

Per-Channel Energy Normalization: Why and How

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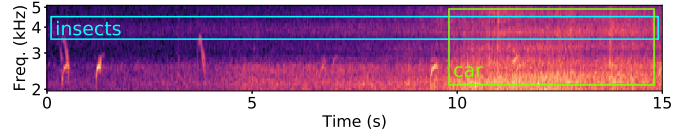
Abstract—In the context of automatic speech recognition and acoustic event detection, an adaptive procedure named per-channel energy normalization (PCEN) has recently shown to outperform the pointwise logarithm of mel-frequency spectrogram (logmelspec) as an acoustic frontend. This article investigates the adequacy of PCEN for spectrogram-based pattern recognition in far-field noisy recordings, both from theoretical and practical standpoints. First, we apply PCEN on various datasets of natural acoustic environments and find empirically that it Gaussianizes distributions of magnitudes while decorrelating frequency bands. Secondly, we describe the asymptotic regimes of each component in PCEN: temporal integration, gain control, and dynamic range compression. Thirdly, we give practical advice for adapting PCEN parameters to the temporal properties of the noise to be mitigated, the signal to be enhanced, and the choice of time-frequency representation. As it converts a large class of real-world soundscapes into additive white Gaussian noise (AWGN), PCEN is a computationally efficient frontend for robust detection and classification of acoustic events in heterogeneous environments.

Index Terms—Acoustic noise, acoustic sensors, acoustic signal detection, signal classification, spectrogram.

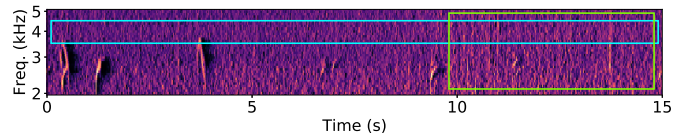
I. INTRODUCTION

FREQUENCY transposition is a major factor of intra-class variability in many sound classification tasks, including automatic speech recognition (ASR) [1], acoustic event detection (AED) [2], and bioacoustic species classification [3]. Tuning auditory filters to the perceptual mel scale provides a time-frequency representation, named mel-frequency spectrogram, in which the frequency transpositions of any periodic audio signal become vertical translations [4]. In the presence of a single source, this property allows convolutional operators in the time-frequency domain [5], such as convolutional neural networks [1] and time-frequency scattering [6], to extract pitch contours as spectrotemporal patterns, regardless of their fundamental frequency – a property known as equivariance [7], [8].

Yet, there is often more than one active source in real-world audio recordings, especially outdoors [9]. Even after narrowing down the classification task to the identification of the most salient source only (thereafter called foreground), the presence of background noise is detrimental to equivariance along the mel-frequency axis [10]. Indeed, on one hand, intra-class variability causes frequency transposition of the foreground while leaving the background unaffected. On the other hand, equivariance is only possible if foreground and background happen to be transposed simultaneously. The generalizability of learned convolutional kernels across acoustically similar events of distinct fundamental frequencies is hindered by the



(a) Logarithmic transformation.



(b) Per-channel energy normalization (PCEN).

Fig. 1. A soundscape comprising bird calls, insect stridulations, and a passing vehicle. The logarithmic transformation of the mel-frequency spectrogram (a) maps all magnitudes to a decibel-like scale, whereas per-channel energy normalization (b) enhances transient events (bird calls) while discarding stationary noise (insects) as well as slow changes in loudness (vehicle). Data provided by BirdVox. Mel-spectrogram and PCEN computed with default librosa 0.6.1 parameters and $T = 60$ ms (see Section IV).

contradiction between these two assumptions. To reconcile them, the background must result from a stochastic process that is stationary along the mel-frequency axis [11]. Indeed, the robustness of deep neural networks to adversarial additive perturbations has been shown to be theoretically optimal if background noise in the training set is additive, white, and Gaussian (AWGN) [12]. However, in the absence of any further processing, magnitudes in the mel-frequency spectrogram $\mathbf{E}(t, f)$ of real-world acoustic scenes are typically sparse and strongly correlated, both along time t and mel frequency f [13], and thus not approximable by AWGN.

