# Application Design Using Java

Lecture 22

### SQL Injection

- Code injection technique that might destroy your database
- One of the most common Web hacking techniques
- Malicious code placed in SQL statements via Web page input
- Prevention
  - Limit permissions of the MySQL user used by the application to access the database
  - Input validation, don't trust any user input
    - Regular expressions as whitelists for structured data
    - For fixed sets of values (drop-down lists, radio buttons, etc.), determine which value is returned. The input data should match one of the offered options exactly.
  - SQL parameters
  - Stored procedures
  - Use character-escaping functions for user-supplied input



### SQL Injection Examples

 Getting access to the entire table, all rows and columns.
 Imagine it were a table with all users, their passwords, etc. Executed the following SQL statement:

SELECT airport, city, country, latitude, longitude FROM advjava.airports WHERE country = ""

or ""="" AND city = "" or ""=""



Deleting the table.

Executed the following SQL statement:

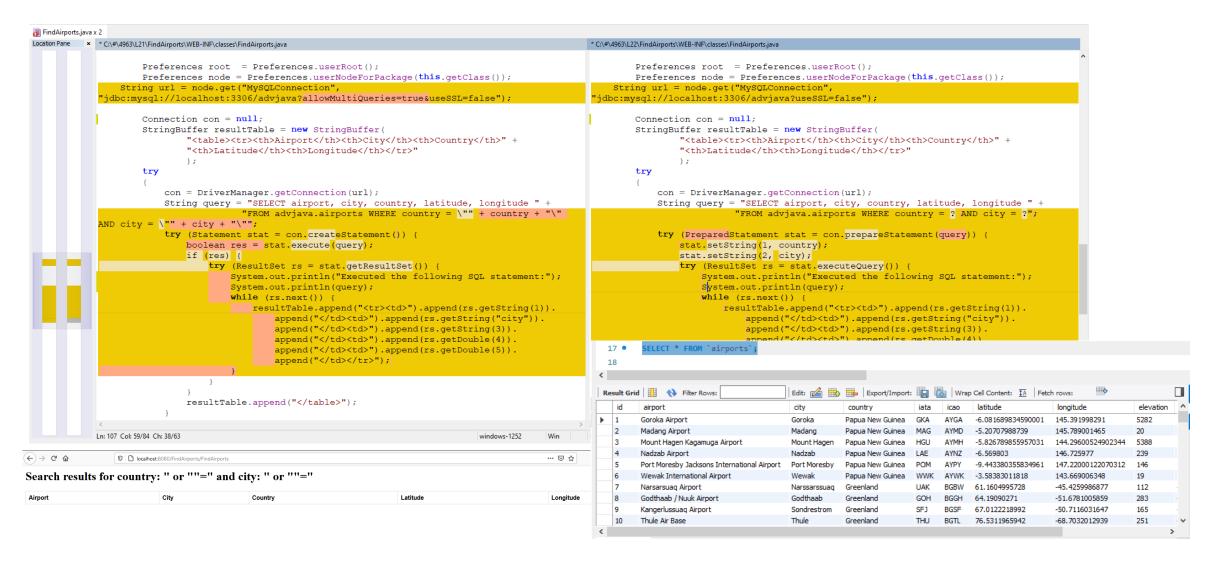
SELECT airport, city, country, latitude, longitude FROM advjava.airports WHERE country = "" or ""="" AND city = "" or "=";

DROP TABLE `airports`;-- "

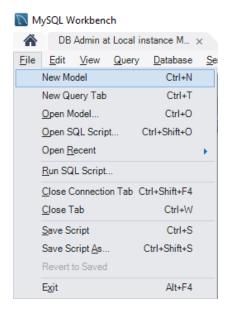
SELECT \* FROM `airports`;

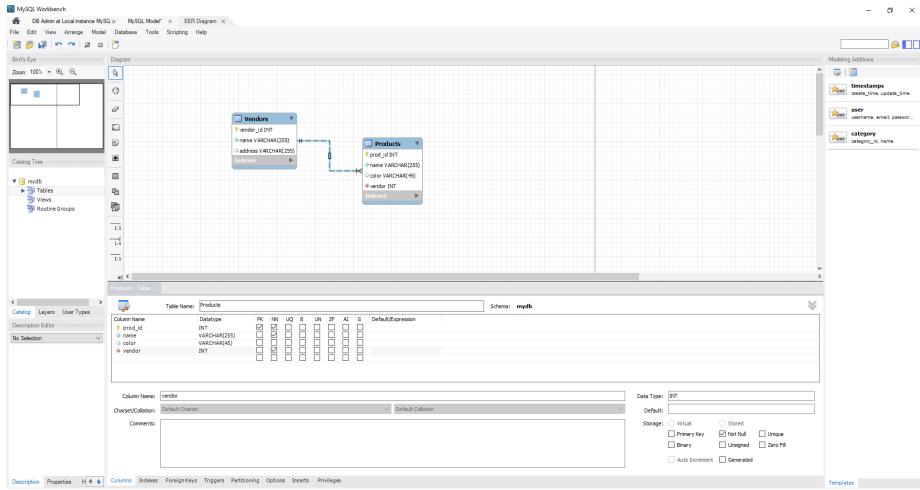
Enter country:

## SQL Injection Eliminated

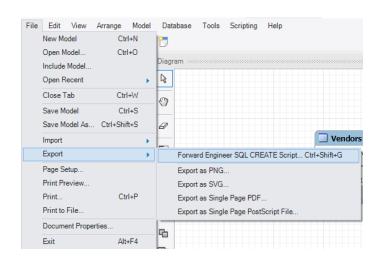


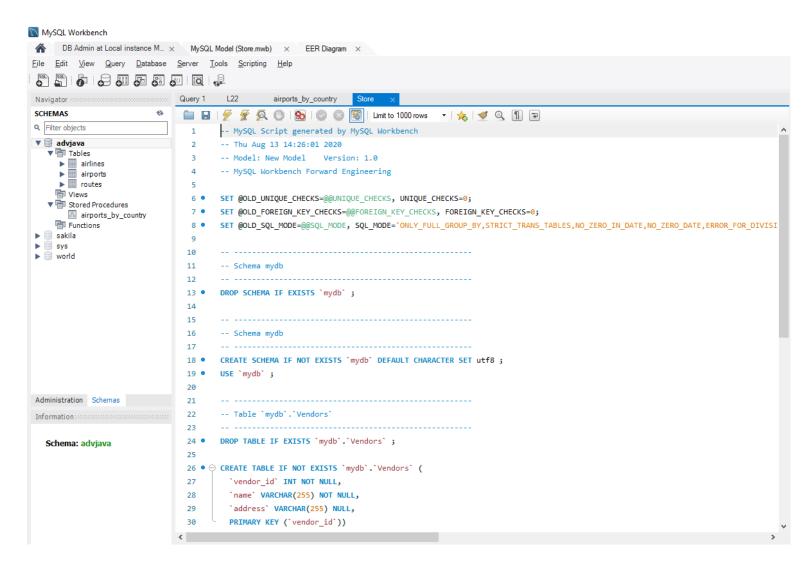
## Designing Database Schema



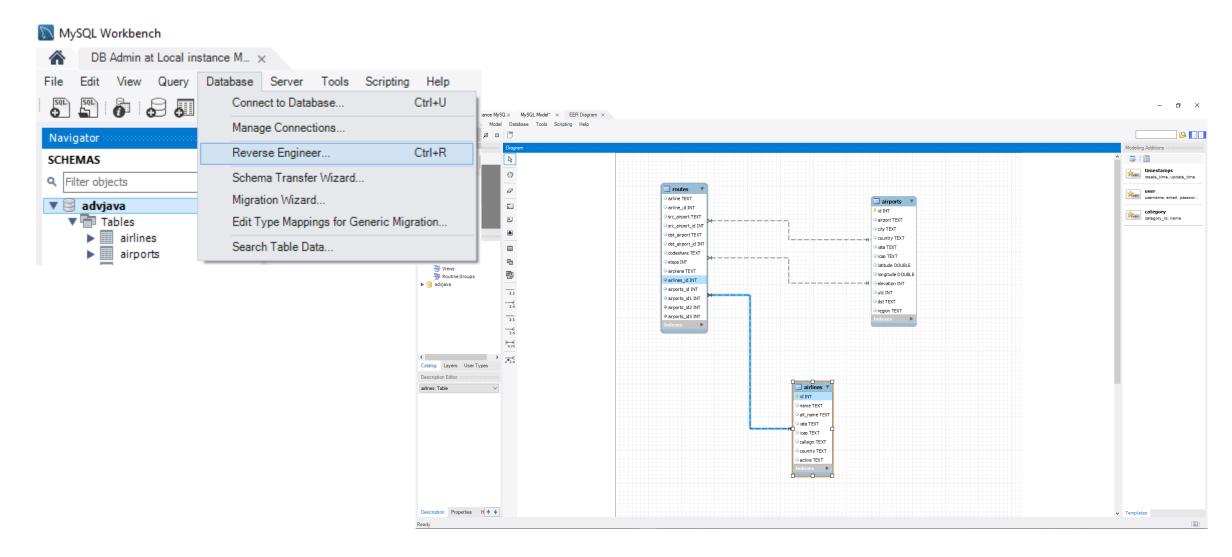


### Creating Database from Model



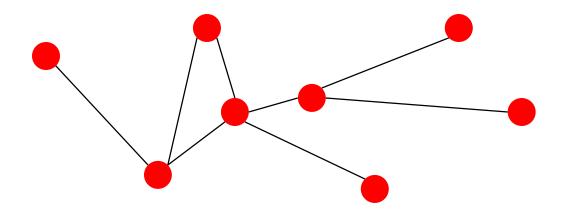


### Reverse Engineering a Database





#### **COMPONENTS OF A COMPLEX SYSTEM**



components: nodes, vertices

• interactions: links, edges

• system: network, graph (N,L)

#### **NETWORKS OR GRAPHS?**

#### *network* often refers to real systems

- •WWW,
- social network
- metabolic network.

Language: (Network, node, link)

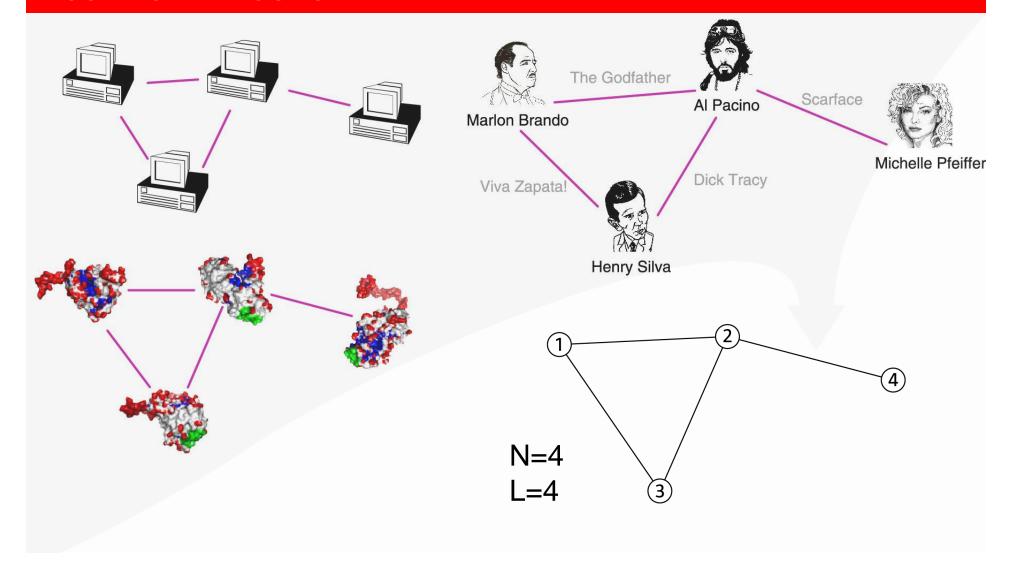
#### graph: mathematical representation of a network

- web graph,
- •social graph (a Facebook term)

Language: (Graph, vertex, edge)

We will try to make this distinction whenever it is appropriate, but in most cases we will use the two terms interchangeably.

#### A COMMON LANGUAGE



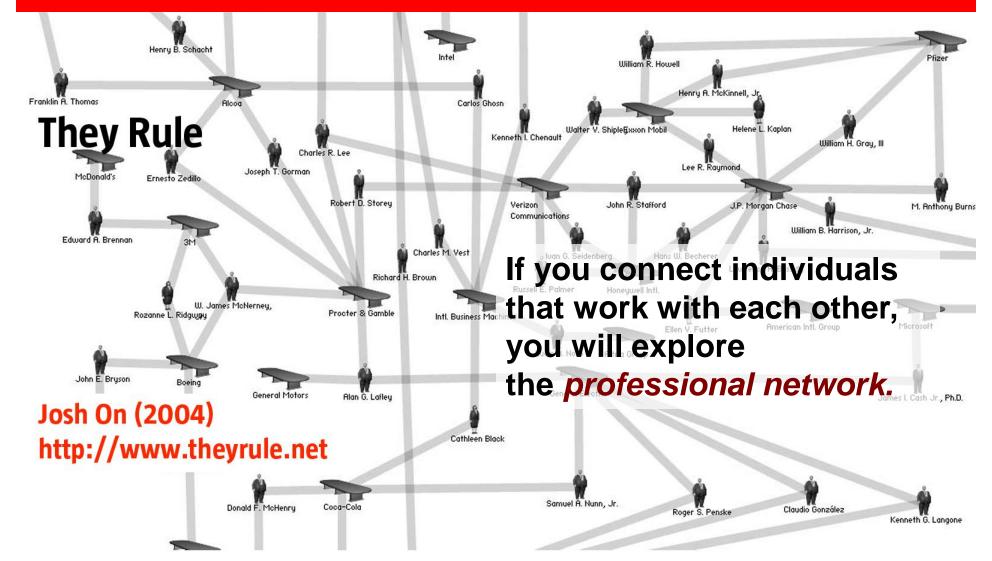
#### **CHOOSING A PROPER REPRESENTATION**

The choice of the proper network representation determines our ability to use network theory successfully.

