

## Solution Problem Set I: Heuristic Search

1.

Consider a set of cities  $V$  to visit in any order, a starting city location  $v_{start}$ , and a set of edges  $E$  specifying if there's an edge from two cities  $\langle v, v' \rangle$ :

$$\begin{aligned} S &= \{ \langle current_v, V' \rangle \mid current_v \in V \wedge V' \subseteq V \} \\ S_0 &= \langle v_{start}, \{v_{start}\} \rangle \\ A(\langle current_v, V' \rangle) &= \{ \langle current_v, v' \rangle \mid \langle current_v, v' \rangle \in E \} \\ f(\langle current_v, V' \rangle, \langle current_v, v' \rangle) &= \langle v', V' \cup v' \rangle \\ c(a, s) &= cost(edge) \\ S_G &= \{ \langle current_v, V \rangle \} \end{aligned}$$

2.

- Is  $h$  *admissible*? yes
- Is  $h$  *consistent*? yes
- Which is the path returned by  $A^*$  as a solution?  $s_1$   $s_4$   $s_6$   $s_7$
- Is this the optimal plan? Has the algorithm proved this? Yes, as  $h$  is admissible, if a cheapest path exists it should have been expanded already due to its smaller  $f$  value.