Per-channel energy normalization (PCEN) [14] has recently been proposed as an alternative to the logarithmic transformation of the mel-spectrogram (logmelspec), with the aim of improving robustness to channel distortion. PCEN combines dynamic range compression (DRC, also present in logmelspec) and adaptive gain control (AGC) with temporal integration. AGC is a prior stage to DRC involving a low-pass filter ϕ_T at a time scale T , thus yielding

$$\text{PCEN}(t, f) = \left(\frac{\mathbf{E}(t, f)}{(\epsilon + (\mathbf{E} * \phi_T)(t, f))^\alpha} + \delta \right)^r - \delta^r \quad (1)$$

where α, ϵ, r , and δ are positive constants. While DRC reduces the variance of foreground loudness, AGC is intended to suppress stationary background noise. The resulting representation has shown to improve performance in far-field ASR [15], AED [16], keyword spotting [14], [17], and vocal activity detection in music [18]. However, the literature is yet to provide clear insight into why and how PCEN works.

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This article aims to address this gap by showing empirically how PCEN Gaussianizes and whitens mel-frequency magnitude spectra in various acoustic conditions, characterizing the effect of its various parameters by means of theoretical and practical insights combined, and providing concrete guidelines in setting them to optimize performance in a given application context.

II. WHY PCEN WORKS: A STATISTICAL ANALYSIS

Figure 1 compares logmelspec and PCEN on a complex acoustic scene: while PCEN enhances chirped events, it converts background noise into a spectrotemporal texture that is devoid of long-range interactions. To demonstrate this property across a variety of acoustic conditions, we perform a comparative statistical analysis of logmelspec and PCEN output on a sample of urban, periurban, and rural recordings.

A. Datasets

The SONYC dataset consists of 66 ten-second recordings sampled from 51 sensors deployed across NYC during several months [19], and spanning 22 urban sound classes: *car horn*, *crowd*, *jackhammer*, etc. The SONYC dataset thus amounts to $22 \times 3 \times 10 = 660$ seconds of audio (7.3M coefficients).

The DCASE 2013 Scene Classification (SC) dataset was recorded in various periurban locations — both indoor and outdoor — near London, UK, by a person wearing a binaural microphone [20]. It consists of 100 half-minute recordings from ten different soundscape classes (*open air market*, *restaurant*, *bus*, etc.) amounting to $100 \times 30 = 3000$ seconds of audio (33M coefficients).

The BirdVox project uses nine acoustic sensors near Ithaca, NY, USA, for monitoring avian migration [21]. Out of the 7k hours of audio in the full BirdVox data, we manually curate 15 one-minute recordings; the resulting subset amounts to $15 \times 60 = 900$ seconds of audio (10M coefficients).

B. Gaussianization of magnitudes

Figure 2 displays a histogram of all magnitudes in the matrix of mel-spectrogram coefficients, after either logarithmic transformation or PCEN. We observe that, for each of the three datasets, logmelspec magnitudes exhibit a skewed distribution, either left (BirdVox) or right (SONYC, DCASE 2013 SC). Replacing the logarithm by an adapted Box-Cox power transform [22] could, in principle, improve normality, but the maximum likelihood inference of its two parameters (offset and exponent) is inadequate for real-time applications. Furthermore, we found in practice that both logarithm and adaptive Box-Cox led to leptokurtic (thin-tailed) distributions. On the contrary, PCEN successfully brings the distribution of magnitudes closer to Gaussian, with skewness and kurtosis both negligible.

The Shapiro-Wilk test of normality indicates statistically significant evidence to reject the claim that the logarithmic transformation Gaussianizes the distribution of spectrogram magnitudes ($p < 0.005$ on all three datasets). At the same time, the same test fails to reject the null hypothesis of normality in the distribution of PCEN magnitudes.

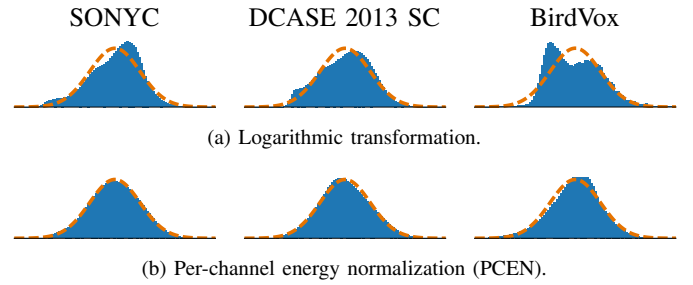


Fig. 2. Distributions of magnitudes in the mel-frequency spectrogram after logmelspec (a), and PCEN (c), as estimated on three datasets of acoustic scenes: SONYC (left); DCASE 2013 SC (middle); and BirdVox (right). Each distribution is scaled to null mean and unit variance, and discretized with 500 histogram bins ranging between -4 and 4 . For comparison, the dashed line indicates the standard normal distribution. See Subsection II-B for details.