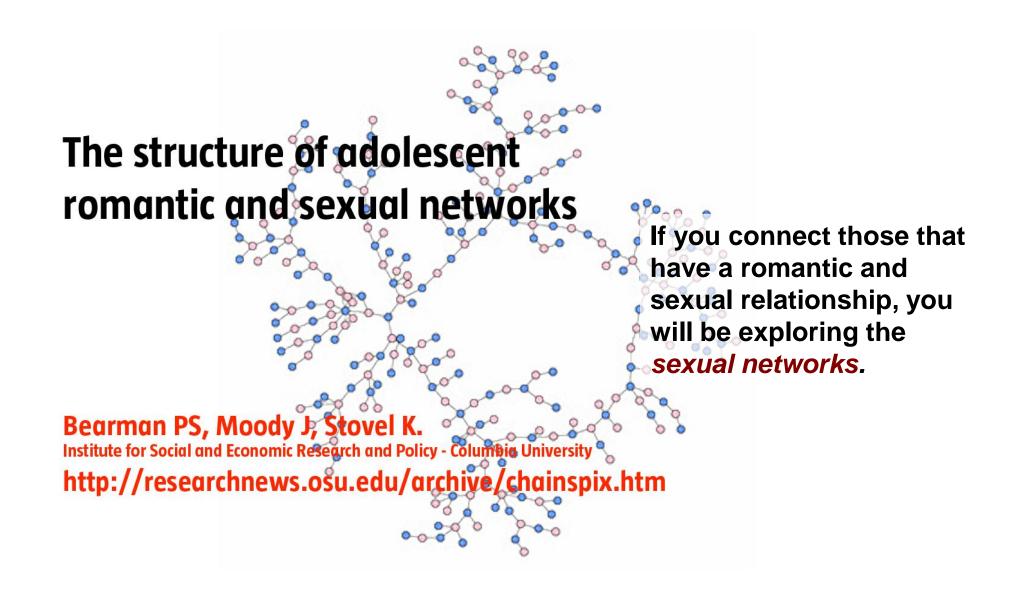
In some cases there is a unique, unambiguous representation. In other cases, the representation is by no means unique.

For example, the way we assign the links between a group of individuals will determine the nature of the question we can study.

#### **CHOOSING A PROPER REPRESENTATION**



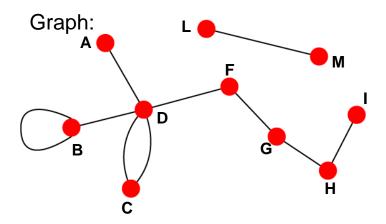
#### **CHOOSING A PROPER REPRESENTATION**



#### **UNDIRECTED VS. DIRECTED NETWORKS**

#### **Undirected**

Links: undirected (symmetrical)



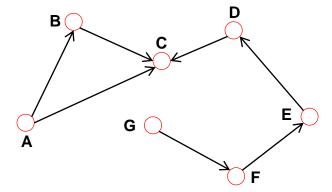
#### **Undirected links:**

coauthorship links Actor network protein interactions

#### **Directed**

Links: directed (arcs).

Digraph = directed graph:



An undirected link is the superposition of two opposite directed links.

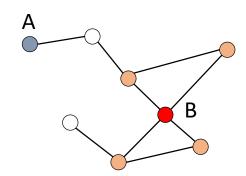
#### **Directed links:**

URLs on the www phone calls metabolic reactions

# Degree, Average Degree and Degree Distribution

#### **NODE DEGREES**

# Undirected

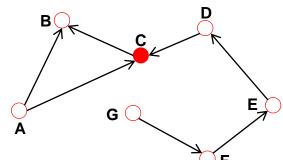


Node degree: the number of links connected to the node.

$$k_A = 1$$

$$k_A = 1$$
  $k_B = 4$ 

Directed



In directed networks we can define an in-degree and out-degree.

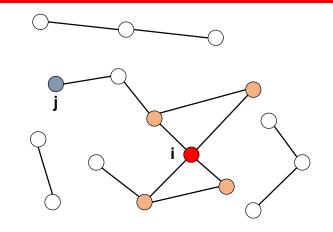
The (total) degree is the sum of in- and out-degree.

$$k_C^{in} = 2 \quad k_C^{out} = 1 \quad k_C = 3$$

Source: a node with  $k^{in}=0$ ; Sink: a node with  $k^{out}=0$ .

#### **AVERAGE DEGREE**

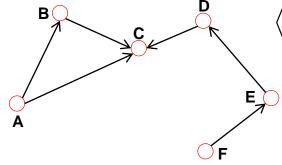
# Undirected



$$\langle k \rangle \equiv \frac{1}{N} \sum_{i=1}^{N} k_i \qquad \langle k \rangle \circ \frac{2L}{N}$$

N – the number of nodes in the graph

# **Directed**



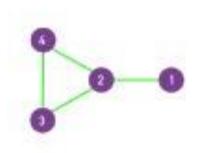
$$\langle k^{in} \rangle \equiv \frac{1}{N} \sum_{i=1}^{N} k_i^{in}, \quad \langle k^{out} \rangle \equiv \frac{1}{N} \sum_{i=1}^{N} k_i^{out}, \quad \langle k^{in} \rangle = \langle k^{out} \rangle$$

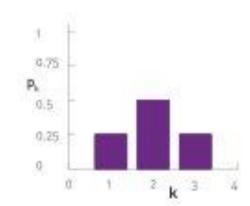
$$\langle k \rangle \circ \frac{L}{N}$$

#### **DEGREE DISTRIBUTION**

#### **Degree distribution**

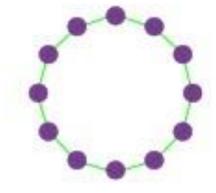
P(k): probability that a randomly chosen node has degree *k* 

