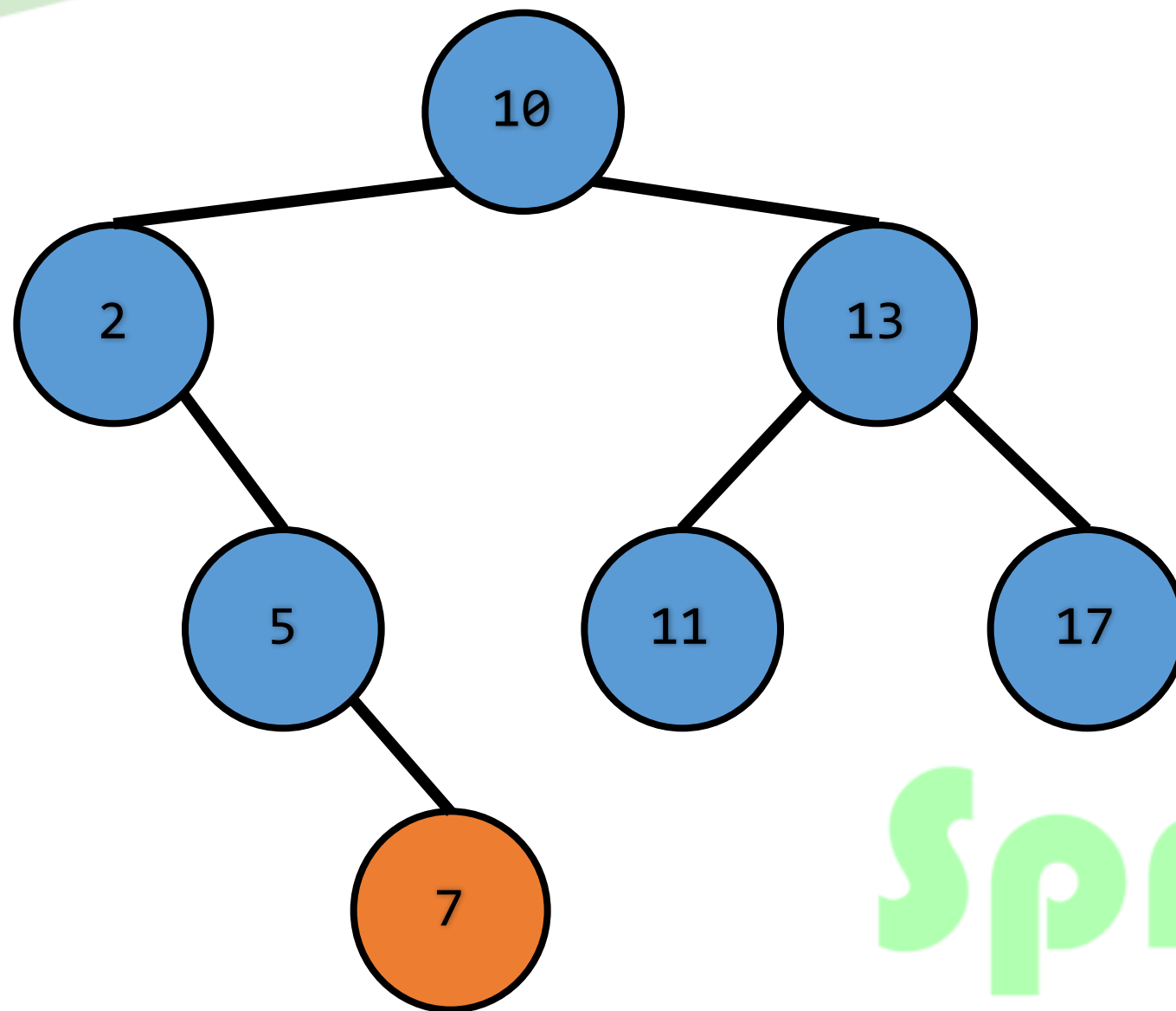
10,2,5,13,17,**11**,7,14,4



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