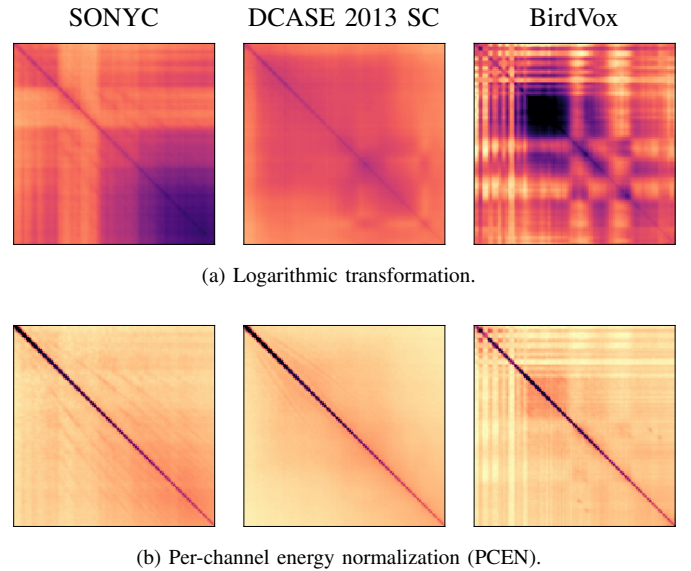


Fig. 3. Covariance matrices of frequency channels after logarithmic transformation (a) and PCEN (b), as estimated on three datasets of acoustic scenes: SONYC (left); DCASE 2013 (middle); and BirdVox (right). Darker shades indicate larger covariances in absolute value. See Subsection II-C for details.

C. Spectrogram whitening by decorrelation of frequency bands

Figure 3 displays the covariance matrices of mel-spectrogram coefficients across frequency channels. While the logarithmic transformation suffers from strong cross-correlations between non-adjacent bands, the covariance matrix of PCEN is close to identity, thus suggesting that noise is “whitened”.

III. HOW PCEN WORKS: AN ASYMPTOTIC ANALYSIS

PCEN’s ability to Gaussianize and whiten the background of acoustic recordings is the result of its three component operations of temporal integration, adaptive gain control, and dynamic range compression. In this section, we aim to elucidate the parameter space of these three operations by means of an asymptotic analysis.

A. Temporal integration

Filtering each subband f in $\mathbf{E}(t, f)$ with ϕ_T aims at estimating the intensity of background noise at f while remaining invariant to the intensity of foreground events. Under

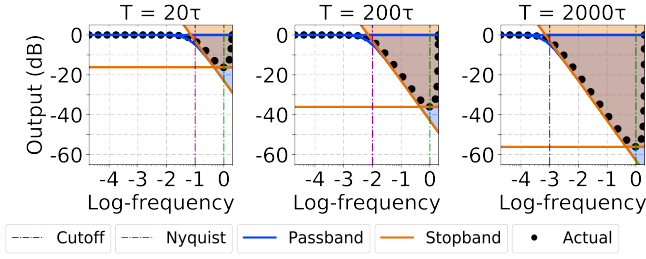


Fig. 4. Bode plot of the filter $|\widehat{\phi}_T(\omega)|^2$, measured in relative magnitude (dB) as a function of the ratio $\frac{\omega}{\omega_c}$ between frequency and cutoff frequency $\omega_c = \frac{2\pi}{T}$. The time scale T is alternatively set to $10^1 2\tau$ (left), $10^2 2\tau$ (middle), and $10^3 2\tau$ (right). We observe a sidelobe falloff of 10 dB per decade in the stopband. Solid lines and shaded areas respectively denote asymptotic bounds and their corresponding error margins, as proved in Proposition III.1. The dashed purple (resp. green) vertical line denotes the cutoff (resp. Nyquist) frequency.

the assumption that the amplitude modulations (AM) of the foreground at f are faster than those of the background, T should be chosen to be above typical periods of foreground AM and below those of background AM. The same can be said of frequency modulation (FM): PCEN enhances chirped events in the mel-frequency spectrogram that move from one subband f to the next in less time than T while attenuating slower FM. Thus, T is the transition threshold between a stationary regime of background and a transient regime of foreground.

