



reaching and end destination with the least amount of moves given the information the sensors gather will exploring.

## Goals

1. Can go on reverse
2. Can reach goal destination
3. Can detect no solutions
4. Make a working interface

## Specifications

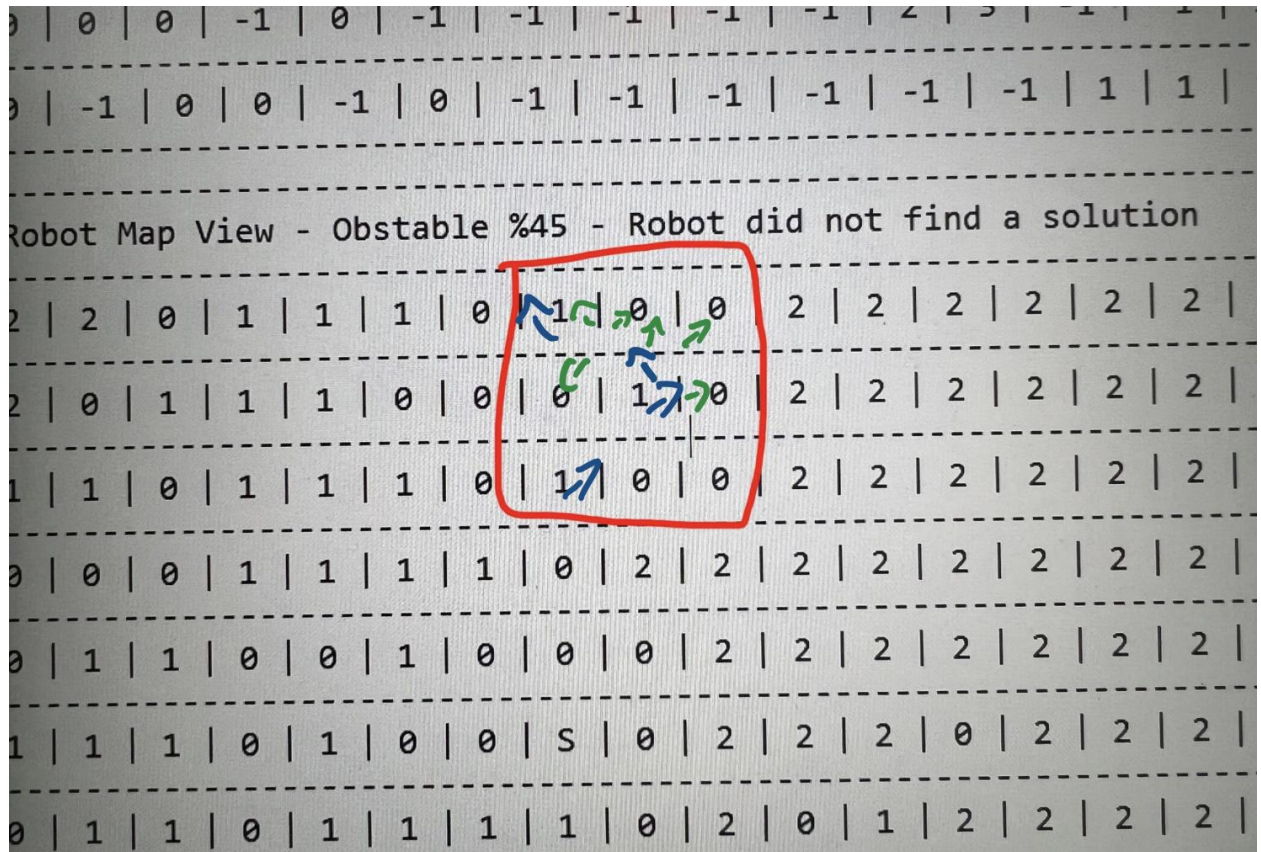
Robot can only go in 8 directions, and move one cell at a time and detect new cells with its sensors and store the data in its memory, rotates out of dead ends or reverse, is coded only using rule-based system made out of if than rules.

