# 1 Statistical Signal Modelling 1.2: Modelling of memoryless sources 1.2.c: Video Example

#### 1. Introduction to IPA and Random variable

#### 2. Modelling of memoryless processes

- Sample-wise operators
- Uniform and non-uniform quantization
- Examples: Sample-wise video processing

#### 3. Discrete Stochastic Processes

- Definition
- Autocorrelation: Deterministic signals and processes
- Stationarity and Ergodicity
- Power Spectral Density (PSD)
- Stochastic processes filtering
- Examples

#### **Unit Structure**

1.2

- 1. Introduction
- 2. Still background estimation
- 3. Variable background estimation: Single Gaussian
- 4. Variable background estimation: Multiple Gaussians
- 5. Conclusions

#### Introduction

- Many security applications require to prompt an alarm to trigger a recorder or to allow a human operator to evaluate the situation:
  - Control of large areas with a large number of cameras/screens to be monitored
  - False positive are accepted to avoid overlooking a potential danger



- To detect the presence of a person/object, it is not necessary to get its shape or trajectory
- The method can rely on a sample-based model of the image:
  - Compute the pixel to pixel difference between images.

1.2

 In several security applications, due to the setting and camera configuration, the change detection can be understood as a problem of still background estimation.







- A static camera is observing a scene that, in principle, does not vary: background.
- A large variation can be detected by comparison with the background: foreground object/person.

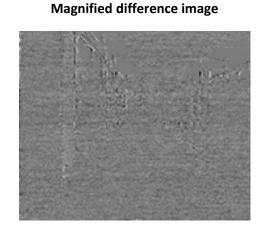
#### Still background modelling

1.2

 A static camera is observing a scene that, in principle, does not vary: background.







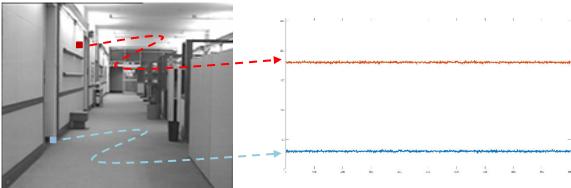
• Every pixel of the **background** is modeled as a **random variable**:

- The mean  $(\mu_p)$  represents the pixel actual value
- The variation with respect to the mean is (mainly) due to the noise introduced by the camera.

Every pixel of the **background** is modeled as a **random variable**:

- Camera pixels are usually assumed to be **independent** and **similar**. Therefore, the noise variables (pixels) are modeled as independent and identical distributed (iid) random variables.
- The noise probability distribution of each pixel is often modeled as Gaussian  $N(0, \sigma_p^2)$  or the empirical distribution is used.
- The noise image is model as a **stationary**, **white**, **zero-mean** process.





Every pixel of the **foreground** is modeled as a **random variable**:

- No a priori information can be assumed on foreground elements.
- The source of information can be related to intruders or even to artifacts produced in the recording of the scene.
  - A uniformly distributed probability function is commonly assumed

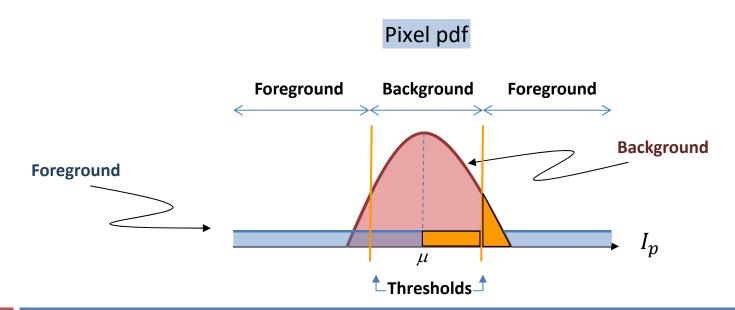




#### Foreground / Background decision

#### 1.2

- Once background and foreground have been statistically modeled, changes in the scene are detected by a classification procedure.
- A **Maximum Likelihood** classifier is commonly used. It minimizes the probability of error in the classification.
- Every pixel (p) in a new image (I) is **separately analyzed**. If the pixel value falls in-between the two thresholds, the pixel is classified as background.



