### Midterm Review

EC 320: Introduction to Econometrics

Winter 2022

# Prologue

# Housekeeping

Problem Set 3

• Due tonight by 23:59 on Canvas

Midterm 2 on Wednesday

No lab this week

## Midterm II: The Weeds

Anything from the lectures, labs, or problem sets is fair game!

- 1. Simple Linear Regression: Estimation I & II
- 2. Classical Assumptions
- 3. Simple Linear Regression: Inference
- 4. Multiple Linear Regression: Estimation
- 5. Multiple Linear Regression: Inference
- 6. Regressions in R

### 1. Simple Linear Regression: Estimation

**OLS** mechanics

- How does OLS pick parameter estimates?
- What properties are a direct consequence of OLS?
- Residuals v.s. errors

Coefficient interpretation

### 1. Simple Linear Regression: Estimation (cont.)

Goodness of fit

- $R^2$  interpretation
- Understand  $R^2$  derivation
- Use and misuse of  $\mathbb{R}^2$

#### OLS by hand

• Estimate coefficients and calculate  $\mathbb{R}^2$ .

### 2. Classical Assumptions

Six assumptions

- 1. Linearity
- 2. Sample variation/no perfect collinearity
- 3. Exogeneity
- 4. Homoskedasticity
- 5. Non-autocorrelation
- 6. Normality

What do they buy?

When are they satisfied? When are they violated?

### 2. Classical Assumptions (cont.)

#### So what?

- Coefficient interpretation
- Hypothesis test validity

### 3. Simple Linear Regression: Inference

Making inferences about population parameters

• Population v.s. sample

Hypothesis testing (e.g., t tests)

- Null hypotheses v.s. alternative hypotheses
- Left-tailed, right-tailed, and two-tailed
- Type I v.s. Type II error

Confidence intervals

### 4. Multiple Linear Regression: Estimation

OLS mechanics and properties

Goodness of fit

- $R^2$  interpretation
- Know the behavior of  $\mathbb{R}^2$  as the number of explanatory variables increases.

Make predictions for certain values of the explanatory values (*e.g.,* hedonic modeling)

### 4. Multiple Linear Regression: Estimation (cont.)

Coefficient interpretation

Omitted-variable bias

- Know when omitting a variable causes bias.
- Sign the bias.
- Back out correlations between explanatory variables.

### 5. Multiple Linear Regression: Inference

Confidence intervals and t tests

Other than degrees of freedom, same as before.

#### Multicollinearity

- Standard errors depend on the overlapping variation between the explanatory variable.
- More overlap  $\Longrightarrow$  bigger standard errors  $\Longrightarrow$  less likely to reject null hypothesis.

Irrelevant variables

No F tests on the midterm! Stay tuned for the final.

### 6. Regressions in R

Write the code that generates regression output

- I provide the console or R Markdown output and the name of the data file.
- You provide the code that loads the necessary packages, imports the data, runs regressions, and generates a table.
- Write the code as if it's in a .R script.

### Midterm Structure

#### Fill in the Blank

- 10 blanks
- 3 points per blank (30 points total)

#### True or False

- 5 questions
- 6 points per question (30 points total)

#### Free Response

- 5 multi-part questions with varying numbers of points (50 points total)
- Explanations required for full credit

### Midterm Protocol

#### **Materials**

- Writing utensil
- 3-inch-by-5-inch note card
- Basic or scientific calculator (no graphing or programming capabilities)
- Nothing else

#### Procedure

- 80 minutes from "you may begin" to "pencils down"
- First 30 minutes: quiet period (no questions, no getting up)
- Last 50 minutes: ask lots of questions

# Practice

## Regression Table

#### Example

Suppose we have the following fitted model for wage equation (standard errors in parenthesis, n=500):

$$t_{0.975}(497) = 1.96$$
 and  $t_{0.95}(497) = 1.65$ 

- 1. Interpret the regression results
- 2. Perform two-tailed 5-percent test of the null hypothesis that schooling has no effect on hourly earnings.
- 3. Perform one-tailed 5-percent test of the null hypothesis that experience has no effect on earnings against the alternative hypothesis that experience has a positive effect on earnings.
- 4. Confidence interval