## Milestones That were not reached

- I. Robot was not made to go in reverse
- II. Case where it gets stuck

In this case we have an infinite loop where the robot cannot get out of the dead end, this robot was made to always default to left turns and not to rotate in place when

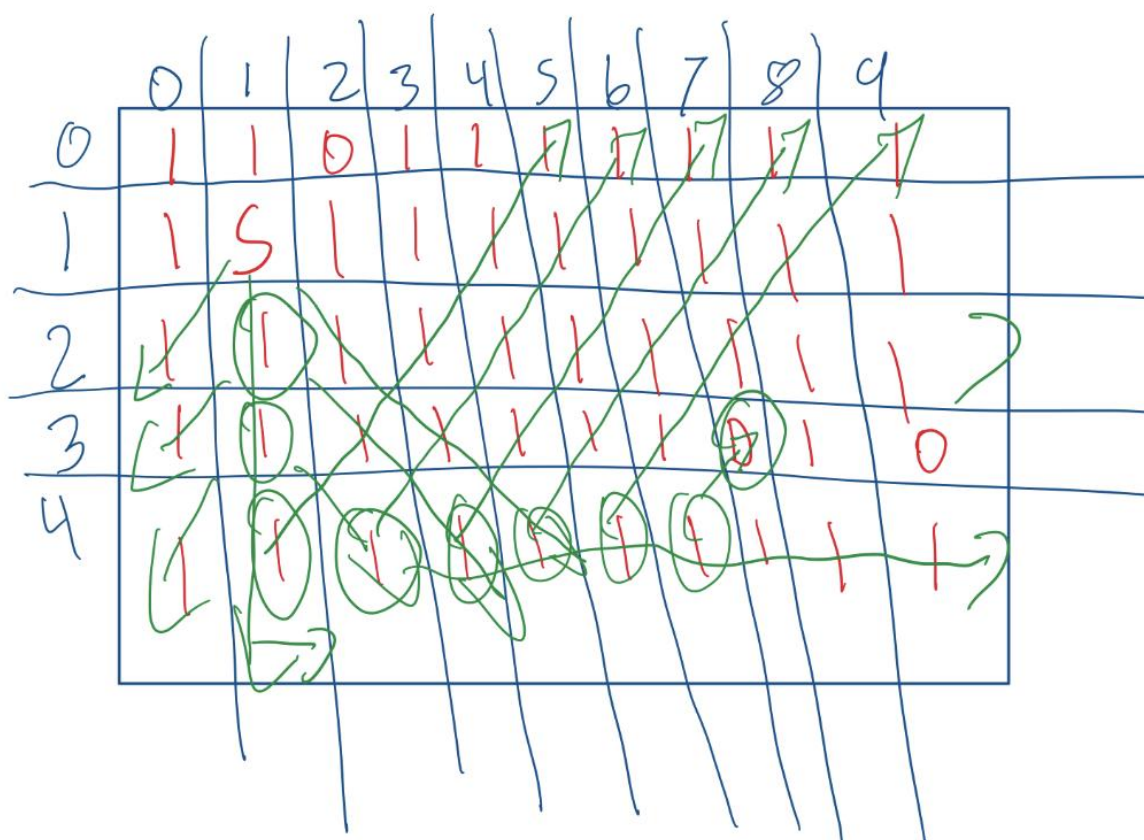
there's a legal move, hence why it fails here.



### III. Here are other pictures of my logic as well as test results

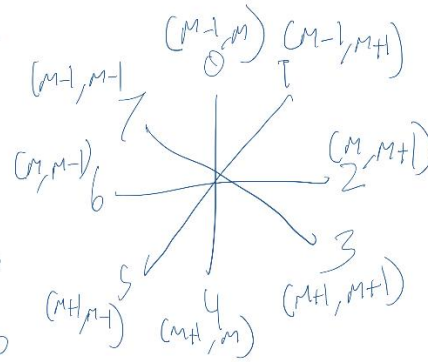
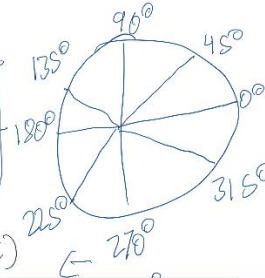
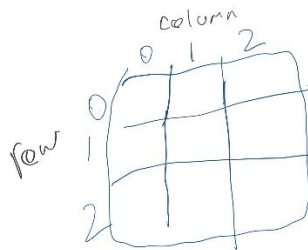
- IV. Hopefully, this helps understand how I arrived to my solution if any questions feel free to ask

