一, anchors 理解

所谓 anchors ,实际上就是一组由 generate_anchors.py 生成的矩形框。其中每行的4个值(x1,y1,x2,y2) 表矩形左上和右下角点坐标。9 个矩形共有 3 种形状,长宽比为大约为 {1:1, 1:2, 2:1} 三种,实际上通过 anchors就引入了检测中常用到的多尺度方法。 generate_anchors.py 的代码如下:

```
import numpy as np
import six
from six import __init__ # 兼容python2和python3模块
def generate_anchor_base(base_size=16, ratios=[0.5, 1, 2],
                         anchor_scales=[8, 16, 32]):
    """Generate anchor base windows by enumerating aspect ratio and scales.
    Generate anchors that are scaled and modified to the given aspect ratios.
    Area of a scaled anchor is preserved when modifying to the given aspect
    ratio.
    :obj:`R = len(ratios) * len(anchor_scales)` anchors are generated by this
    function.
    The :obj: i * len(anchor_scales) + j ` th anchor corresponds to an anchor
    generated by :obj:`ratios[i]` and :obj:`anchor_scales[j]`.
    For example, if the scale is :math:`8` and the ratio is :math:`0.25`,
    the width and the height of the base window will be stretched by :math: `8`.
    For modifying the anchor to the given aspect ratio,
    the height is halved and the width is doubled.
    Args:
        base_size (number): The width and the height of the reference window.
        ratios (list of floats): This is ratios of width to height of
            the anchors.
        anchor_scales (list of numbers): This is areas of anchors.
            Those areas will be the product of the square of an element in
            :obj: `anchor_scales` and the original area of the reference
            window.
    Returns:
        ~numpy.ndarray:
        An array of shape :math: `(R, 4)`.
        Each element is a set of coordinates of a bounding box.
        The second axis corresponds to
        :math: (x_{\min}, y_{\min}, x_{\max}, y_{\max}) of a bounding box.
    import numpy as np
    py = base_size / 2.
    px = base\_size / 2.
    anchor_base = np.zeros((len(ratios) * len(anchor_scales), 4),
                           dtype=np.float32)
    for i in six.moves.range(len(ratios)):
        for j in six.moves.range(len(anchor_scales)):
            h = base_size * anchor_scales[j] * np.sqrt(ratios[i])
            w = base_size * anchor_scales[j] * np.sqrt(1. / ratios[i])
```

```
index = i * len(anchor_scales) + j
anchor_base[index, 0] = px - w / 2.
anchor_base[index, 1] = py - h / 2.

anchor_base[index, 2] = px + h / 2.
anchor_base[index, 3] = py + w / 2.
return anchor_base

# test
if __name__ == "__main__":
bbox_list = generate_anchor_base()
print(bbox_list)
```

程序运行输出如下:

```
[[-82.50967 -37.254833 53.254833 98.50967]
[-173.01933 -82.50967 98.50967 189.01933]
[-354.03867 -173.01933 189.01933 370.03867]
[-56. -56. 72. 72. ]
[-120. -120. 136. 136. ]
[-248. -248. 264. 264. ]
[-37.254833 -82.50967 98.50967 53.254833]
[-82.50967 -173.01933 189.01933 98.50967]
[-173.01933 -354.03867 370.03867 189.01933]]
```

二, 交并比IOU

交并比(Intersection-over-Union, IoU),目标检测中使用的一个概念,是产生的候选框(candidate bound)与原标记框(ground truth bound)的交叠率,即它们的交集与并集的比值。最理想情况是完全重叠,即比值为1。计算公式如下:

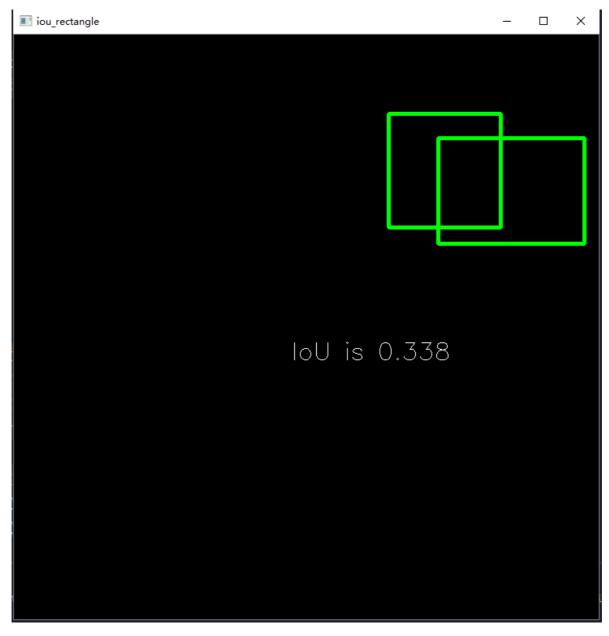
$$IoU = \frac{area(C) \cap area(G)}{area(C) \cup area(G)}$$

