

## Select Tender Topics

(not a substitute for  
Recitation Recap, nor for  
studying on your own)

What did I need to know, in particular, from  
cs1566?

...**Everything**.

*cs1566 Alum gone straight to Sony  
Playstation, about his job interview.*



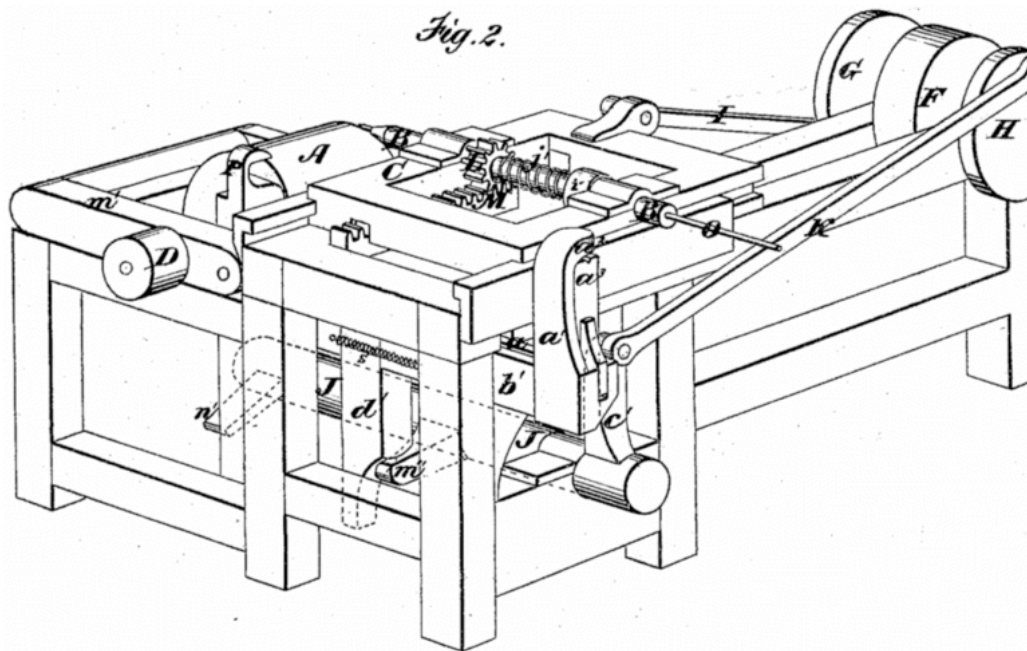
## Recitation Tomorrow (and on your own)

Example topics to recap:

- Graphics pipeline
    - mapping screen (mouse) to math drawing space and the other way around,...
  - Dot products, cross products and their uses
  - Vectors and vector manipulation
    - particle systems, collision detection,...
  - Geometric transformations
    - homogeneous coordinates
    - composing transformations (order!)
    - generating 3D shapes
    - constructing an arbitrary axis rotation
    - ...
  - Camera, ...
  - Ray construction, ...
  - Ray-Object intersections, implicit reps,...
- etc, etc

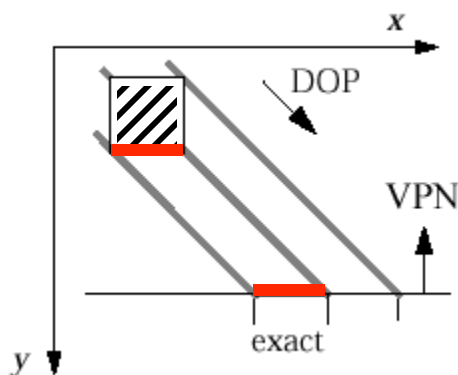
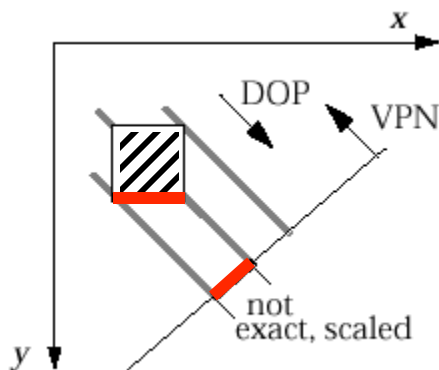
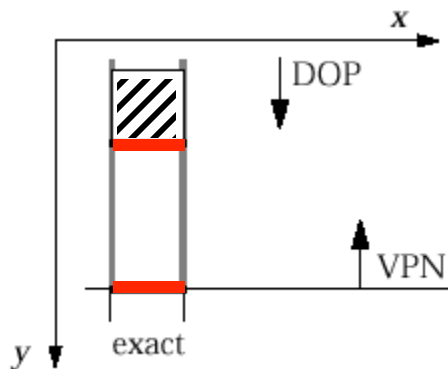
# Projections

