

ML/DL Study W02

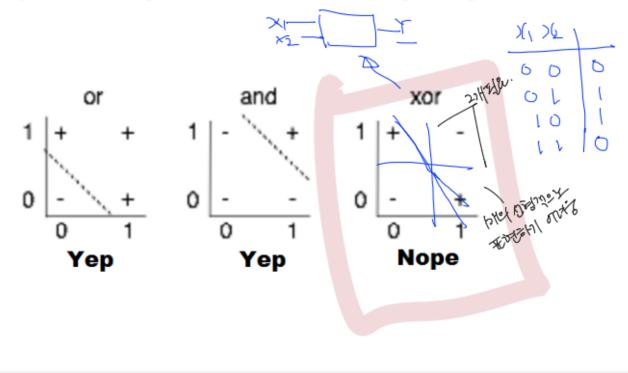
- XOR Neural Networks
- Forward/Back Propagation
- Sigmoid VS Relu
- Xavier VS He
- Drop out
- Batch Normalization

lookup.KeyValue f.constant(['em =tf.constant([6 te = tr.lookup.Static\ init, num_oov_buckets=5)

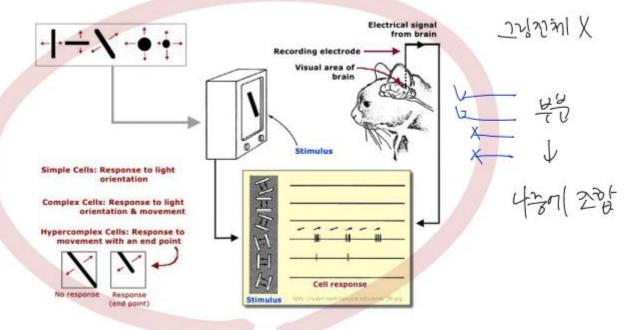
lookup.StaticVocabula initializer, num_oov_buckets, lookup_key_dtype=None

XOR - NN

(Simple) XOR problem: linearly separable?



Convolutional Neural Networks



Hubel & Wiesel, 1959

$$w = \begin{bmatrix} 5 \\ 5 \end{bmatrix}, b = -8$$

$$w = \begin{bmatrix} -1 \\ -1 \end{bmatrix}, b = 6$$

$$y_1$$

$$y_2$$

$$y_3$$

$$y_4$$

$$y_4$$

$$y_5$$

$$y_4$$

$$y_5$$

$$y_6$$

$$y_7$$

$$y_8$$

$$\begin{bmatrix} 1 & 1 \end{bmatrix} \begin{bmatrix} \frac{1}{5} - 8 = 5 + 5 - 8 = 2 \\ -\frac{1}{7} \end{bmatrix} + 3 = -1 + -1 + 3 = -1 \\ -\frac{1}{7} \end{bmatrix} + 3 = -1 + 0 + 6 = -1 \\ -\frac{1}{7} \end{bmatrix} + 6 = -1 + 0 + 6 = -5 \\ -\frac{1}{7} \end{bmatrix} + 6 = -1 + 0 + 6 = -5 \\ -\frac{1}{7} \end{bmatrix}$$

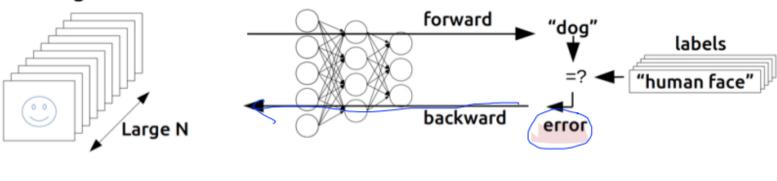
324 layer luorning

K = tf.sigmoid(tf.matmul(X, W1) + b1)
Hypothesis = tf.sigmoid(tf.matmul(K, W2) + b2)

Forward/Back Propagation

Backpropagation (1974, 1982 by Paul Werbos, 1986 by Hinton)

Training



Back propagation (chain rule)

f= wx+b, g=wx, f=g+b

Back propagation (chain rule)

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f= wx+b, g=wx, f=g+b

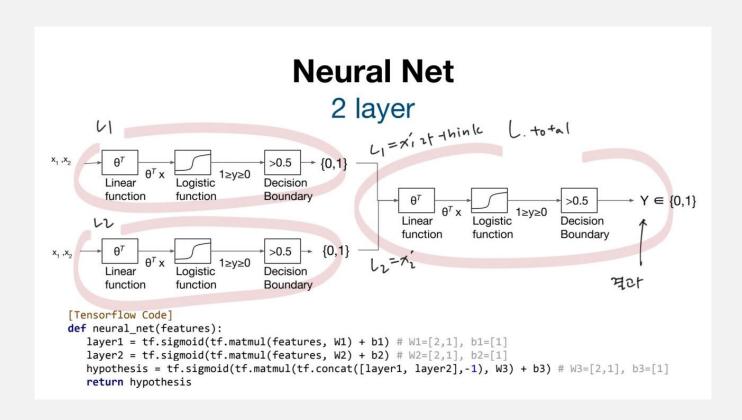
Ul target of Ami model of Alter output 本列 costで、するたつ のから 料理(back) では(propagation)をHCA

