

# 1 Aims

So the point of this is multi-faceted:

- To provide a tutorial/introduction and access to the use of some of the crappy R code I wrote in the process of analysing peaklist MALDI imaging data during my thesis.
- To provide some example code on how (not) to use R, `knitr`, and `LATEX`, including referencing using `bibtex`.

# 2 Disclaimer

This code is a steaming pile of crap. Use it with extreme skepticism – as you should use any software, and do any analysis, skepticism is the lifeblood of a scientist, embrace it. When I get some free time I plan on re-writing all the plotting functions from scratch to make them nicer. Which should make this steaming pile of crap slightly more bearable.

Also, I really ought to have wrapped my code up in a package, but I am shit and haven't, so for the time being all the relevant functions can be loaded into the workspace by calling

```
source('localFunctions.R')
```

the fact that this is here may prompt me to getting around to cleaning it up and wrapping it up in package form at some point in the future, but probably not in the immediate future.

# 3 Setup and Reading Peaklists

I set the current `dataset_name` to a variable,

```
dataset_name <- "A1"
```

and then call

```
pl_all <- readPeaklists(dataset_name)
```

This reads in peaklist files from

```
<parent_folder_name>/<dataset_name>/<peaklist_folder_name>
```

and returns a combined peaklist `data.frame` object after writing the three files:

```
<dataset_name>_comprehensive_peaklist.txt  
<dataset_name>_fExists.txt  
<dataset_name>_LXY.txt
```

to

```
./<data_folder>
```

`dataset_name` is required, but the other arguments are optional and default to:

- `peaklist_folder_name` = "peaklists"
- `parent_folder_name` = "."
- `data_folder` = "./data"

Note that the function `readPeaklists` reads peaklists in batches of 1000 at a time, and at the end of each batch prints the name of the last peaklist file to inform the user of progress, finally it prints the total number of empty peaklists read in.

Once created the files written to `data_folder` can be read in easily by calling

```
pl_all <- load_peaklist(dataset_name)
LXY <- load_LXY(dataset_name)
fExists <- load_fExists(dataset_name)
```

respectively. These `load_*` functions also accept an optional `data_folder` argument if an alternative location is used to store these files.

## 4 Peak Grouping and Peaklist Subsets

There are three functions included for assigning 'peakgroup' labels to peaks:

### 4.1 Mass Matching

Peaks can be matched to known masses by mass-error. In these data for example, there are some internal calibrants of known mass, as described by [2].

```
cal_df = data.frame(m.z = c(1296.685,
                           1570.677,
                           2147.199,
                           2932.588
                           ),
                    name = c('Angiotensin I',
                              '[Glu1]-Fibrinopeptide B',
                              'Dynorphin A',
                              'ACTH fragment (124)'))
```

The function `mzMatch` extracts peaks from the first argument about the  $m/z$  values in the second argument.

```
pl_cal <- mzMatch(pl_all, cal_df$m.z)
```

Optional arguments `binMargin` (mass error to be allowed) and `use_ppm` (mass error measured in ppm or Da) can also be specified, but otherwise default to:

- `binMargin = 0.3`, and
- `use_ppm = FALSE`.

The function `mzMatch` returns the subset of the input peaklist with an added column, `PeakGroup`, specifying the theoretical mass that peak is matched too. Not sure how this would react to overlapping mass windows but it was not intended for that.

## 4.2 Tolerance Clustering

When the masses of interest are not known, peakgroups can be formed via a one-dimensional clustering of the  $m/z$  values of the peaks. Tolerance Clustering is one of the simplest ways of doing this, and boils down to finding the equivalence classes of the relation defined on two peaks as ‘being within some tolerance `tol` of each other’.

```
pl_tol <- groupPeaks(pl_all)
```

The optional tolerance argument `tol` defaults to a value of 0.1Da, and an additional optional argument `minGroupSize` can be specified to label any equivalence classes with less than that many peaks in them zero. By default all peaks will be labeled. The function `groupPeaks` returns the the input peaklist with an added column, `PeakGroup`, specifying a peakgroup label.