The original implementation of PCEN [14] defines $\phi_T(t)$ as a first-order IIR filter whose response to $\mathbf{E}(t, f)$ is

$$\mathbf{M}(t, f) = (\mathbf{E} * \phi_T)(t, f) = s\mathbf{E}(t, f) + (1-s)\mathbf{M}(t - \tau, f), \quad (2)$$

where $0 < s < 1$ is the weight of the associated autoregressive process (AR(1)) and τ is the discretization time step (“hop size”) in seconds.

Proposition III.1. *The autoregressive filter ϕ_T defined in Equation 2 is a low-pass filter of gain 0 dB, cutoff frequency $\omega_c = \frac{2\pi}{T} = \arccos(1 - \frac{s^2}{2(1-s)})$ at 3 dB, and sidelobe falloff of 10 dB per decade near ω_c .*

Figure 4 illustrates the frequency response of ϕ_T for different values of T .

B. Adaptive gain control (AGC)

The smoothed mel-frequency spectrogram $\mathbf{M}(t, f)$ estimates the level of stationary background noise level in each frequency band f (where background is defined as slower AM than T), and serves to adapt the gain level in the denominator of the following equation:

$$\mathbf{G}(t, f) = \frac{\mathbf{E}(t, f)}{(\mathbf{M}(t, f) + \varepsilon)^\alpha}, \quad (3)$$

where $0 < \alpha < 1$ (resp. $\varepsilon > 0$) is the exponent (resp. soft threshold) of AGC. This stage resembles mean-variance renormalization [23], relative spectra (RASTA) [24], and cepstral mean normalization [25].

The parameter ε distinguishes two regimes: silent ($\mathbf{M}(t, f) \ll \varepsilon$) and active ($\mathbf{M}(t, f) \gg \varepsilon$). Multiplying $\mathbf{E}(t, f)$ by some constant C leads to $\mathbf{G}(t, f)$ being multiplied by approximately C in the silent regime and by $C^{1-\alpha}$ in the active regime. For

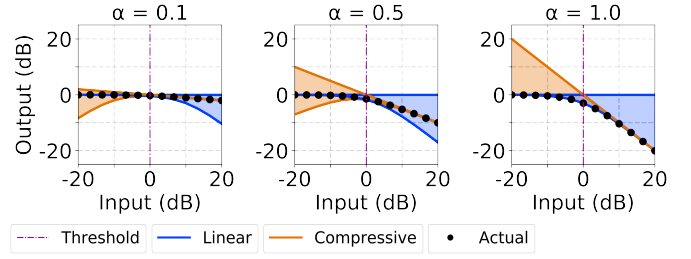


Fig. 5. Static compression characteristic of gain $\mathbf{M} \mapsto (\varepsilon + \mathbf{M})^{-\alpha}$, as a function of the ratio $\frac{\mathbf{M}}{\varepsilon}$ between input magnitude \mathbf{M} and soft threshold ε . The exponent α is alternatively set to 0.1 (left), 0.5 (middle), and 1.0 (right). Solid lines and shaded areas respectively denote asymptotic bounds and their corresponding error margins, as proved in Proposition III.2. The dashed purple vertical line denotes the transition $\mathbf{M} = \varepsilon$.

ε of the order of unit roundoff and α close to 1, the following proposition proves that AGC is nonexpansive in quasi-silent frequency bands and strongly compressive in active frequency bands.

Proposition III.2. *$\mathbf{G}(t, f)$ is asymptotically equivalent to: (i) $\mathbf{E}(t, f)/\varepsilon^\alpha$ if $\mathbf{M}(t, f) \ll \varepsilon$ and to (ii) $\mathbf{E}(t, f)/\mathbf{M}(t, f)^\alpha$ if $\mathbf{M}(t, f) \gg \varepsilon$.*

Figure 5 illustrates the empirical fit of the characteristic $\mathbf{M} \mapsto (\mathbf{M} + \varepsilon)^{-\alpha}$ to the asymptotic regimes described in Proposition III.2. In the active regime, bringing α closer to 1 (resp. to 0) leads to more (resp. less) cancellation of background noise.