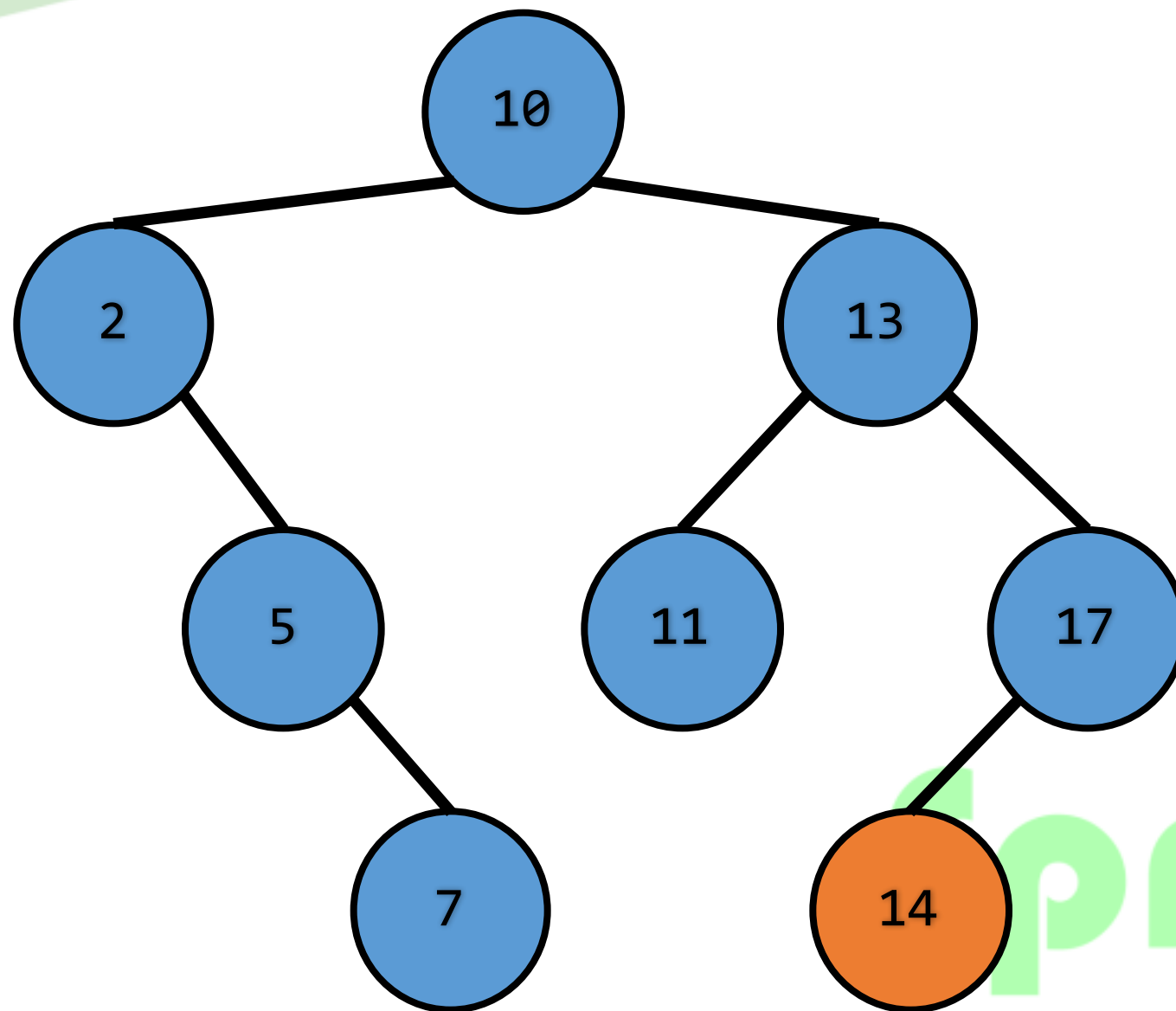
10,2,5,13,17,11,**7**,14,4