## 4.3 DBSCAN

A more sophisticated clustering approach is to use a density based clustering such as DBSCAN, or more precisely its deterministic version DBSCAN\*, as described in [1].

```
pl_dbs <- dbscan_lw(pl_all, pp=FALSE)
```

The function `dbscan_lw` works similarly to the function `groupPeaks`, in that it takes a peaklist and returns the same peaklist with an added column, `PeakGroup`, containing a peakgroup label. The function `dbscan_lw` also takes optional arguments `eps` (similar to the `tol` of the tolerance clustering, specifying the width of the rectangular kernel used), `mnpts` (the minimum number

of points within a **eps**-neighbourhood considered significant – adjusting **mnpts** can fix the problem in large datasets of different masses being combined), **cvar** (specifying the variable in the input peaklist to be clustered) and **pp** (print progress to console logical). These optional arguments default to:

- **eps** = 0.05,
- **mnpts** = 100,
- **cvar** = "m.z", and
- **pp** = TRUE

#### 4.4 Evaluating Parameter Choices for Peak Grouping

Both the tolerance clustering of Section 4.2 and the DBSCAN approach of Section 4.3 involve the choice of a number of tuning parameters, in the former only in grouping tolerance **tol** and in the latter both a grouping tolerance **eps** and a minimum density **mnpts**. In this section I'll demonstrate how to make a heuristic diagnostic plot I use as a sanity check that my parameter selection has been somewhat reasonable. First I summarise the peak grouping by calculating a number of statistics for each peak group:

```
pgs_tol <- ddply(pl_tol,
  "PeakGroup",
  summarise,
  Range = max(m.z) - min(m.z),
  nPeaks = length(m.z),
  nDupPeaks = (length(m.z)
    - length(unique(Acquisition))))
pgs_dbs <- ddply(subset(pl_dbs, PeakGroup!=0),
  "PeakGroup",
  summarise,
  Range = max(m.z) - min(m.z),
  nPeaks = length(m.z),
  nDupPeaks = (length(m.z)
    - length(unique(Acquisition))))
```

In particular:

- The **Range**: the difference between the minimum and maximum  $m/z$  in the peak group.
- The **nPeaks**: the number of peaks in the peak group.
- The **nDupPeaks**: the number of duplicate peaks, or the number of occurrences of more than one peak from the same spectrum being included in the same peakgroup

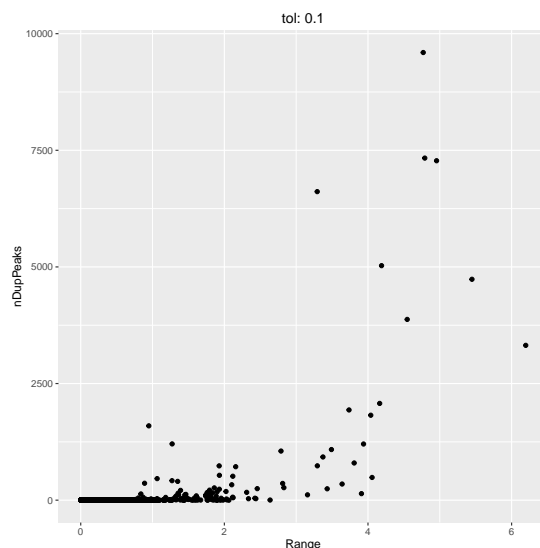


Figure 1: Plot for heuristic evaluation of peak grouping efficacy: tolerance clustering.