代码实现如下:

```
# _*_ coding:utf-8 _*_
# 计算iou
bbox的数据结构为(xmin,ymin,xmax,ymax)--(x1,y1,x2,y2),
每个bounding box的左上角和右下角的坐标
输入:
   bbox1, bbox2: Single numpy bounding box, Shape: [4]
输出:
   iou值
import numpy as np
import cv2
def iou(bbox1, bbox2):
   .....
   计算两个bbox(两框的交并比)的iou值
   :param bbox1: (x1,y1,x2,y2), type: ndarray or list
   :param bbox2: (x1,y1,x2,y2), type: ndarray or list
   :return: iou, type float
   if type(bbox1) or type(bbox2) != 'ndarray':
```

```
bbox1 = np.array(bbox1)
        bbox2 = np.array(bbox2)
   assert bbox1.size == 4 and bbox2.size == 4, "bounding box coordinate size must be
4"
   xx1 = np.max((bbox1[0], bbox2[0]))
   yy1 = np.max((bbox1[1], bbox1[1]))
   xx2 = np.min((bbox1[2], bbox2[2]))
   yy2 = np.min((bbox1[3], bbox2[3]))
   bwidth = xx2 - xx1
   bheight = yy2 - yy1
   area = bwidth * bheight # 求两个矩形框的交集
   union = (bbox1[2] - bbox1[0])*(bbox1[3] - bbox1[1]) + (bbox2[2] - bbox2[0])*
(bbox2[3] - bbox2[1]) - area # 求两个矩形框的并集
   iou = area / union
    return iou
if __name__=='__main__':
   rect1 = (461, 97, 599, 237)
   # (top, left, bottom, right)
   rect2 = (522, 127, 702, 257)
   iou_ret = round(iou(rect1, rect2), 3) # 保留3位小数
   print(iou_ret)
   # Create a black image
   img=np.zeros((720,720,3), np.uint8)
   cv2.namedWindow('iou_rectangle')
   cv2.rectangle 的 pt1 和 pt2 参数分别代表矩形的左上角和右下角两个点,
   coordinates for the bounding box vertices need to be integers if they are in a
   and they need to be in the order of (left, top) and (right, bottom).
   Or, equivalently, (xmin, ymin) and (xmax, ymax).
   0.00
   cv2.rectangle(img, (461, 97), (599, 237), (0,255,0),3)
   cv2.rectangle(img,(522, 127),(702, 257),(0,255,0),3)
   font = cv2.FONT_HERSHEY_SIMPLEX
   cv2.putText(img, 'IoU is ' + str(iou_ret), (341,400), font, 1,(255,255,255),1)
   cv2.imshow('iou_rectangle', img)
   cv2.waitKey(0)
```

代码输出结果如下所示:



三, NMS 算法

NMS介绍

在目标检测中,常会利用非极大值抑制算法(NMS, non maximum suppression)对生成的大量候选框进行后处理,去除冗余的候选框,得到最佳检测框,以加快目标检测的效率。其本质思想是其思想是搜素局部最大值,抑制非极大值。非极大值抑制,在计算机视觉任务中得到了广泛的应用,例如边缘检测、人脸检测、目标检测(DPM, YOLO, SSD, Faster R-CNN)等。即如下图所示实现效果,消除多余的候选框,找到最佳的 bbox 。 NMS过程 如下图所示:



Confidence score > threshold

Non-Maximum Suppression (NMS)

以上图为例,每个选出来的 Bounding Box 检测框 (既BBox) 用(x,y,h,w, confidence score, Pdog,Pcat)表示,confidence score 表示 background 和 foreground 的置信度得分,取值范围 [0,1]。Pdog,Pcat分布代表类别是狗和猫的概率。如果是 100 类的目标检测模型,BBox 输出向量为 5+100=105。

