Add Folders to Path In [1]: %%time import sys, os # get current directory path = os.getcwd() # get parent directory parent_directory = os.path.sep.join(path.split(os.path.sep)[:-2]) # add Algorithm folder to current working path in order to access the functions inside the folder 'Algorithms' sys.path.append(parent_directory+"/Algorithm") CPU times: user 427 μ s, sys: 302 μ s, total: 729 μ s Wall time: 539 μs Agulhas Region AVISO Data from Agulhas Region In [2]: %%time import scipy.io as sio #Import velocity data from file in data-folder mat_file = sio.loadmat('../../Data/Agulhas_AVISO.mat') U = mat_file['u'] V = mat_file['v'] $x = mat_file['x']$ y = mat_file['y'] time = mat_file['t'] CPU times: user 357 ms, sys: 117 ms, total: 475 ms Wall time: 474 ms Data/Parameters for Dynamical System In [3]: import numpy as np # Number of cores to be used for parallel computing Ncores = 30 # Incompressible/Compressible flow. {True, False} Incompressible = True # Periodic boundary conditions periodic_x = False periodic_y = False Periodic = [periodic_x, periodic_y] ## Compute Meshgrid X, Y = np.meshgrid(x, y)# List of parameters of the flow. params_data = {"X": X, "Y": Y, "Time": time, "U": U, "V": V, "Ncores": Ncores, "Incompressible": Incompressible, "Periodic": Periodic} Spatio-Temporal Domain of Dynamical System In [4]: %%time # Initial time (in days) t0 = 25# Final time (in days) tN = 45# time step-size dt = .1 time = np.arange(t0, tN+dt, dt) # longitudinal and latitudinal boundaries (in degrees) xmin = 0xmax = 5ymin = -35ymax = -30# spacing of meshgrid (in degrees) dx = 0.025dy = 0.025 $x_{domain} = np.arange(xmin, xmax + dx, dx)$ y_domain = np.arange(ymin, ymax + dy, dy) X_domain, Y_domain = np.meshgrid(x_domain, y_domain) params_DS = {"time": time, "X_domain": X_domain, "Y_domain": Y_domain} CPU times: user 1.25 ms, sys: 1.13 ms, total: 2.37 ms Wall time: 1.24 ms In [5]: # Initialize Dynamical System from ipynb.fs.defs.Dynamical_System import * DS = Dynamical_System(params_data, params_DS) Velocity Interpolation In [6]: %%time # Interpolate velocity data using cubic spatial interpolation DS._Interpolation_velocity("cubic") CPU times: user 443 ms, sys: 56.2 ms, total: 499 ms Wall time: 498 ms **Trajectory/Velocity Computation** Trajectories are launched from the grid of initial conditions specified in Section 2.3 (Line 14-17). The temporal domain as well as the time resolution is also specified in Section 2.3 (Line 2-11). In [7]: trajectory_grid, velocity_grid = DS._trajectory_grid(); [Parallel(n_jobs=30)]: Using backend LokyBackend with 30 concurrent workers. [Parallel(n_jobs=30)]: Done 140 tasks | elapsed: 4.3min [Parallel(n_jobs=30)]: Done 201 out of 201 | elapsed: 5.9min finished Spatio-Temporal Average of Velocity In [8]: u_mean = np.nanmean(velocity_grid[:,:,0,:]) v_mean = np.nanmean(velocity_grid[:,:,1,:]) $v0 = np.sqrt(u_mean**2+v_mean**2)$ **Trajectory Stretching Exponent (TSE)** In [9]: from ipynb.fs.defs.TSE import _TSE TSE = _TSE(tN-t0, velocity_grid, v0) import matplotlib.pyplot as plt # Figure/Axes fig = plt.figure(figsize=(16, 10)) ax = plt.axes() # Contourplot of TSE over meshgrid of initial conditions cax = ax.contourf(X_domain, Y_domain, TSE, cmap = "gist_rainbow_r", levels = 600) # Axis Labels ax.set_xlabel("long (°)", fontsize = 16) ax.set_ylabel("lat (°)", fontsize = 16) # Ticks ax.set_xticks(np.arange(np.min(X_domain), np.max(X_domain), 1)) ax.set_yticks(np.arange(np.min(Y_domain), np.max(Y_domain), 1)) # Colorbar cbar = fig.colorbar(cax, ticks = np.linspace(-.15, .15, 7)) $cbar.ax.set_ylabel(r'$(\dfrac{1}{d})$', rotation = 0, labelpad = 10, fontsize = 16)$ $ax.set_title(r'\$\mathbf{TSE})' + f'\$_{{\{(int(time[0]))\}}}^{{\{(int(time[-1]))\}}}}', fontsize = 20)$ plt.show() TSE₂₅ - 0.10 -31 -0.05 -32 - 0.00 $(\frac{1}{d})$ -33 --0.05 -34 - -0.10 long (°) Trajectory Stretching Exponent without Cancellations (TSE) In [11]: from ipynb.fs.defs.TSE_bar import _TSE_bar TSE_bar = _TSE_bar(tN-t0, velocity_grid, v0) # Figure/Axis fig = plt.figure(figsize=(16, 10)) ax = plt.axes() # Contourplot of TSE over meshgrid of initial conditions cax = ax.contourf(X_domain, Y_domain, TSE_bar, cmap = "gist_rainbow_r", levels = 600) # Axis Labels ax.set_xlabel("long (°)", fontsize = 16) ax.set_ylabel("lat (°)", fontsize = 16) # Ticks ax.set_xticks(np.arange(np.min(X_domain), np.max(X_domain), 1)) ax.set_yticks(np.arange(np.min(Y_domain), np.max(Y_domain), 1)) # Colorbar cbar = fig.colorbar(cax, ticks = np.linspace(0, 0.002, 9)) $cbar.ax.set_ylabel(r'$(\dfrac{1}{d})$', rotation = 0, labelpad = 10, fontsize = 16)$ $ax.set_title(r'\$\mathbf{TSE})$ + f'\$_{{{int(time[0])}}}^{{{int(time[-1])}}}, fontsize = 20) plt.show() TSE₂₅ - 0.00175 - 0.00150 -32- 0.00125 $(\frac{1}{d})$ -33 - 0.00075 - 0.00050

- 0.00025

long (°)