## An application of Compressive Transformer for music generation



Intelligent Systems for Pattern Recognition (651AA), A.Y. 2019-2020

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#### **Music Generation**

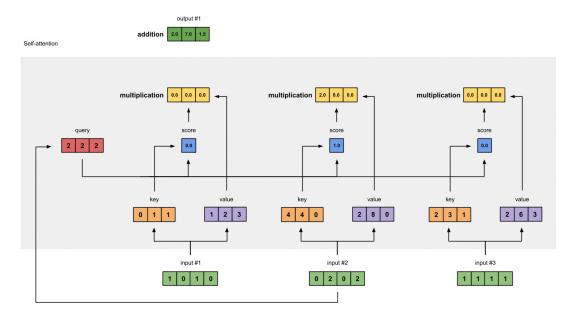
- Starting from the early 1960s with Jannis Xenakis with stochastic composition;
- Deep learning vs Markov models:
  - complexity of the models;
  - long-term temporal structures;
  - o relations, contexts and regularities in the music.
- Autonomous music-making systems vs Assistance during the composition;

## Transformers model

#### Vanilla and XL transformers

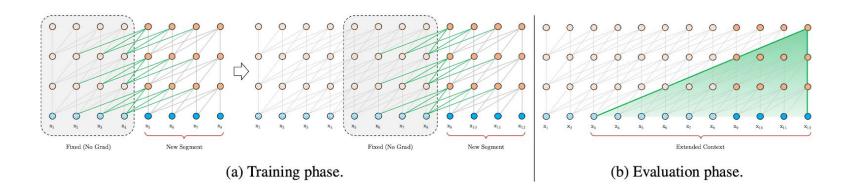
Self-Attention

$$softmax(\frac{Q*K^T}{\sqrt{d^k}})*V$$



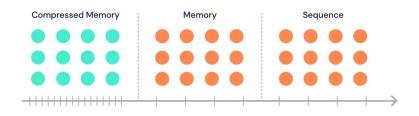
#### Vanilla and XL transformers

- Recurrence Mechanism
- Relative Positional Encoding



### **Compressive transformers**

Memory compression



#### Compression functions:

- Max/mean pooling;
- 1D convolution;
- Dilated convolutions;
- Most-used.

# Library

#### Compressive transformers library

```
from compressive_transformer_pytorch import CompressiveTransformer
model = CompressiveTransformer(
    num_tokens = 839,
    emb_dim = None,
                                  # embedding dimensions
    dim = 64,
    heads = 8.
    depth = 6.
    seq_len = 64,
    mem_len = 64,
                                  # memory length
    cmem len = 256.
                                  # compressed memory buffer length
    cmem_ratio = 4,
                                  # compressed memory ratio
    reconstruction_loss_weight = 1,# weight to place on compressed memory reconstruction loss
    attn_dropout = 0.1
                                  # dropout post-attention
    ff_dropout = 0.1,
                                  # dropout in feedforward
   tt_dropout = 0.1,
attn_layer_dropout = 0.1,
                                  # dropout for attention layer output
    gru_gated_residual = False,
                                  # whether to gate the residual intersection
                                  # experimental feature that adds a mogrifier for the update and residual before gating by the GRU
    mogrify_gru = False,
   memory_layers = [5,6],
                                  # specify which layers to use long-range memory
    one_head_kv = False,
                                  # share one key/value head for all queries
                                  # use GLU variant for feedforward
    ff_glu = False
```

# **Experiments**

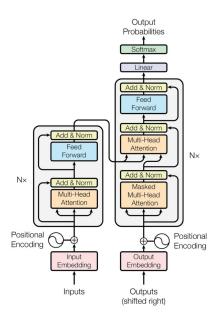
#### **Datasets**

A subset of the Lakh MIDI Dataset.

- 1. 120 MIDI files are randomly and equally divided into three genres of different artist and all containing the piano instrument;
- 2. 120 MIDI files of only one genre of different artists and all containing the piano instrument;
- 3. 40 MIDI files are randomly and equally divided into three genres of different artist and all containing the piano instrument (this is a subset of the initial one);
- 4. (Piano) 120 MIDI files are randomly and equally divided into three genres of different artist and only containing the piano instrument;

### **Architectures and tuning**

- Six layer;
- Eight heads;
- Two memory layer;
- Length param in [32, 64, 128];
- Dropout [0, 0.1];
- Optimizer: Adam PyTorch;



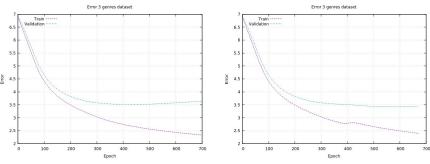
### Retrospective

- What would I have changed?
  - Number of memory layer;
  - o Dropout.
- Difficulties:
  - Undocumented library;
  - Preprocessing on the data;
  - Model requirement (time and computation).

