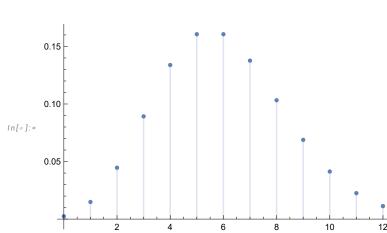
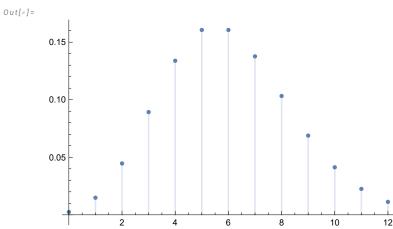
# Lecture examples

```
In[@]:= PDF[DiscreteUniformDistribution[{1, 6}], x]
Out[0]=
              1\,\leq\,x\,\leq\,6
         0
              True
 In[ • ]:=
        DiscretePlot[PDF[DiscreteUniformDistribution[{1, 6}], x], {x, 1, 6}]
Out[•]=
        0.35
        0.30
        0.25
        0.20
        0.15
        0.10
        0.05
 In[\circ]:= \mathcal{D} = ProductDistribution[{DiscreteUniformDistribution[{1, 6}], 2}];
 In[*]:= DiscretePlot3D[PDF[\mathcal{D}, {x, y}], {x, 0, 12},
          \{y, 0, 12\}, ExtentSize \rightarrow Full, ColorFunction \rightarrow "Rainbow"]
Out[0]=
        0.02
         0.01
```

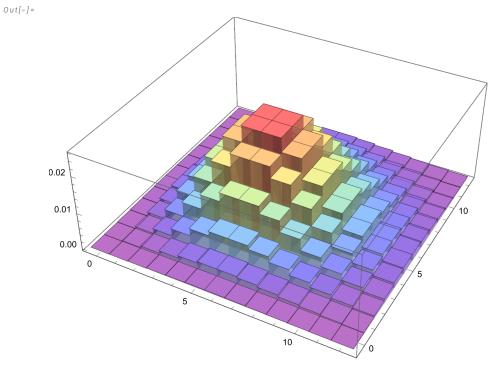
In[@]:= DiscretePlot[PDF[PoissonDistribution[6], x], {x, 0, 12}]





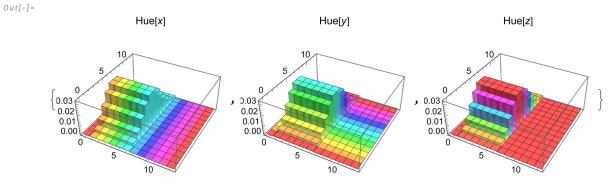
 $In[\circ]:= \mathcal{B} = ProductDistribution[{PoissonDistribution[6], 2}];$ 

 $ln[*] := DiscretePlot3D[PDF[$\mathcal{B}$, {x, y}], {x, 0, 12}, \\ {y, 0, 12}, ExtentSize → Full, ColorFunction → "Rainbow"]$ 

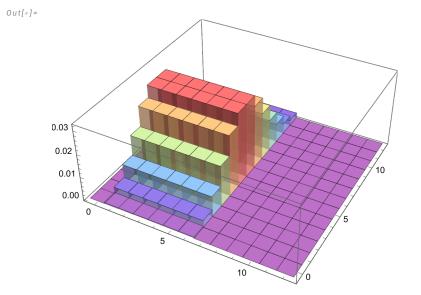


 $ln[\circ]:=\mathcal{G}=ProductDistribution[UniformDistribution[\{1,6\}], PoissonDistribution[6]];$ 

In[a]:= Map[DiscretePlot3D[PDF[ $\mathcal{G}$ , {x, y}], {x, 0, 12}, {y, 0, 12}, ExtentSize  $\rightarrow$  Full,  $\label{localization} {\sf ColorFunction} \ \to \ {\sf Function}[\{x,\,y,\,z\},\,\#] \ , \ {\sf PlotLabel} \ \to \ \#] \ \&, \ \{{\sf Hue}[x],\,{\sf Hue}[y],\,{\sf Hue}[z]\}]$ 



In[@]:= DiscretePlot3D[PDF[G, {x, y}], {x, 0, 12},  $\{y, 0, 12\}$ , ExtentSize  $\rightarrow$  Full, ColorFunction  $\rightarrow$  "Rainbow"]

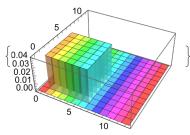


# Mathematica examples

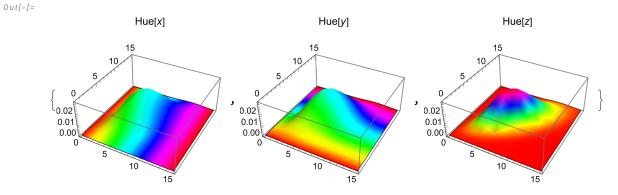
 $In[a]:= \mbox{ Map[DiscretePlot3D[PDF[$\mathcal{D}$, $\{x,y\}]$, $\{x,0,12\}$, $\{y,0,12\}$, ExtentSize} \rightarrow \mbox{Full}, \mbox{ The properties of the$ ColorFunction  $\rightarrow$  Function[{z}, #], PlotLabel  $\rightarrow$  #] &, {Hue[z]}]

Hue[z]