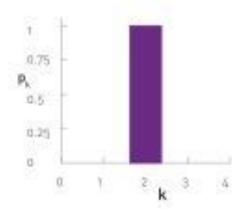




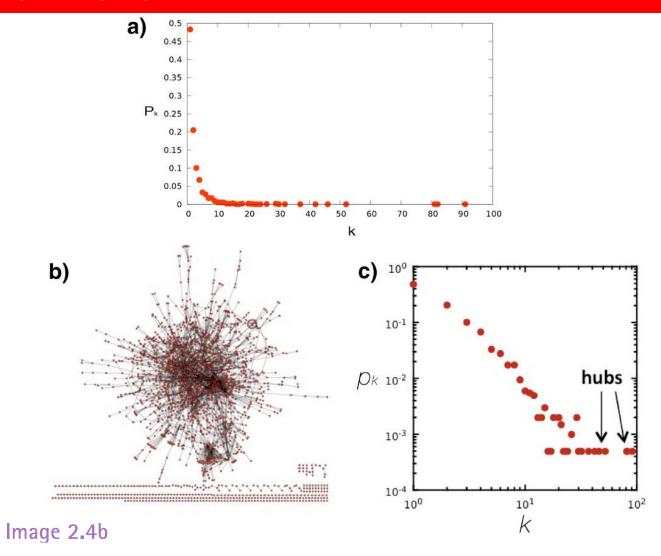
 $N_k = \#$  nodes with degree k

 $P(k) = N_k / N$  9 plot



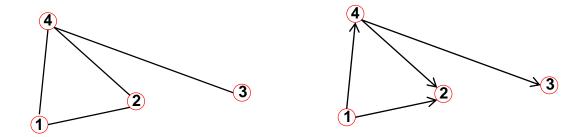


#### **DEGREE DISTRIBUTION**



# Adjacency matrix

#### **ADJACENCY MATRIX**



 $A_{ij}=1$  if there is a link between node *i* and *j* 

 $A_{ij}=0$  if nodes *i* and *j* are not connected to each other.

$$A_{ij} = \begin{pmatrix} 0 & 1 & 0 & 1 \\ 1 & 0 & 0 & 1 \\ 0 & 0 & 0 & 1 \\ 1 & 1 & 1 & 0 \end{pmatrix} \qquad A_{ij} = \begin{pmatrix} 0 & 0 & 0 & 0 \\ 1 & 0 & 0 & 1 \\ 0 & 0 & 0 & 1 \\ 1 & 0 & 0 & 0 \end{pmatrix}$$

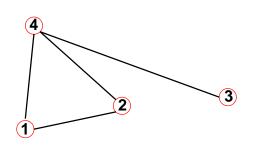
Note that for a directed graph (right) the matrix is not symmetric.

 $A_{ij} = 1$  if there is a link pointing from node j and i

 $A_{ij}=0$  if there is no link pointing from  $\emph{j}$  to  $\emph{i}$ .

#### **ADJACENCY MATRIX AND NODE DEGREES**

# Undirected



$$A_{ij} = \begin{pmatrix} 0 & 1 & 0 & 1 \\ 1 & 0 & 0 & 1 \\ 0 & 0 & 0 & 1 \\ 1 & 1 & 1 & 0 \end{pmatrix}$$

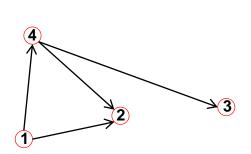
$$A_{ij} = A_{ji} A_{ii} = 0$$

$$k_i = \mathop{\mathring{\text{a}}}_{j=1}^N A_{ij}$$

$$k_j = \mathop{\text{a}}_{i=1}^N A_{ij}$$

$$L = \frac{1}{2} \mathop{\mathring{a}}_{i=1}^{N} k_i = \frac{1}{2} \mathop{\mathring{a}}_{ij}^{N} A_{ij}$$

# Directed



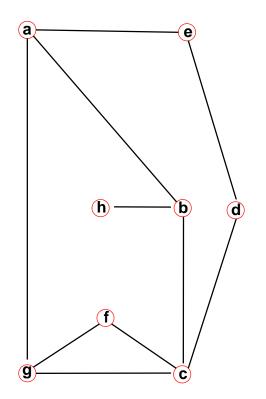
$$\begin{array}{ccc} A_{ij} & ^{1}A_{ji} \\ A_{ii} & = 0 \end{array}$$

$$k_i^{in} = \sum_{j=1}^{N} A_{ij}$$

$$k_j^{out} = \mathop{\overset{N}{\overset{}{\circ}}}_{i=1}^N A_{ij}$$

$$L = \mathop{\overset{N}{\overset{}{\circ}}}_{i=1}^{N} k_i^{in} = \mathop{\overset{N}{\overset{}{\circ}}}_{j=1}^{N} k_j^{out} = \mathop{\overset{N}{\overset{}{\circ}}}_{i,j}^{N} A_{ij}$$

#### **ADJACENCY MATRIX**

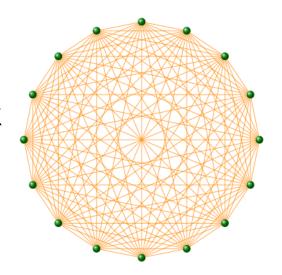


	a	b	C	d	e	f	g	h
a	0	1	0	0	1	0	1	0
b	1	0	1	0	0	0	0	1
C	0	1	0	1	0	1	1	0
d	0	0	1	0	1	0	0	0
e	1	0	0	1	0	0	0	0
f	0	0	1	0	0	0	1	0
g	1	0	1	0	0	0	0	0
h	0	1	0	0	0	0	0	0

## Real networks are sparse

#### **COMPLETE GRAPH**

The maximum number of links a network of N nodes can have is: $L_{\text{max}} = \binom{N}{2} = \frac{N(N-1)}{2}$ 



A graph with degree  $L=L_{max}$  is called a complete graph, and its average degree is < k>=N-1

#### **REAL NETWORKS ARE SPARSE**

#### Most networks observed in real systems are sparse:

WWW (ND Sample): N=325,729;  $L=1.4 \ 10^6$   $L_{max}=10^{12}$ 

< k > = 4.51

Protein (S. Cerevisiae): N=1,870; L=4,470  $L_{max}=10^7$ 

< k > = 2.39

Coauthorship (Math): N = 70,975;  $L = 2 \cdot 10^5$   $L_{max} = 3 \cdot 10^{10}$ 

< k > = 3.9

Movie Actors: N=212,250; L=6 10<sup>6</sup>

 $L_{\text{max}} = 1.8 \ 10^{13}$  < k>= 28.78

(Source: Albert, Barabasi, RMP2002)

