

1.9 Yes. if it is definite, effectively computable and finite.

1.11 ① not definite: loop for almost 100 times. it is not an algorithm because the computer doesn't know how many times to loop exactly.

② not effective computable: find an integer  $n$  and  $n^2 = -1$ . There is no such an integer.

③ not finite: loop forever. It will never stop without any output.

1.16 The number of opcodes, data types, addressing modes.

1.18 A single microarchitecture implements one ISA. Many microarchitecture usually exist for a single ISA.

2.8

a. binary: 0111,1111 decimal: 127

b. binary: 1000,0000 decimal: -128

c.  $2^{n-1} - 1$

d.  $-2^{n-1}$

2.14 a.  $1011 + 0001 = 1100$

b.  $0000 + 1010 = 1010$

c.  $1100 + 0011 = 1111$

d.  $0101 + 0110 = 1011$

e.  $1111 + 0001 = 0000$

2.22 1000, 0000, 0000, 0000 and 1000, 0000, 0000, 0000

2.24 1111, 1111, 1111, 1111 and 0000, 0000, 0000, 0001

2.27 Yes, the 2 operation numbers are both positive but their sum is negative. The addition generates an overflow.

2.34 a.  $\text{NOT}(1011 \text{ AND } 1100)$

$$= \text{NOT}(1000) = 0111$$

b.  $\text{NOT}(1000 \text{ AND } 1101)$

$$= \text{NOT}(1000) = 0111$$

c. 1101

d. 0110