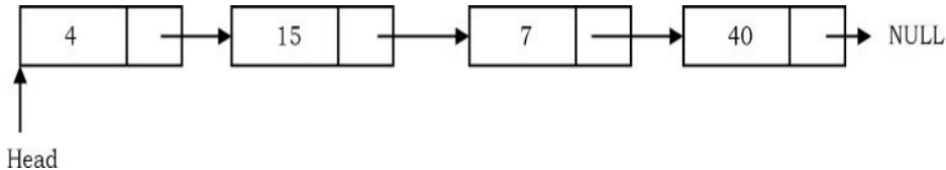


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Experiment No.	3

AIM:	Polynomial addition
Program	
PROBLEM STATEMENT:	Implement Polynomial addition with 1 variable using a singly linked list.
THEORY:	<p>What is a Linked List?</p> <p>A linked list is a data structure used for storing collections of data. A linked list has the following properties:</p> <ul style="list-style-type: none"> • Successive elements are connected by pointers • The last element points to NULL • Can grow or shrink in size during the execution of a program • Can be made just as long as required (until systems memory exhausts) • Does not waste memory space (but takes some extra memory for pointers). It allocates memory as the list grows. <p>Diagram of Structure:</p>  <pre> graph LR Head --> Node1 subgraph Node1 [] direction LR D1[4] --- P1[] end subgraph Node2 [] direction LR D2[15] --- P2[] end subgraph Node3 [] direction LR D3[7] --- P3[] end subgraph Node4 [] direction LR D4[40] --- P4[] end P1 --> Node2 P2 --> Node3 P3 --> Node4 P4 --> NULL </pre> <p>Advantages of Linked Lists</p> <p>The advantage of linked lists is that they can be expanded in constant time. To create an array, we must allocate memory for a certain number of elements. To add more elements to the array when full, we must create a new array and copy the old array into the new array. This can take a lot of time. We can prevent this by allocating lots of space initially but then we might allocate more than we need and waste memory. With a linked list, we can start with space for just one</p>

allocated element and add on new elements easily without the need to do any copying and reallocating.

Types of Linked Lists:

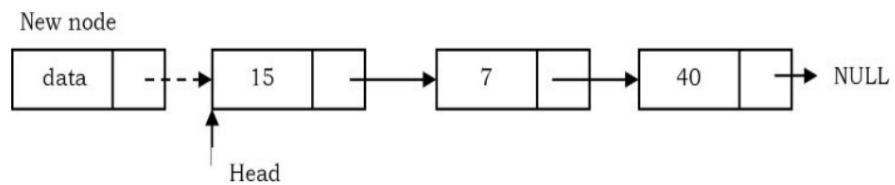
1. Singly Linked List
2. Circular Linked List
3. Doubly Linked List
4. Doubly Circular Linked List
5. Generalized Linked List

Basic Operations of Linked Lists:

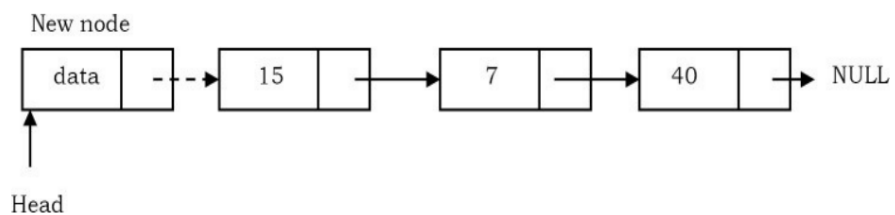
Insertion:

An element can be inserted at 3 different types of positions in a linked list:

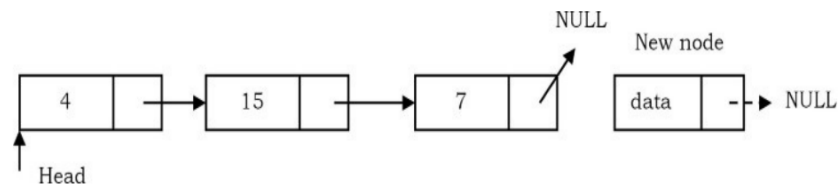
Insertion at the Beginning:



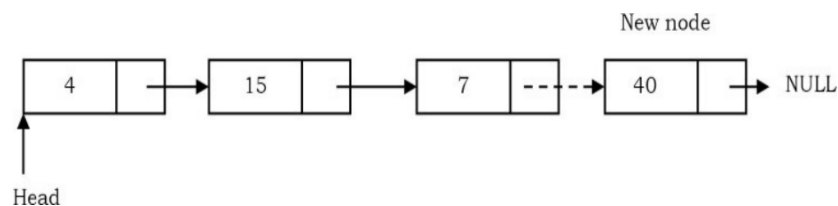
- Update head pointer to point to the new node.



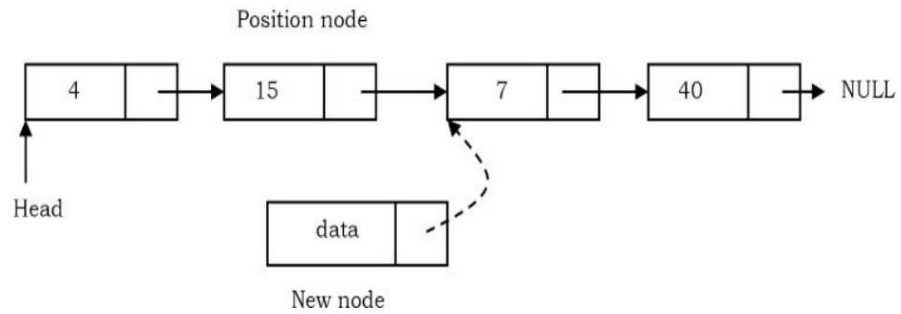
Insertion at the end:



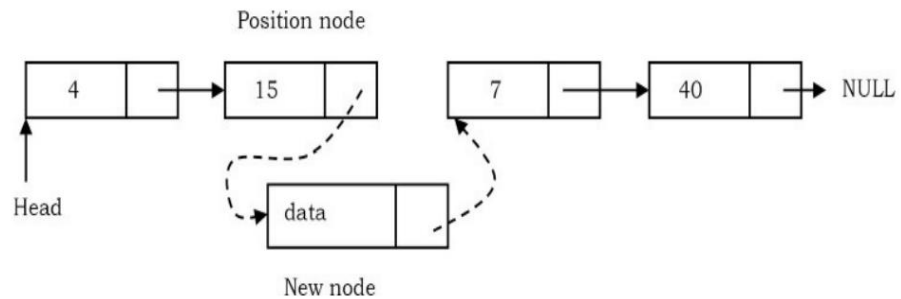
- Last nodes next pointer points to the new node.



Insertion at any place in between:



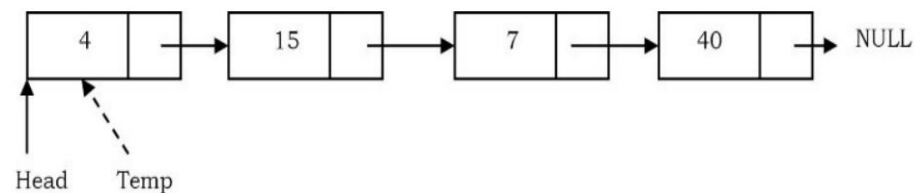
- Position node's next pointer now points to the new node.



