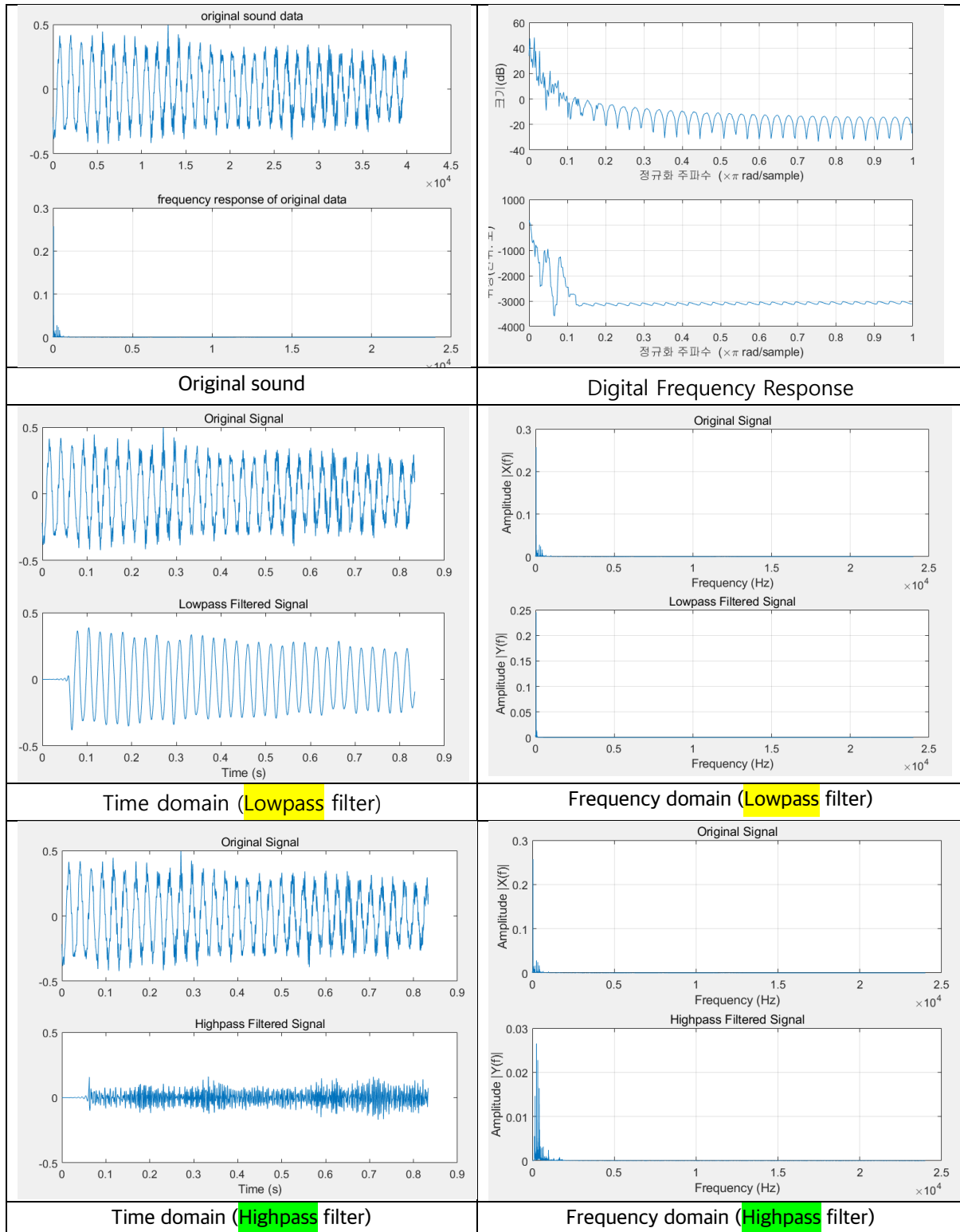
