


# ML/DL Study W02

- Soft max
- Cross – entropy
- Learning Rate
- Data Preprocessing
- Overfitting
- Solution

```
lookup.KeyValue  
f.constant(['em  
=tf.constant([0  
ce = tf.lookup.StaticV  
init,  
num_oov_buckets=5)
```

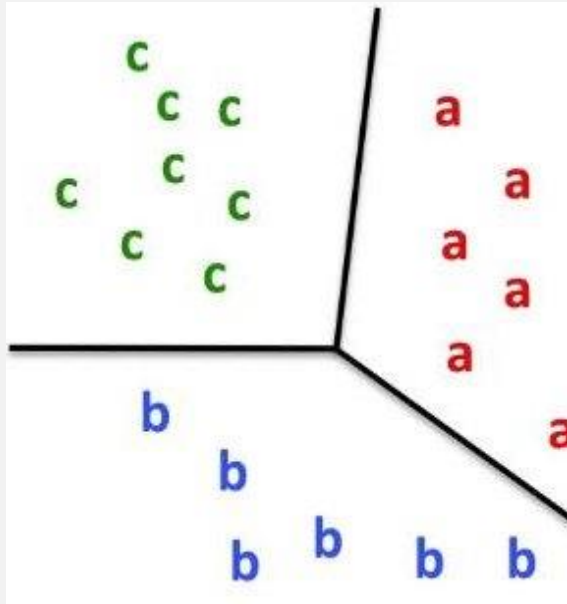


```
lookup.StaticVocabular  
initializer  
num_oov_buckets,  
lookup_key_dtype=None  
name=None,  
experimental_is_open
```

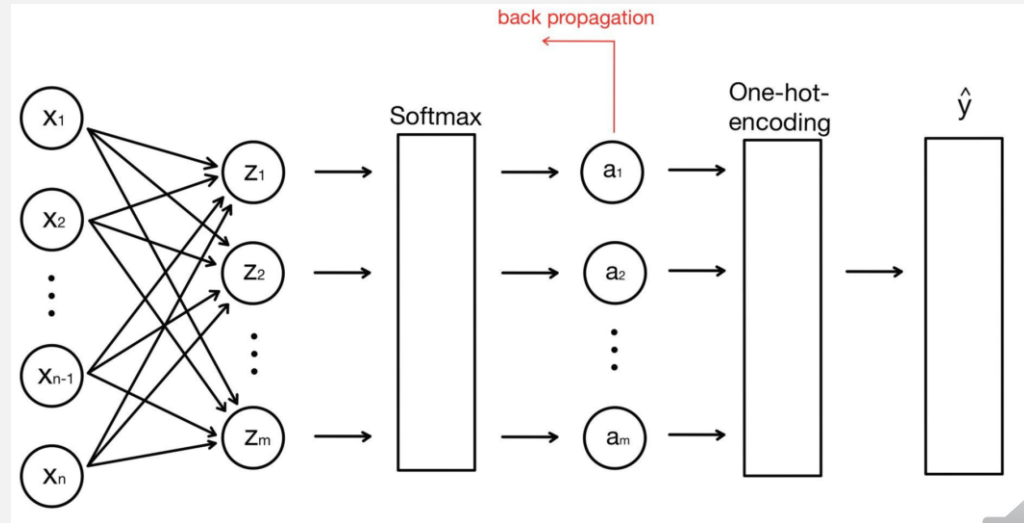
# Soft max



## Soft max



## Multinomial classification



Softmax : input  $x$ 를  $[0:1]$  사이의 값으로 모두 정규화하며 출력시키고, 출력 값의 총합은 항상 1이 됨

$$y = [ 2.0, 1.0, 0.1 ]$$

$$S(y)$$

$$\bar{y} = [ 0.7, 0.2, 0.1 ]$$



# Cross – entropy



## Cross – entropy

모델에서 예측한 확률값이 실제값과 비교했을 때 틀릴 수 있는 정보량

$$L = -\frac{1}{m} \sum_{i=1}^m y_i \cdot \log(\hat{y}_i)$$

Softmax ( y ) =  $\bar{y}$

Cross - entropy

$$L = -\frac{1}{m} \sum_{i=1}^m (y_i \cdot \log(\hat{y}_i) + (1 - y_i) \cdot \log(1 - \hat{y}_i))$$

Logistic cost

$i = [1 : m]$  , training data set



## Cross – entropy

$$L = -\frac{1}{m} \sum_{i=1}^m y_i \cdot \log(\hat{y}_i)$$

$$L = -\frac{1}{m} \sum_{i=1}^m (y_i \cdot \log(\hat{y}_i) + (1 - y_i) \cdot \log(1 - \hat{y}_i))$$

