

Similarity-Based Visual Search

Deep Hash Neural Network Implementation based on

Hanjiang Lai, Yan Pan, Ye Liu, and Shuicheng Yan.

Simultaneous feature learning and hash coding with deep neural networks, CVPR 2015.

Finding Similar Images

Assume I to be the image space. The goal of hash learning for images is to learn a mapping $F: I \rightarrow \{0,1\}^q$, such that an input image I can be encoded into a q -bit binary code $F(I)$, with the similarities of images being preserved.



Google Image Search Results

Motivation

- Extracting **informative** image features

Deep Convolutional Neural Network:

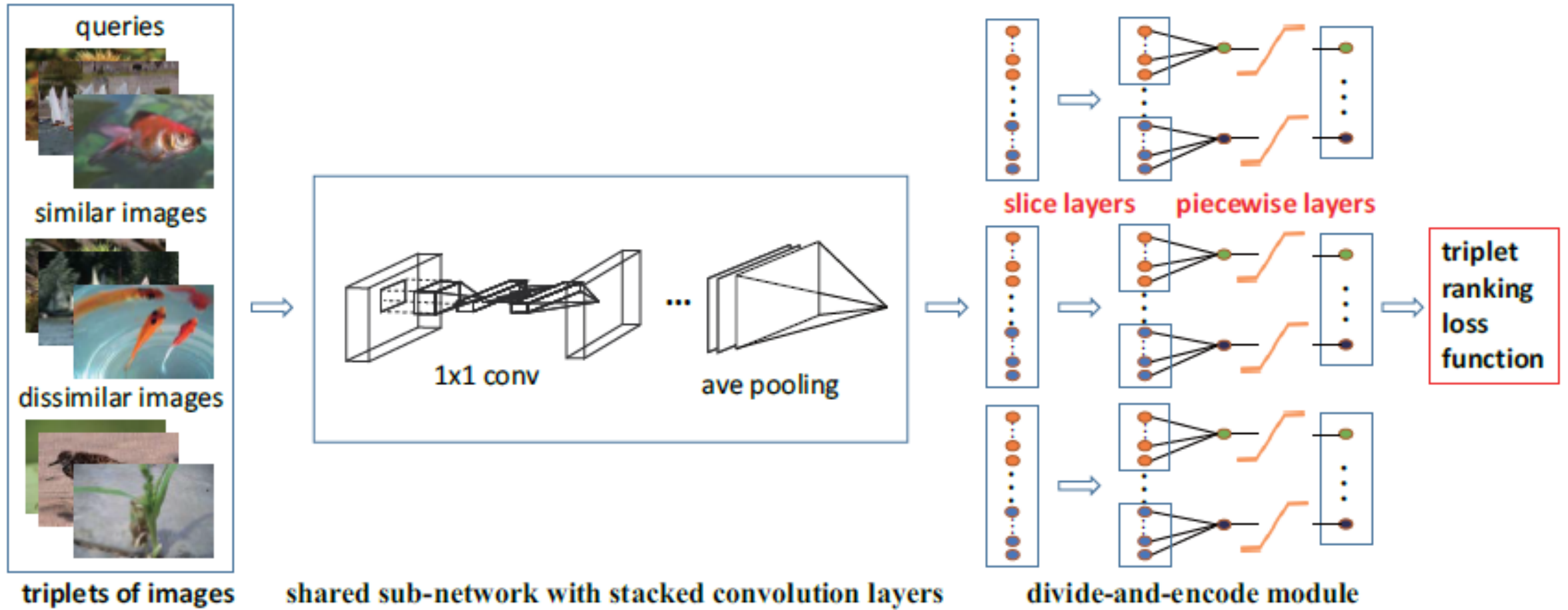
- Extract discriminative features depend on data
- Build end-to-end relation between the raw image data and the binary hashing codes

- Learning **effective** approximate functions

Hash Code:

- **Space-saving** :high-dimensional features to lower dimensional space, compact bitwise representation
- **Speedup** :binary pattern matching or Hamming distance measurement

Approach



Three building blocks of DNNH

Part 1 Triplet Ranking Loss and Optimization

$$\hat{l}_{triplet}(F(I), F(I^+), F(I^-))$$

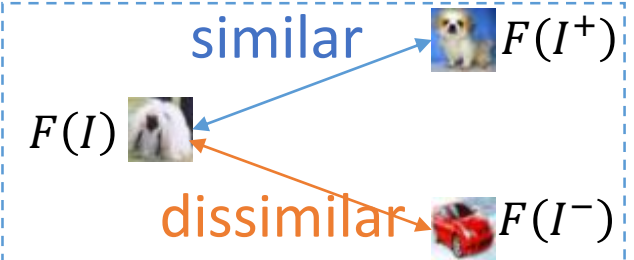
$$= \max \left(0, 1 - \left(\|F(I) - F(I^-)\|_H - \|F(I) - F(I^+)\|_H \right) \right)$$