Start ↓      ● straight always  
 ● left turns first



10 moves

- Initial check if at a border  
 • Check borders if in one



make fu  
call th  
to travel

$(1,1)$ at $270^\circ$ $225^\circ$ $180^\circ$ $315^\circ$ $(0,0)$ $(2,0)$ $(2,2)$ $(M+1, M+1)$ $(M+1, M)$ $(M, M+1)$	$(1,1)$ at $180^\circ$ $135^\circ$ $180^\circ$ $225^\circ$ $(0,0)$ $(1,0)$ $(2,0)$ $(M+1, M-1)$ $(M, M-1)$ $(M+1, M+1)$	$(1,1)$ at $90^\circ$ $45^\circ$ $90^\circ$ $135^\circ$ $(0,2)$ $(0,1)$ $(0,0)$ $(M-1, M+1)$ $(M-1, M)$ $(M-1, M-1)$	$(1,1)$ at $0^\circ$ $315^\circ$ $0^\circ$ $45^\circ$ $(2,2)$ $(1,2)$ $(0,2)$ $(M+1, M+1)$ $(M, M+1)$ $(M-1, M+1)$
$(1,1)$ at $225^\circ$ $180^\circ$ $225^\circ$ $270^\circ$ $(1,0)$ $(2,0)$ $(2,1)$ $(M, M-1)$ $(M+1, M-1)$ $(M+1, M)$	$(1,1)$ at $135^\circ$ $90^\circ$ $135^\circ$ $180^\circ$ $(0,1)$ $(0,0)$ $(1,0)$ $(M-1, M)$ $(M-1, M-1)$ $(M, M-1)$	$(1,1)$ at $45^\circ$ $0^\circ$ $45^\circ$ $90^\circ$ $(1,2)$ $(0,2)$ $(0,1)$ $(M, M+1)$ $(M-1, M+1)$ $(M-1, M)$	$(1,1)$ at $315^\circ$ $270^\circ$ $315^\circ$ $0^\circ$ $(2,1)$ $(2,2)$ $(1,2)$ $(M+1, M)$ $(M+1, M+1)$ $(M, M+1)$

```
-----
Actual Map View - Obstable % 40
```

```
-----
      0  1  2  3  4  5  6  7  8  9
0  1  1  0  0  1  0  1  1  1  1
1  0  S  1  1  0  1  1  1  1  1
2  1  1  0  0  0  1  1  0  0  0
3  1  0  0  0  1  0  0  D  0  0
4  1  0  1  1  1  0  0  1  0  1
```

```
-----
Robot Map View - Obstable % 40
```

```
Robot did not find a solution
```

```
-----
      0  1  2  3  4  5  6  7  8  9
0  1  1  0  0  1  0  2  2  2  2
1  0  S  1  1  0  2  2  2  2  2
2  1  1  0  0  0  2  2  2  2  2
3  1  0  0  0  2  2  2  D  2  2
4  1  0  2  2  2  2  2  2  2  2
```

```
-----
Robot Map Moves View - Obstable % 40
```

```
Robot did not find a solution
```

```
-----
      0  1  2  3  4  5  6  7  8  9
0  7  13  13  -1  7  -1  0  0  0  0
1  -1  S  13  14  -1  0  0  0  0  0
2  13  13  1  -1  -1  0  0  -1  -1  -1
3  19  -1  -1  -1  0  -1  -1  D  -1  -1
4  10  -1  0  0  0  -1  -1  0  -1  0
```