Ideally, the **Range** should be small, and the **nDupPeaks** should be zero. In reality, compromises must be made. When using the simplistic tolerance clustering approach, optimising parameter choice is correspondingly simple. You could for example consider a plot such as Figure 1:

```
p = (ggplot(pgs_tol, aes(x=Range, y=nDupPeaks))
+ geom_point()
+ ggtitle(paste('tol:', toString(0.1))))
print(p)
```

The **nPeaks** is also useful as peakgroups with **nPeaks** too small will typically be uninteresting, and so you could consider the number of peak groups with at least some threshold value of **nPeaks**, you could apply a similar filter when making a plot such as Figure 1 in order to get rid of some of the junk lying around the origin. For peptide data, typically you shouldn't really have any peakgroups with a **Range** above 1 Da, and any half-decent quality peakpicking should allow for you to do peak peaking that keeps the **nDupPeaks** in the single digits, generally speaking. So Figure 1 shows that this is really quite terrible, and we should try a smaller value of **tol**. Hopefully, reproducing this analysis with a smaller **tol** will improve these things. Generally, you want to choose a **tol** as large as possible so that the **Range** and **nDupPeaks** are somewhat reasonable. Sometimes this is not possible – there simply is no happy medium, no value of **tol** for which simple tolerance clustering produces nice peak groups. This is usually when using a more sophisticated approach, such as DBSCAN, is a

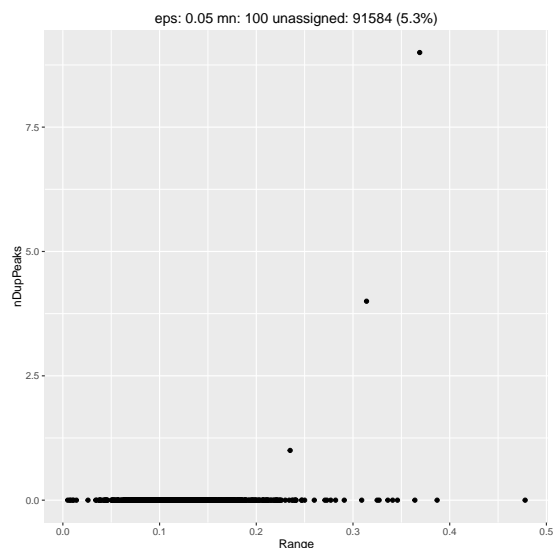


Figure 2: Plot for heuristic evaluation of peak grouping efficacy: DBSCAN clustering.

good idea. Being a more sophisticated approach, it also involves more tuning parameters, more factors to consider. We can have a look at Figure 2, analogous to Figure 1:

```
p = (ggplot(pgs_dbs, aes(x=Range, y=nDupPeaks))
+ geom_point()
+ ggtitle(paste(
  'eps: ', toString(0.05),
  ' mn: ', toString(100),
  ' unassigned: ',
  toString(sum(pl_dbs$PeakGroup==0)), ' (',
  toString(round(100*sum(pl_dbs$PeakGroup==0)/nrow(pl_dbs), 1)),
  '%)', sep=""))
print(p)
```

The interpretation of Figure 2 itself is similar to that of Figure 1, the main differences are two-fold:

- There is an extra tuning parameter (density, `mnpts`) which can be thought of as the extra degree of freedom allowing us to find nice solutions which cannot be achieved with tolerance clustering alone.
- DBSCAN will not allocate some number of peaks to any peakgroup – `dbscan.lw()` will assign these peaks a `PeakGroup` of 0. As this is essentially throwing away the information in the peaks, you kinda want to minimise how much

data you throw away in order to achieve a nice peak grouping, so this adds an additional factor into the equation when trying to tune your tuning parameters.

When trying to pick some tuning parameters, I will typically produce a bunch of plots like Figure 2 with various (reasonable) choices for tuning parameters and then try to choose a healthy medium between all the different factors I'm trying to optimise.

## 5 Simple Plots

I also have some functions that make plots specially for peaklist data. This part is the most hacked up, as I have repeatedly modified these functions to perform various different tasks, while trying to maintain backwards compatibility and it's all ended in a giant mess. These are such a mess I am not even going to bother trying to explain them, and instead just recommend you write your own plotting functions, as then you can be sure you're plotting the thing you want to plot. You are also welcome to look at the code under `spatialPlot` and `acquisitionPlot` and cannibalise code to your heart's content. I provide an example of one use of the function `spatialPlot` below when I produce a DIPPS map using it, although it can do a lot more than this – I plan on coming back and re-writing the plotting functions at some point so they make more sense.