Sprout



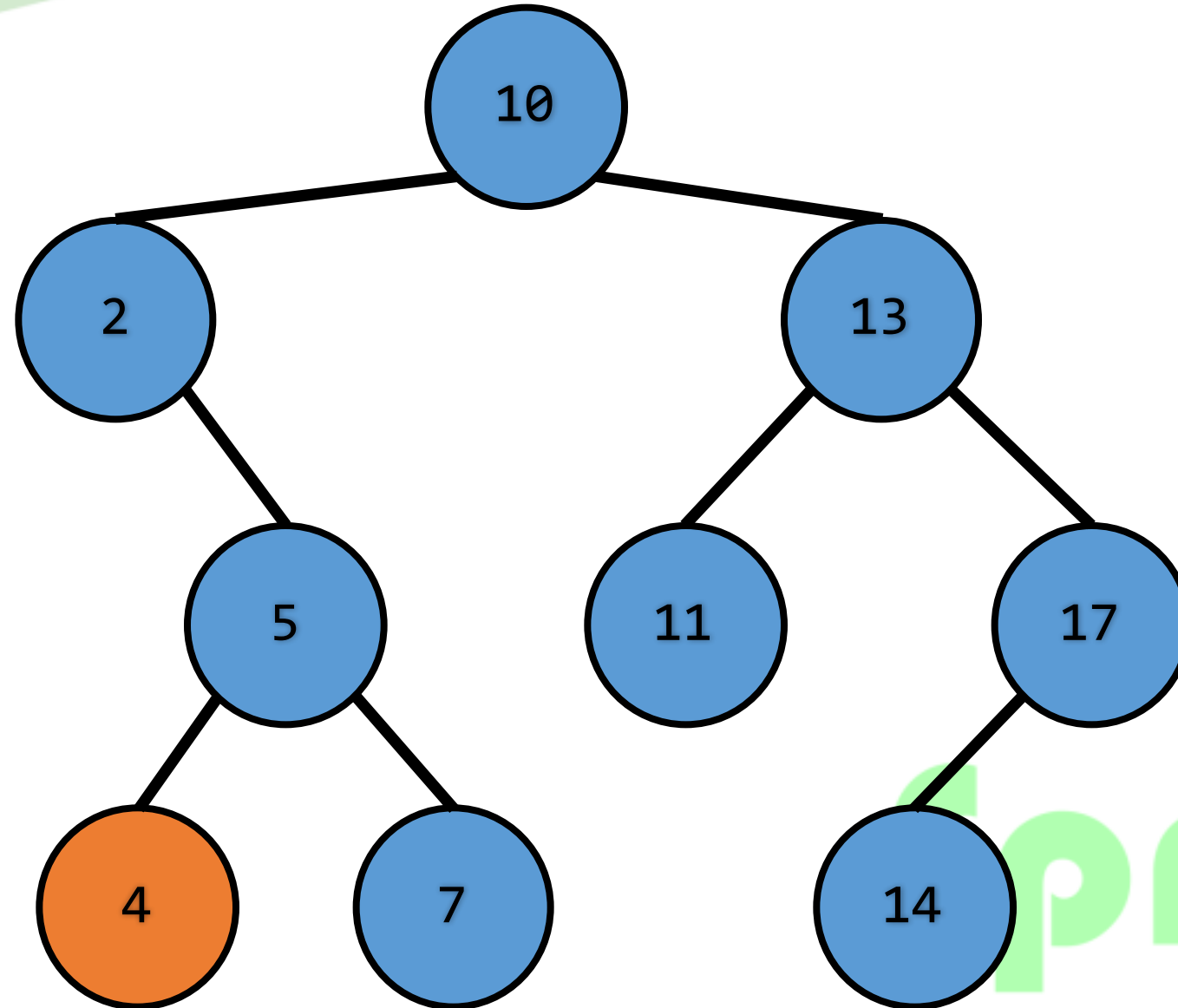
10,2,5,13,17,11,7,**14**,4



prout