#### **ADJACENCY MATRICES ARE SPARSE**

# WEIGHTED AND UNWEIGHTED NETWORKS

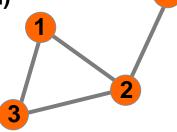
#### WEIGHTED AND UNWEIGHTED NETWORKS

$$A_{ij} = w_{ij}$$

#### **GRAPHOLOGY** 1

Unweighted





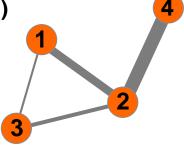
$$A_{ii} = 0 A_{ij} = A_{ji}$$

$$L = \frac{1}{2} \mathop{a}_{i,j=1}^{N} A_{ij} \langle k \rangle = \frac{2L}{N}$$

protein-protein interactions, www

#### Weighted

(undirected)



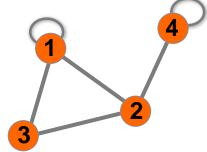
$$A_{ii} = 0 A_{ij} = A_{ji}$$

$$L = \frac{1}{2} \mathop{a}_{i,j=1}^{N} nonzero(A_{ij}) \langle k \rangle = \frac{2L}{N}$$

Call Graph, metabolic networks

#### **GRAPHOLOGY 2**

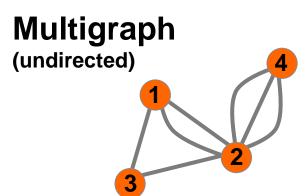
#### **Self-interactions**



$$A_{ii} \stackrel{1}{0} 0 \qquad A_{ij} = A_{ji}$$

$$L = \frac{1}{2} \mathop{\mathring{a}}_{i,j=1,i^{1}j}^{N} A_{ij} + \mathop{\mathring{a}}_{i=1}^{N} A_{ii} \qquad ?$$

Protein interaction network, www

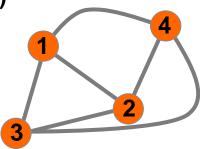


$$A_{ii} = 0$$
  $A_{ij} = A_{ji}$   $L = \frac{1}{2} \mathop{anonzero}_{i,j=1}^{N} nonzero(A_{ij})$   $< k > = \frac{2L}{N}$ 

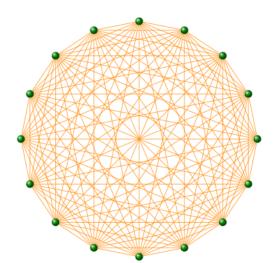
Social networks, collaboration networks

#### **Complete Graph**

(undirected)

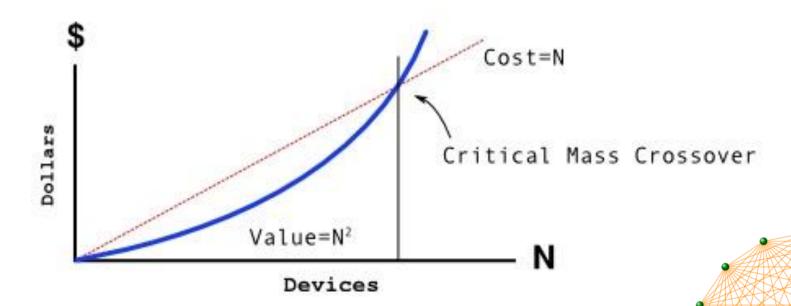


$$A_{ii} = 0$$
  $A_{i^{1}j} = 1$   $L = L_{\text{max}} = \frac{N(N-1)}{2}$   $< k >= N-1$ 



Actor network, protein-protein interactions

#### **METCALFE'S LAW**

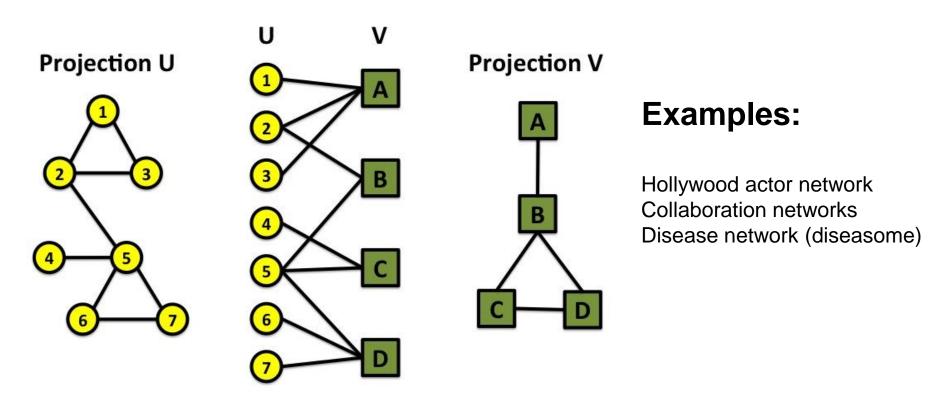


The maximum number of links a network of N nodes can have is:  $L_{\text{max}} = \binom{N}{2} = \frac{N(N-1)}{2}$ 

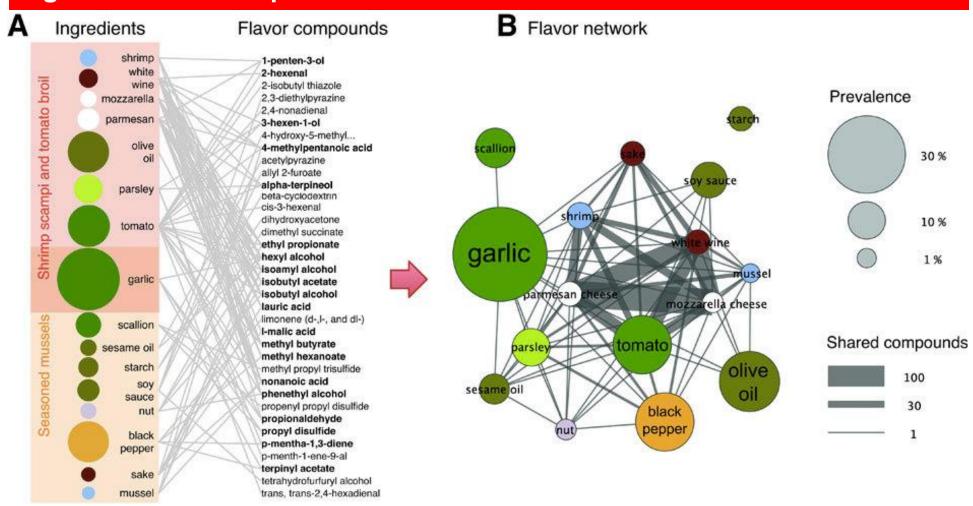
### **BIPARTITE NETWORKS**

#### **BIPARTITE GRAPHS**

**bipartite graph** (or **bigraph**) is a <u>graph</u> whose nodes can be divided into two <u>disjoint sets</u> *U* and *V* such that every link connects a node in *U* to one in *V*; that is, *U* and *V* are <u>independent sets</u>.