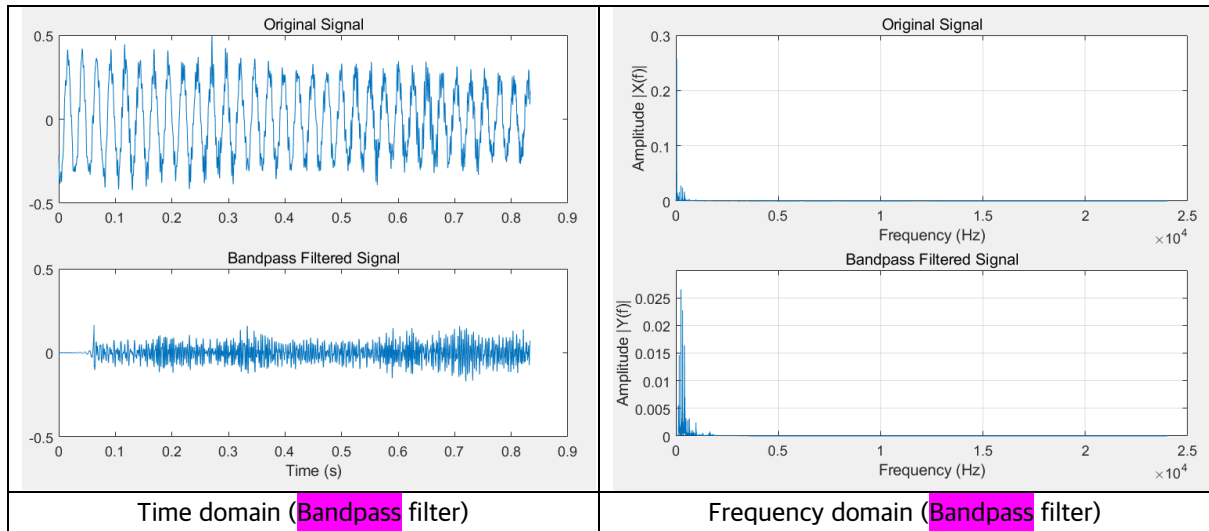