NMS算法

NMS 主要就是通过迭代的形式,不断地以最大得分的框去与其他框做 IOU 操作,并过滤那些 IOU 较大的框。

其实现的思想主要是将各个框的置信度进行排序,然后选择其中置信度最高的框 A,将其作为标准选择其他框,同时设置一个阈值,<u>当其他框B与A的重合程度超过阈值就将 B 舍弃掉</u>,然后在剩余的框中选择置信度最大的框,重复上述操作。算法过程如下:

- 1. 根据候选框类别分类概率排序: F>E>D>C>B>A , 并标记最大概率的矩形框F作为标准框。
- 2. 分别判断 A~E 与 F 的重叠度 IOU (两框的交并比)是否大于某个设定的阈值, 假设 B、D 与 F 的重叠度 超过阈值, 那么就扔掉 B、D;
- 3. 从剩下的矩形框 A、C、E中,选择概率最大的 E,标记为要保留下来的,然后判读 E 与 A、C 的重叠 度,扔掉重叠度超过设定阈值的矩形框;
- 4. 对剩下的 bbox, 循环执行(2)和(3)直到所有的 bbox 均满足要求 (即不能再移除 bbox)

nms的python代码如下:

```
import numpy as np
def py_nms(dets, thresh):
   """Pure Python NMS baseline.注意,这里的计算都是在矩阵层面上计算的
   greedily select boxes with high confidence and overlap with current maximum <=
thresh
   rule out overlap >= thresh
   :param dets: [[x1, y1, x2, y2 score],] # ndarray, shape(-1,5)
   :param thresh: retain overlap < thresh
   :return: indexes to keep
   # x1、y1、x2、y2、以及score赋值
   x1 = dets[:, 0]
   y1 = dets[:, 1]
   x2 = dets[:, 2]
   y2 = dets[:, 3]
   # 计算每一个候选框的面积, 纯矩阵加和乘法运算,为何加1?
   areas = (x2 - x1 + 1) * (y2 - y1 + 1)
   # order是将confidence降序排序后得到的矩阵索引
   order = np.argsort(dets[:, 4])[::-1]
   keep = []
   while order.size > 0:
       i = order[0]
       keep.append(i)
       # 计算当前概率最大矩形框与其他矩形框的相交框的坐标,会用到numpy的broadcast机制,得到的是向量
       xx1 = np.maximum(x1[i], x1[order[1:]])
       yy1 = np.maximum(y1[i], y1[order[1:]])
       xx2 = np.minimum(x2[i], x2[order[1:]])
       yy2 = np.minimum(y2[i], y2[order[1:]])
       # 计算相交框的面积,注意矩形框不相交时w或h算出来会是负数,用O代替
       w = np.maximum(0.0, xx2 - xx1 + 1)
       h = np.maximum(0.0, yy2 - yy1 + 1)
       inter = w * h
       # 计算重叠度IOU: 重叠面积/(面积1+面积2-重叠面积)
       iou = inter / (areas[i] + areas[order[1:]] - inter)
       # 找到重叠度不高于阈值的矩形框索引
       inds = np.where(iou < thresh)[0]</pre>
       # 将order序列更新,由于前面得到的矩形框索引要比矩形框在原order序列中的索引小1,所以要把这个1
加回来
       order = order[inds + 1]
   return keep
```

程序输出如下:

```
[0, 2, 3]
[[ 30. 20. 230. 200. 1. ]
[210. 30. 420. 5. 0.8]
[430. 280. 460. 360. 0.7]]
```

另一个版本的 nms 的 python 代码如下:

```
from __future__ import print_function
import numpy as np
import time
def intersect(box_a, box_b):
    max_xy = np.minimum(box_a[:, 2:], box_b[2:])
    min_xy = np.maximum(box_a[:, :2], box_b[:2])
    inter = np.clip((max_xy - min_xy), a_min=0, a_max=np.inf)
    return inter[:, 0] * inter[:, 1]
def get_iou(box_a, box_b):
    """Compute the jaccard overlap of two sets of boxes. The jaccard overlap
   is simply the intersection over union of two boxes.
    E.g.:
        A \cap B / A \cup B = A \cap B / (area(A) + area(B) - A \cap B)
       The box should be [x1,y1,x2,y2]
    Aras:
        box_a: Single numpy bounding box, Shape: [4] or Multiple bounding boxes, Shape:
[num_boxes,4]
        box_b: Single numpy bounding box, Shape: [4]
    Return:
        jaccard overlap: Shape: [box_a.shape[0], box_a.shape[1]]
    if box_a.ndim==1:
        box_a=box_a.reshape([1,-1])
    inter = intersect(box_a, box_b)
    area_a = ((box_a[:, 2]-box_a[:, 0]) *
              (box_a[:, 3]-box_a[:, 1])) # [A,B]
    area_b = ((box_b[2]-box_b[0]) *
              (box_b[3]-box_b[1])) # [A,B]
    union = area_a + area_b - inter
    return inter / union # [A,B]
def nms(bboxs,scores,thresh):
    The box should be [x1,y1,x2,y2]
    :param bboxs: multiple bounding boxes, Shape: [num_boxes,4]
    :param scores: The score for the corresponding box
    :return: keep inds
```

```
if len(bboxs)==0:
    return []
order=scores.argsort()[::-1]
keep=[]
while order.size>0:
    i=order[0]
    keep.append(i)
    ious=get_iou(bboxs[order],bboxs[i])
    order=order[ious<=thresh]
return keep</pre>
```