## **Ingredient-Flavor Bipartite Network**



Y.-Y. Ahn, S. E. Ahnert, J. P. Bagrow, A.-L. Barabási Flavor network and the principles of food pairing, Scientific Reports 196, (2011).

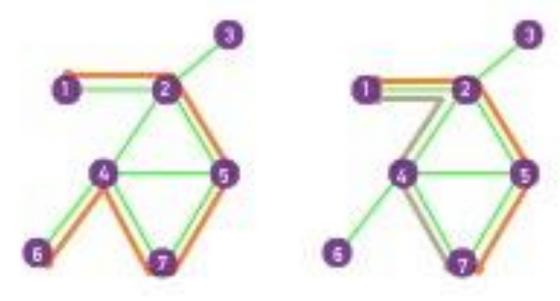
# **PATHOLOGY**

#### **PATHS**

A path is a sequence of nodes in which each node is adjacent to the next one

 $P_{i0,in}$  of length n between nodes  $i_0$  and  $i_n$  is an ordered collection of n+1 nodes and n links

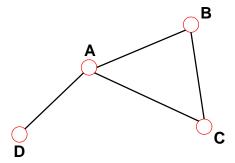
$$P_n = \{i_0, i_1, i_2, ..., i_n\}$$
  $P_n = \{(i_0, i_1), (i_1, i_2), (i_2, i_3), ..., (i_{n-1}, i_n)\}$ 



• In a directed network, the path can follow only the direction of an arrow.

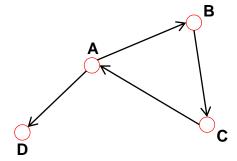
#### **DISTANCE IN A GRAPH**

#### **Shortest Path, Geodesic Path**



The *distance* (*shortest path*, *geodesic path*) between two nodes is defined as the number of edges along the shortest path connecting them.

\*If the two nodes are disconnected, the distance is infinity.



In directed graphs each path needs to follow the direction of the arrows.

Thus in a digraph the distance from node A to B (on an AB path) is generally different from the distance from node B to A (on a BCA path).

## $N_{ij}$ , number of paths between any two nodes *i* and *j*:

**Length** n=1: If there is a link between i and j, then  $A_{ij}=1$  and  $A_{ij}=0$  otherwise.

<u>Length n=2</u>: If there is a path of length two between i and j, then  $A_{ik}A_{kj}=1$ , and  $A_{ik}A_{kj}=0$  otherwise.

The number of paths of length 2:

$$N_{ij}^{(2)} = \bigcap_{k=1}^{N} A_{ik} A_{kj} = [A^2]_{ij}$$

<u>Length n:</u> In general, if there is a path of length n between i and j, then  $A_{ik}...A_{lj}=1$  and  $A_{ik}...A_{lj}=0$  otherwise.

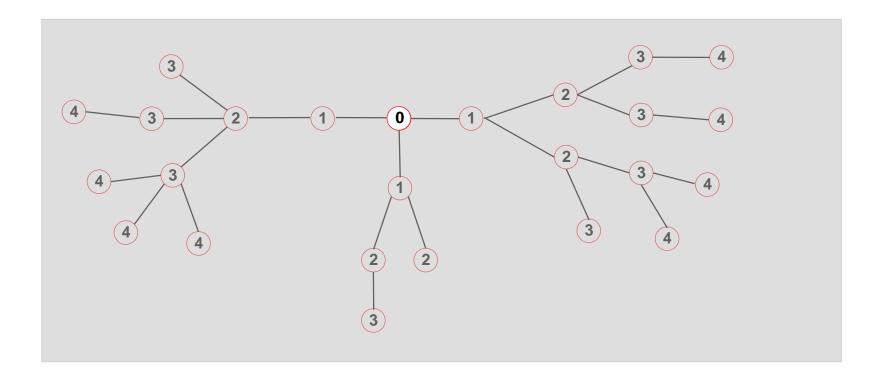
The number of paths of length *n* between *i* and *j* is\*

$$N_{ij}^{(n)} = [A^n]_{ij}$$

<sup>\*</sup>holds for both directed and undirected networks.

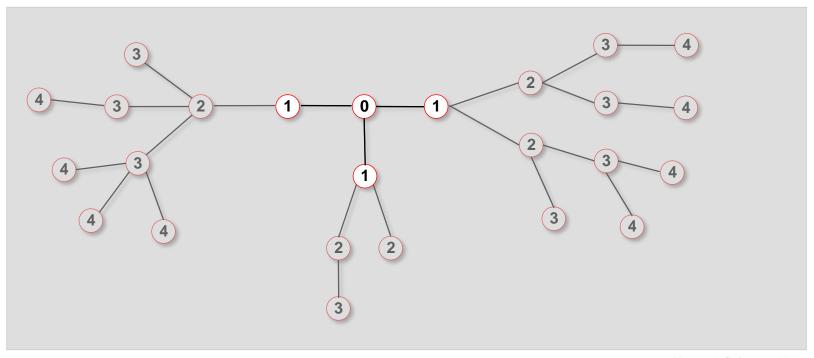
#### Distance between node 0 and node 4:

#### 1.Start at 0.



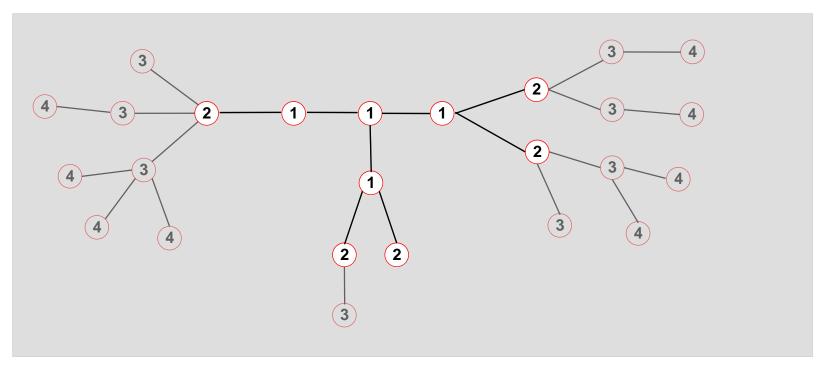
#### Distance between node 0 and node 4:

- 1.Start at 0.
- 2. Find the nodes adjacent to 1. Mark them as at distance 1. Put them in a queue.