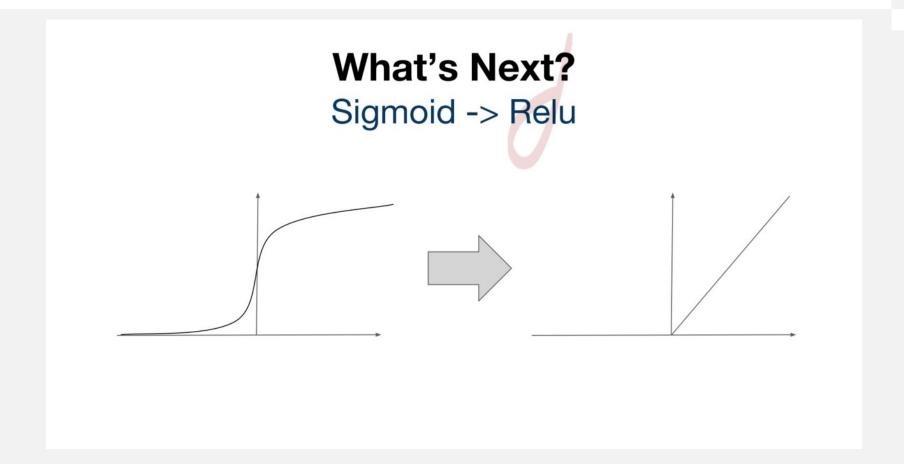
3x 3x 1

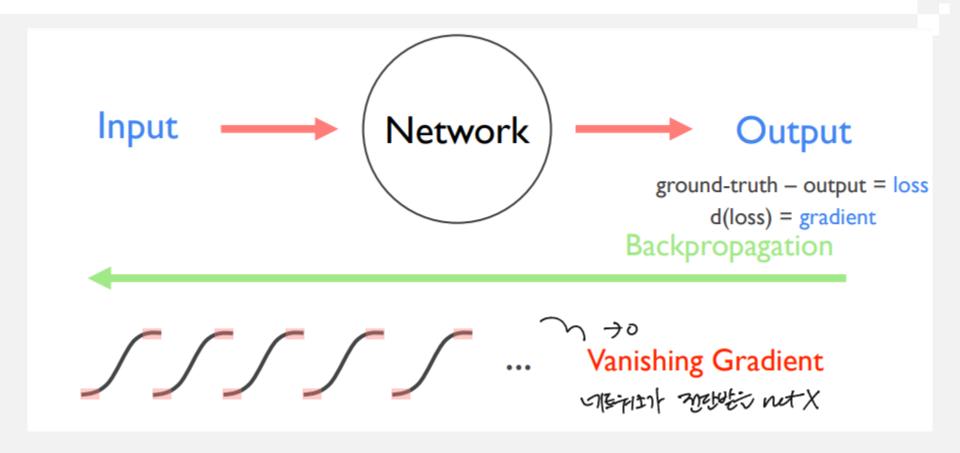
9t 9t

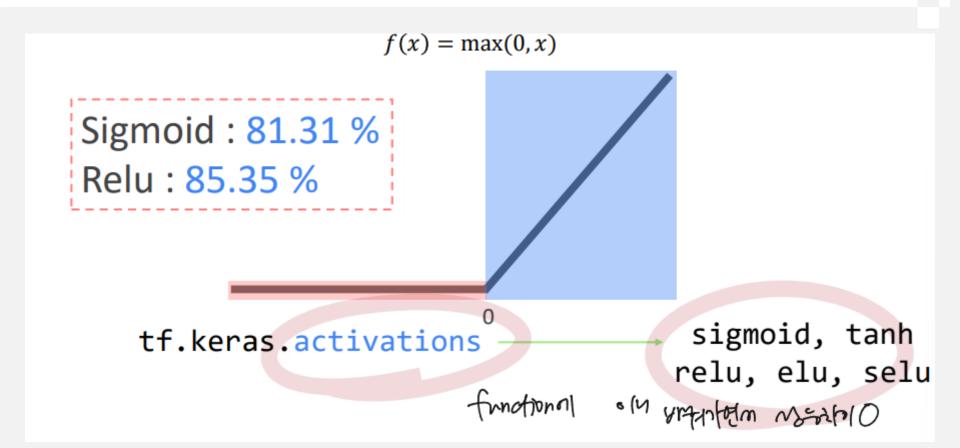
http://cs231n.