In the limit case $\varepsilon = 0$ and $\alpha = 1$, the proposition below proves that spectral equalization does not affect \mathbf{G} , because its effect on the numerator \mathbf{E} is compensated by AGC with \mathbf{M} .

Proposition III.3. *Let $\mathbf{h}(t)$ be the impulse response of some acoustic environment or recording device. If $|\widehat{\mathbf{h}}|(f) = 0$ for $f < \frac{1}{T}$ and $|\widehat{\mathbf{h}}|(f) > 0$ for every f in the audible range, \mathbf{G} is invariant to the filtering of the underlying waveform by \mathbf{h} .*

This result, derived from [26], makes PCEN suitable for remote sensing applications, where acoustic models need to be robust to variations in the absorption properties of the environment, as well as in sensor technology [5], [27].

C. Dynamic range compression (DRC)

The last stage of PCEN is the addition of a positive bias δ to $\mathbf{G}(t, f)$, followed by pointwise exponentiation of the sum:

$$\mathbf{PCEN}(t, f) = (\mathbf{G}(t, f) + \delta)^r - \delta^r, \quad (4)$$

where $0 < r < 1$ (resp. $\delta > 1$) is the exponent (resp. soft threshold) of dynamic range compression.

The parameter δ distinguishes two regimes: quiet ($\mathbf{G} \ll \delta$) and loud ($\mathbf{G} \gg \delta$) after AGC. For $\mathbf{M}(t, f) \gg \varepsilon$, multiplying $\mathbf{E}(t, f)$ by some constant C leads to $\mathbf{G}(t, f)$ being multiplied by $C^{1-\alpha}$ in the quiet regime, and by $C^{r(1-\alpha)}$ in the loud regime. Therefore, DRC is stronger for smaller values of r .

Proposition III.4. *PCEN is asymptotically equivalent to: (i) $r\delta^{(r-1)}\mathbf{G}$ for $\mathbf{G} \ll \delta$ and to (ii) \mathbf{G}^r for $\mathbf{G} \gg \delta$.*

DRC resembles a spectral subtraction in the context of speech restoration [28]. Figure 6 illustrates the empirical fit of

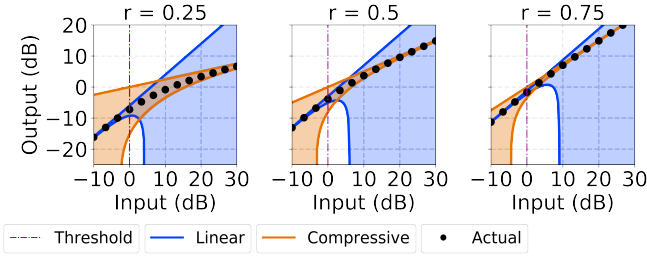


Fig. 6. Static compression characteristic of dynamic range compressions $\mathbf{G} \mapsto (\mathbf{G} + \delta)^r - \delta^r$, as a function of the ratio $\frac{\epsilon}{\delta}$ between input magnitude \mathbf{G} and soft threshold δ , for different values of r : 0.25 (left), 0.5 (middle), and 0.75 (right). Solid lines and shaded areas respectively denote asymptotic bounds and their corresponding error margins, as proved in Proposition III.4.

the characteristic $\mathbf{G} \mapsto (\mathbf{G} + \delta)^r - \delta^r$ to the asymptotic regimes described in Proposition III.4.

IV. PRACTICAL RECOMMENDATIONS

A. Setting parameters T and s

As discussed in Subsection III-A, the time constant T (directly linked to the dimensionless parameter s) should be longer than the time taken by a frequency-modulated foreground event to move from one subband f to another, adjacent subband. For a mel-frequency spectrogram of N bands ranging between $\text{mel}(f_{\min})$ and $\text{mel}(f_{\max})$, a rule of thumb for PCEN in AED is

$$\frac{T \times c \times N}{\text{mel}(f_{\max}) - \text{mel}(f_{\min})} = K, \quad (5)$$

where c is the typical chirp rate of the event of interest, measured in mels per second; and K is some constant, depending on the reverberation properties of the environment. If the mel-frequency spectrogram is replaced by a constant- Q transform, the rule of thumb simply becomes $T \times c \times Q = K$, where c (resp. Q) is measured in octaves (resp. octaves per second). K is of the order of 1 in dry environments and above 10 in highly reverberant environment, e.g. bioacoustic event detection [29], [30].