四,Soft NMS算法

Soft NMS算法是对NMS算法的改进,是发表在ICCV2017的文章中提出的。 NMS 算法存在一个问题是可能会把一些目标框给过滤掉,从而导致目标的 recall 指标比较低。原来的NMS可以描述如下:将IOU大于阈值的窗口的得分全部置为0,计算公式如下:

$$s_i = \begin{cases} s_i, & \text{iou}(\mathcal{M}, b_i) < N_t \\ 0, & \text{iou}(\mathcal{M}, b_i) \ge N_t \end{cases},$$

文章的改进有两种形式,一种是线性加权的。设 si 为第 i 个 box 的 score,则在应用 SoftNMS 时各个 box score 的计算公式如下:

$$s_i = \begin{cases} s_i, & \text{iou}(\mathcal{M}, b_i) < N_t \\ s_i(1 - \text{iou}(\mathcal{M}, b_i)), & \text{iou}(\mathcal{M}, b_i) \ge N_t \end{cases},$$

另一种是 高斯加权 的,高斯惩罚系数(与上面的线性截断惩罚不同的是, 高斯惩罚会对其他所有的 box 作用),计算公式图如下:

$$s_i = s_i e^{-\frac{\text{iou}(\mathcal{M}, b_i)^2}{\sigma}}, \forall b_i \notin \mathcal{D}$$

注意,这两种形式,思想都是M为当前得分最高框, b_i 为待处理框, b_i 和M的IOU越大,bbox的得分 s_i 就下降的越厉害(N_t 为给定阈值)。更多细节可以参考原 \hat{v} 立 soft nms 的 python 代码如下:

```
def soft_nms(dets, thresh, type='gaussian'):
    x1 = dets[:, 0]
    y1 = dets[:, 1]
    x2 = dets[:, 2]
    y2 = dets[:, 3]
    scores = dets[:, 4]

areas = (x2 - x1 + 1) * (y2 - y1 + 1)
    order = scores.argsort()[::-1]
    scores = scores[order]

keep = []
    while order.size > 0:
        i = order[0]
        dets[i, 4] = scores[0]
```

```
keep.append(i)
   xx1 = np.maximum(x1[i], x1[order[1:]])
   yy1 = np.maximum(y1[i], y1[order[1:]])
   xx2 = np.minimum(x2[i], x2[order[1:]])
   yy2 = np.minimum(y2[i], y2[order[1:]])
   w = np.maximum(0.0, xx2 - xx1 + 1)
   h = np.maximum(0.0, yy2 - yy1 + 1)
   inter = w * h
   # 计算重叠度IOU: 重叠面积/(面积1+面积2-重叠面积)
   ovr = inter / (areas[i] + areas[order[1:]] - inter)
   order = order[1:]
   scores = scores[1:]
   if type == 'linear':
       inds = np.where(ovr >= thresh)[0]
       scores[inds] *= (1 - ovr[inds])
   else:
       scores *= np.exp(- ovr ** 2 / thresh)
   inds = np.where(scores > 1e-3)[0]
   order = order[inds]
   scores = scores[inds]
   tmp = scores.argsort()[::-1]
   order = order[tmp]
   scores = scores[tmp]
return keep
```

五,目标检测领域中的数据不均衡问题

参考此论文Imbalance Problems in Object Detection, 我的理解之后补充。

参考资料

- NMS介绍
- Faster RCNN 源码解读(2) -- NMS(非极大抑制)