$$s.t. F(I), F(I^+) \in \{0,1\}^q$$

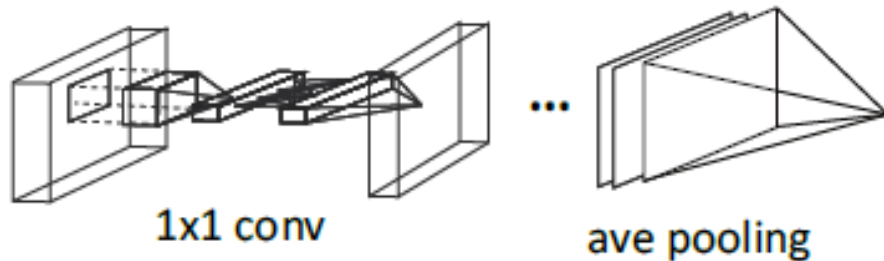
Characterize that one image is more **similar** to the second image **than** to the third one



Relaxation



Forward inference: $f_w(x)$



$$\hat{l}_{triplet}(F(I), F(I^+), F(I^-))$$

$$= \max \left(0, \|F(I) - F(I^+)\|_2^2 - \|F(I) - F(I^-)\|_2^2 + 1 \right)$$

$$s.t. F(I), F(I^+) \in [0,1]^q$$

$$\frac{\partial l}{\partial b} = (2b^- - 2b^+) \times I_{\|b-b^+\|_2^2 - \|b-b^-\|_2^2 + 1 > 0}$$

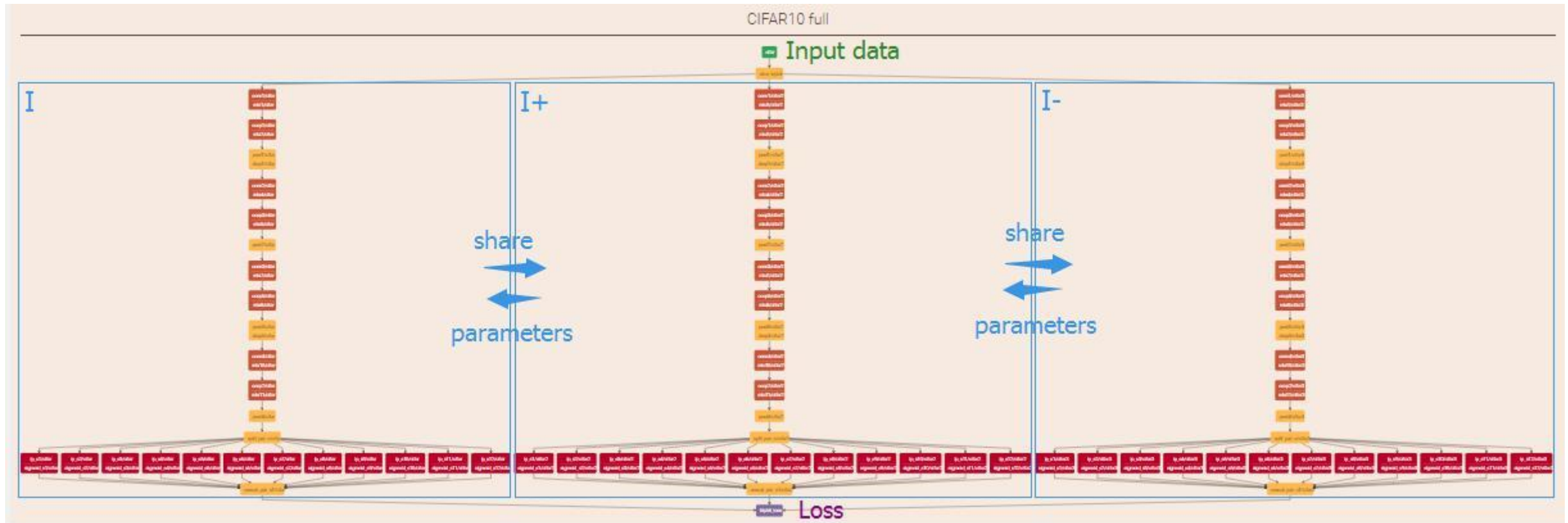
$$\frac{\partial l}{\partial b} = (2b^+ - 2b) \times I_{\|b-b^+\|_2^2 - \|b-b^-\|_2^2 + 1 > 0}$$

$$\frac{\partial l}{\partial b} = (2b^- - 2b) \times I_{\|b-b^+\|_2^2 - \|b-b^-\|_2^2 + 1 > 0}$$