- know how to recognize them from 2D drawings, and how to generate a 2D drawing using a particular projection
- experiment with expressing projections mathematically



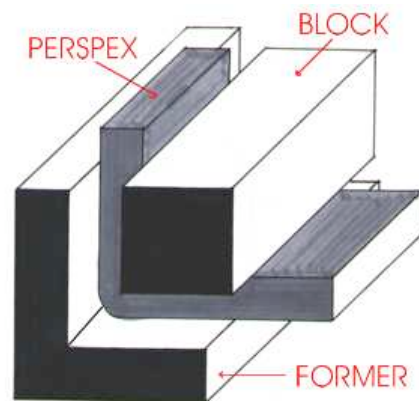
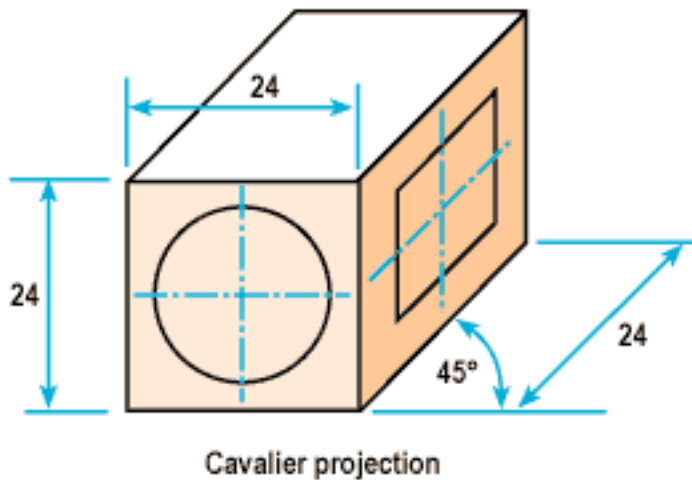
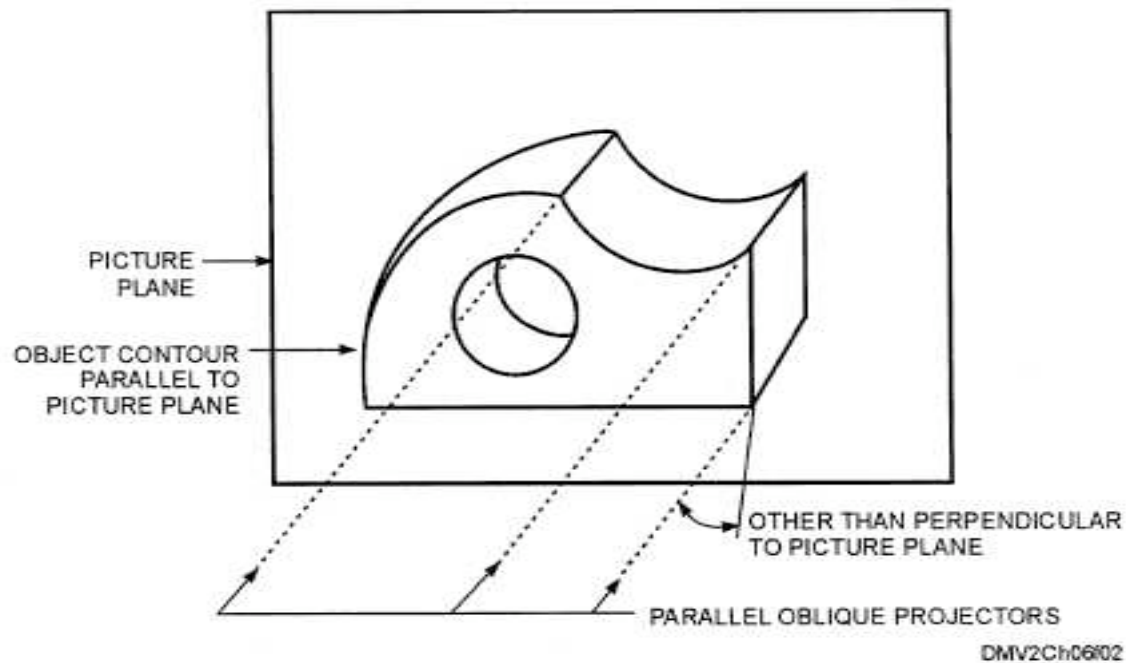
# Overview of Parallel Projections

- Assume object face-of-interest lies in principal plane, i.e., parallel to  $xy$ ,  $yz$ , or  $zx$  planes.
- DOP = Direction of Projection, VPN = View Plane Normal

