

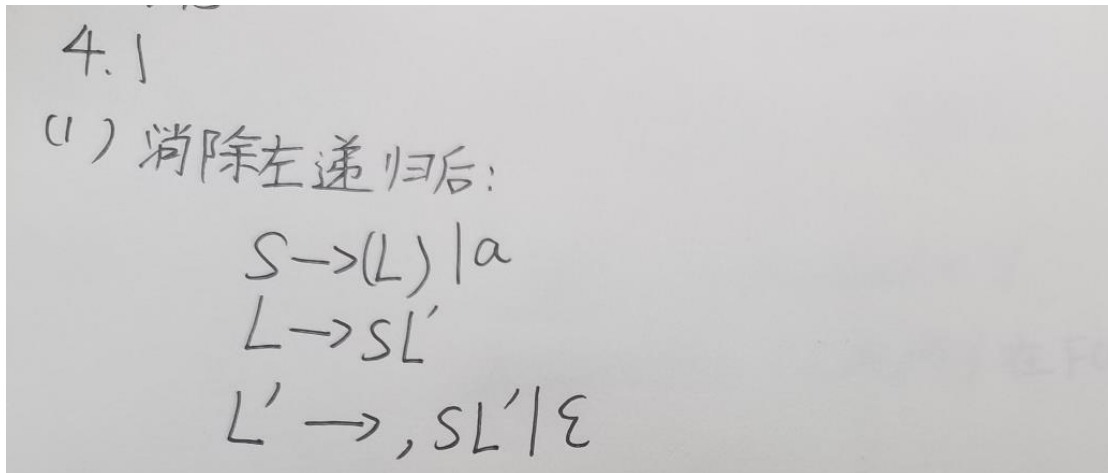
Exercise 4.1

- Given the following grammar

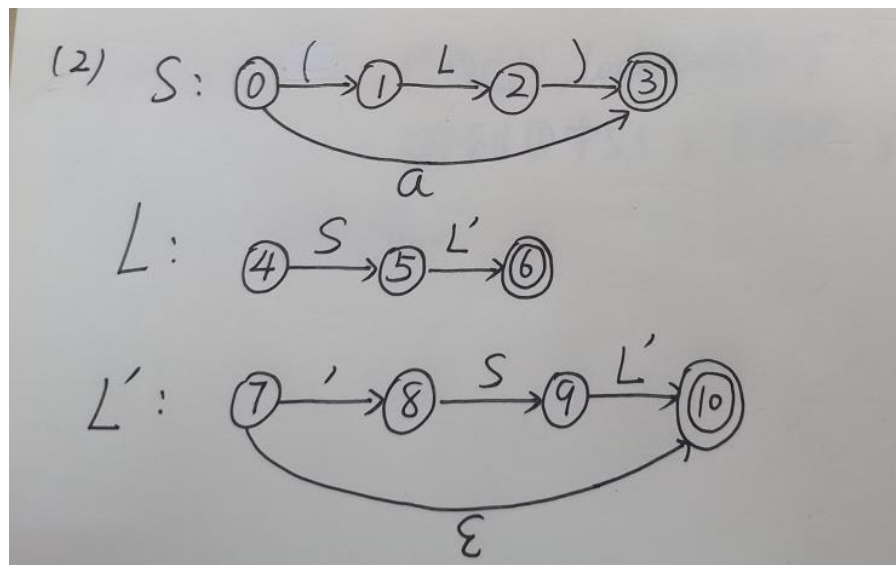
$$S \rightarrow (L) \mid a$$

$$L \rightarrow L, S \mid S$$

- Eliminate left recursions in the grammar.
- Draw the transition diagrams for the grammar.
- Write a recursive descent predictive parser.
- Indicate the procedure call sequence for an input sentence $(a, (a, a))$.



4.2



4.3:

对于 S:

```
void S( ) {  
    if ( lookahead == '(' ) {  
        match( '(' );  
        L( );  
        match( ' )' );  
    }  
    else if ( lookahead == a ) {  
        match( a );  
    }  
    else{  
        error( );  
    }  
}
```

对于 L':

```
void L1( ) {  
    if ( lookahead == ',' ) {  
        match( ',' );  
        S( );  
        L1( );  
    }  
    else if ( lookahead in FOLLOW(L') ) {  
    }  
    else{  
        error( );  
    }  
}
```

对于 L:

```
void L1( ) {  
    S();  
    L1();  
}
```

4.4:

(4) 对于 $(a, (a, a))$, 初始时 $lookahead = 'c'$

- ① 调用 $S()$, 匹配 $'c'$, $lookahead = a$
- ② 递归调用 $L()$
- ③ 递归调用 $S()$, 匹配 a , $lookahead = ''$
- ④ 回到②中的 $L()$, 递归调用 $L()$, 匹配 $'$, $lookahead = 'c'$
- ⑤ 递归调用 $S()$, 匹配 $'c'$, $lookahead = a$

- ⑥ 递归调用 $L()$
- ⑦ 递归调用 $S()$, 匹配 a , $lookahead = ''$
- ⑧ 回到⑥中 $L()$, 递归调用 $L()$, 匹配 $'$, $lookahead = a$
- ⑨ 递归调用 $S()$, 匹配 a , $lookahead = ''$
- ⑩ 回到⑥中 $L()$, 递归调用 $L()$, 此时 $'$ 在 $FOLLOW(L')$ 中, 不进行操作
- ⑪ 回到⑤中 $S()$, 匹配 $'$, $lookahead = ''$
- ⑫ 回到②中 $L()$, 回到①中 $S()$, 匹配 $'$, $S()$ 返回, 匹配至此完成。

Exercise 4.2

- Consider the context-free grammar

$$S \rightarrow a S b S \mid b S a S \mid \varepsilon$$

- Can you construct a predictive parser for the grammar? and why?

答：不能，因为这个语法有二义性且含有左递归。

Exercise 4.3

- Compute the FIRST and FOLLOW for the start symbol of the following grammar

$$S \rightarrow S S + \mid S S * \mid a$$

4.3
先消除左递归: $S \rightarrow aS'$
 $S' \rightarrow S+S' \mid S * S' \mid \varepsilon$

提取左公因子: $S \rightarrow aS'$
 $S' \rightarrow S(+S' \mid *S') \mid \varepsilon$

再改写有: $S \rightarrow aS'$
 $S' \rightarrow ST \mid \varepsilon$
 $T \rightarrow +S' \mid *S'$

$\therefore \text{FIRST}(S) = \{a\}$
 $\text{FOLLOW}(S) = \{+, *, \$\}$