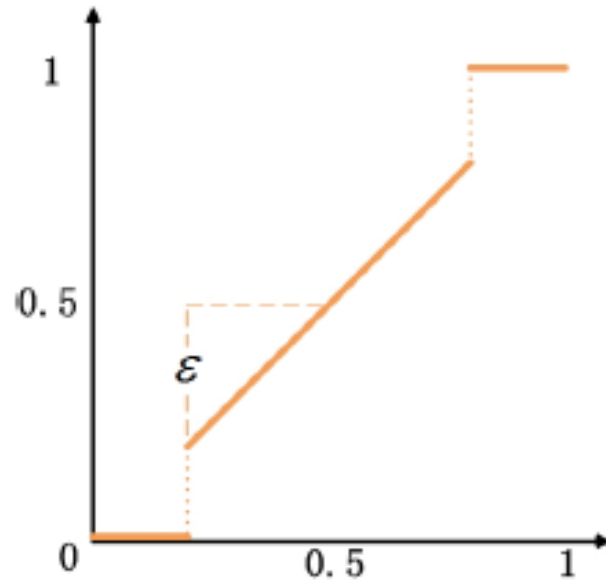
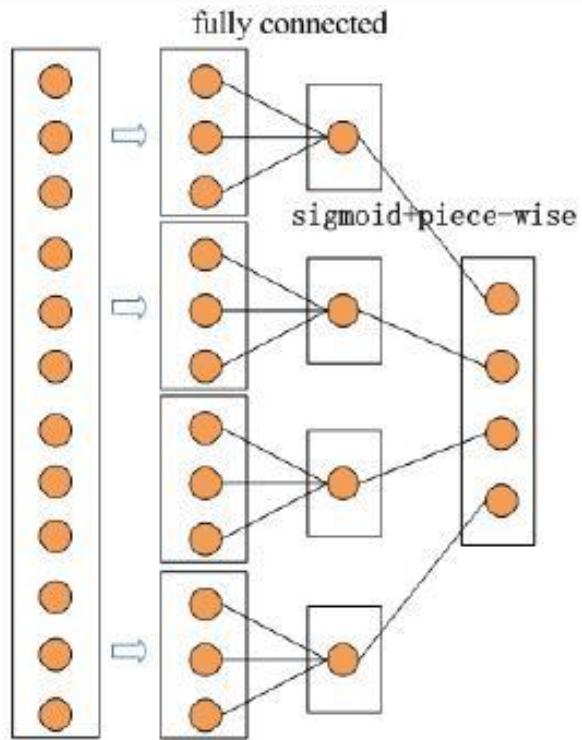
Backward learning: $\nabla f_w(x)$

Part 2 Shared SubNetwork with Stacked Convolution Layers

- **Parameter sharing** can significantly reduce the number of parameters in the whole architecture.



Part 3 Divide and Encode Module



- Separated slice of features: Reduce the redundancy among the hash bits
- Piece-wise threshold: encourage the output of binary hash bits:

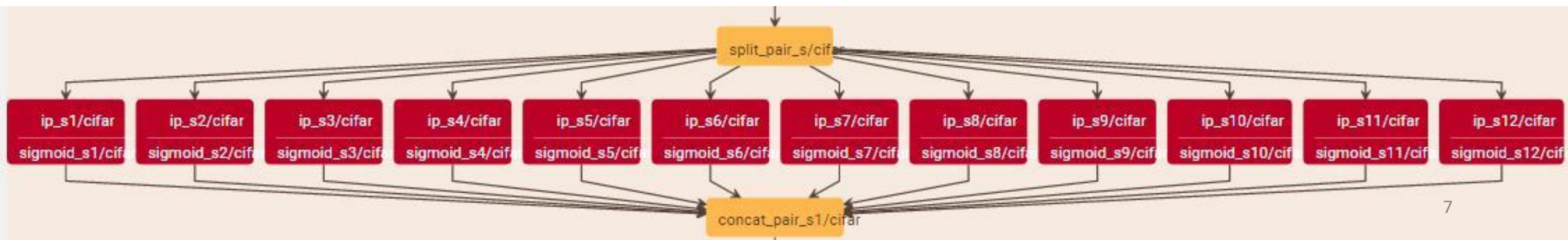
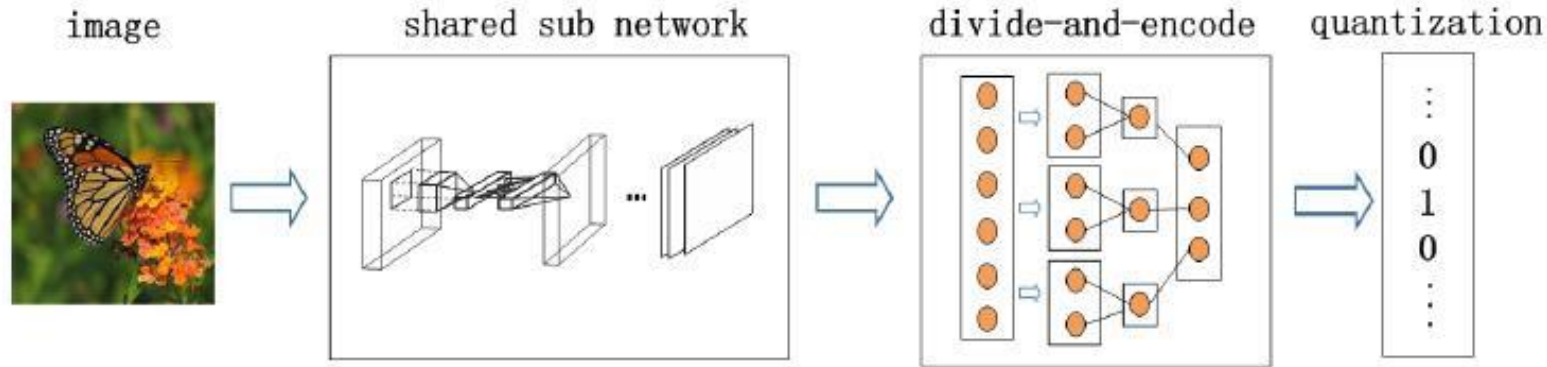
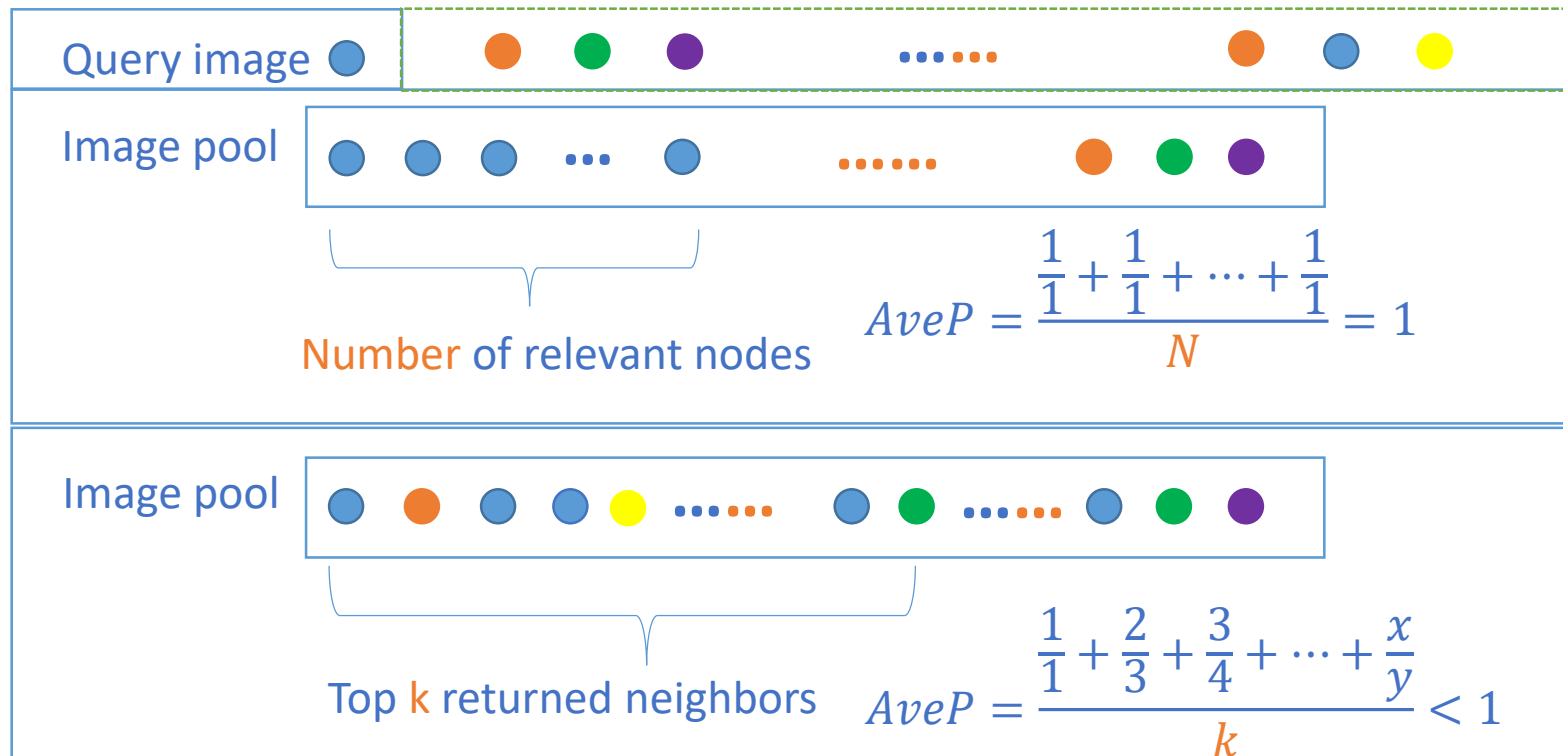