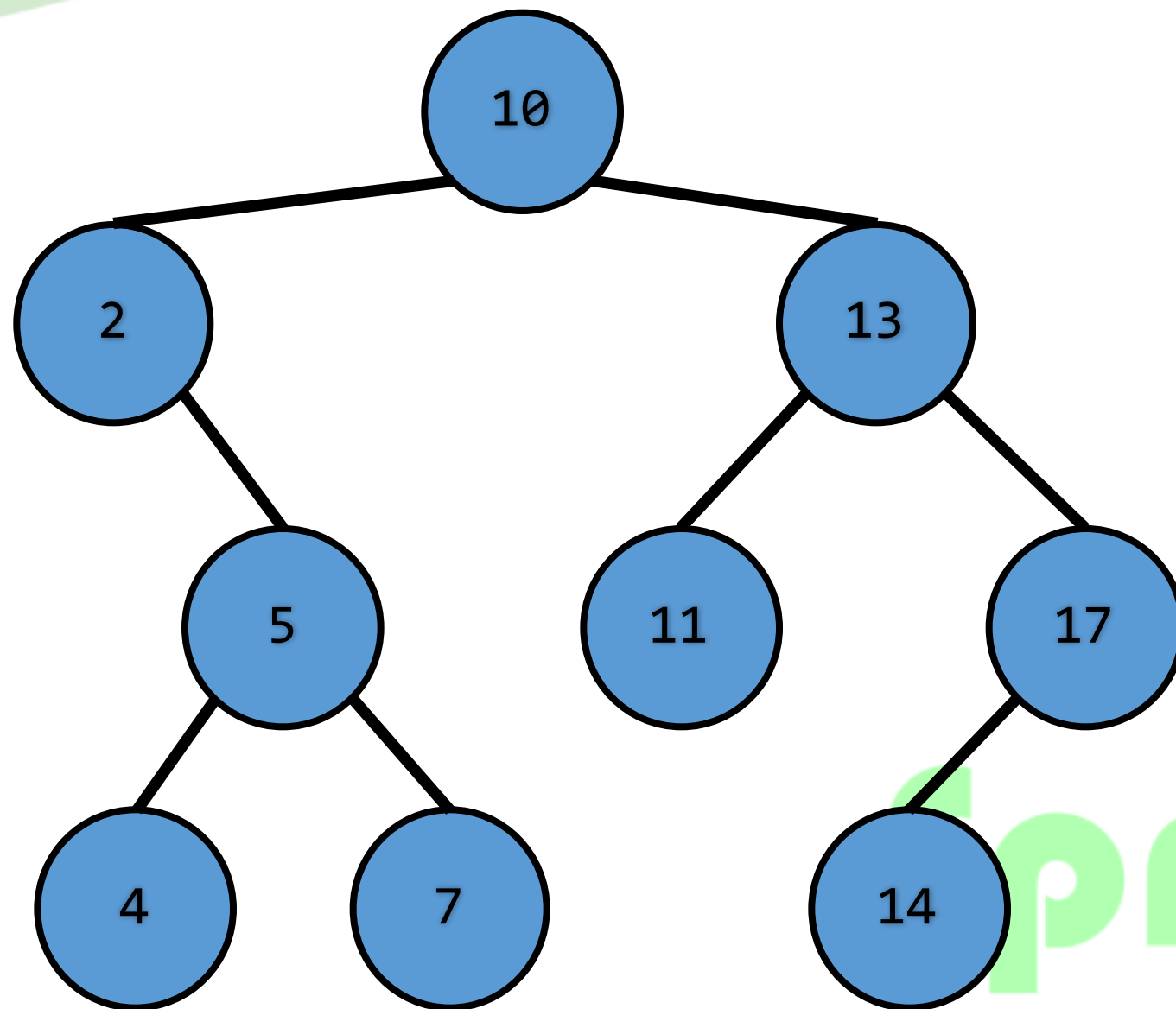
10,2,5,13,17,11,7,14,4



prout