1.2

Various realizations of the background are necessary to estimate the mean of each background pixel model. **How do we compute it?** 



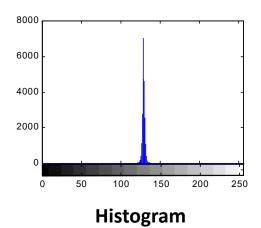


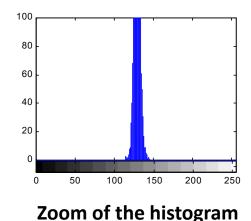




Realizations of the Background process

The **histograms of background pixels** give an estimate of the probability density functions of the noise.



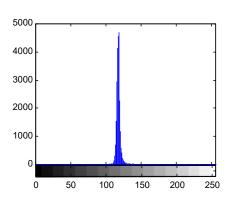


**Thresholds** are fixed for each pixel: for example here 108 and 148 (mean  $\pm$  20).

Is that the best way to classify the pixels (binarize the image)?



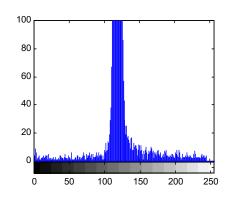
**Background image** 



**Pixel Histogram** 



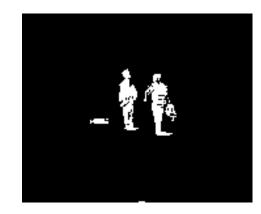
**Input image** 



Zoom of the histogram



**Difference image** 



Change detection result. Thresholds: mean  $\pm$  20



Segment of the original sequence Hall Monitor



**Change detection on** *Hall Monitor* 

#### **Further problems**

- When large areas have to be monitored, cameras may not be static but may scan a given area:
- ✓ Images are compared against a **panoramic view of the scene**. The system has to know where the camera is pointing to at every instant.
- The variations in the background pixel values can be larger than expected because of:
  - Changes in the illumination of the scene
  - Exterior scenes: typically, this leads to non-static backgrounds.
  - ✓ Techniques for variable background estimation are used.

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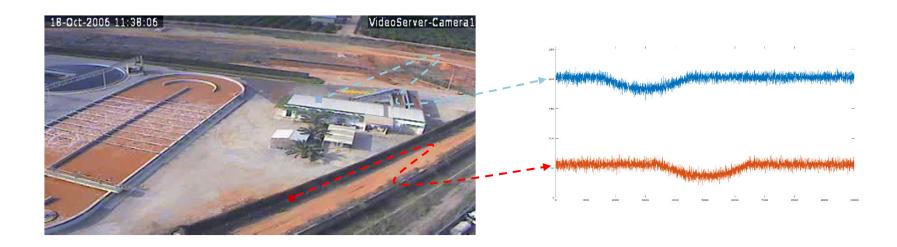
1.2

 In several security applications, due to the setting and camera configuration, the change detection can be understood as a problem of variable background estimation.



- A static camera is observing a scene (background) that may slowly vary (day light changes, clouds, etc).
- In addition, smaller variations appear due to camera sensor noise.

 The background model has to account for those possible slow variations.



- Every pixel of the background is modeled as a random variable:
  - Its mean may slowly change through time  $(\mu_p[n])$

