

# Recursion With ArrayLists {Get Variation}

abc

[c, b, bc, a, ac, ab, abc]

Recursion tree levels  $\leftrightarrow$  code / function parameter

{10, 20, 30, 40} level  $\rightarrow$  Item / No  
options  $\rightarrow$  include / exclude

A  $\hookrightarrow$  getSS(idx, arr)  $\hookrightarrow$  Expectation

A  $\hookrightarrow$  getSS(idx+1, arr)  $\hookrightarrow$  faith (idx+1 to end elements will fill an arraylist of their subsets & then return it)

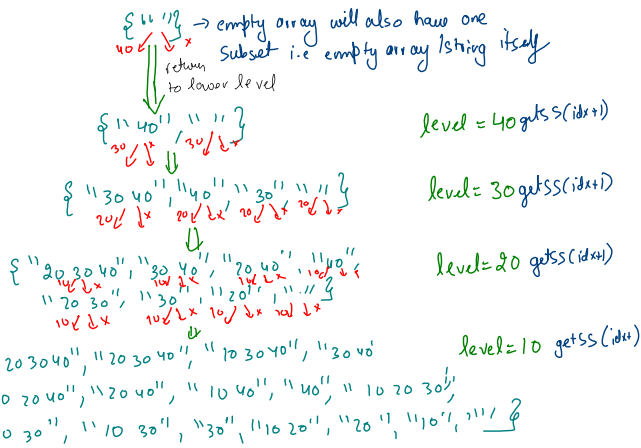
Here, we are applying yes and no call for each element in a single loop-

To maintain order as given in ques

Apply 2 loops

First for "no"

Second for "yes" call



In getSS, the smallest problem will lie in the base case. and largest on the level 0 / main method / calling method.

This is the main reason that we can apply DP in get categories and not that efficiently in print categories.

```
public static ArrayList<String> gss(int idx, String str) {
    if (idx == str.length()) {
        ArrayList<String> bres = new ArrayList<>();
        bres.add("");
        return bres;
    }

    ArrayList<String> smallAns = gss(idx + 1, str);
    ArrayList<String> ans = new ArrayList<>();

    for (String s : smallAns) {
        ans.add(s);
    }

    for (String s : smallAns) {
        ans.add(str.charAt(idx) + s);
    }

    return ans;
}
```

# Get KPC

```
0 -> .;
1 -> abc
2 -> def
3 -> ghi
4 -> jkl
5 -> mno
6 -> pqrs
7 -> tu
8 -> vwx
9 -> yz
```

6 4 9 idx = 3 (arr.length)

↑ Give your keys

6 4 9 idx = 2

↑ Give your keys

6 4 9 idx = 1

↑ Give your keys

6 4 9 idx = 0

```
0 -> .;
1 -> abc
2 -> def
3 -> ghi
4 -> jkl
5 -> mno
6 -> pqrs
7 -> tu
8 -> vwx
9 -> yz
```

6 4 9  
↓ ↓ ↓  
4 × 3 + 2 = 24

⑥

{ "jy", "ly", "ly",  
"jz", "lz", "lz" }

6 4 9  
↓ ↓ ↓  
6 4 9

②

1 1 1 idx = 3

① { " " }  
a b c d e f g h i j k l m n o p q r s t u v w x y z

9 idx = 2

② { "y", "z" }  
a b c d e f g h i j k l m n o p q r s t u v w x y z

4 idx = 1

6 idx = 0

```
public static ArrayList<String> getKPC(String str, int idx) {
    if (idx == str.length()) {
        ArrayList<String> base = new ArrayList<>();
        base.add("");
        return base;
    }

    ArrayList<String> ans = new ArrayList<>();
    ArrayList<String> smallAns = getKPC(str, idx + 1);
    char ch = str.charAt(idx);

    String strForNum = keys[ch - '0'];

    for (int i = 0; i < strForNum.length(); i++) {
        for (String s : smallAns) {
            ans.add(strForNum.charAt(i) + s);
        }
    }

    return ans;
}
```

```
ArrayList<String> ans = new ArrayList<>();
for (Character letter : dtoc[str.charAt(idx) - '0'].toCharArray()) {
    for (String str : smallAns) {
        res.add
```

for applying for-each loop  
on each character of a String  
convert it to character  
array.