Sigmoid VS Relu



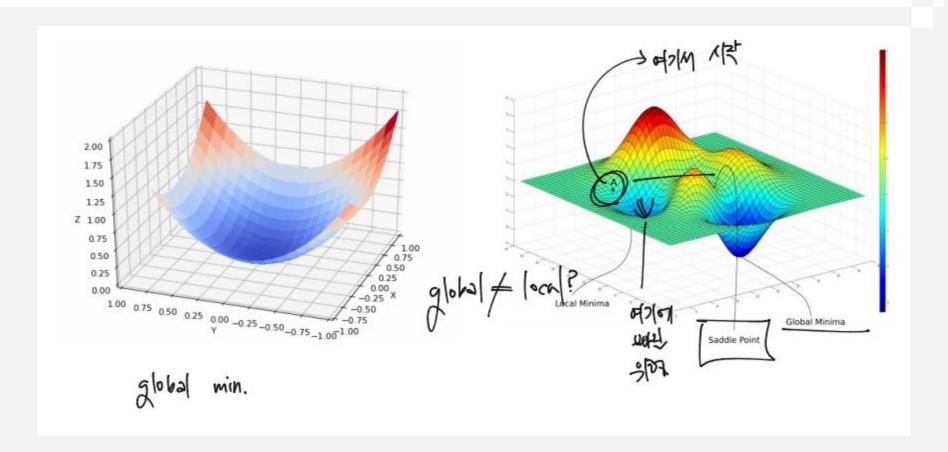






Weight Initialization

Xavier VS He



Xavier VS He

Create network

weight_init = tf.keras.initializaers.RandomNormal()

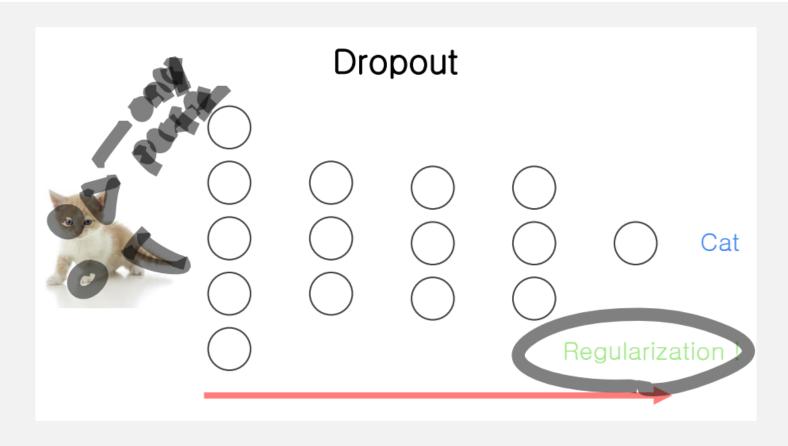
weight_init = tf.keras.initializaers.glorot_uniform()

weight_init = tf.keras.initializaers.he_uniform()

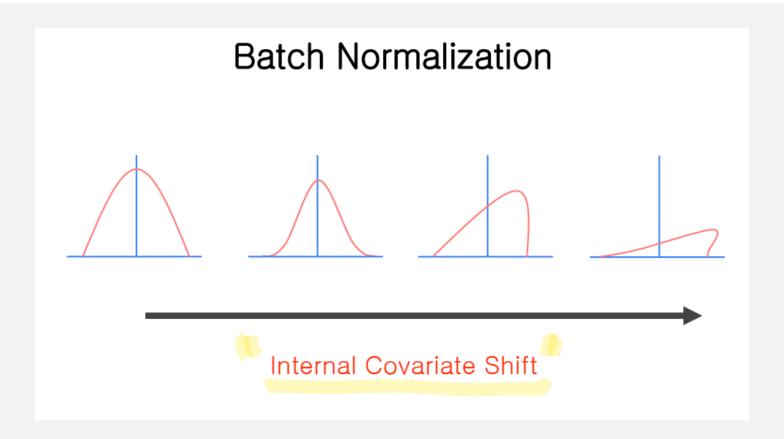
Random: 85.35 %

Xavier: 96.50 %

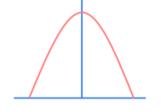
Drop out



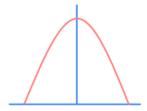
Batch Normalization

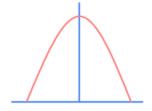


Batch Normalization









$$\overline{x} = \frac{x - \mu_B}{\sqrt{\sigma_B^2 + \epsilon}}$$

$$\hat{x} = \gamma \bar{x} + \beta$$