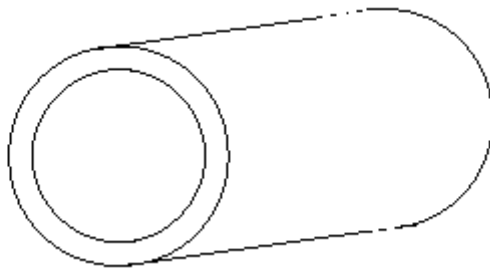


- 1) Multiview Orthographic
  - VPN  $\parallel$  a principal coordinate axis
  - DOP  $\parallel$  VPN
  - shows single face, exact measurements
- 2) Axonometric
  - VPN  $\nparallel$  a principal coordinate axis
  - DOP  $\parallel$  VPN
  - adjacent faces, none exact, uniformly foreshortened (function of angle between face normal and DOP)
- 3) Oblique
  - VPN  $\parallel$  a principal coordinate axis
  - DOP  $\nparallel$  VPN
  - adjacent faces, one exact, others uniformly foreshortened

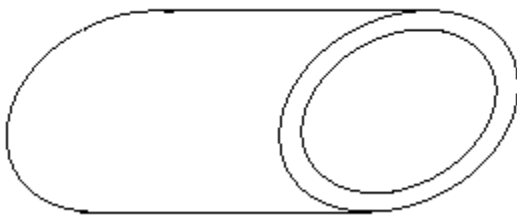
# Oblique Projections



## If It Were Oblique Projection



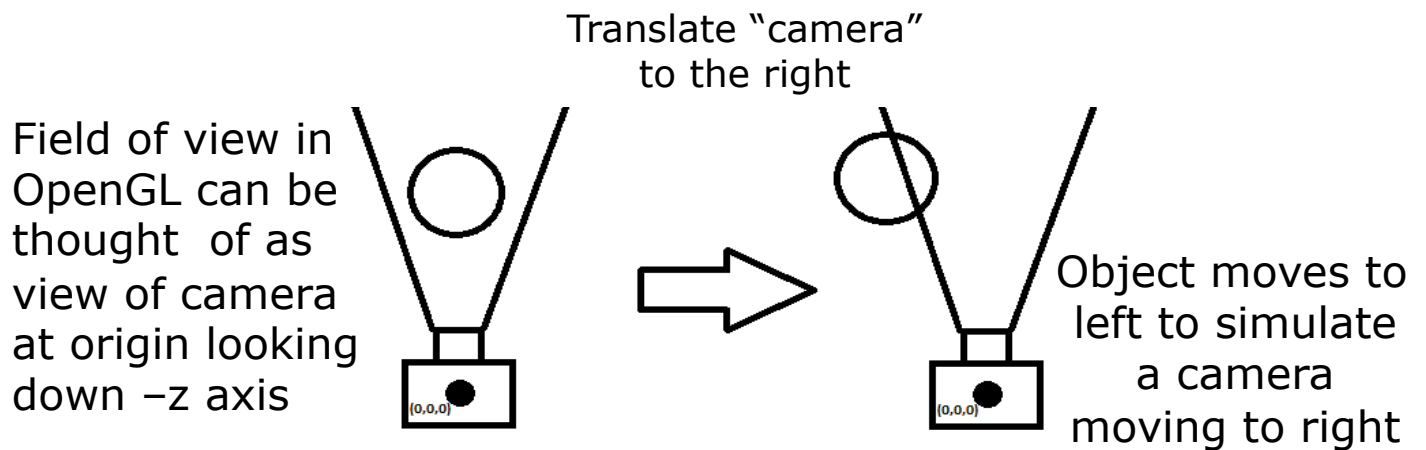
- Projection plane parallel to circular face