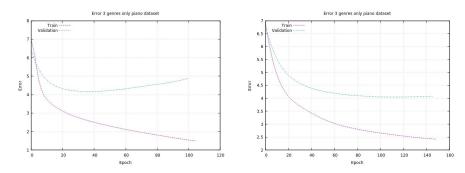
## Results

## **Learning curves**

Dataset	Epoch	Dropout	Error TR	Error VL	Error TS
1	700	0	2.6694	3.5057	4.3238
1	671	0.1	2.5349	3.4274	4.2746
Piano	104	0	2.5028	4.1092	4.8609
Piano	148	0.1	2.6281	4.0401	4.7762
2	228	0	2.7016	3.2504	4.4305
2	525	0.1	2.7504	3.0382	4.1874
3	255	0	2.3218	4.3809	5.8341
3	187	0.1	2.5188	4.3612	5.4717



Learning curves with dataset 1 without an with dropout.



Learning curves with piano dataset without an with dropout.

### **Further improvements**

- Encode instruments with notes;
- Use and learn temporal parameters;
- Use and learn the melody of songs and genre;
- Try different hyperparameter configurations.

#### Wrap up

- Transformers
  - Powerful architectures with a lot of possible applications;
  - Possible use of different compression functions;
  - Expensive in terms of time and computation (always remember "Do not shoot with a cannon").
- Experience
  - Understand the data;
  - Understand the model;
  - Use documented libraries.

#### **Bibliography**

- Iannis Xenakis. Formalized Music: Thought and Mathematics in Composition, Indiana University Press, 1963.
- A. Vaswan et al. Attention Is All You Need, NIPS 2017.
- Zihang Dai, Zhilin Yang, Yiming Yang, Jaime Carbonell, Quoc V. Le, Ruslan Salakhutdinov. Transformer-XL: Attentive Language Models Beyond a Fixed-Length Context, arXiv 2019.
- Rae, Jack W and Potapenko, Anna and Jayakumar, Siddhant M and Hillier, Chloe and Lillicrap,
   Timothy P. Compressive Transformers for Long-Range Sequence Modelling, arXiv 2019.

#### **Figures**

Slide 5: <a href="https://towardsdatascience.com/illustrated-self-attention-2d627e33b20a">https://towardsdatascience.com/illustrated-self-attention-2d627e33b20a</a>

Slide6: Transformer-XL: Attentive Language Models Beyond a Fixed-Length Context

Slide 7: <a href="https://deepmind.com/blog/article/A new model and dataset for long-range memory">https://deepmind.com/blog/article/A new model and dataset for long-range memory</a>

Slide 12: Attention Is All You Need

# **Appendix**

#### Model parameters

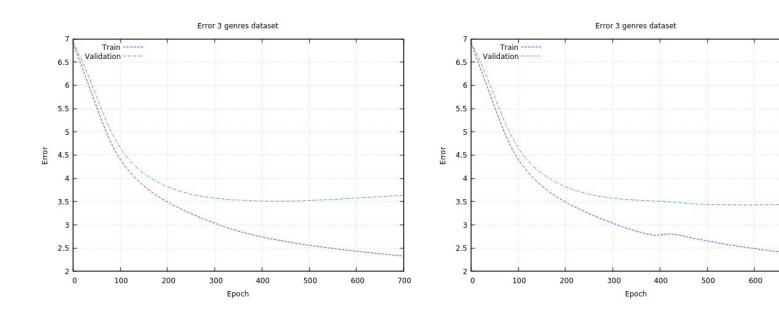
Lower bound from the vanilla transformers:

• Encoder 
$$m \times [1 \times \underbrace{\left(8 \times [(\boldsymbol{x} \times \boldsymbol{x}) + \boldsymbol{x}]\right)}_{\text{MHDPA}} + 2 \times \underbrace{\left(\boldsymbol{x} + \boldsymbol{x}\right)}_{\text{Layer Norm}} + 1 \times \underbrace{\left(\boldsymbol{x} \times \boldsymbol{x} + \boldsymbol{x}\right)}_{\text{FFNN}}]$$

• Decoder 
$$n \times [2 \times \underbrace{\left(8 \times [(\boldsymbol{x} \times \boldsymbol{x}) + \boldsymbol{x}]\right)}_{\text{MHDPA}} + 3 \times \underbrace{\left(\boldsymbol{x} + \boldsymbol{x}\right)}_{\text{Layer Norm}} + 1 \times \underbrace{\left(\boldsymbol{x} \times \boldsymbol{x} + \boldsymbol{x}\right)}_{\text{FFNN}}]$$

- Where n are the decoder layer and m the encoder layer.
- Approx: 104256+204096 = 308352 params

## **Learning curves (dataset 1)**



700

## **Learning curves (dataset 2)**