Image Retrieval and Model Evaluation



Given a query image, the retrieval list of images is produced by sorting the **hamming distances** between the query image and images in search pool.



$$MAP = \frac{\sum_{q=1}^Q AveP(q)}{Q}$$

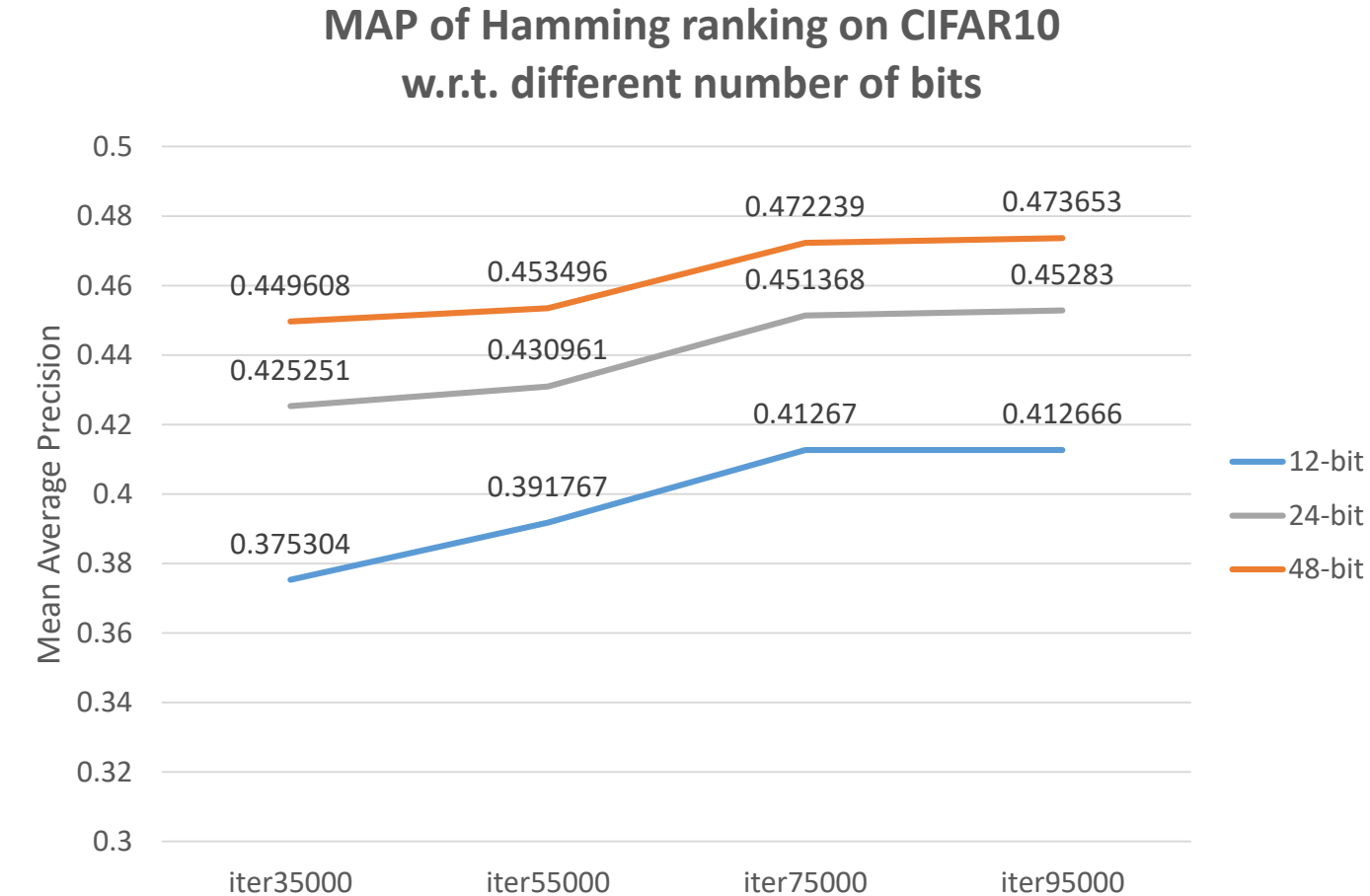
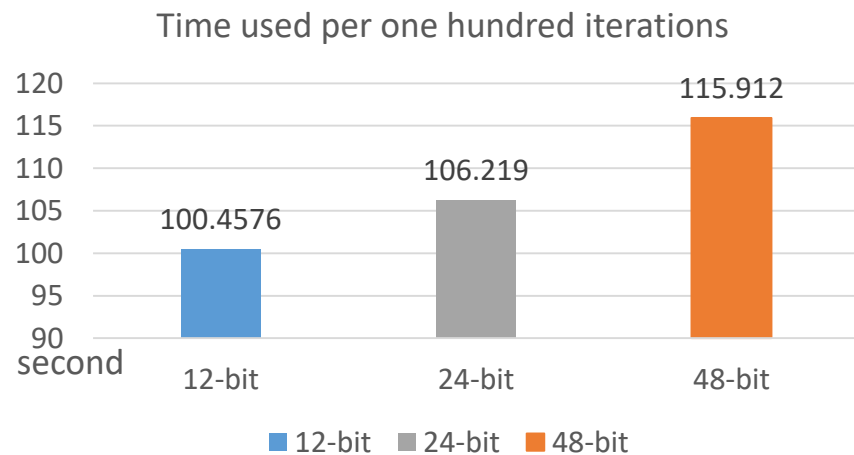
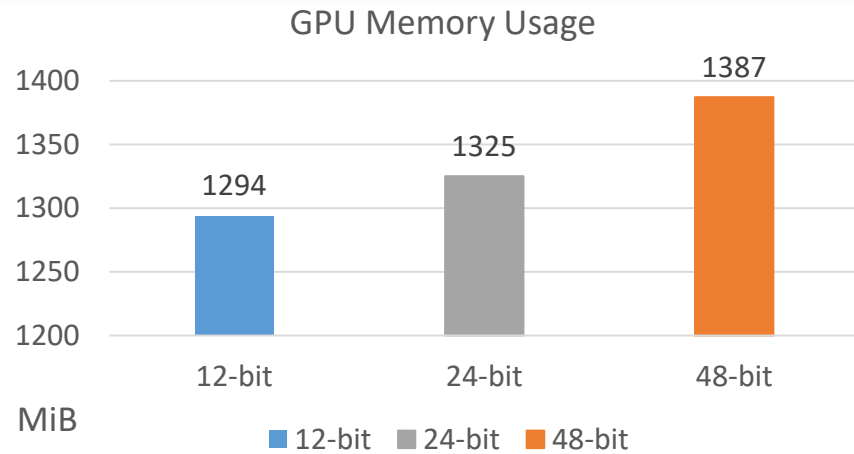
$$AveP = \frac{\sum_{k=1}^N (P(k) \times rel(k))}{\min(N, k)}$$

