

# Appendix A

## FSP Quick Reference

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### A.1 Processes

A process is defined by a one or more local processes separated by commas. The definition is terminated by a full stop. **STOP** and **ERROR** are primitive local processes.

#### Example

```
Process = (a -> Local),  
Local   = (b -> STOP).
```

Action Prefix <b>-&gt;</b>	If $x$ is an action and $P$ a process then $(x \rightarrow P)$ describes a process that initially engages in the action $x$ and then behaves exactly as described by $P$ .
Choice <b> </b>	If $x$ and $y$ are actions then $(x \rightarrow P \mid y \rightarrow Q)$ describes a process which initially engages in either of the actions $x$ or $y$ . After the first action has occurred, the subsequent behavior is described by $P$ if the first action was $x$ and $Q$ if the first action was $y$ .
Guarded Action <b>when</b>	The choice ( <b>when</b> $B \ x \rightarrow P \mid y \rightarrow Q$ ) means that when the guard $B$ is true then the actions $x$ and $y$ are both eligible to be chosen, otherwise if $B$ is false then the action $x$ cannot be chosen.
Alphabet Extension <b>+</b>	The alphabet of a process is the set of actions in which it can engage. $P + S$ extends the alphabet of the process $P$ with the actions in the set $S$ .

**Table A.1 – Process operators**

## A.2 Composite Processes

A composite process is the parallel composition of one or more processes. The definition of a composite process is preceded by **||**.

### Example

**||Composite** = (P **||** Q).

Parallel Composition <b>  </b>	If P and Q are processes then (P <b>  </b> Q) represents the concurrent execution of P and Q.
Replicator <b>forall</b>	<b>forall</b> [i:1..N] P(i) is the parallel composition (P(1) <b>  </b> ... <b>  </b> P(N))
Process Labeling :	a:P prefixes each label in the alphabet of P with a.
Process Sharing ::	{a <sub>1</sub> , ..., a <sub>x</sub> }::P replaces every label n in the alphabet of P with the labels a <sub>1</sub> .n, ..., a <sub>x</sub> .n. Further, every transition (n->Q) in the definition of P is replaced with the transitions ({a <sub>1</sub> .n, ..., a <sub>x</sub> .n}->Q).
Priority High <<	<b>  C</b> = (P <b>  </b> Q) << {a <sub>1</sub> , ..., a <sub>n</sub> } specifies a composition in which the actions a <sub>1</sub> , ..., a <sub>n</sub> have higher priority than any other action in the alphabet of P <b>  </b> Q including the silent action tau. In any choice in this system which has one or more of the actions a <sub>1</sub> , ..., a <sub>n</sub> labeling a transition, the transitions labeled with lower priority actions are discarded.
Priority Low >>	<b>  C</b> = (P <b>  </b> Q) >> {a <sub>1</sub> , ..., a <sub>n</sub> } specifies a composition in which the actions a <sub>1</sub> , ..., a <sub>n</sub> have lower priority than any other action in the alphabet of P <b>  </b> Q including the silent action tau. In any choice in this system which has one or more transitions not labeled by a <sub>1</sub> , ..., a <sub>n</sub> , the transitions labeled by a <sub>1</sub> , ..., a <sub>n</sub> are discarded.

**Table A.2 – Composite Process Operators**

### A.3 Common Operators

The operators in Table A.3 may be used in the definition of both processes and composite processes.

Conditional <b>if then else</b>	The process <b>if B then P else Q</b> behaves as the process P if the condition B is true otherwise it behaves as Q. If the <b>else Q</b> is omitted and B is false, then the process behaves as STOP.
Re-labeling /	Re-labeling is applied to a process to change the names of action labels. The general form of re-labeling is: <i>/ {newlabel_1/oldlabel_1,... newlabel_n/oldlabel_n}</i> .
Hiding \	When applied to a process P, the hiding operator $\backslash \{a_1 . . a_x\}$ removes the action names $a_1 . . a_x$ from the alphabet of P and makes these concealed actions "silent". These silent actions are labeled tau. Silent actions in different processes are not shared.
Interface @	When applied to a process P, the interface operator $@ \{a_1 . . a_x\}$ hides all actions in the alphabet of P not labeled in the set $a_1 . . a_x$ .

**Table A.3 – Common Process Operators**

### A.4 Properties

Safety <b>property</b>	A safety <b>property</b> P defines a deterministic process that asserts that any trace including actions in the alphabet of P, is accepted by P.
Progress <b>progress</b>	<b>progress</b> $P = \{a_1, a_2 . . a_n\}$ defines a progress property P which asserts that in an infinite execution of a target system, at least one of the actions $a_1, a_2 . . a_n$ will be executed infinitely often.

Table A.4 – Safety and Progress Properties

A.5 *FLTL* – Fluent Linear Temporal Logic

Fluent <b>fluent</b>	<b>fluent</b> $FL = \langle \{s_1, \dots, s_n\}, \{e_1 \dots e_n\} \rangle$ <b>initially</b> $B$ defines a fluent $FL$ that is initially true if the expression $B$ is true and initially false if the expression $B$ is false. $FL$ becomes true immediately any of the initiating actions $\{s_1, \dots, s_n\}$ occur and false immediately any of the terminating actions $\{e_1 \dots e_n\}$ occur. If the term <b>initially</b> $B$ is omitted then $FL$ is initially false.
Assertion <b>assert</b>	<b>assert</b> $PF = \text{FLTL\_Expression}$ defines an <i>FLTL</i> property.
<b>&amp;&amp;</b>	conjunction ( <i>and</i> )
<b>  </b>	disjunction ( <i>or</i> )
<b>!</b>	negation ( <i>not</i> )
<b>-&gt;</b>	implication ( $((A \rightarrow B) \equiv (!A \    \ B))$ )
<b>&lt;-&gt;</b>	equivalence ( $((A \leftrightarrow B) \equiv (A \rightarrow B) \&\& (B \rightarrow A))$ )
next time <b>X F</b>	iff $F$ holds in the next instant.
always <b>[]F</b>	iff $F$ holds now and always in the future.
eventually <b>&lt;&gt;F</b>	iff $F$ holds at some point in the future.
until <b>P U Q</b>	iff $Q$ holds at some point in the future and $P$ holds until then.
weak until <b>P W Q</b>	iff $P$ holds indefinitely or $P \ U \ Q$
<b>forall</b>	<b>forall</b> $[i:R] \ FL(i)$ conjunction of $FL(i)$
<b>exists</b>	<b>exists</b> $[i:R] \ FL(i)$ disjunction of $FL(i)$

**Table A.5 – Fluent Linear Temporal Logic**