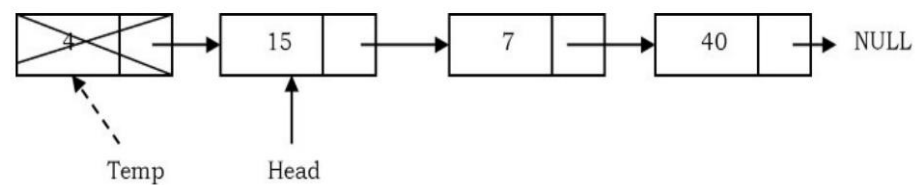
Deletion:

Similarly, an element can be deleted at 3 different types of positions:

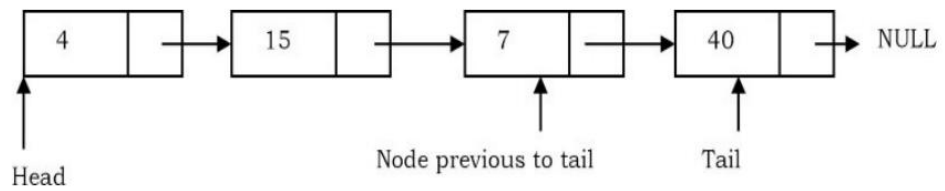
Deletion at the front:



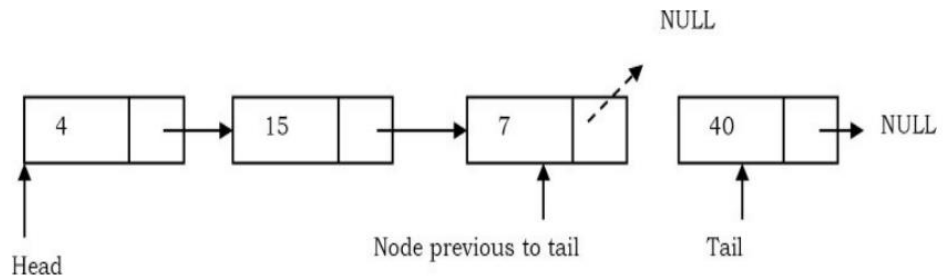
- Now, move the head nodes pointer to the next node and dispose of the temporary node.



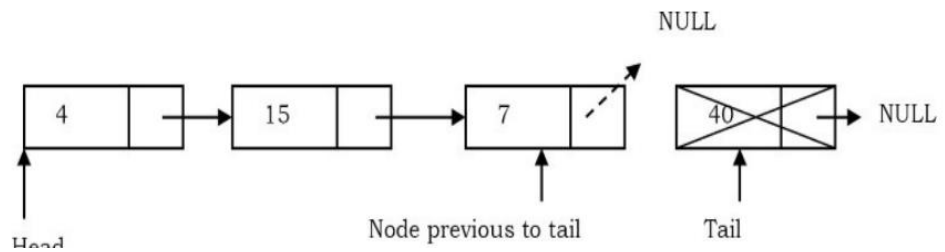
Deletion at End:



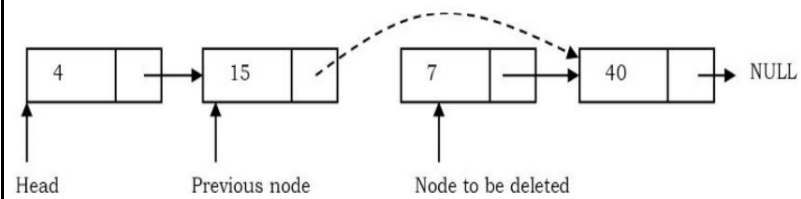
- Update previous node's next pointer with NULL.



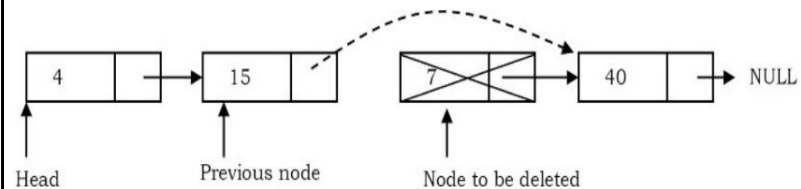
- Dispose of the tail node.



Deletion from any position in between:



- Dispose of the current node to be deleted.