## 6 DIPPS

Now say you have produced some peakgroups one way or another, and now you have two regions you want to compare using DIPPS. For example, here I have annotation of the center of cancer tumours stored in an XML 'ROI' file. So I'll read the annotations into R using the `XML` package and merge them onto the `LXY` variable as a 'ROI' column with value 'None' for spectra not in any annotated region.

```
library(XML)
fname <- 'A1_annotation.xml'
doc  = xmlInternalTreeParse(fname)
rois = xpathSApply(doc,
                    "/ClinProtSpectraImport/Class",
                    xmlGetAttr,"Name")
nSpec = xpathSApply(doc,
                    "/ClinProtSpectraImport/Class",
                    xmlSize)
spec  = xpathSApply(doc,
                    "/ClinProtSpectraImport/Class/Element",
                    xmlGetAttr,"Path")
temp  = data.frame(Peaklist = Peaklist_ID(spec),
```

```

ROI = rep(rois,nSpec),
stringsAsFactors = FALSE)
LXY <- merge(LXY,temp,
all.x = TRUE)
LXY[is.na(LXY$ROI), 'ROI'] = "None"

```

We can take a quick look at these annotations by plotting them. Figure 3 demonstrates this, as well as providing a simple (less confusing?) example of a straightforward way to make spatial plots without using my gargantuan `spatialPlot` function (although you could equally make this plot using `spatialPlot` if you really wanted to).

```

p = (ggplot(LXY,aes(x=X,y=Y,
fill=ROI,
alpha= 1-(ROI=='None')),
colour=NA)
+ geom_tile()
+ coord_fixed()
+ guides(alpha = FALSE)
+ scale_x_reverse(breaks=seq(75,175, 50))
+ scale_y_continuous(breaks=seq(50, 200, 50))
+ ylab("")
+ xlab("")
)
print(p)

```

Now I create a simplified peaklist variable `pl.uni` which initially has only two variables, `Acquisition` (indexing the originating spectrum) and `PeakGroup` (indexing the peakgroup). I also make sure the rows of `pl.uni` are unique – this is important, as having multiple peaks from the same peakgroup in the same spectrum will otherwise affect your results, although in the scenario that this occurs more than a couple of times I would suggest perhaps revisiting whatever decisions you made at your peakgrouping step. I add a third variable, `Group` to the peaklist `pl.uni`, identifying each peak as originating from either an annotated region (2), or not (1). Now that we have cleaned up `pl.uni` and ensured it has the three necessary columns, and that they are correctly formatted we can plug this right into the `DIPPS` function.

```

pl.uni = unique(pl_tol[,c("Acquisition","PeakGroup")])
temp = match(pl.uni$Acquisition,LXY$Acquisition)
pl.uni$Group = 1+(LXY[temp,]$ROI != "None")

dipsum = DIPPS(pl.uni)
nStar = dippsHeur(pl.uni,dipsum)

```



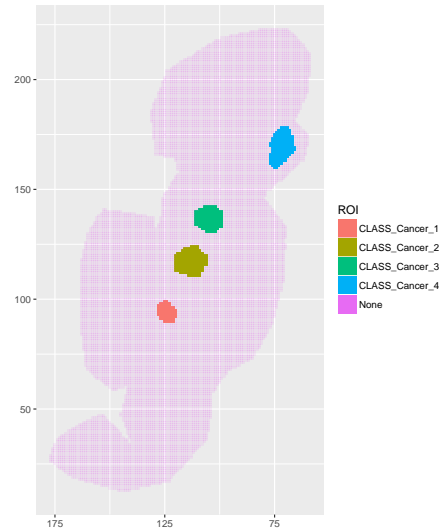


Figure 3: Annotation Regions

Note that in this case I used `pl_tol` to make `pl_uni` which I used in the DIPPS analyses – this was the peaklist with the `PeakGroup` column created by tolerance clustering. I could easily have used `pl_dbs` or even `p_cal` (if I was only interested in the calibrants) instead of `pl_tol`. Another option would be to bin the peaks in a data-independant manner using the R `base` function `cut` – a potentially useful option when interested in prediction, because of its independance on the data.

