

Step 4:.

Multiplication

[Note: 2n bits product before so extend MSB with 0]

$$\begin{array}{r} 01101 \quad (x) \\ 01101 \\ \hline 0000000000 \quad (2n \text{ bits value}) \\ 0000000000 \\ 0000000000 \\ 0000000000 \\ 0000000000 \\ \hline 1110110010 \quad (-78) \end{array}$$

0 1 1 0 1 (x)

0 1 1 0 1

0 0 0 0 0 0 0 0 0 0 (2n bits value)

0 0 0 0 0 0 0 0 0 0

0 0 0 0 0 0 0 0 0 0

0 0 0 0 0 0 0 0 0 0

0 0 0 0 0 0 0 0 0 0

1 1 1 0 1 1 0 0 1 0 (-78)

To verify the answer take 2's complement for -78.

CARRY SAVE ADDITION:.

- Type of digital adding method
- used to efficiently compute the sum of three or more binary numbers.

eg:

45 x 63

45 \rightarrow 101101 } Binary representation
63 \rightarrow 111111

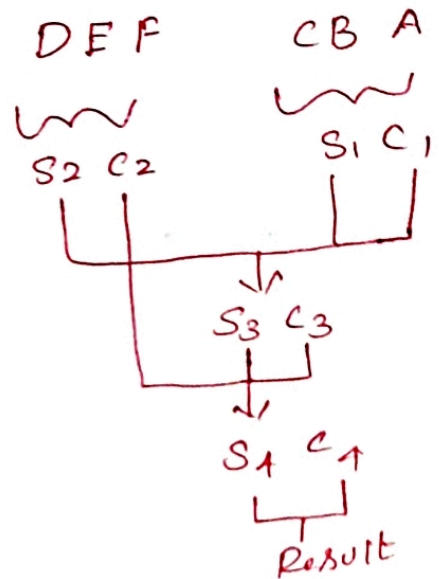
101101	A
101101x	B
101101xx	C
101101xxx	D
101101xxxx	E
101101xxxxx	F

Add \rightarrow ABC

101101	A
101101x	B
101101xx	C
<hr/>	
10000011	S ₁
0101100x	C ₁

Add \rightarrow DEF

101101xxx	D
101101xxxx	E
101101xxxxx	F
<hr/>	
11000011000	S ₂
0011100000x	C ₂



Step 3: Add $\rightarrow S_1, C_1, S_2$

$$\begin{array}{r}
 11000011 \quad S_1 \\
 0111100 \times \quad C_1 \\
 11000011000 \quad S_2 \\
 \hline
 11010100011 \quad S_3 \\
 0001011000 \times \quad C_3
 \end{array}$$

Step 4: Add $\rightarrow S_3, C_3, C_2$

$$\begin{array}{r}
 11010100011 \quad S_3 \\
 0001011000 \times \quad C_3 \\
 0111100000 \times \quad C_2 \\
 \hline
 10111010011 \quad S_4 \\
 1010100000 \times \quad C_4
 \end{array}$$

Step 5: Add S_4, C_4

$$\begin{array}{r}
 10111010011 \quad S_4 \\
 1010100000 \times \quad C_4 \\
 \quad \quad 111 \\
 \hline
 \boxed{1} 01100010011 \rightarrow 2835
 \end{array}$$