

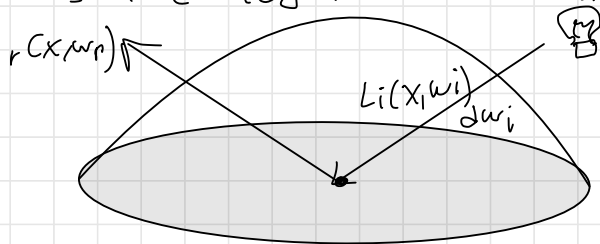
② I will explain the formula by terms:

1)  $L_e(\lambda, x, \omega_o)$ : this part corresponds to the radiance that is being emitted. It depends on  $x$  (the point),  $\lambda$  (the light wavelength) and  $\omega$  (the outgoing direction).

Hence, it represents all of the possible rays and directions.

$f(\lambda, x, \omega_i, \omega_o)$  is the bidirectional reflectance distribution function, which is a difference for each material depending on how they reflect light.

$L_i(\lambda, x, \omega_i)$  is the incoming radiance, which is the light beam coming from the source.



It depends on  $\omega_i$  (vector relating the point and the light source), and  $x$ .

$\theta \omega_i$  is the angle in the direction of the light

However, the integral is computationally expensive and is usually approximated by a Monte Carlo taking some sampling of the directions possible. We compute it as a sum.

We are aiming at retrieving the whole reflection area (the integral) to compute the reflection.