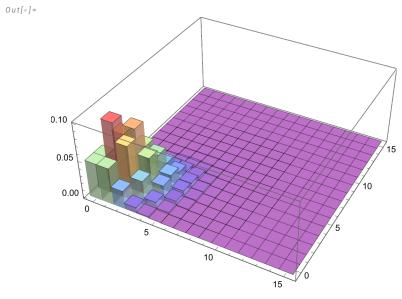
Out[0]=



 $In[*]:= Map[DiscretePlot3D[PDF[MultivariatePoissonDistribution[5, {2, 3}], {x, y}], In[*]:= Map[DiscretePlot3D[PDF[MultivariatePoissonDistribution[5, {2, 3}], {x, y}]], In[*]:= Map[DiscretePlot3D[PDF[MultivariatePoissonDistribution[5, {2, 3}], {x, y}]], In[*]:= Map[DiscretePlot3D[PDF[MultivariatePoissonDistribution[5, {2, 3}]], {x, y}], In[*]:= Map[DiscretePlot3D[PDF[MultivariatePoissonDistribution[5, {2, 3}]], In[*]:= Ma$  $\{x, 0, 15\}, \{y, 0, 15\}, Joined \rightarrow True, PlotRange \rightarrow All,$  $\label{localization} {\sf ColorFunction} \ \to \ {\sf Function}[\{x,\,y,\,z\},\,\#] \ , \ {\sf PlotLabel} \ \to \ \#] \ \&, \ \{{\sf Hue}[x] \ , \ {\sf Hue}[y] \ , \ {\sf Hue}[z]\}]$ 



In[\*]:= DiscretePlot3D[PDF[MultivariatePoissonDistribution[1, {1, 1}], {x, y}],  $\{x, 0, 15\}, \{y, 0, 15\}, ExtentSize \rightarrow Full, ColorFunction \rightarrow "Rainbow"]$ 

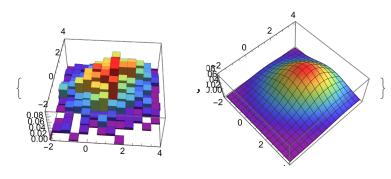


## **Multivariate Normal Distribution**

 $local{local} local{local} local{local} local local local} local local$ 

```
In[*]:= {Histogram3D[data, 20, "PDF", ColorFunction → "Rainbow",
         PlotRange \rightarrow \{\{-2, 4\}, \{-2, 4\}, All\}\}, Plot3D[PDF[d, \{x, y\}], \{x, -2, 4\},
          \{y, -2, 4\}, ColorFunction \rightarrow "Rainbow", PlotPoints \rightarrow 35, PlotRange \rightarrow All]}
```

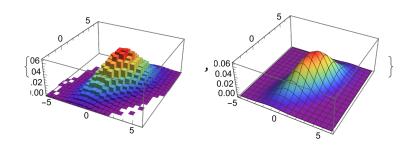
Out[0]=



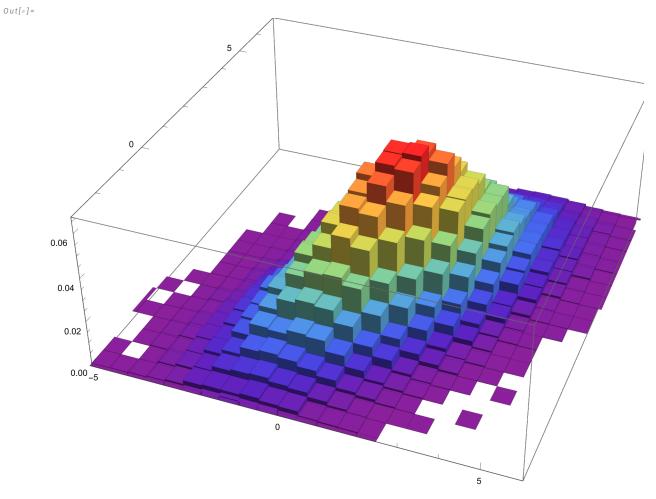
## **Bivariate Normal Distribution**

```
ln[\circ]:= sample = RandomVariate[d = BinormalDistribution[\{1, 2\}, \{1.5, 2\}, 0.6\}, 10^5];
       {Histogram3D[sample, 30, "PDF", ColorFunction → "Rainbow",
         PlotRange \rightarrow \{\{-5, 6\}, \{-3, 7\}, All\}\}, Plot3D[PDF[d, {x, y}], {x, -5, 6},
         \{y, -3, 7\}, ColorFunction \rightarrow "Rainbow", PlotPoints \rightarrow 35, PlotRange \rightarrow All] \}
```

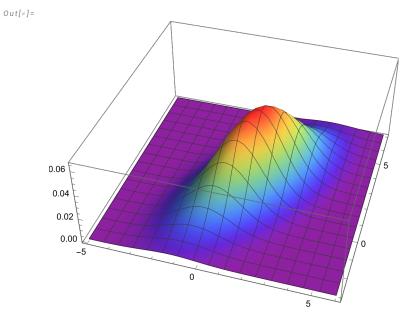
Out[0]=



### In[@]:= Histogram3D[sample, 30, "PDF", ColorFunction $\rightarrow$ "Rainbow", PlotRange $\rightarrow$ {{-5, 6}, {-3, 7}, All}]



 $In\{e\}:= Plot3D[PDF[d, \{x, y\}], \{x, -5, 6\}, \{y, -3, 7\},$ ColorFunction  $\rightarrow$  "Rainbow", PlotPoints  $\rightarrow$  35, PlotRange  $\rightarrow$  All]



 $In[*]:= ContourPlot[PDF[d, \{x, y\}], \{x, -5, 6\}, \{y, -3, 7\}]$ 

Out[•]=