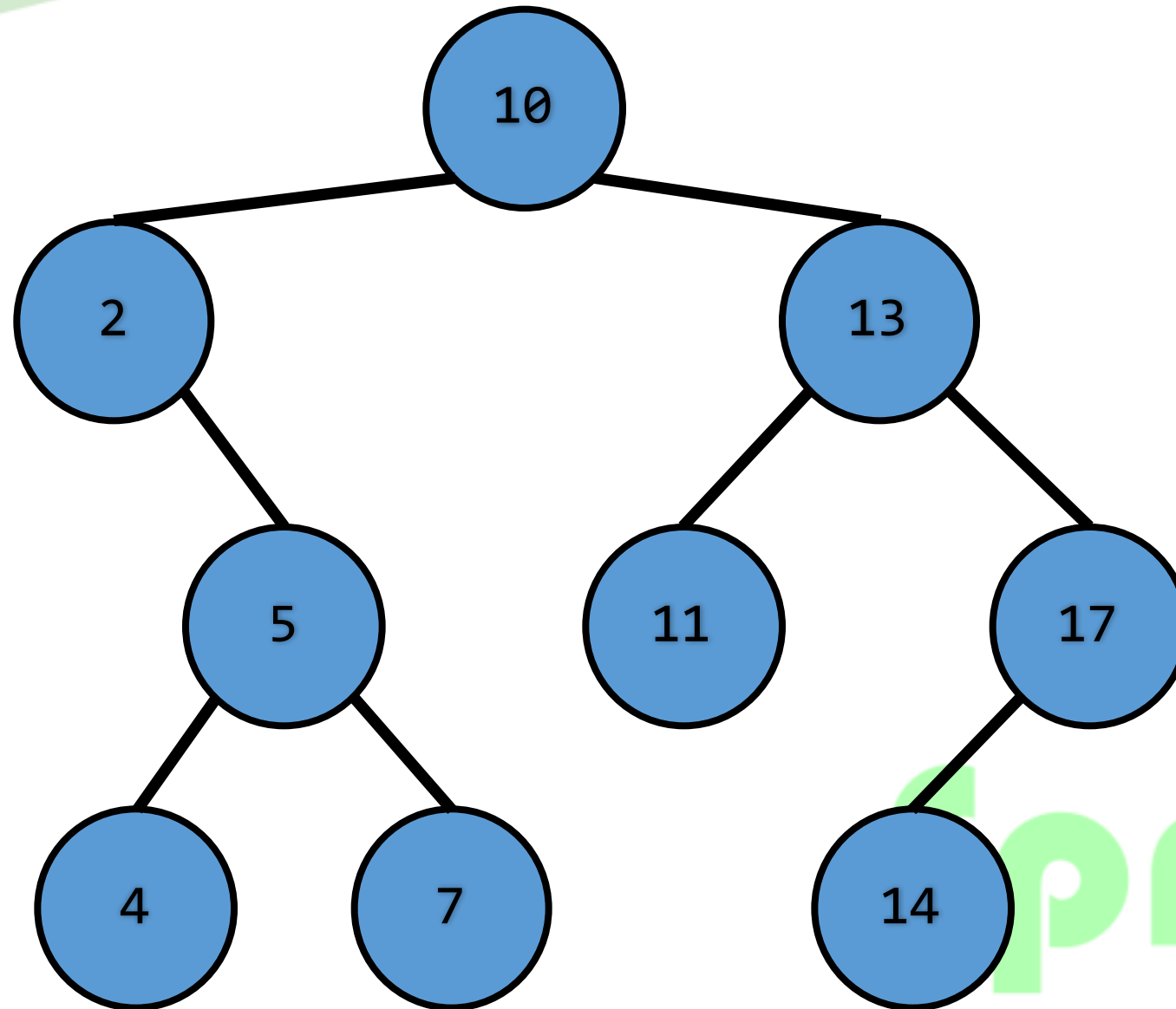
10,2,5,13,17,11,7,14,4



prout

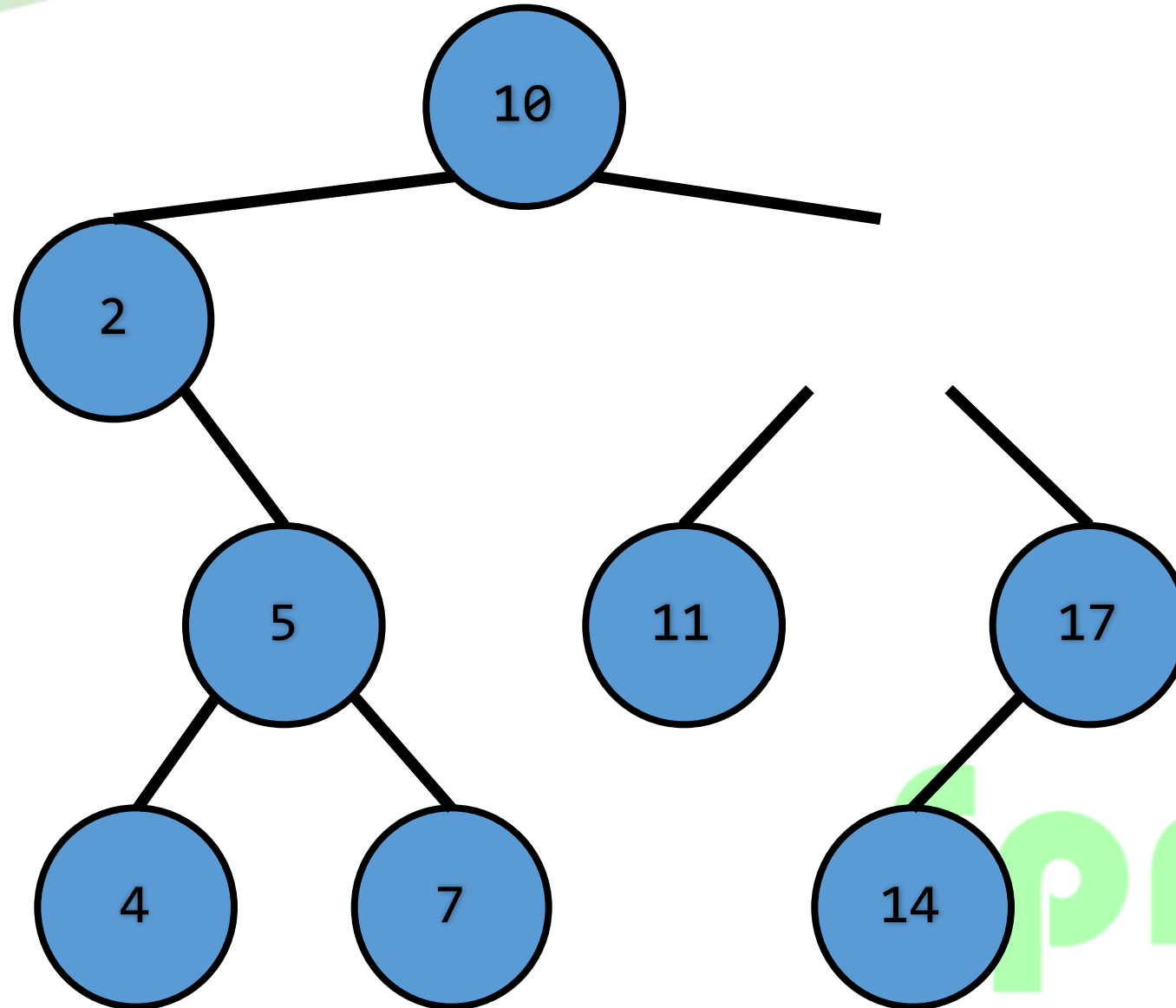