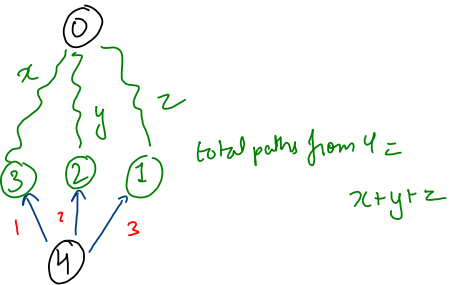
# Get Stair Paths

(only  $n-1$ ,  $n-2$  &  $n-3$  jumps allowed)

ALGS  $\Rightarrow$   $gcs(n)$

source  $\Rightarrow$  n

dest  $\Rightarrow$  0th

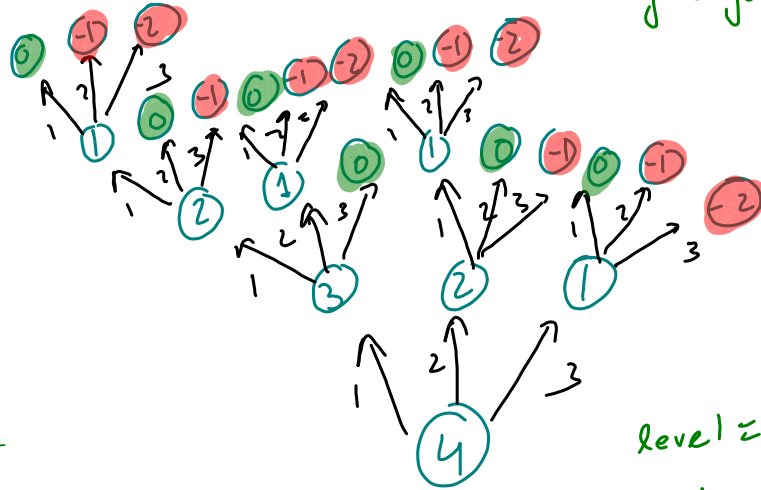


0-0  $\rightarrow$  +ve base case

one way i.e. stay there only

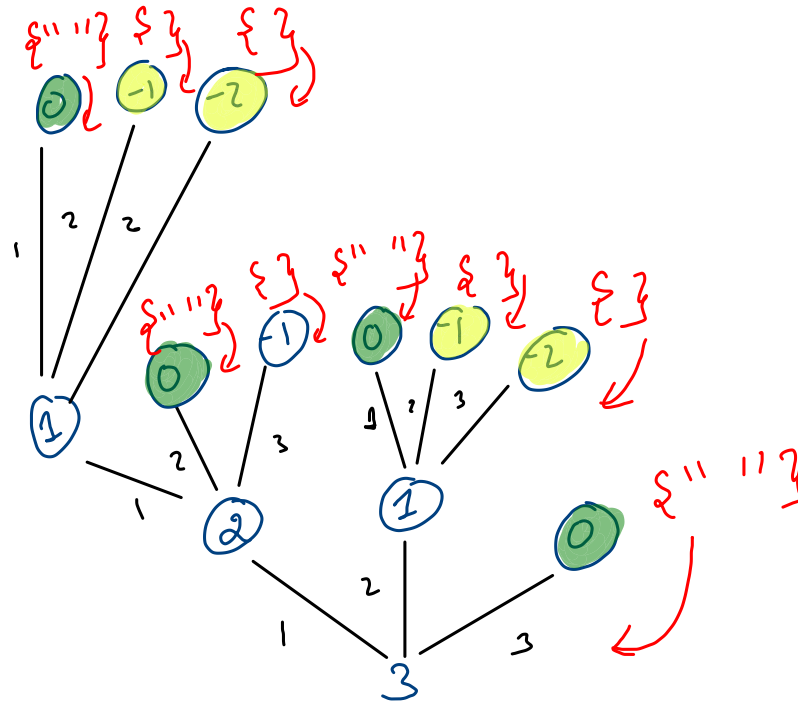
-1 to 0  $\rightarrow$  -ve base case

no way to go back to 0.

