AI Planning for Autonomy

Solution Problem Set IV: PDDL and General Heuristics

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For a given set of Blocks B:
F=\{ on(x,y), onTable(x), clear(x), holding(x), armFree \mid x,y \in B \}, 
A = \{ \operatorname{stack}(x,y) :
    • Prec: holding(x), clear(y)
    • Add: clear(x), on(x,y), armFree
    • Del: clear(y), holding(x)
| x, y \in B 
  A = A \cup \{ unstack(x,y) :
    \bullet Prec: on(x,y), clear(x), armFree
    • Add: holding(x), clear(y)
    • Del: clear(x), on(x,y), armFree
| x, y \in B 
  A = A \cup \{ \text{putdown}(x) : 
    • Prec: holding(x)
    • Add: clear(x), onTable(x), armFree
    • Del: holding(x)
\mid x \in B \rangle
  A = A \cup \{ pickup(x) :
    • Prec: onTable(x), clear(x), armFree
    • Add: holding(x)
    • Del: clear(x), onTable(x), armFree
\mid x \in B \rangle
  I = \{on(a,c), onTable(c), onTable(b), clear(a), clear(b), armFree\}
F = \{ on(a,b), on(b,c) \}
2.
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- What is a (relaxed) planning graph? See lecture slides.
- Compute $h^{max}(s_0)$ for this blocks-world problem. $h^{add}(s_0) = 5$. For computation, see below.

• Compute $h^{max}(s_0)$ for this blocks-world problem. $h^{max}(s_0) = 2$. For computation, see below.

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Iteration	d(A)	[e(13)	(el(c)	On Table (A)	ontable (B)	on table (c)	On (A,C)	on (A,B).	on (13, C)	$\int_{A}^{\infty} h(A)$	h(0).	h(c)	AMFREE
0	0	0	∞	00	G	0	0	00	<i>∞</i>	2	\sim	~	0
1	0	0	1	∞	O	0	0	0	8	1	1	∠ ∪	0
21	0	0	1	2	6	0	0	7	7				
										// \	1	\leq	0
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The table for h_{add} changes only the value for on(B,C) to 3, hence h value of the Goal is 5.