1) 실제값( $y$ ,  $L$ )이 0이고, 예측값( $H(x)$ ,  $S$ )이 0인 경우

Logistic Cost  $\rightarrow -(1-0)\log(1-0) = -\log(1) = 0$

Cross Entropy  $\rightarrow \text{Sum } [1 // 0] * [-\log(1) // -\log(0)] = \text{Sum } [0 // 0] = 0$

2) 실제값( $y$ ,  $L$ )이 0이고, 예측값( $H(x)$ ,  $S$ )이 1인 경우

Logistic Cost  $\rightarrow -(1-0)\log(1-1) = -\log(0) = \text{infinite}$

Cross Entropy  $\rightarrow \text{Sum } [1 // 0] * [-\log(0) // -\log(1)] = \text{Sum } [\text{infinite} // 0] = \text{infinite}$

3) 실제값( $y$ ,  $L$ )이 1이고, 예측값( $H(x)$ ,  $S$ )이 0인 경우

Logistic Cost  $\rightarrow -(1)\log(0) = -\log(0) = \text{infinite}$

Cross Entropy  $\rightarrow \text{Sum } [0 // 1] * [-\log(1) // -\log(0)] = \text{Sum } [0 // \text{infinite}] = \text{infinite}$

4) 실제값( $y$ ,  $L$ )이 1이고, 예측값( $H(x)$ ,  $S$ )이 1인 경우

Logistic Cost  $\rightarrow -(1)\log(1) = -\log(1) = 0$



## Cross – entropy

### One Hot Encoding

color		color_red	color_green	color_blue
red	one-hot encoding →	1	0	0
green		0	1	0
blue		0	0	1
red		1	0	0

Input Data size를 벡터 차원으로 하고, 나타낼 Class Index에 1을 부여하고, Others는 0을 부여

```
a = hypothesis ( x_data )
```

```
print ( a )
```

```
print ( tf.argmax( a, 1 ) )
```

```
print ( tf.argmax( y_data, 1 ) ) # same as print ( tf.argmax( a, 1 ) )
```





```
tf.matmul( X, W ) + b  
hypothesis = tf.nn.softmax( tf.matmul ( X, W ) + b ) = y = logits)
```

```
# Cross – entropy cost/loss
```

```
1. cost = tf.reduce_mean( -tf.reduce_sum( Y * tf.log(hypothesis), axis = 1 ) )
```

```
2. cost_i = tf.nn.softmax_cross_entropy_with_logits_v2( logits = logits,  
                                                         labels = y_one_hot )
```

```
cost = tf.reduce_mean( cost_i )
```

```
# y_one_hot = tf.one_hot( list( y_data ), nb_classes ) 'error'  
y_one_hot = tf.reshape( y_one_hot, [ -1, nb_classes ] )
```



## Shape 때문에 One hot encoding error 발생 방지

```
import tensorflow as tf  
  
data = [1, 2, 0, 2, 1]  
  
num_classes = len(set(data)) # = 3, data 0~2 class 개수  
  
one_hot_encoded = tf.one_hot(data, depth=num_classes)
```



## Implementation

```
# tf.nn.softmax computes softmax activations
# softmax = exp(logits) / reduce_sum(exp(logits), dim)
def logit_fn(X):
    return tf.matmul(X, W) + b

def hypothesis(X):
    return tf.nn.softmax(logit_fn(X))

def cost_fn(X, Y):
    logits = logit_fn(X)
    cost_i = tf.keras.losses.categorical_crossentropy(y_true=Y, y_pred=logits,
                                                       from_logits=True)
    cost = tf.reduce_mean(cost_i)
    return cost
```

```
def grad_fn(X, Y):
    with tf.GradientTape() as tape:
        loss = cost_fn(X, Y)
        grads = tape.gradient(loss, variables)
    return grads

def prediction(X, Y):
    pred = tf.argmax(hypothesis(X), 1)
    correct_prediction = tf.equal(pred, tf.argmax(Y, 1))
    accuracy = tf.reduce_mean(tf.cast(correct_prediction, tf.float32))
    # This part is why use 'argmax', loss and accuracy

    return accuracy
```

```
def fit(X, Y, epochs=1000, verbose=100):
    optimizer = tf.keras.optimizers.SGD(learning_rate=0.1)

    for i in range(epochs):
        grads = grad_fn(X, Y)
        optimizer.apply_gradients(zip(grads, variables))
        if (i==0) | ((i+1)%verbose==0):
            # print('Loss at epoch %d: %f' % (i+1, cost_fn(X, Y).numpy()))
            acc = prediction(X, Y).numpy()
            loss = cost_fn(X, Y).numpy()
            print('Steps: {} Loss: {}, Acc: {}'.format(i+1, loss, acc))

    fit(x_data, Y_one_hot)
```