Also note how I generate `nStar`, which is the number of variables suggested to be optimal by the heuristic. One way to visualise these top `nStar` ‘DIPPS features’ is in a ‘DIPPS map’, so I might as well demonstrate how to do that using the hugely dodgy `spatialPlot` function:

```
dipsum = dipsum[rev(order(dipsum$d)),]
peakgroups = dipsum[1:nStar,"PeakGroup"]
plp = pl_uni[!is.na(match(pl_uni$PeakGroup,peakgroups)),]
p = spatialPlot(plp,
  fExists,
  plot_var = "count",
  save_plot = FALSE,
  minX_in = min(LXY$X),
  minY_in = min(LXY$Y)
)
p = (p + scale_x_reverse(breaks=seq(75,175, 50))
  + scale_y_continuous(breaks=seq(50, 200, 50))
  + ylab(""))
```

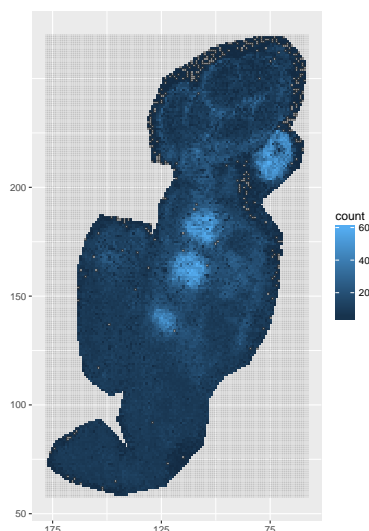


Figure 4: DIPPS Map

```

+ xlab("")
)
# DIPPS Map
print(p)

```

One could also produce individual intensity plots of particular peakgroups, for example for the peakgroup with highest DIPPS statistic value:

```

plp = subset(pl_tol, PeakGroup==dipsum[1, "PeakGroup"])
p = spatialPlot(plp,
                fExists,
                save_plot = FALSE,
                minX_in = min(LXY$X),
                minY_in = min(LXY$Y)
)
p = (p + scale_x_reverse(breaks=seq(75, 175, 50))
+ scale_y_continuous(breaks=seq(50, 200, 50))
+ ylab("")
+ xlab(""))
)
# Intensity Map
print(p)

```

and you could calculate 'Abundance Weighted Means' (weighting  $m/z$  values by intensity, or in the following example signal-to-noise ratio) or various other

