

Note: All the pages numbers need to be revised.

Glossary of Notation

$C(X)$	Set of all functions continuous on X 2
$C^n(X)$	Set of all functions having n continuous derivatives on X 3
$C^\infty(X)$	Set of all functions having derivatives of all orders on X 3
$0.\overline{3}$	A decimal in which the numeral 3 repeats indefinitely 3
\mathcal{R}	Set of real numbers 9
$\text{fl}(y)$	Floating-point form of the real number y 16
$O(\cdot)$	Order of convergence 23
Δ	Forward difference 51
$f[\cdot]$	Divided difference of the function f 74
$\binom{n}{k}$	The k th binomial coefficient of order n 76
∇	Backward difference 77
\rightarrow	Equation replacement 238
\leftrightarrow	Equation interchange 238
(a_{ij})	Matrix with a_{ij} as the entry in the i th row and j th column 239
\mathbf{x}	Column vector or element of \mathcal{R}^n 240
$[A, \mathbf{b}]$	Augmented matrix 240
δ_{ij}	Kronecker delta, 1 if $i = j$, 0 if $i \neq j$ 258
I_n	$n \times n$ identity matrix 258
A^{-1}	Inverse matrix of the matrix A 258
A^t	Transpose matrix of the matrix A 261
M_{ij}	Minor of a matrix 261
$\det A$	Determinant of the matrix A 261
$\mathbf{0}$	Vector with all zero entries 264
\mathcal{R}^n	Set of ordered n -tuples of real numbers 288
$\ \mathbf{x}\ $	Arbitrary norm of the vector \mathbf{x} 288
$\ \mathbf{x}\ _2$	The l_2 norm of the vector \mathbf{x} 288
$\ \mathbf{x}\ _\infty$	The l_∞ norm of the vector \mathbf{x} 288
$\ A\ $	Arbitrary norm of the matrix A 292
$\ A\ _\infty$	The l_∞ norm of the matrix A 292
$\ A\ _2$	The l_2 norm of the matrix A 293
$\rho(A)$	The spectral radius of the matrix A 300
$K(A)$	The condition number of the matrix A 316
Π_n	Set of all polynomials of degree n or less 334
$\tilde{\Pi}_n$	Set of all monic polynomials of degree n 343
\mathcal{T}_n	Set of all trigonometric polynomials of degree n or less 352
\mathcal{C}	Set of complex numbers 370
\mathbf{F}	Function mapping \mathcal{R}^n into \mathcal{R}^n 400
$J(\mathbf{x})$	Jacobian matrix 403
∇g	Gradient of the function g 418
$C_0^2[0,1]$	Set of functions f in $C^2[0,1]$ with $f(0) = f(1) = 0$ 000