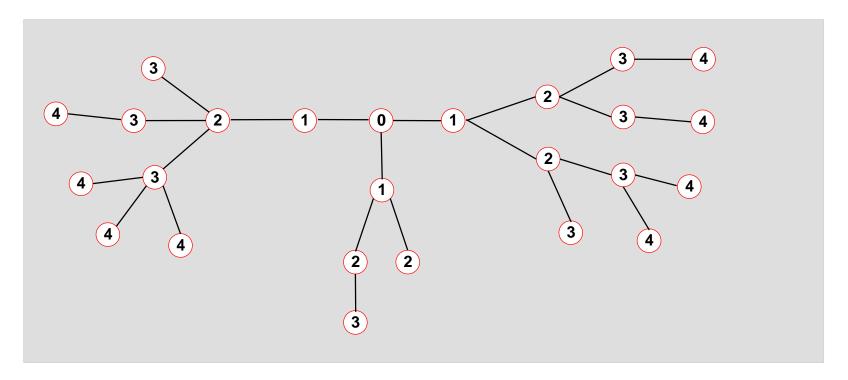
#### Distance between node 0 and node 4:

- 1.Start at 0.
- 2. Find the nodes adjacent to 0. Mark them as at distance 1. Put them in a queue.
- 3. Take the first node out of the queue. Find the unmarked nodes adjacent to it in the graph. Mark them with the label of 2. Put them in the queue.



#### Distance between node 0 and node 4:

- 1.Repeat until you find node 4 or there are no more nodes in the queue.
- 2. The distance between 0 and 4 is the label of 4 or, if 4 does not have a label, infinity.



#### **NETWORK DIAMETER AND AVERAGE DISTANCE**

Diameter:  $d_{max}$  the maximum distance between any pair of nodes in the graph.

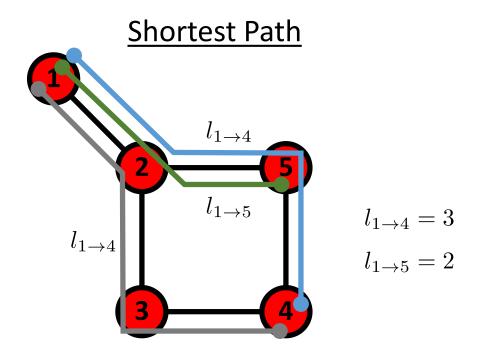
Average path length/distance, <d>, for a connected graph:

$$\langle d \rangle \circ \frac{1}{2L_{\max i,j^1i}} \mathring{a}_{ij}$$

where  $d_{ij}$  is the distance from node i to node j

In an *undirected graph*  $d_{ij} = d_{ji}$ , so we only need to count them once:

$$\langle d \rangle \circ \frac{1}{L_{\max i, j > i}} \mathring{a}_{ij}$$



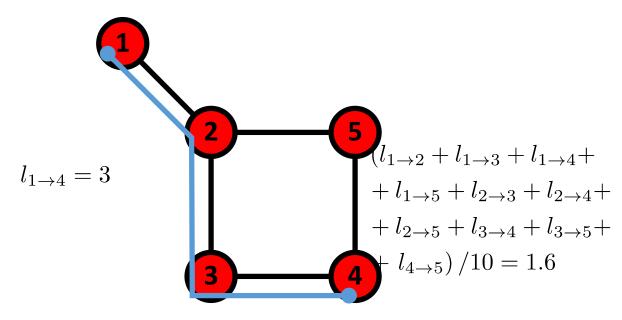
The path with the shortest length between two nodes (distance).

## **Diameter**

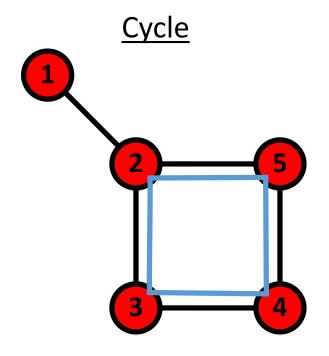
# 2 5

The longest shortest path in a graph

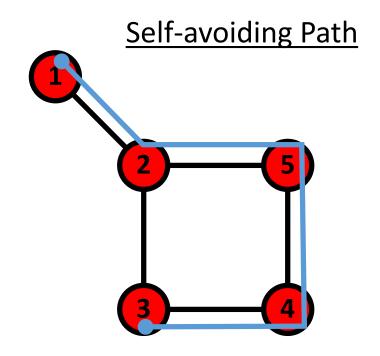
## Average Path Length



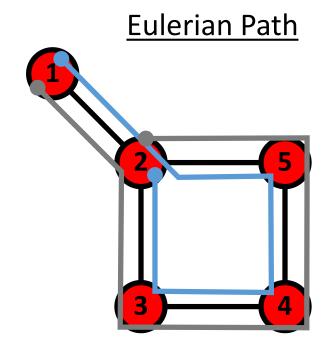
The average of the shortest paths for all pairs of nodes.



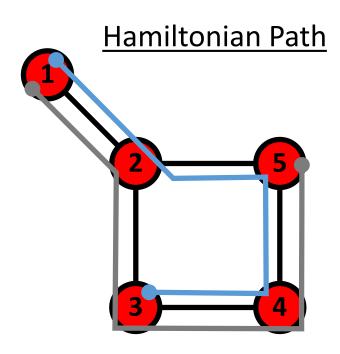
A path with the same start and end node.



A path that does not intersect itself.



A path that traverses each link exactly once.

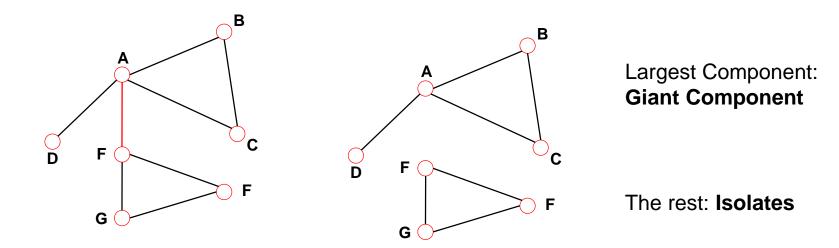


A path that visits each node exactly once.

# CONNECTEDNESS

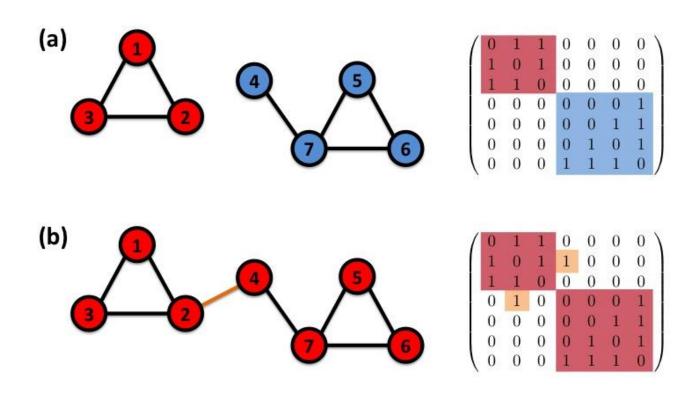
## **CONNECTIVITY OF UNDIRECTED GRAPHS**

Connected (undirected) graph: any two vertices can be joined by a path. A disconnected graph is made up by two or more connected components.



