Assignment 3

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```
In [1]: 1 import networkx as nx
```

Section 1: Friendships Network

Graph with 180 nodes and 2220 edges

/var/folders/_3/98b473cn1k993m8ln5gwyv6h0000gn/T/ipykernel_62292/2221535143.py:2: DeprecationWarning: info is deprecated and will be removed in version 3.0.

print(nx.info(G))

```
In [3]: 1 highest_degree = max(G.degree(), key=lambda x: x[1])
    print(f'Node with highest degree: {highest_degree[0]}')
    print(f'Highest degree: {highest_degree[1]}\n')
```

Node with highest degree: 826 Highest degree: 56

Node with largest clustering coefficient: 647 Largest clustering coefficient: 1.0

```
In [5]: 1 average_cl_coeff = round(nx.average_clustering(G), 4)
2 print(f'Average clustering coefficient of the n/w: {average_cl_coeff}\n')
```

Average clustering coefficient of the n/w: 0.4752

```
In [6]: 1 total_Mnodes = 0
total_Fnodes = 0

for node, attributes in G.nodes(data=True):
    if attributes['gender'] == 'M' :
        total_Mnodes += 1
    else :
        total_Fnodes += 1

proportion_male = round(total_Mnodes/total_nodes, 4)
proportion_female = round(total_Fnodes/total_nodes, 4)
```

```
In [7]: 1 print(f'Proportion of the nodes in the graph are male: {proportion_male}')
2 print(f'Proportion of the nodes in the graph are female: {proportion_female}\n')
```

Proportion of the nodes in the graph are male: 0.7333 Proportion of the nodes in the graph are female: 0.2667

```
In [8]:
         1 # Expected / Calculated values
            expected_edges_ = {'M-M': 0, 'F-F': 0, 'M-F': 0}
         4 expected edges ['M-M'] = round(proportion male*proportion male*total edges) #m^2
         5 expected_edges_['F-F'] = round(proportion_female*proportion_female*total_edges) #f^2
           expected_edges_['M-F'] = round(2*proportion_male*proportion_female*total_edges) #2mf
            # Actual values
            edges_ = {'M-M': 0, 'F-F': 0, 'M-F': 0}
         10
        11
            for node1, node2, attr in G.edges(data=True):
        13
                if G.nodes[node1]['gender'] != G.nodes[node2]['gender']:
        14
                    edges_['M-F'] += 1
                elif G.nodes[node1]['gender'] == 'M':
        15
                    edges_['M-M'] += 1
        16
         17
                else:
                    edges_['F-F'] += 1
        18
In [9]:
         1 print(f'Expected edge values:\n{expected_edges_}\n')
         2 print(f'Actual edge values:\n{edges_}\n')
         3 print(f'Expected sum: {sum(expected_edges_.values())}')
         4 print(f'Actual sum: {sum(edges_.values())}')
            print(f'\nExpected edges M-F: {expected_edges_["M-F"]}')
            print(f'Actual edges M-F: {edges_["M-F"]}\n')
        Expected edge values:
        {'M-M': 1194, 'F-F': 158, 'M-F': 868}
        Actual edge values:
        {'M-M': 1276, 'F-F': 182, 'M-F': 762}
        Expected sum: 2220
        Actual sum: 2220
        Expected edges M-F: 868
        Actual edges M-F: 762
```

We can see that the expected values of number of edges between males and females ('M-F') are lower than the actual values. This could suggest evidence supporting a homophily. There could be a bias in friendships among these high schoolers. Therefore, the evidence leans towards "For" homophily bias.

Section 2: Club Membership Network

What is the mean number of organizational affiliations per person in the data set? What is the mean number of members per organization?

```
In [12]:
          1 people = []
            organizations = []
          3
             for node in G.nodes():
          5
                 if node[0] == 'o':
          6
                    organizations.append(node)
          7
                 else:
          8
                    people.append(node)
          9
         10
         11
            sum people = 0
            for person in people :
         12
         13
                 sum_people += len(set(G.neighbors(person)))
         14 mean_people = sum_people/len(people)
         15
         16 sum_org = 0
            for org in organizations :
         17
                 sum_org += len(set(G.neighbors(org)))
         18
         19 | mean_org = sum_org/len(organizations)
In [13]:
         1 print('No. of people: ',len(people))
          2 print('No. of organizations: ',len(organizations))
          3 print('\nMean number of organizational affiliations per person : ',mean_people)
          4 print('Mean number of members per organizations: ',mean_org)
        No. of people: 25
         No. of organizations: 15
         Mean number of organizational affiliations per person: 3.8
         Function to measure similarity
In [14]:
             def similarity_measure(G, node_1, node_2):
          3
                 if (node 1 in people and node 2 in people) or (node 1 in organizations and node 2 in organizations):
          4
                    neighbors_n1 = set(G.neighbors(node_1))
          5
                    neighbors_n2 = set(G.neighbors(node_2))
                    sim = len(neighbors_n1.intersection(neighbors_n2))/len(neighbors_n1.union(neighbors_n2))
          6
          7
                    return sim
          8
          9
                 else:
         10
                    raise ValueError("Bipartite Graph!\n\tThe nodes need to be from the same group.")
In [15]:
          1 # Will throw an error as the groups are different.
          2 | similarity_measure(G, 'o11', 'p13')
         ValueError
                                                  Traceback (most recent call last)
         Input In [15], in <cell line: 2>()
              1 # Will throw an error as the groups are different.
         ----> 2 similarity_measure(G, 'o11', 'p13')
         Input In [14], in similarity_measure(G, node_1, node_2)
              7
                    return sim
              9 else:
           -> 10
                    raise ValueError("Bipartite Graph!\n\tThe nodes need to be from the same group.")
         ValueError: Bipartite Graph!
                 The nodes need to be from the same group.
In [16]:
          1 similarity measure(G, 'o11', 'o6')
Out[16]: 0.3
```

```
In [17]: | 1 | def get_highest_similarity(G, grouptype):
          3
                  group = organizations if grouptype == 'o' else people
          5
                 max_sim = 0
          6
                  pairs = []
                  for e1, e2 in zip(group, group[1:]):
          8
                      sim = similarity_measure(G, e1, e2)
          9
                      if sim > max_sim :
          10
                          max_sim = sim
pairs = [e1, e2]
          11
          12
          13
                  return(pairs, max_sim)
In [18]: 1 get_highest_similarity(G, 'o')
Out[18]: (['o6', 'o15'], 0.3)
```

```
In [19]: 1 get_highest_similarity(G, 'p')
Out[19]: (['p22', 'p3'], 0.75)
```