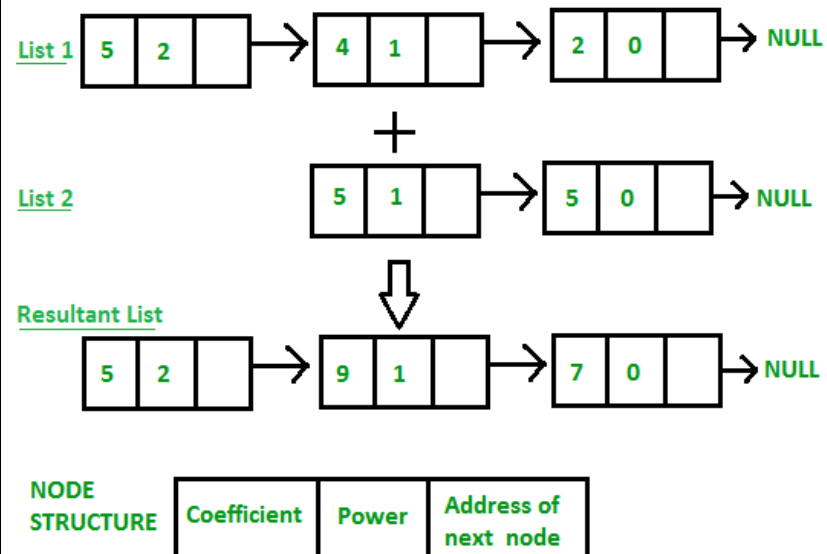
Applications of Singly Linked List:

Polynomial Addition:

A linked list can be used to add 2 polynomial expressions with one variable.

Example:

$$(5x^3 + 4x^2 + 2) + (5x^1 - 5) = 5x^3 + 4x^2 + 5x^1 - 3$$



ALGORITHM:

Class Polynomial:

Subclass Node:

Members:

int coeff, exp

Node next

Constructor:

this.exp = exp

this.coeff = coeff

next = null

InsertAtEnd Method:

Initialize newnode of type Node

Node current = head

If head == null:

head = newnode

else

while current.next is not null

do current = current.next

current.next = newnode

PrintList Method:

Initialize String s

Traverse LinkedList and add all coeffs & exp to the string with proper formatting

Class PolyAdd:

Initialize 3 objects of Polynomial class: p1,p2,p3

Int n,m,coeff,exp

Input 1st polynomial from user and store in p1

Input 2nd polynomial from user and store in p2

Initialize 2 Node pointers: temp1 & temp2

While temp1 != null and temp2 != null:

 If temp1.exp == temp2.exp

 Add both coeff and store res,exp in p3

 Else if temp1.exp > temp2.exp:

 Add temp1(coeff,exp) to p3

 temp1 = temp1.next

 Else:

 Add temp2(coeff,exp) to p3

 Temp2 = temp2.next

Print p3 as solution

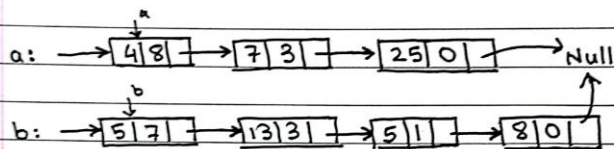
End

PROBLEM SOLVING:

Polynomial Addition:

a) exp 1: $4x^8 + 7x^3 + 25$

b) exp 2: $5x^7 + 13x^3 + 5x + 8$



Addition:

1) a.exp > b.exp → insert ($4x^8$) to Result

Result: → [4|8]

2) b.exp > a.exp

Result: → [4|8] → [5|7]

3) a.exp = b.exp → add ($7+13 = 20x^3$) insert to result

Result: → [4|8] → [5|7] → [20|3]