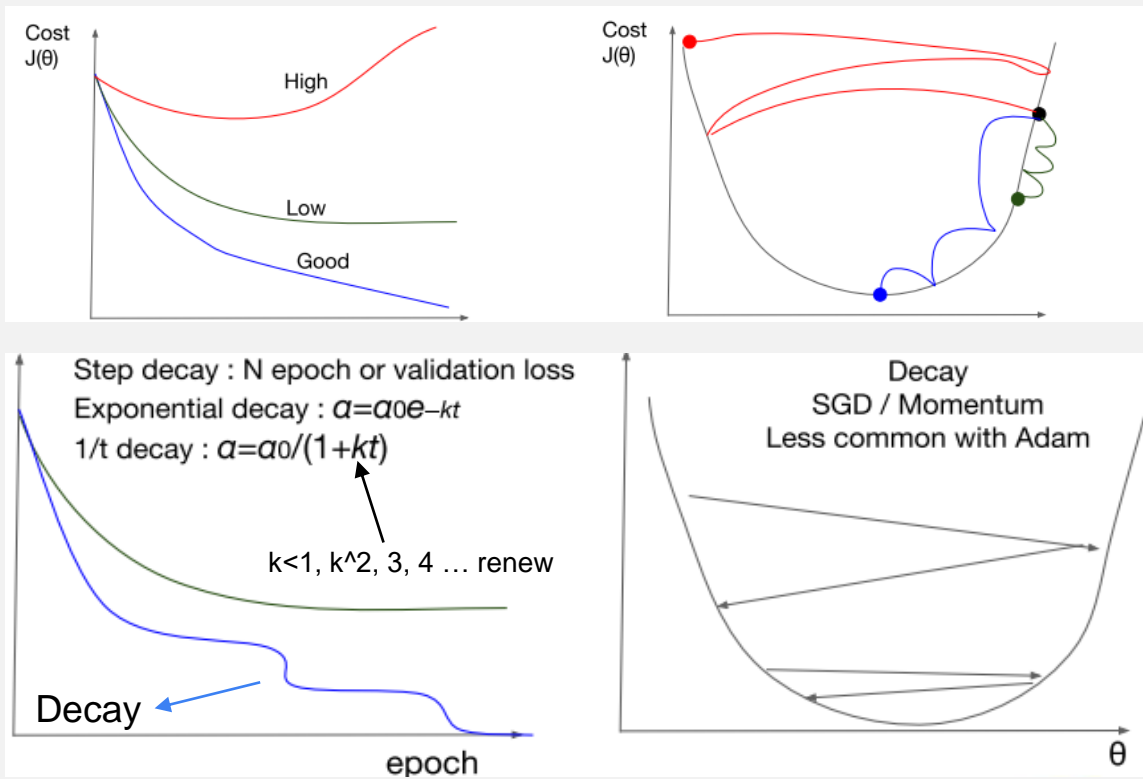


# Learning Rate

is a hyper-parameter that controls how much we are adjusting the weights with respect the loss gradient



# Good vs Bad

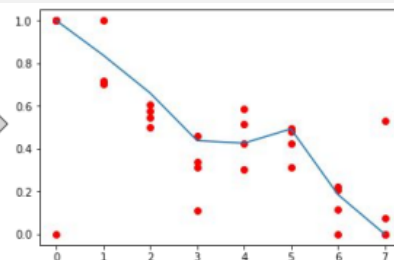
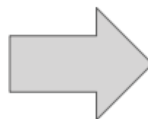
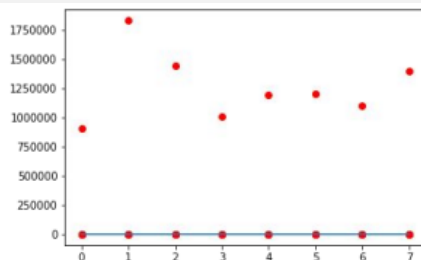


# Data preprocessing

데이터 전처리



## Feature Scaling



**Standardization**  
(Mean Distance)

$$x_{new} = \frac{x - \mu}{\sigma}$$

[Python Code(numpy)]

```
Standardization = (data - np.mean(data)) / sqrt(np.sum(
    (data - np.mean(data))^2 ) / np.count(data))
```

**Normalization**  
(0~1)

$$x_{new} = \frac{x - x_{min}}{x_{max} - x_{min}}$$

```
Normalization = (data - np.min(data, 0)) / (np.max(data, 0)
    - np.min(data, 0))
```