$$\mu_p[n] = (1 - \rho)\mu_p[n - 1] + \rho I_p[n]$$

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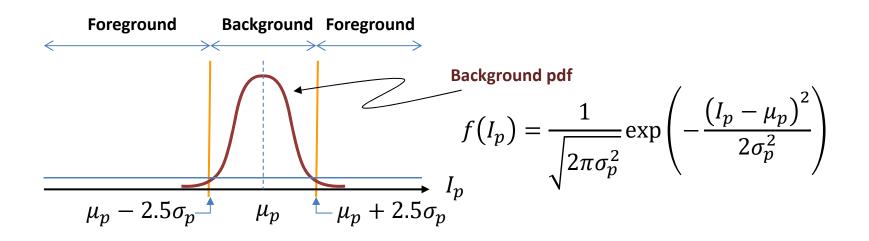
- As before, in the absence of foreground objects, variations with respect to the mean are due to the noise introduced by the camera.
  - Noise samples are assumed to be independent and identically distributed. IID modeled as Gaussian  $N(0, \sigma_p^2)$  functions.
  - Its variance might be re-estimated through time  $(\sigma_p^2[n])$ .

$$\sigma_p^2[n] = (1 - \rho)\sigma_p^2[n - 1] + \rho(I_p[n] - \mu_p[n])^2$$

Should we always update the background model parameters?

### Variable background classification

- Every pixel of the foreground is modeled as a random variable:
  - No a priori information can be assumed on foreground elements.
  - A uniformly distributed probability function is assumed.
- Once background and foreground have been modeled, changes in the scene can be detected by a classification process. In a given instant (n):



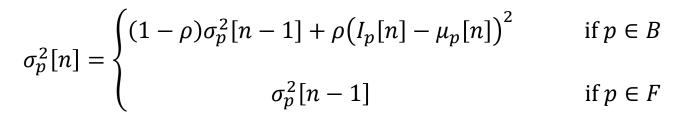
#### Variable background classification

1.2

The process is divided into two steps:

- Initialization: During a training period, the initial mean and variance values of all Gaussian variables  $(\mu_p, \sigma_p)$  are estimated.
- Update: The mean and variance of Gaussian variables are updated if the incoming pixels are classified as background.

$$\mu_p[n] = \begin{cases} (1-\rho)\mu_p[n-1] + \rho I_p[n] & \text{if } p \in B \\ \\ \mu_p[n-1] & \text{if } p \in F \end{cases}$$

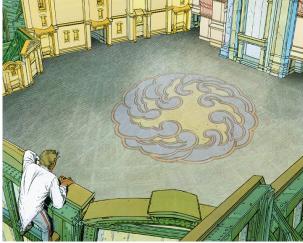


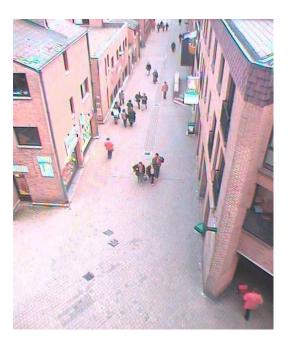
- The parameter  $\rho$  establishes the memory of the system:
  - $\rho \approx 0$  implies no updating (long memory)

# Variable background classification

1.2







Urbicande-la-Neuve

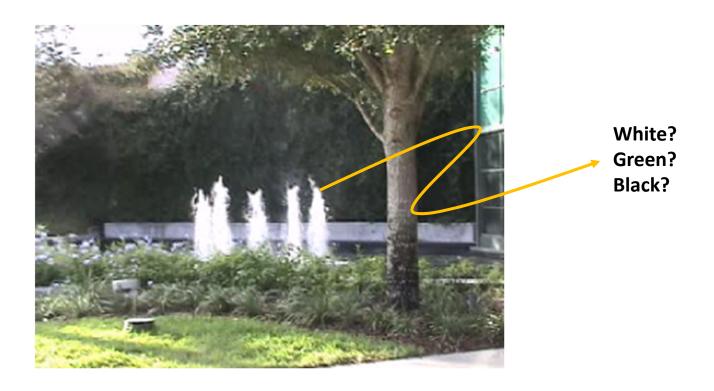
**Urbicande-La-Neuve (UCL – Alterface)** 

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 In several security applications, systems have to model large variability of the background due to switch between various states of the background



1.2

 Moreover, new objects that remain in the scene for a long period have to be assimilated to the background.



What will the system output for the following sequence?



What should the system output be for the following sequence?



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