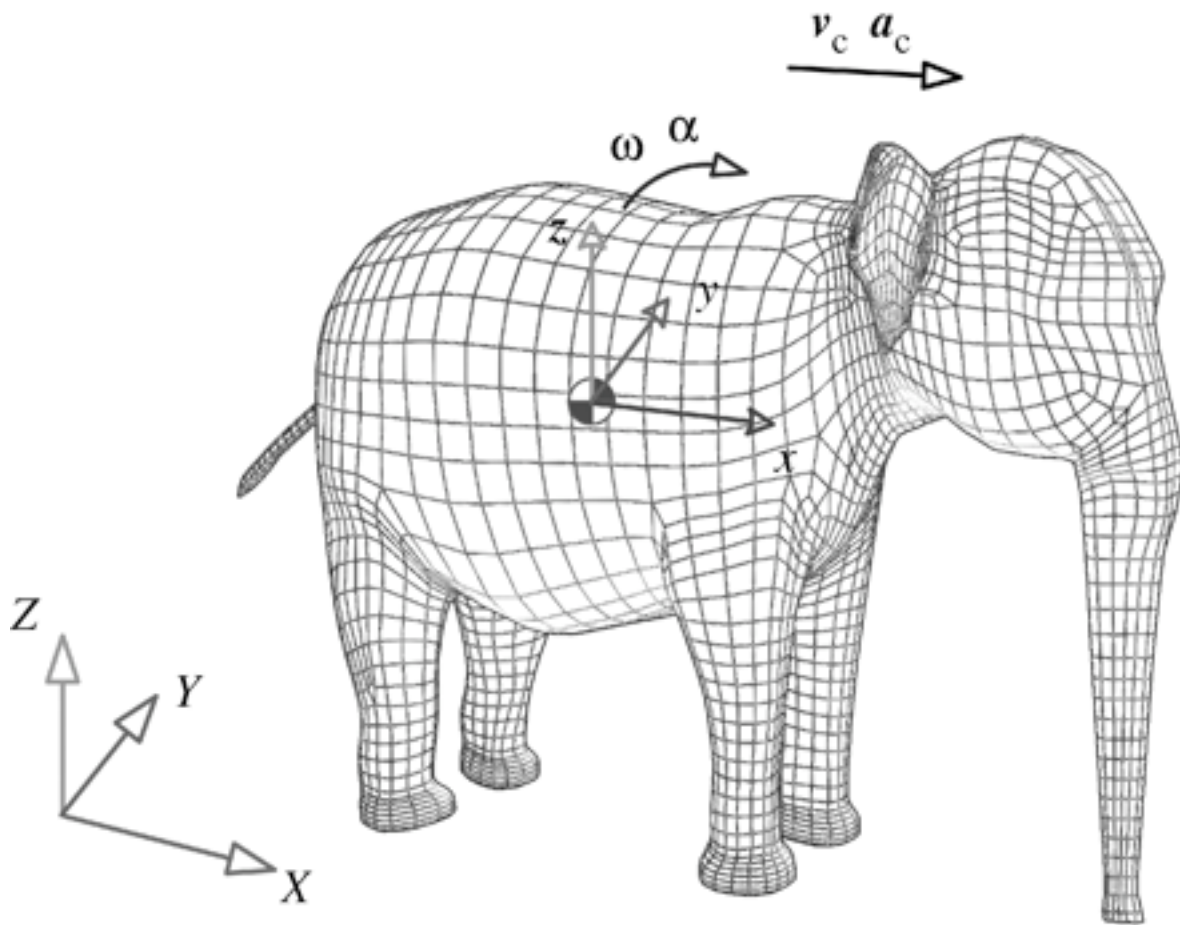
- Projection plane not parallel to circular face



## Relative Motion



# Aligning Local Coordinate Systems



Two coordinate systems used to track elephant motions. A trackway coordinate system  $XYZ$  was defined by aligning the axes with the trackway. A body-fixed coordinate system  $xyz$  was defined to move with the elephant body. The derived CM velocity  $v_c$  and acceleration  $a_c$ , and torso angular velocity  $\omega$  and angular acceleration  $\alpha$  were all expressed in the body-fixed coordinate system.

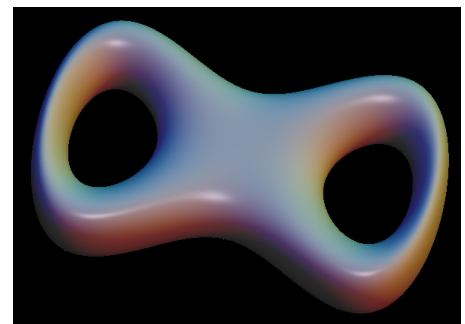
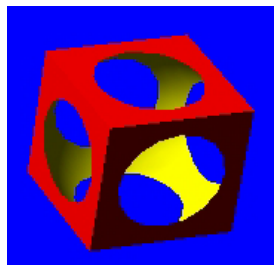
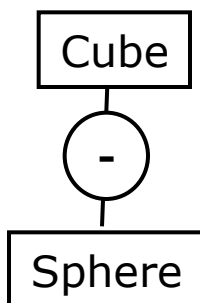
<http://rsif.royalsocietypublishing.org/content/5/19/195/F2.expansion.html>



# Ray-Object Intersection

## *Implicit surface strategy summary*

- Substitute ray ( $P + td$ ) into implicit surface equations and solve for  $t$ 
  - surface you see "first" from eye point is at smallest non-negative  $t$ -value
  - testing for non-intersection, tangents etc
- For complicated objects (not defined by a single equation), write out a set of equalities and inequalities and then code as cases...
- Latter approach can be generalized cleverly to handle all sorts of complex combinations of objects
  - note we don't need a polygonal representation of the object



$$F(x,y,z) = ((x^2(1-x^2)-y^2)^2+0.5*z^2-f*(1+b*(x^2+y^2+z^2))) = 0$$