1. Results





2. Method / Discussion

=> Alan walker 의 'Legends never die'의 ncs 음악으로 필터링을 진행하였으며, low pass, high pass, band pass 필터를 각각 적용했다. 각 필터의 cutoff 지점을 정하기 위해서, Digital Frequency Response 를 확인했으며, X 가 0.005 인 지점으로 filter 를 만들었다. Hanning 윈도우 필터를 적용했으며, low pass filter가 가장 소리를 잘 필터링 해주었다. 다른 filter 들은 time domain 을 보았을 때, sin 곡선형태까지는 나오지 않았다.

아마 origianl sound 에서 저주파에서 음의 변화도가 완만해서, 이러한 결과를 가져온것이 아닐까 추측한다.

그리고, 각 필터의 계수를 6001 개를 사용했으며, delay 가 생기게 되었다.

3. CODE

```
%% read mp3 file

[out fs] = audioread('LEGENDSNEVER DIE.mp3');

N = 40000;    % data cut
k = 1200000;

data = out(40000:80000,1);

data2 = out(40000+k:200000+k,1);

%sound(data2,fs);

%sound(data/max(abs(data2)),fs); % play

filename = 'C:\Users\wonde\Desktop\original.mp4';

audiowrite(filename,data2,fs);

%% Spectrum (one-sided)

N=length(data);

f=[0:N/2]*fs/N;

Axk=2*abs(fft(data))/N;Axk(1)=Axk(1)/2;

figure(1);

subplot(2,1,1);

plot(data);

title('original sound data');

subplot(2,1,2);

plot(f,Axk(1:N/2+1));grid

title('frequency response of original data');

freqz(data,1);

%% Filtering

1. lowpass (Ex 7.8)

figure(3);

blo = fir1(6001,0.005,hann(6002));

outlo = filter(blo,1,data);
```

```
subplot(2,1,1);

t = (0:length(data)-1)/fs;

plot(t,data);

title('Original Signal');

ys = ylim;;

subplot(2,1,2);

plot(t, outlo);

title('Lowpass Filtered Signal');

xlabel('Time (s)');

ylim(ys);

figure(4);

subplot(2,1,2); plot(f,Axk(1:N/2+1));

xlabel('Frequency (Hz)'); ylabel('Amplitude |X(f)|');grid;

subplot(2,1,1); plot(f,Axk(1:N/2+1));

title('Original Signal');

xlabel('Frequency (Hz)'); ylabel('Amplitude |X(f)|');grid;

Ayk = 2*abs(fft(outlo))/N;Ayk(1) = Ayk(1)/2;

subplot(2,1,2);plot(f,Ayk(1:N/2+1));

title('Lowpass Filtered Signal');

xlabel('Frequency (Hz)'); ylabel('Amplitude |Y(f)|');grid;

sound(outlo)

% 2. highpass (Ex 7.9)

figure(5);

blo = fir1(6000,0.005,'high',hann(6001));

outlo = filter(blo,1,data);

subplot(2,1,1);

t = (0:length(data)-1)/fs;

plot(t,data);
```

```

title('Original Signal');

ys = ylim;;

subplot(2,1,2);

plot(t, outlo);

title('Highpass Filtered Signal');

xlabel('Time (s)');

ylim(ys);

figure(6);

subplot(2,1,2); plot(f,Axk(1:N/2+1));

xlabel('Frequency (Hz)'); ylabel('Amplitude |X(f)|');grid;

subplot(2,1,1); plot(f,Axk(1:N/2+1));

title('Original Signal');

xlabel('Frequency (Hz)'); ylabel('Amplitude |X(f)|');grid;

Ayk = 2*abs(fft(outlo))/N;Ayk(1) = Ayk(1)/2;

subplot(2,1,2);plot(f,Ayk(1:N/2+1));

title('Highpass Filtered Signal');

xlabel('Frequency (Hz)'); ylabel('Amplitude |Y(f)|');grid;

```

3. bandpass (Ex 7.10)

```

figure(7);

blo = fir1(6001,[0.005 0.15],'bandpass',hann(6002));

outlo = filter(blo,1,data);

subplot(2,1,1);

t = (0:length(data)-1)/fs;

plot(t,data);

title('Original Signal');

ys = ylim;;

subplot(2,1,2);

plot(t, outlo);

title('Bandpass Filtered Signal');

```

```

xlabel('Time (s)');

ylim(ys);

figure(8);

subplot(2,1,2); plot(f,Axk(1:N/2+1));

xlabel('Frequency (Hz)'); ylabel('Amplitude |X(f)|');grid;

subplot(2,1,1); plot(f,Axk(1:N/2+1));

title('Original Signal');

xlabel('Frequency (Hz)'); ylabel('Amplitude |X(f)|');grid;

Ayk = 2*abs(fft(outlo))/N;Ayk(1) = Ayk(1)/2;

subplot(2,1,2);plot(f,Ayk(1:N/2+1));

title('Bandpass Filtered Signal');

xlabel('Frequency (Hz)'); ylabel('Amplitude |Y(f)|');grid;

sound(outlo)

%% Echo

% Prob 6.32

% FIR

R = 7000;

%Difference equation:  $y[n]=x[n]+ax[n-R]$ 

%Equivalently, by the transfer function  $H(z)=1+az^{(-R)}$ 

num=[1,zeros(1,R-1),0.8];

den=[1];

%The output of the FIR filter is computed using the function 'filter'

d1 = filter(num,den,data2);

soundsc(d1,fs);

filename = 'C:\Users\wonde\Desktop\FIR.mp4';

audiowrite(filename,d1,fs);

```

```
% IIR

num=[0,zeros(1,7000-1),1]

den=[1,zeros(1,7000-1),-0.8];

d1=filter(num,den,data2);

soundsc(d1,fs);

filename = 'C:\Users\wonde\Desktop\IIR.mp4';

audiowrite(filename,d1,fs);
```