4) Complete steps 1-3 till both reach null

Final Res: → [4|8] → [5|7] → [20|3] → [5|1] → [8|0] → null

Ans: $4x^8 + 5x^7 + 20x^3 + 5x + 8$

PROGRAM:

```

import java.util.Scanner;
class Polynomial {
    class Node {
        int coeff;
        int exp;
        Node next;
        Node(int coeff, int exp) {
            this.coeff = coeff;
            this.exp = exp;
            next = null;
        }
    }
    Node head;
    int getCoeff(Node node) {
  
```

```

        return node.coeff;
    }
    int getExp(Node node) {
        return node.exp;
    }
    public void insertAtEnd(int coeff, int exp) {
        Node newNode = new Node(coeff, exp);
        Node current = head;
        if (head == null) {
            head = newNode;
        } else {
            while (current.next != null) {
                current = current.next;
            }
            current.next = newNode;
        }
    }
    public String printList() {
        String s = "";
        Node current = head;
        while (current != null) {
            if (current.exp == 0) {
                s += current.coeff;
            } else {
                s +=
current.coeff+"x^"+current.exp+(current.next!=null?"+"+"");
            }
            current = current.next;
        }
        return s;
    }
}

public class PolyAdd {
    public static void main(String[] args) {
        Scanner sc = new Scanner(System.in);
        Polynomial p1 = new Polynomial();
    }
}

```



```

Polynomial p2 = new Polynomial();
Polynomial p3 = new Polynomial();
int n,m,coeff,exp;
System.out.print("Enter the no. of terms in 1st polynomial: ");
n = sc.nextInt();
for(int i=0;i<n;i++) {
    System.out.print("Enter coeff & exp: ");
    coeff = sc.nextInt();
    exp = sc.nextInt();
    p1.insertAtEnd(coeff, exp);
}
System.out.print("Enter the no. of terms in 2nd polynomial: ");
m = sc.nextInt();
for(int i=0;i<m;i++) {
    System.out.print("Enter coeff & exp: ");
    coeff = sc.nextInt();
    exp = sc.nextInt();
    p2.insertAtEnd(coeff, exp);
}
System.out.println("1st polynomial: "+p1.printList());
System.out.println("2nd polynomial: "+p2.printList());
Polynomial.Node temp1 = p1.head;
Polynomial.Node temp2 = p2.head;
while (temp1 != null && temp2 != null) {
    if (temp1.exp == temp2.exp) {
        p3.insertAtEnd(temp1.coeff + temp2.coeff, temp1.exp);
        temp1 = temp1.next;
        temp2 = temp2.next;
    } else if (temp1.exp > temp2.exp) {
        p3.insertAtEnd(temp1.coeff, temp1.exp);
        temp1 = temp1.next;
    } else {
        p3.insertAtEnd(temp2.coeff, temp2.exp);
        temp2 = temp2.next;
    }
}
}

```

```

while(temp1!=null) {
    p3.insertAtEnd(temp1.coeff, temp1.exp);
    temp1 = temp1.next;
}
while(temp2!=null) {
    p3.insertAtEnd(temp2.coeff, temp2.exp);
    temp2 = temp2.next;
}
System.out.println("Solution: "+p3.printList());
sc.close();
}
}

```

OUTPUT:

```

● PS D:\Data Structures\Exp3> cd "d:\Data Structures\Exp3\"
Enter the no. of terms in 1st polynomial: 4
Enter coeff & exp: 41 6
Enter coeff & exp: 25 4
Enter coeff & exp: 14 3
Enter coeff & exp: 25 0
Enter the no. of terms in 2nd polynomial: 4
Enter coeff & exp: 51 7
Enter coeff & exp: 13 6
Enter coeff & exp: 12 3
Enter coeff & exp: 14 2
1st polynomial: 41x^6+25x^4+14x^3+25
2nd polynomial: 51x^7+13x^6+12x^3+14x^2
Solution: 51x^7+54x^6+25x^4+26x^3+14x^2+25
○ PS D:\Data Structures\Exp3>

```

CONCLUSION:

In this experiment, we learnt how to implement the polynomial addition of 2 polynomial expressions (1 variable) using a singly linked list data structure in java