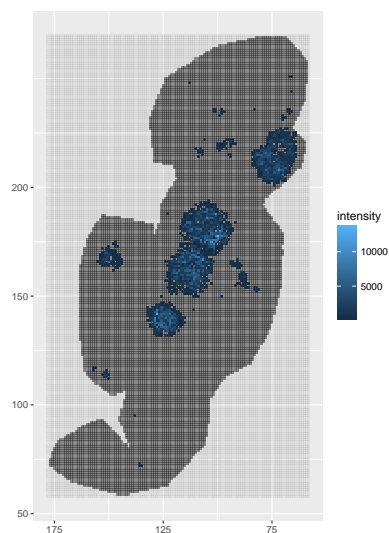


Figure 5: Intensity Map for peakgroup most highly ranked by DIPPS

statistics for these peakgroups as well if you wanted. For example:

```
pg_df = ddply(pl_tol,
              "PeakGroup",
              summarise,
              AWM = weighted.mean(m.z, SN),
              Range = max(m.z) - min(m.z),
              nDupPeaks = length(Acquisition) -
                           length(unique(Acquisition))
            )
pg_df = merge(pg_df, dipsum)
pg_df = pg_df[rev(order(pg_df$d)),]
print(head(pg_df), digits=3)

##      PeakGroup  AWM Range nDupPeaks    p.d    p.u    d
## 818          818 1407 0.430         0 0.0767 0.963 0.886
## 2948         2948 2854 0.203         0 0.0611 0.944 0.883
## 2504         2504 2484 0.150         0 0.0190 0.882 0.863
## 782          782 1391 0.413         0 0.1382 0.994 0.856
## 767          767 1384 0.242         0 0.0475 0.880 0.832
## 1743         1743 1998 0.256         0 0.0141 0.821 0.807

print(pg_df[57:61,], digits=3)

##      PeakGroup  AWM Range nDupPeaks    p.d    p.u    d
```

## 692	692	1347	0.221	0	0.00806	0.219	0.211
## 293	293	1155	4.163	2074	0.73300	0.942	0.209
## 1817	1817	2054	0.265	0	0.04561	0.252	0.207
## 1416	1416	1776	2.789	1053	0.78525	0.959	0.174
## 727	727	1362	0.185	0	0.00888	0.181	0.172

In addition to calculating the AWM here I have also calculated the  $m/z$  range over which each peakgroup spans, and the number of duplicated peaks (a number above zero indicated there are individual spectra with more than one peak in the indicated peakgroup). Notice that the most highly ranked variables by DIPPS seem fine, but that there are some (AWM = 1155 and AWM = 1776) for which it seems the peakgrouping has failed pretty badly, producing peakgroups that span 4.16Da and 2.789Da respectively. Note that you can look at such things without having done the DIPPS step, and it is worth doing so as a quality-control/sanity-check step. You could for example try using the dbscan peakgroups instead – I’ll leave that as an exercise.

## References

- [1] Ricardo JGB Campello, Davoud Moulavi, and Joerg Sander. Density-based clustering based on hierarchical density estimates. In *Advances in Knowledge Discovery and Data Mining*, pages 160–172. Springer, 2013.
- [2] Johan OR Gustafsson, James S Eddes, Stephan Meding, Tomas Koudelka, Martin K Oehler, Shaun R McColl, and Peter Hoffmann. Internal calibrants allow high accuracy peptide matching between MALDI imaging MS and LC-MS/MS. *Journal of Proteomics*, 75(16):5093–5105, 2012.

## Session Info and pdflatex Version

```
sessionInfo()

## R version 3.1.0 (2014-04-10)
## Platform: x86_64-w64-mingw32/x64 (64-bit)
##
## locale:
## [1] LC_COLLATE=English_United States.1252
## [2] LC_CTYPE=English_United States.1252
## [3] LC_MONETARY=English_United States.1252
## [4] LC_NUMERIC=C
## [5] LC_TIME=English_United States.1252
##
## attached base packages:
## [1] grid      stats      graphics  grDevices  utils      datasets  methods
## [8] base
##
## other attached packages:
## [1] plyr_1.8.3      ggplot2_2.1.0    reshape2_1.4.1   data.table_1.9.6
## [5] stringr_1.0.0   knitr_1.12.3
##
## loaded via a namespace (and not attached):
## [1] chron_2.3-47     colorspace_1.2-6 digest_0.6.9     evaluate_0.9
## [5] formatR_1.3      gtable_0.2.0     highr_0.5.1      magrittr_1.5
## [9] munsell_0.4.3    Rcpp_0.12.4      scales_0.4.0     stringi_1.0-1
## [13] tools_3.1.0
```

```
system('pdflatex --version',intern=TRUE)

## [1] "MiKTeX-pdfTeX 2.9.5840 (1.40.16) (MiKTeX 2.9 64-bit)"
## [2] "Copyright (C) 1982 D. E. Knuth, (C) 1996-2014 Han The Thanh"
## [3] "TeX is a trademark of the American Mathematical Society."
## [4] "compiled with zlib version 1.2.8; using 1.2.8"
## [5] "compiled with libpng version 1.6.19; using 1.6.19"
## [6] "compiled with poppler version 0.32.0"
## [7] "compiled with jpeg version 8.4"
```