In Equation 5, the optimal value of T does not solely depend on the physical phenomenon of interest (through the chirp rate c and reverberation constant K), but also on the choice of parametrization of the mel-frequency spectrogram (through N , f_{\min} , and f_{\max}). Therefore, in the context of hyperparameter optimization, any change in the resolution of the time-frequency representation should be reflected in an update of T , which in turn updates s through the following formula.

Proposition IV.1. *At a discrete rate τ^{-1} , the weight s of the autoregressive filter ϕ_T defined in Equation 2 is*

$$s = \sqrt{1 - \cos \frac{2\pi\tau}{T}} \left(\sqrt{3 - \cos \frac{2\pi\tau}{T}} - \sqrt{1 - \cos \frac{2\pi\tau}{T}} \right). \quad (6)$$

B. Setting parameters ϵ and α

In accordance with [14], we found empirically that T and α were the most important parameters. Although $\alpha = 1$ leads to an optimal cancellation of stationary background (see Prop.

III.3), it may skew the distribution of magnitudes towards the right. Setting α below 1 reduces skewness and brings the background closer to AWGN. However, we have found ϵ to have no effect as long as it is set below unit roundoff.

C. Setting parameters δ and r

The effects of δ and r are more noticeable on the foreground time-frequency regions than on the background. The DRC threshold $\delta > 1$ sets a tradeoff between improving average foreground-to-background ratio ($\delta \rightarrow +\infty$ in highly noisy applications) and reducing variance in the loudness of foreground events ($\delta \rightarrow 1$). Moreover, if the foreground source is transient with respect to the time scale T and at distance d from the sensor, the energy in $\mathbf{E}(t, f)$ is proportional to $\frac{1}{d^2}$: therefore, under a fixed background noise level $\mathbf{M}(t, f)$, one has $\mathbf{G} \sim \frac{1}{d^2}$ and $\text{PCEN} \sim \frac{1}{d^{2r}}$. We recommend $r = \frac{1}{2}$ for indoor applications ($d \sim 10\text{m}$) and $r = \frac{1}{4}$ for outdoor applications ($d \sim 100\text{m}$).

D. Open source implementation of PCEN in librosa

We release an open source implementation of PCEN in librosa v0.6.1 [31], whose default parameters are identical to [14]: $T = 400\text{ms}$ (i.e. $s \approx 0.025$ with $\tau = 23\text{ms}$), $\epsilon = 10^{-6}$, $\alpha = 0.98$, $\delta = 2$, and $r = \frac{1}{2}$. Whereas these defaults are best suited to indoor applications (e.g. ASR in the smart home), bioacoustic event detection distinguishes itself by faster modulations of foreground (lower T), higher skewness of background magnitudes (lower α), a louder background (higher δ), and more distant sources (lower r). Thus, we adopt the following settings in our bird detection work: $T = 60\text{ms}$ with $Q = 50$ and $\tau = 1.5\text{ms}$, $\epsilon = 10^{-6}$, $\alpha = 0.8$, $\delta = 10$, and $r = 0.25$. The inspection of magnitude histograms (Figure 2) and covariance matrices (Figure 3) suggests that such settings lead to a successful Gaussianization and decorrelation of subbands.

V. CONCLUSION

Unlike batch learning decorrelation procedures such as principal component analysis (PCA), PCEN can be implemented in real time and distributed across sensors [19]; in addition, it preserves the locality structure of harmonic patterns along the mel-frequency axis [32]. Although it depends on five parameters (T , α , ϵ , r , and δ) that are possibly frequency-dependent, this article has shown that each of these parameters has an interpretable purpose, and given asymptotic approximations of the PCEN equations in ideal regimes: silent vs. active (ϵ), stationary vs. transient (T), and quiet vs. loud (δ). In the context of deep learning for ASR and AED, our results could yield well-adapted initial values for the trainable version of PCEN [14], as well as a post hoc interpretation of all learned parameters.

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