

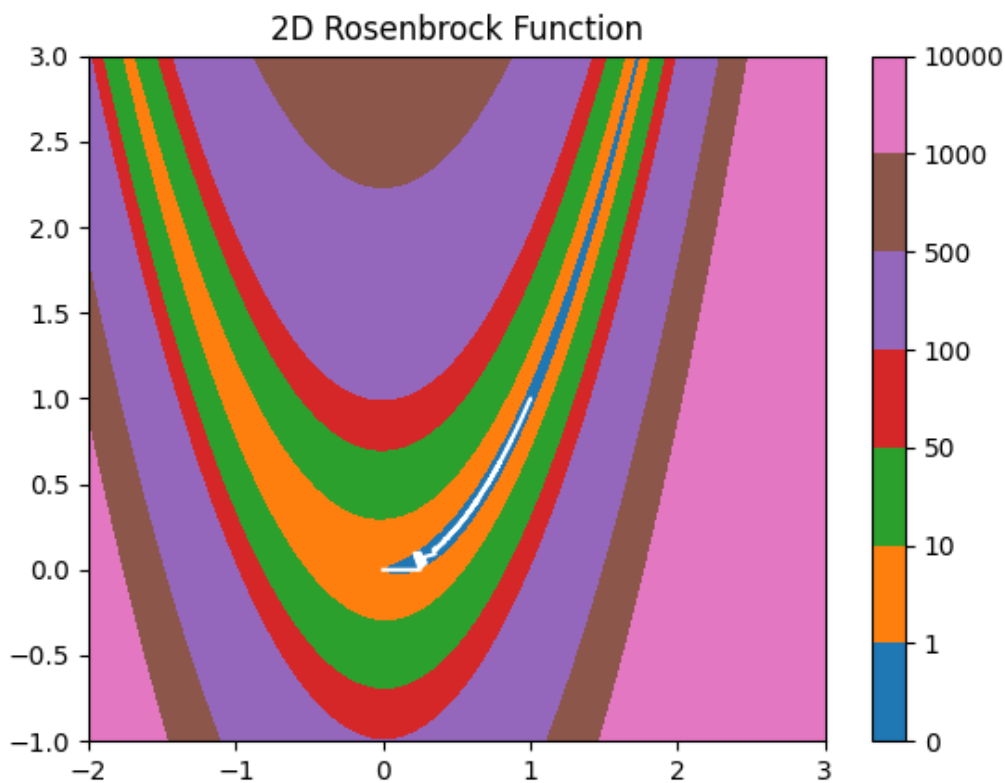
Homework_1: Linear-search Steepest Gradient Descent

1. Workflow

- implement a class named `Rosenbrock` which can instantiate Rosenbrock function with any dimension and calculate the value and gradient of such function
- implement a function which optimize the given Rosenbrock function with Linear-search Steepest Gradient Descent

2. Result

- Visualization of a 2D Rosenbrock function



- Optimization result of a 2D RB function and 10D RB function

```
***** Linear-search Steepest Gradient Descent *****
constant: 0.001
dimension of Rosenbrock function: 2
start position: [0. 0.]
iteration number: 5750
duration: 0.5583736896514893
final position: [0.99876871 0.9975366 ]
final gradient: [-0.00153141 -0.00046616]
minimum: 1.5166190749349858e-06
***** Linear-search Steepest Gradient Descent *****
constant: 0.001
dimension of Rosenbrock function: 10
start position: [0. 0. 0. 0. 0. 0. 0. 0. 0. 0.]
iteration number: 5750
duration: 1.2914996147155762
final position: [0.99876871 0.9975366 0.99876871 0.9975366 0.99876871 0.9975366
0.99876871 0.9975366 0.99876871 0.9975366 ]
final gradient: [-0.00153141 -0.00046616 -0.00153141 -0.00046616 -0.00153141 -0.00046616
-0.00153141 -0.00046616 -0.00153141 -0.00046616]
minimum: 7.583095374674929e-06
```

3. Analysis

- Armijo condition can help the optimization algorithm a lot. Without using of Armijo condition, it is hard to converge to the result $[1, 1, \dots, 1]$.