

LIGHT and SPECIAL RELATIVITY
EXPERIMENTAL VERIFICATION
NUCLEAR REACTIONS

The energy released in nuclear reactions can be predicted from the theory of special relativity and the predictions agree extremely well with measured values.

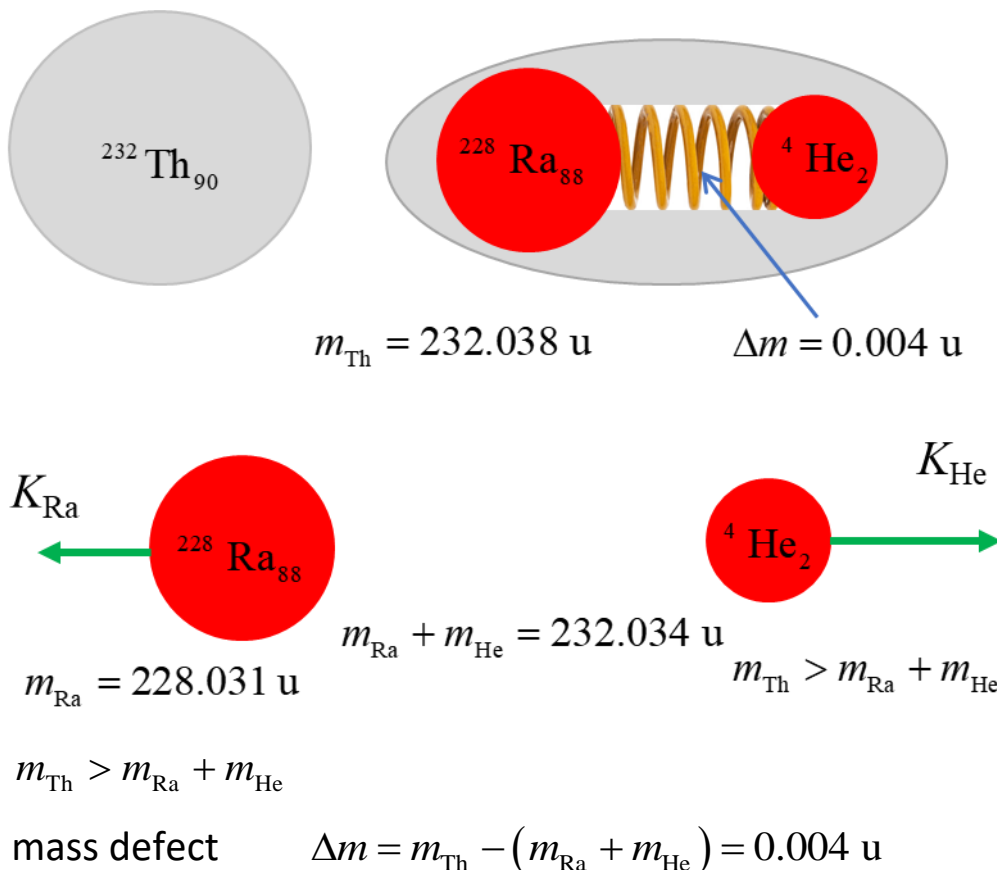
As an example, we will consider the emission of an alpha particle (helium nucleus) from a heavy nucleus of thorium where the parent nucleus is unstable and spontaneously explodes tearing the whole atom into two pieces.



The reaction is analogous to two blocks being held together by a spring and then released, resulting in the two blocks flying away from each other.

In the nuclear reaction, the repulsive force is the electrostatic force of repulsion between the two positive offspring nuclei. The spring holding them together is the strong nuclear force which is not quite strong enough to hold the parent nucleus together permanently.

atomic mass unit amu	$1 \text{ u} = 1.66 \times 10^{-27} \text{ kg}$
mass thorium nucleus	$m_{\text{Th}} = 232.038 \text{ u}$
mass helium nucleus	$m_{\text{He}} = 4.003 \text{ u}$
mass radium nucleus	$m_{\text{Ra}} = 228.031 \text{ u}$
mass (Ra + He)	$m_{\text{Ra}} + m_{\text{He}} = 232.034 \text{ u}$



The mass of the thorium nucleus is greater than the constituent nuclei of radium and the alpha particle.

Where is the missing mass?

Mass and energy are equivalent and mass-energy must be conserved. The missing mass called the mass defect is the energy (mass) stored in potential energy bonding the nucleus of together.

When the decay occurs, the stored potential energy is converted into the kinetic energy of the daughter (offspring) nuclei.

mass defect $\Delta m = m_{\text{Th}} - (m_{\text{Ra}} + m_{\text{He}}) = 0.004 \text{ u}$

binding energy $E_B = \Delta m c^2$

kinetic energy of daughter nuclei

$$K = K_{\text{Ra}} + K_{\text{He}} = E_B = \Delta m c^2$$

Putting in the numbers

$$\Delta m = (0.004)(1.66 \times 10^{-27}) = 6.6 \times 10^{-30} \text{ kg}$$

$$K = (0.004)(1.66 \times 10^{-27})(3 \times 10^8)^2 = 6.0 \times 10^{-13} \text{ J}$$

$$1 \text{ MeV} = 1.602 \times 10^{-13} \text{ J}$$

$$K = \frac{6.0 \times 10^{-13}}{1.602 \times 10^{-13}} \text{ MeV} = 3.7 \text{ MeV}$$

In the decay the radium nucleus is much more massive than the helium nucleus, therefore, most of the kinetic energy will be possessed by the alpha particle. The measured value of the energy of the alpha particle from ^{232}Th is about 4 MeV. This is another example, of the excellent agreement between the predictions of special relativity and laboratory measurements.

Exercise 1

Imagine that you are given the task of producing a 10 minute video clip for YouTube as an introductory lesson on special relativity. Make a list of the concepts that you would introduce. What images and animations would you include?

[Watch Video 1: Theory of relativity explained in 7 mins](#)

How does your production compare with the LondonCityGirl video?

The audio has a few errors in the physics. What were the errors?

The discussion on mass is incorrect. Why? How would you change the video to give a better model of mass, momentum and energy?

[Watch Video 2: Special Relativity: Crash Course Physics #42](#)

[Watch Video 3: Professor Dave Explains](#)

Which video is best (1) or (2) or (3)?

Justify your answer.

[VISUAL PHYSICS ONLINE](#)

If you have any feedback, comments, suggestions or corrections
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