Delete 13



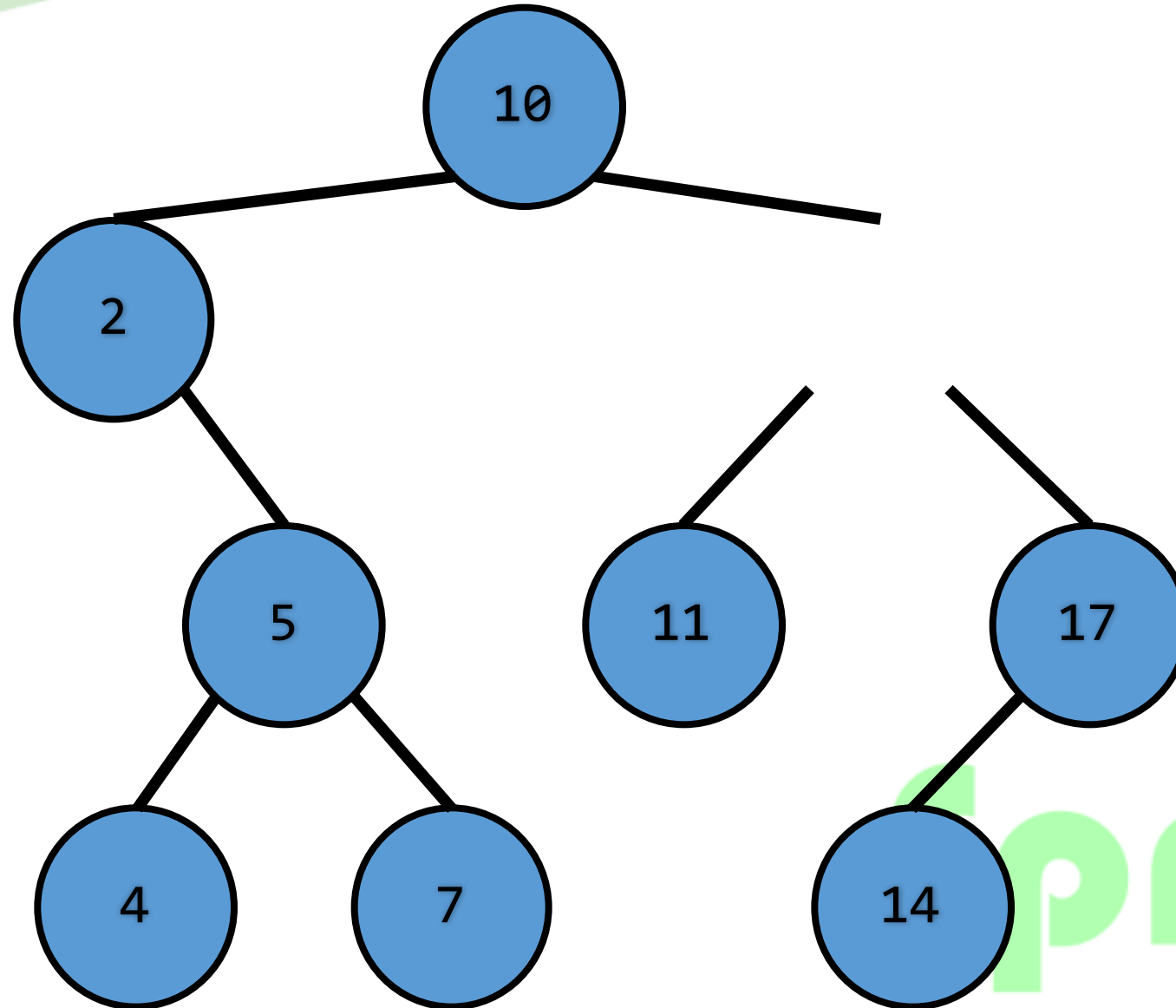


Delete 13