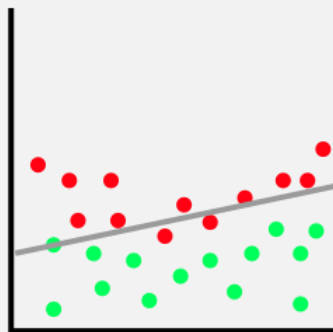


# Overfitting

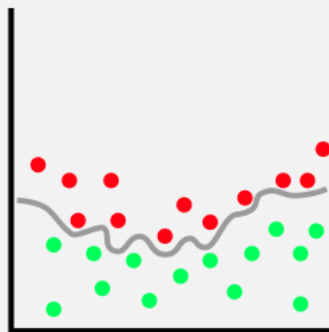




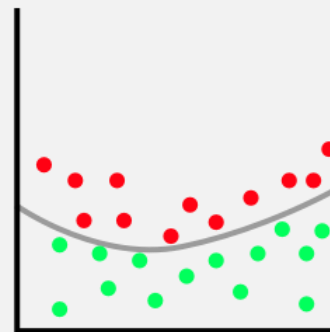
## Overfitting



Underfitting



Overfitting



Balanced

- Get more training data
- Smaller set of features
- Add additional features



## Overfitting Solution

- Feature Normalization ←
- Regularization
- More Data and Data Augmentation – Lecture 9
- Dropout
- Batch Normalization

```
def normalization( data ) :  
    numerator = data - np.min( data, 0 )  
    denominator = np.max( data, 0 ) - np.min ( data, 0 )  
    return numerator / denominator
```

```
dataset = tf.data.Dataset.from_tensor_slices( ( x_train, y_train ) ).batch( len( x_train ) )  
# .batch( len( x_train ) ) : 데이터를 크기가 len(~)인 batch로 나눔
```

```
def l2_loss( loss, beta = 0.01 ) :  
    W_reg = tf.nn.l2_loss( W )  
    loss = tf.reduce_mean( loss + W_reg * beta )  
    return loss
```



## Data Set

- Training / Validation / Testing
- Evaluating a hypothesis : test\_acc
- Anomaly Detection

good



VS



## Data Set : Anomaly Detection

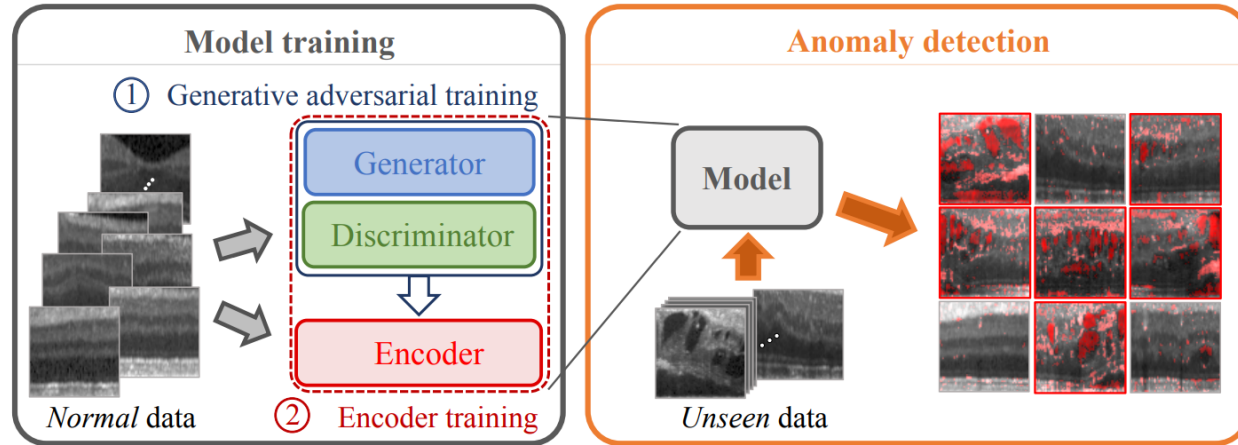


Figure 1: Anomaly detection framework. Both steps of model training, generative adversarial training (yields a trained generator and discriminator) and encoder training (yields a trained encoder), are performed on *normal* (“healthy”) data and anomaly detection is performed on both, unseen healthy cases and anomalous data. (Best viewed in color)



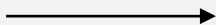
# Learning & Sample Implementation



## Learning & Sample Data

### Learning

- Online Learning vs Batch Learning
- **Fine tuning**: Feature Extraction
- Efficient models → 경량 model



### Fine tuning :

- 기존에 학습된 ML model을 가져와서 새롭게 작업하거나 데이터에 맞게 조정하는 과정
- 기존 모델의  $W$ , architecture는 유지

### Sample Data

- Fashion MNIST, IMDB, CIFAR-100



.ipynb 과제



## Review

- $L2\_loss \approx MSE(\text{Mean Squared Error})$
- **One\_hot part의 shape error**
  1. 데이터 형태의 불일치 : 데이터가 1차원 배열 혹 list 형태로 주어짐
  2. 출력 차원 불일치 : 모델 출력 layer에서 예상한 출력 차원  
= shape와 실제 one\_hot\_encoding 차원이 불일치
  3. Input 데이터 형식 문제
  4. 카테고리 값 개수 확인 : data의 class 수 확인