Mean Average Precision(MAP)

Implementation on Caffe framwork

- **Deploy:** Given the definition of loss layer, deploy the deep hashing pipeline on linux.
- **Train:** Write prototxt to define DNNH and bash files to execute for training on preprocessed triplet CIFAR-10 dataset.
- **Test:** Write prototxt to encode images into 12-bit, 32-bit and 48-bit seperately and bash files to execute for image retrieval.
- **Evaluate:** Implement the metric of mean average precision (mAP) for evaluation.

Results and Analysis



Shorter codes have the edge in space and time usage.

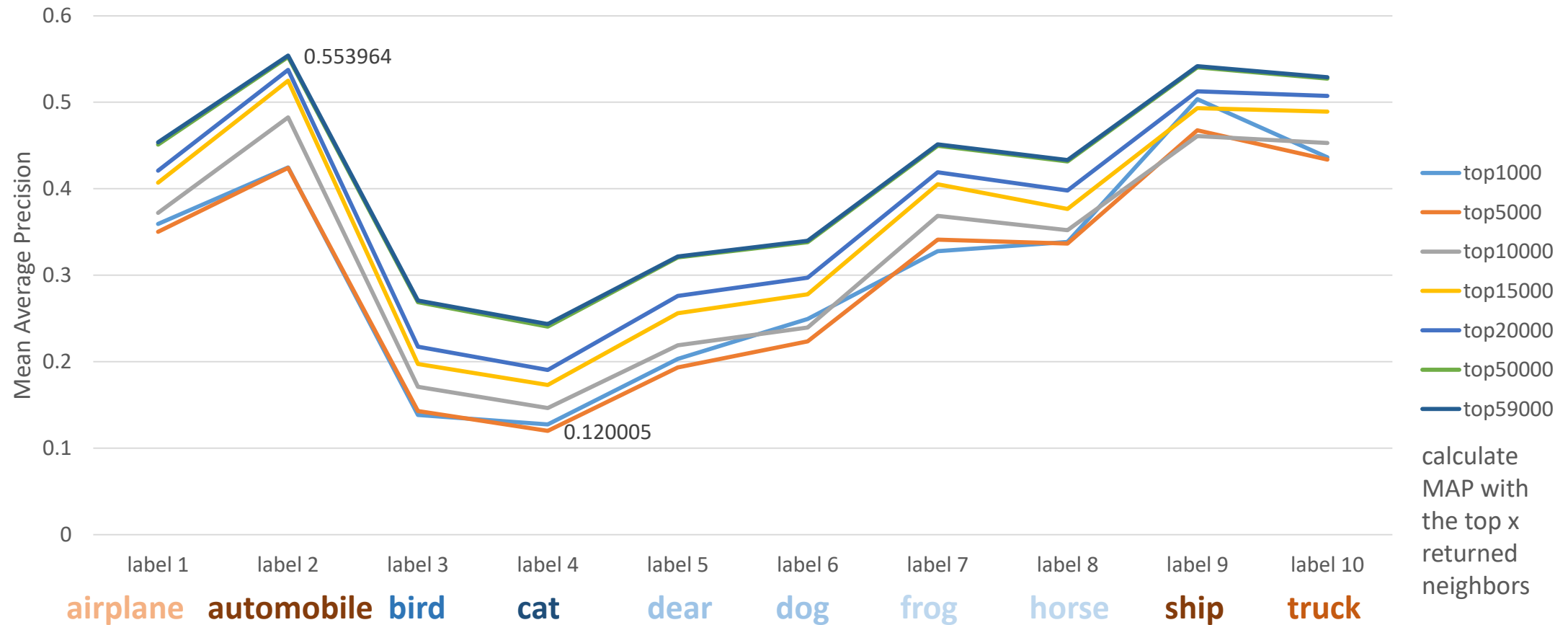
Longer codes have higher accuracy.

128-bit codes??

Shorter codes may be capable of presenting images and large bits may be overfitting. Test on Tesla K80 GPU Card

Results and Analysis

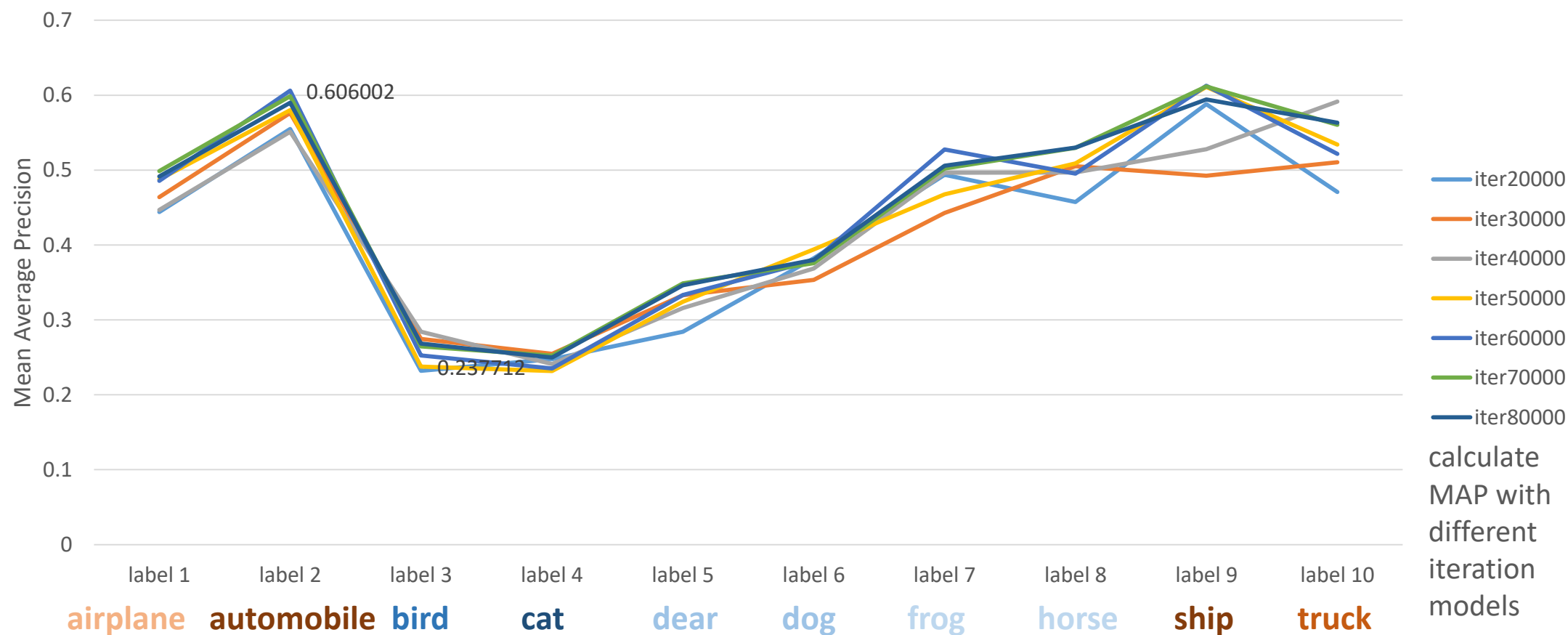
10 labels image's MAP with 12 hash bits, 80000 iterations



Artifacts like automobile, ship, truck, airplane outperform **animals** like cat, bird, deer dog and so on.

