2.1) Para proton que son TZ, debo venizion que cumplam la siguiente:  $(v)^2 + (v)^2 = (v+v)^2$   $(v)^2 \times = (v+v)^2$ 

ge-55: ([syx]) T (\$

[25 26 2x] = A LIE 18 1X]= A OWLOL (1) T(v)= 2=2-342 T(v)= 2=2-342 U+U= [xitx2 yityz Zitez] T(U+U)= Z(31+22)-3.(y1+yz) ->

-> T(U+U) = (281-341)+(282-342)=T(U)+T(v) V

Tomo U= [x1 y1 &I]T, XEK

-> NO=[XXI NYI XEI] T(U) = 221-341

·T(\u)= 2. \z=1-3. \g1=\u0.(c=1-3\y) = \u0.T(\u0) \ Pon lo tombo Ti es TL.

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6) T([xye]=) = [ze-3y -2+3x]T
                           [1x6+15- 186-122] = (0) = [27 4 T[15 18 1x] = 0 OMOOT (1)
                                          y tome v= [xz yz zz] ty T(v)=[zzz-3yz -zz+3xz]
                                                Utu-[xitx2 gity2 =itez] T
                                           T(U+v)=[2(21+22)-3(41+85) -(21+22)+3(x1+x2)]'->
                          -> T(U+U)=[2x6+55- 546-555] + [1x6+15- 166-155]=(U+U) \
                    (Termo U=[x1 g1 &] ty T(U)=[231-341 -21+3x1]T,
                                          NU=[XXI LYI LEI]
                                      T(\lambda u) = \left[ 2(\lambda a_1) - 3.(\lambda y_1) - (\lambda a_1) + 3.(\lambda x_1) \right] = \lambda \cdot \left[ 2a_1 - 3y_1 - a_1 + 3x_1 \right] = \lambda \cdot T(u) \sqrt{\frac{1}{2}}
                            Pon lo tombo Tz es TZ.
         c) T([xy=]]) = [2z-3y - z+3x y-zx]
                        Tome U=[x1 y1 21] tq T(U)=[221-391 -21+3x1 y1-2x1]T
                               y tomo U=[xz yz =z] to T(v)=[z=z-3yz -2z+3xz 4z-zxz]
                                          Utb= [x1+x2 gity2 31+22]
                      T(U+U)=[2(2+152)-3.(8)+42) -(2+152)+3.(x1+x2) (9)+52)-2.(x1+x2)] -7
              -)T(U+U)=[281-341 -81+3x1 41-2x1]+[282-342 -82+3x2 42-5x2]=T(U)+T(U) V
               Tomo U=[x1 gt &I]T ty T(U)=[Z=1-3y1 -=1+3x1 g1-2x1]T,
T(\lambda 0) = \left[ z(\lambda z_1) - 3(\lambda y_1) - (\lambda z_1) + 3(\lambda x_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda y_1) - (\lambda z_1) + 3(\lambda x_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda y_1) - (\lambda z_1) + 3(\lambda x_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda y_1) - (\lambda z_1) + 3(\lambda x_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda y_1) - (\lambda z_1) + 3(\lambda x_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda y_1) - (\lambda z_1) + 3(\lambda x_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda y_1) - (\lambda z_1) + 3(\lambda x_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda y_1) - (\lambda z_1) + 3(\lambda x_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda y_1) - (\lambda z_1) + 3(\lambda x_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) - (\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) - (\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) - (\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) - (\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right] = \lambda \cdot \left[ z(\lambda z_1) - 3(\lambda z_1) + 3(\lambda z_1) \right]
                               NU=[xxi xyi xzi]T
                       Pon le tombe T3 es TL.
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