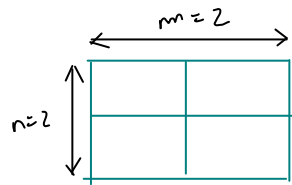


level = curv stair  
options = moves

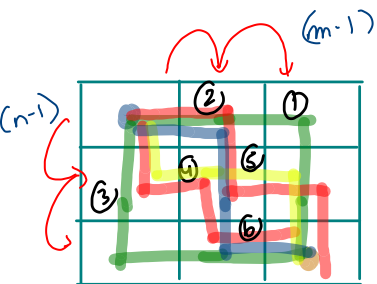
```
public static ArrayList<String> getStairPaths(int n) {
    if(n == 0) {
        ArrayList<String> base = new ArrayList<>();
        base.add("");
        return base;
    }
    if(n < 0) {
        return new ArrayList<>();
    }
    ArrayList<String> smallAns1 = getStairPaths(n - 1);
    ArrayList<String> smallAns2 = getStairPaths(n - 2);
    ArrayList<String> smallAns3 = getStairPaths(n - 3);
    ArrayList<String> ans = new ArrayList<>();
    for(String s: smallAns1) {
        ans.add("1" + s);
    }
    for(String s: smallAns2) {
        ans.add("2" + s);
    }
    for(String s: smallAns3) {
        ans.add("3" + s);
    }
    return ans;
}
```



# Get Maze Paths



only 1 sized horizontal  
and 1 sized vertical in  
right & down directions  
respectively are possible. (ATQ)



- ① m d d
- ② r d r d
- ③ d d r r
- ④ d r d r
- ⑤ d r r d
- ⑥ m d d r

ALCS  $\rightarrow$  gmp  $(sr, sc, dr, dc)$

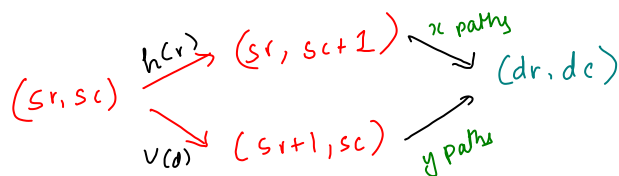
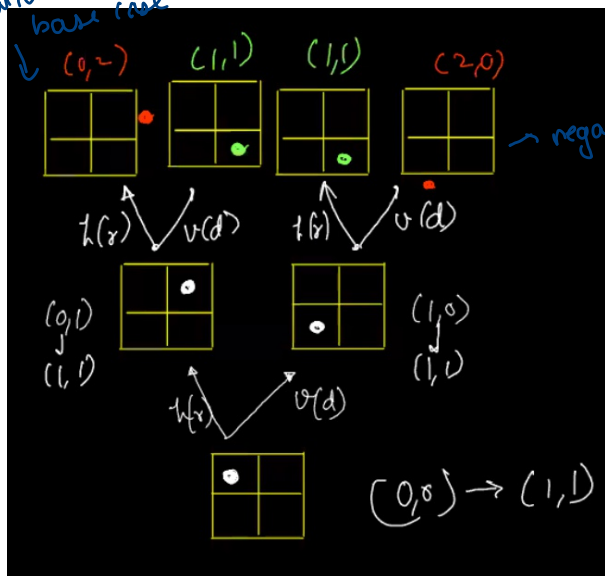
Path Length:  $(n-1) + (m-1)$   
 $\rightarrow$  This is greedy

No. of Paths:  $\rightarrow$  This will be DP  
 (catalan No.)

for this ques

$$\frac{(n-1 + m-1)}{(n-1)! (m-1)!}$$

Negative base case



## Gret Maze Paths with Jumps