Results and Analysis

10 labels image's MAP with 24 hash bits, top 50000 returned neighbors

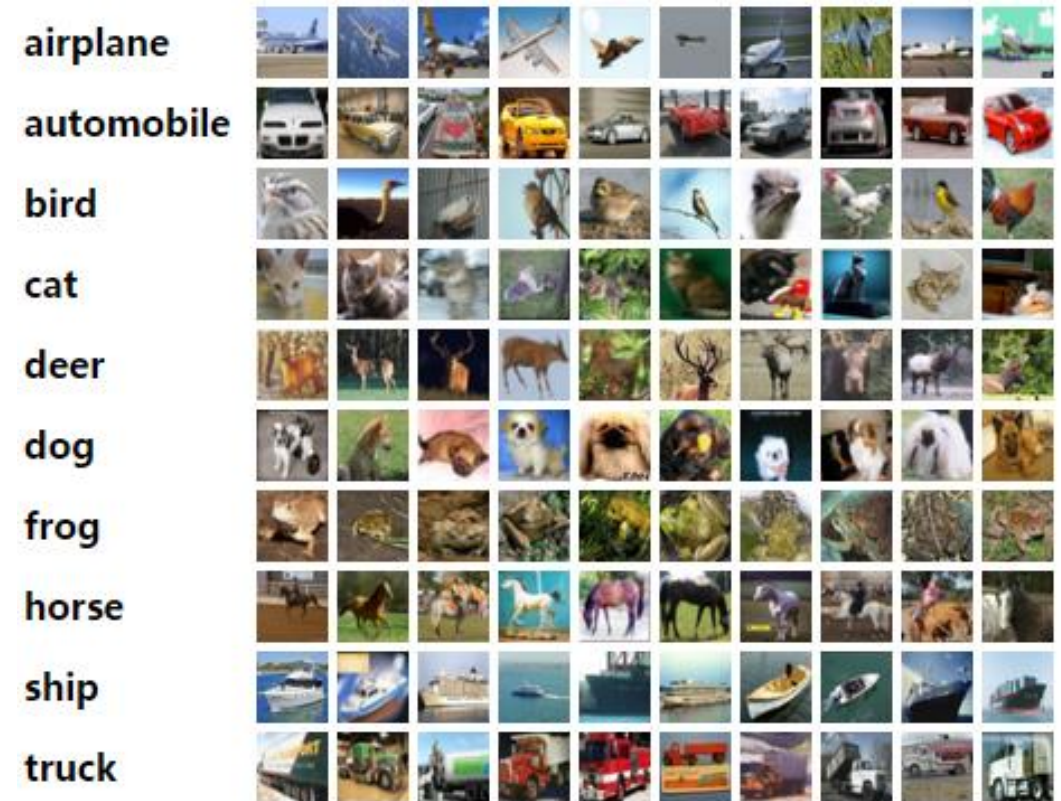


Artifacts like automobile, ship, truck, airplane outperform **animals** like cat, bird, dear dog and so on.

Futher Improvements

- MAP closely relates to **labels/classes** in the CIFAR-10 dataset.
- Use different **margin** for different labels/classes.
- *Larger* margin for artifacts.
Smaller margin for animals.

$$\begin{aligned} & \hat{l}_{\text{triplet}}(F(I), F(I^+), F(I^-)) \\ &= \max \left(0, \text{margin} - \left(\|F(I) - F(I^-)\|_H - \|F(I) - F(I^+)\|_H \right) \right) \\ & s. t. F(I), F(I^+) \in \{0,1\}^q \end{aligned}$$



[The CIFAR-10 dataset](#)

Futher Improvements

- Margin design
- Fine-tune on pre-trained deep models for better performance in both speed and precision.

- How about four images a group?

For example: $\{F(I^{a,b}), F(I^a), F(I^b), F(I^-)\}$

$F(I^{a,b})$ is image with tag a and b , $F(I^a)$ and $F(I^b)$ are images with tag a and b respectively while $F(I^-)$ neither has tag a or b .

Aim to preserve semantic similarity as well.

Thank you!

For more details:

[Source code](#) in GITHUB.

[Post](#) in blog.