Bridge: if we erase it, the graph becomes disconnected.

The adjacency matrix of a network with several components can be written in a block-diagonal form, so that nonzero elements are confined to squares, with all other elements being zero:

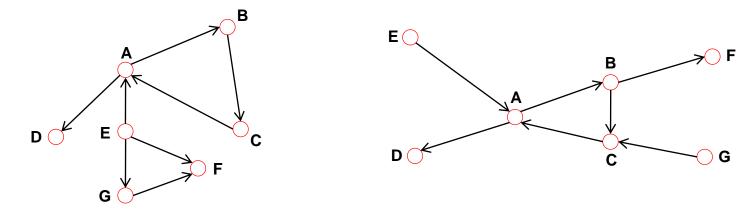


#### **CONNECTIVITY OF DIRECTED GRAPHS**

Strongly connected directed graph: has a path from each node to every other node and vice versa (e.g. AB path and BA path).

Weakly connected directed graph: it is connected if we disregard the edge directions.

Strongly connected components can be identified, but not every node is part of a nontrivial strongly connected component.

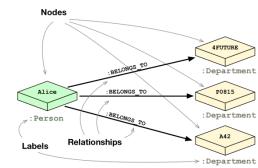


In-component: nodes that can reach the scc,

Out-component: nodes that can be reached from the scc.

# Neo4j Graph Database

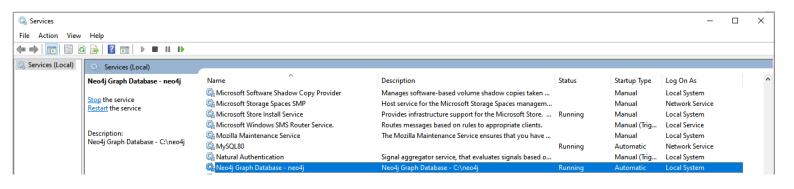
- First class support for nodes, relationships, and properties
- Efficient management of semi-structured and network-oriented data

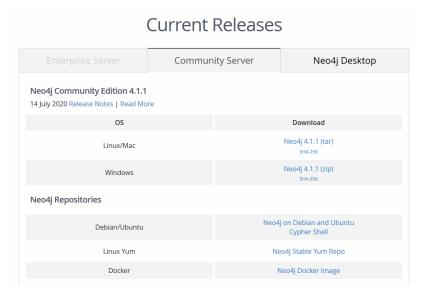


- Embedded persistence engine implemented as a small, lightweight, and non-intrusive Java library
- Robust full support for distributed ACID transactions, configurable isolation levels, and transaction recovery
- Highly scalable can handle large networks of data (no limits on the number of nodes, relationships, and properties that can be stored and indexed)
- High-performance index-free adjacency, cost-based query optimizer, parallel indexes capability, binary protocol
- Open source, two editions Community (GPL v3) and Enterprise (for commercial deployments with enterprise-grade availability, management, and scale-up and scale-out capabilities)

# Neo4j Installation

- Community Edition
- Server, not Desktop
- Start the Neo4j service
- Default login is username 'neo4j' and password 'neo4j'; must be changed on the first login





#### Windows (zip)

- If it is not already installed, get OpenJDK 8 or Oracle Java 8, recommended for Neo4j 3.0.x Version 7 is recommended for releases prior to 2.3.0.
- 2. Find the zip file you just downloaded and right-click, extract all.
- Place the extracted files in a permanent home on your server, for example D:\neo4j\. The top level directory is referred to as NEO4LHOME.
- To run Neo4j as a console application, use:
   <NEO4J\_HOME>\bin\neo4j console
- To install Neo4j as a service use:

#### <NEO4J\_HOME>\bin\neo4j install-service

- For additional commands and to learn about the Windows PowerShell module included in the Zip file, see the Windows installation documentation.
- Visit http://localhost:7474 in your web browser.
- 5. Connect using the username 'neo4j' with default password 'neo4j'. You'll then be prompted to change the password.

# **Graph Databases**

- Use graph structures for semantic queries with nodes, edges, and properties to represent and store data
- Use the Property Graph Model:
  - Connected entities (nodes) can hold any number of attributes (key-value-pairs) and can be tagged with labels representing their different roles in your domain
  - Relationships provide directed, named connections between two node-entities. A
    relationship always has a direction, a type, a start node, and an end node.
- Well suited for semi-structured and highly connected data
- Require a new query language

# Relational vs. Graph Databases

#### Relational

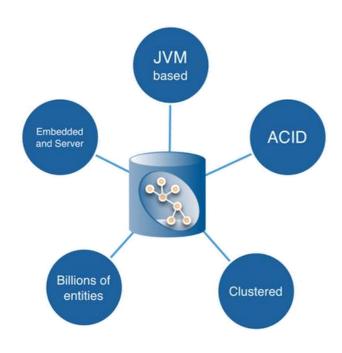
- Store highly structured data in tables with predetermined columns of certain types and many rows of the same type of information
- Require developers and applications to strictly structure the data used in their applications
- References to other rows and tables are indicated by referring to their (primary-)key attributes via foreign-key columns
- In case of many-to-many relationships, you have to introduce a JOIN table (or junction table) that holds foreign keys of both participating tables which further increases join operation costs

#### Graph

- Relationships are first-class citizens of the graph data model
- Each node (entity or attribute) directly and physically contains a list of relationship-records that represent its relationships to other nodes
- The ability to pre-materialize relationships into database structures provides performances of several orders of magnitude advantage

# Neo4j Graph Database

- NoSQL Graph Database
- Implemented in Java and Scala
- Open source
- Free and open-source Community edition and Enterprise editions which provide all of the functionality of the Community edition in addition to scalable clustering, fail-over, high-availability, live backups, and comprehensive monitoring.



- Full database characteristics including ACID transaction compliance, cluster support, and runtime failover
- Constant time traversals for relationships in the graph both in depth and in breadth

# Cypher Query Language

- SQL-inspired language for describing patterns in graphs visually using an ASCII-art syntax
- Declarative allows us to state what we want to select, insert, update or delete from our graph data without requiring us to describe exactly how to do it
- Contains clauses for searching for patterns, writing, updating, and deleting data
- Queries are built up using various clauses. Clauses are chained together, and they feed intermediate result sets between each other
- Cypher query gets compiled to an execution plan that can run and produce the desired result
- Statistical information about the database is kept up to date to optimize the execution plan
- Indexes on Node or Relationships properties are supported to improve the performance of the application

# //TODO before next lecture:

• Homework 4 due on 4/20 at 11:59 pm EDT. Must be submitted on Submitty.