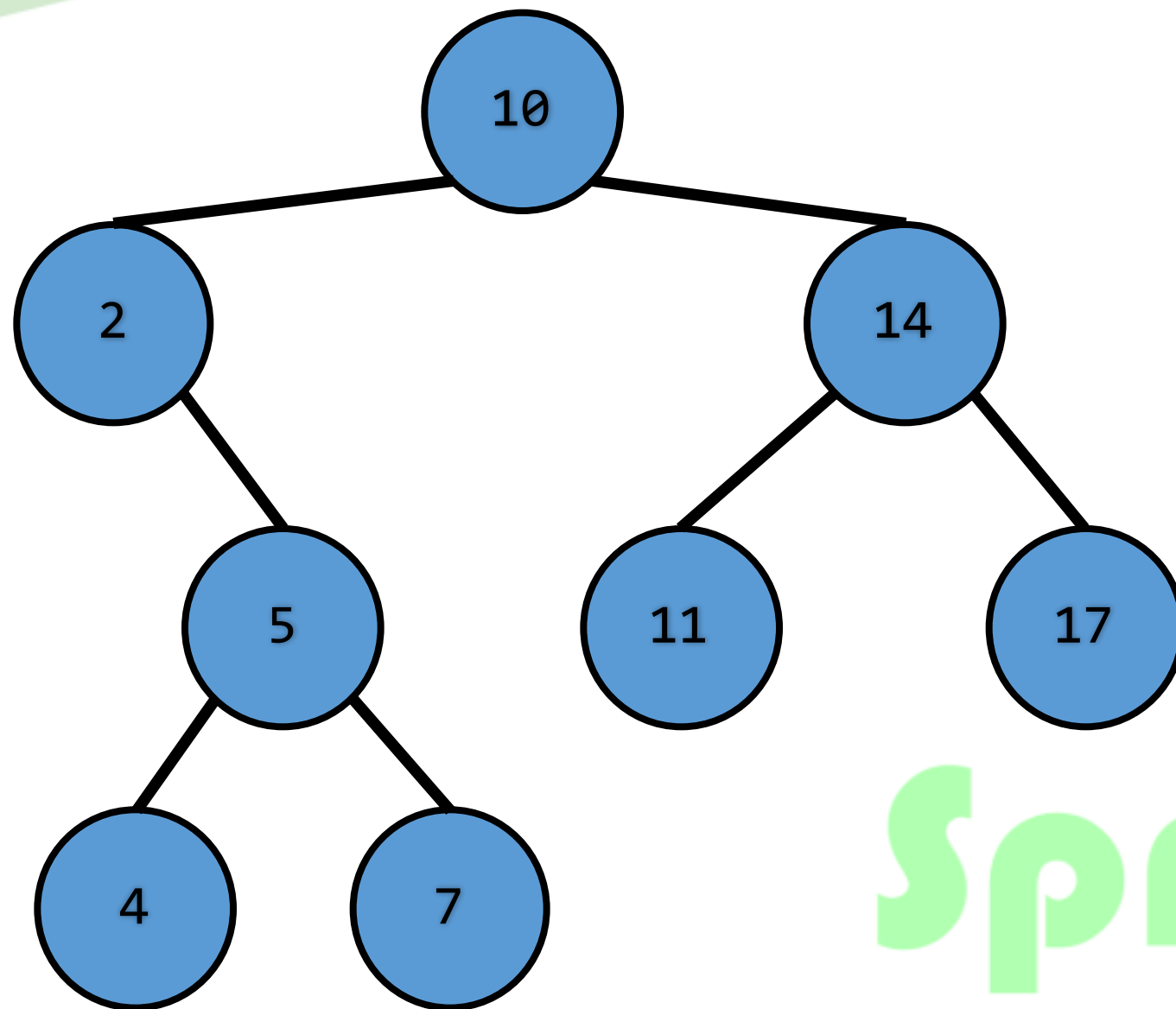


Delete 13





Delete 13



Sprout



時間複雜度?