# Actual Map View - Obstacle % 40

---

	0	1	2	3	4	5	6	7	8	9
0	0	0	0	1	1	1	0	1	1	0
1	0	0	1	0	1	0	1	1	1	1
2	0	1	1	1	1	1	0	0	0	0
3	0	1	0	1	0	1	1	0	0	1
4	0	1	1	1	0	0	1	1	0	1

---

## Robot Map View - Obstacle % 40

Robot number of moves = 200

---

	0	1	2	3	4	5	6	7	8	9
0	0	0	0	2	2	1	2	2	2	2
1	0	1	1	0	1	0	2	2	2	2
2	0	1	1	1	1	2	2	2	2	2
3	0	1	0	1	0	2	2	0	2	2
4	0	1	1	1	0	2	2	2	2	2

---

Actual Map View - Obstacle % 40

```
-----  
      0  1  2  3  4  5  6  7  8  9  
0  1  0  1  0  0  1  0  0  1  0  
1  1  S  0  0  0  1  0  0  1  1  
2  1  1  0  0  1  1  1  1  1  0  
3  1  0  0  1  0  1  1  D  1  0  
4  0  1  1  1  0  1  1  1  1  0  
-----
```

Robot Map View - Obstacle % 40

Robot number of moves = 16

```
-----  
      0  1  2  3  4  5  6  7  8  9  
0  2  2  2  2  0  1  0  2  2  2  
1  2  S  2  0  0  1  0  2  2  2  
2  1  1  0  0  1  1  1  2  2  2  
3  1  0  0  1  0  1  2  D  2  2  
4  0  1  1  1  0  1  2  2  1  2  
-----
```



# Actual Map View - Obstacle % 40

	0	1	2	3	4	5	6	7	8	9
0	1	1	0	0	1	1	1	1	0	0
1	1	S	1	1	1	0	0	1	1	1
2	0	0	1	0	1	1	0	1	1	1
3	1	0	0	0	1	0	0	D	0	0
4	0	0	0	0	1	1	1	1	0	1

## Robot Map View - Obstacle % 40

Robot number of moves = 13

	0	1	2	3	4	5	6	7	8	9
0	2	2	2	2	1	1	1	1	0	0
1	2	S	2	1	1	0	0	1	1	1
2	0	0	1	0	1	1	2	2	1	1
3	2	0	0	0	2	0	0	D	2	0
4	2	2	2	2	2	2	1	2	2	2

• direction 1  
didn't look at North = 0

• direction 3  
didn't look

12:16 PM Sat Sep 10

89%

CS 657

Home

Insert

Draw

View



Text Mode

Lasso Select

Insert Space



tempRow = copy(row)

tempCol = copy(col)

recursive or while loop here

if tempRow - 1 &lt; 0:

restart from start of if statements

if self.ActualMap[tempRow-1][col] == 1:

self.board[tempRow-1][col] = 1

tempRow --

elif self.ActualMap[tempRow-1][col] == 0:

self.board[tempRow-1][col] = 0

restart from start of if statements

elif self.ActualMap[tempRow-1][col] == 'D':

recursive?

12:01 AM Sat Sep 10 91%

CS 657 Home Insert Draw View

Text Mode Lasso Select Insert Space

recursive?

tempRow = copy(col)  
 recursive of while loop here  
 if tempRow - 1 < 0 %  
 restart from start of if statements  
 if self.ActualMap[tempRow-1][col] == 1 %  
 self.board[tempRow-1][col] = 1  
 tempRow --  
 elif self.ActualMap[tempRow-1][col] == 0 %  
 restart from start of if statements  
 end recursion of while loop  
 if row - 1 < 0 %  
 self.direction = 7  
 move to

alw  
 0  
 1  
 Check  
 possi  
 expla

## V. Conclusion

- VI. Overall it was interesting to code this program because the coding part was not hard just coming up with good rules that can provide the best solution, which I didn't feel I made because I found many boards were my program was not able to find a solution, despite me manually checking and seeing solutions, I identified some of this cases but wasn't able to make more rules due to time, but overall its working solution for most cases, also I did not implement any other searching algorithm.