- 新增節點
 - $O(h)$, h 是樹的深度
- 搜尋一個值
 - $O(h)$, h 是樹的深度
- 刪除一個值
 - $O(h)$, h 是樹的深度
- 二元樹有 n 個節點的時候 , 深度就是 $O(\log n)$
 - ?

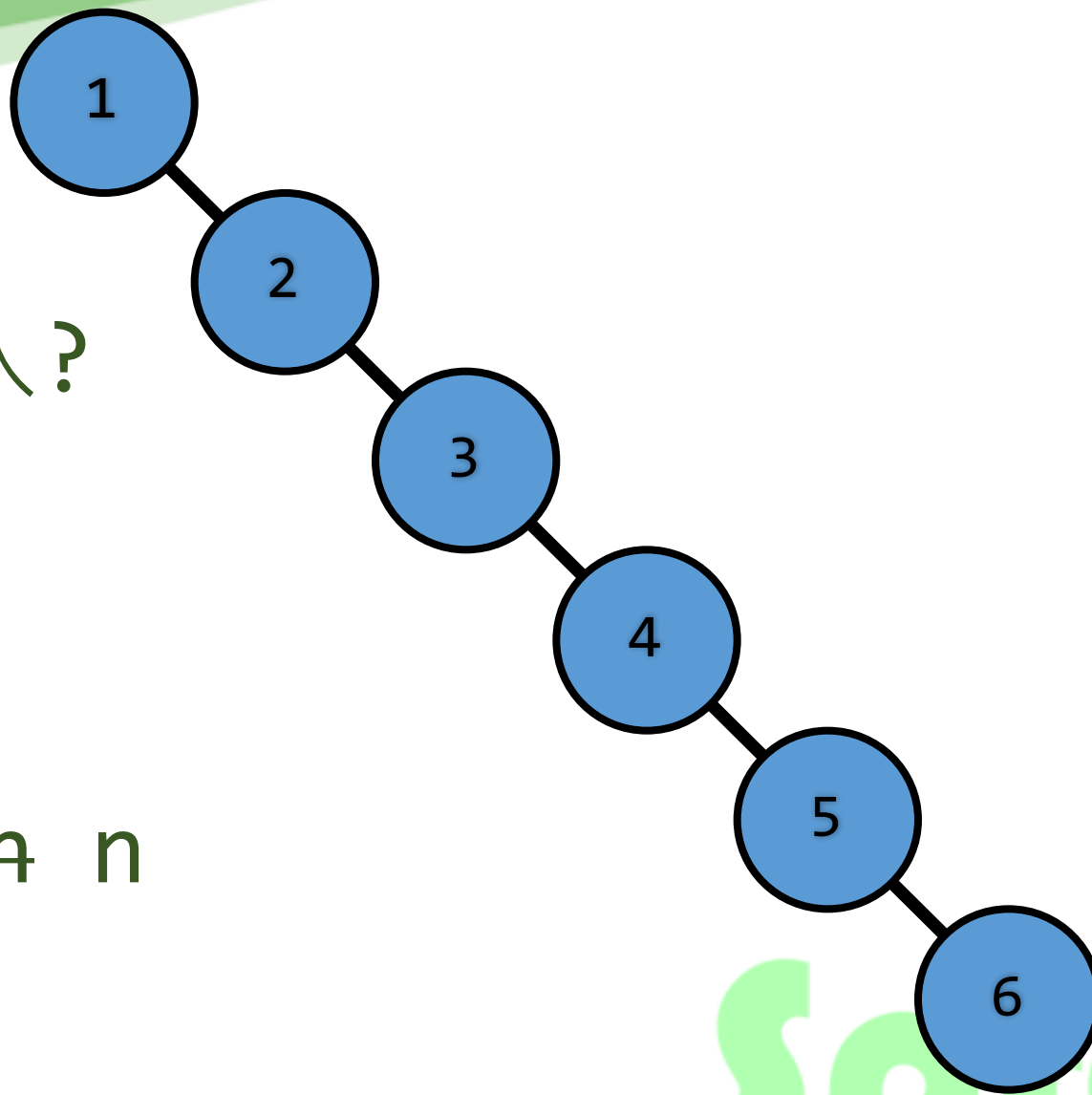
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時間複雜度?

- 新增節點
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- 搜尋一個值
 - $O(h)$, h 是樹的深度
- 刪除一個值
 - $O(h)$, h 是樹的深度
- ~~二元樹有 n 個節點的時候，深度就是 $O(\log n)$~~
 - ?

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用什麼順序插入？

1, 2, 3, 4, 5, 6

深度 $\rightarrow \log n$

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