Introduction to Software Testing (2nd edition) Chapter 7.1, 7.2

Overview Graph Coverage Criteria

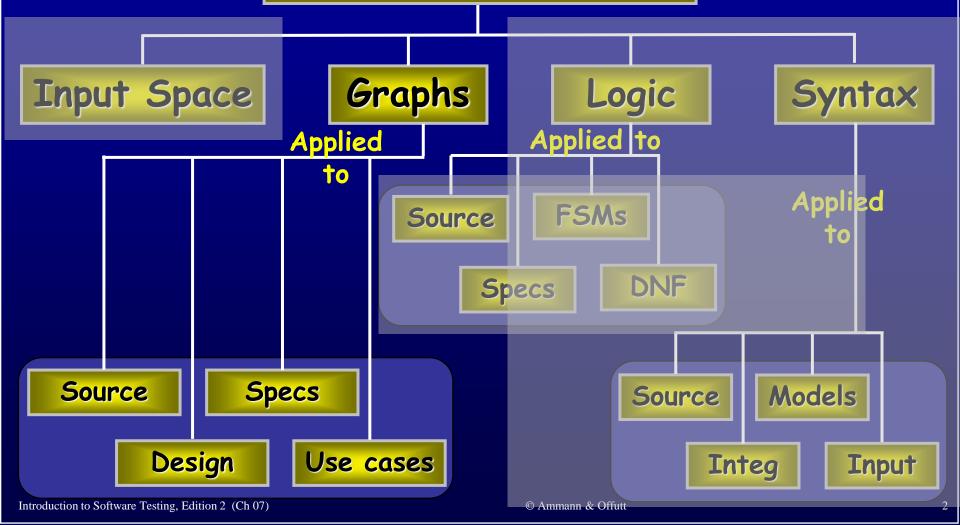
(active class version)

Paul Ammann & Jeff Offutt

http://www.cs.gmu.edu/~offutt/softwaretest/

Ch. 7: Graph Coverage

Four Structures for Modeling Software



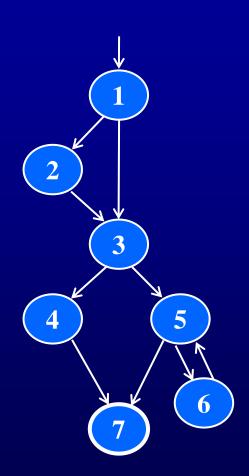
Covering Multiple Edges

Complete Path Coverage (CPC): TR contains all paths in G.

Unfortunately, this is impossible if the graph has a loop, so a weak compromise makes the tester decide which paths:

<u>Specified Path Coverage (SPC)</u>: TR contains a set S of test paths, where S is supplied as a parameter.

Structural Coverage Example



Node Coverage

TR = $\{1, 2, 3, 4, 5, 6, 7\}$ Test Paths: [1, 2, 3, 4, 7] [1, 2, 3, 5, 6, 5] Write down

Edge Coverage

the TRs and

Test Paths for

these criteria

TR = $\{ (1,2), (1,3), (2,3), (3,4), (3,5), (4,6,5) \}$

Test Paths: [1, 2, 3, 4, 7] [1, 3, 5, 6, 5, 7]

Edge-Pair Coverage

TR = { [1,2,3], [1,3,4], [1,3,5], [2,3,4], [2,3,5], [3,4,7], [3,5,6], [3,5,7], [5,6,5], [6,5,6], [6,5,7] } Test Paths: [1,2,3,4,7][1,2,3,5,7][1,3,4,7] [1,3,5,6,5,6,5,7]

Complete Path Coverage

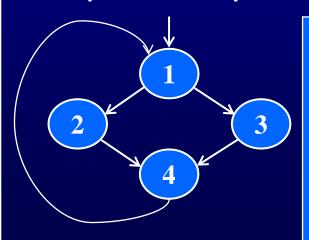
Test Paths: [1, 2, 3, 4, 7] [1, 2, 3, 5, 7] [1, 2, 3, 5, 6, 5, 7] [1, 2, 3, 5, 6, 5, 6, 5, 6, 5, 6, 5, 6, 5, 6, 5, 6, 5, 6, 5, 6, 5, 6, 5, 6, 5, 7] ...

Handling Loops in Graphs

- If a graph contains a loop, it has an infinite number of paths
- Thus, CPC is not feasible
- SPC is not satisfactory because the results are subjective and vary with the tester
- Attempts to "deal with" loops:
 - 1970s: Execute cycles once ([4, 5, 4] in previous example, informal)
 - 1980s: Execute each loop, exactly once (formalized)
 - 1990s: Execute loops 0 times, once, more than once (informal description)
 - 2000s: Prime paths (touring, sidetrips, and detours)

Simple Paths and Prime Paths

- Simple Path: A path from node ni to nj is simple if no node appears more than once, except possibly the first and last nodes are the same
 - No internal loops
 - A loop is a simple path
- Prime Path: A simple path that does not appear as a proper subpath of any other simple path



```
Simple Paths: [1,2,4,1], [1,3,4,1], [2,4,1,2], [2,4,1,3], [3,4,1,2], [3,4,1,3], [4,1,2,4], [4,1,3,4], [1,2,4], [1,3,4], [2,4,1], [3,4,1], [4,1, Write down the 1,3], [2,4], [3,4], [4,1], [1], [2], [3], [4 simple and prime paths for this
```

Prime Paths: [2,4,4,2],h[2,4,1,3], [1,3,4,1], [1,2,4,1], [3,4,1,2], [4,1,3,4], [4,1,2,4], [3,4,1,3]

Prime Path Coverage

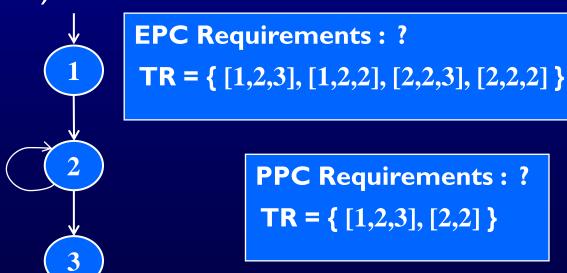
 A simple, elegant and finite criterion that requires loops to be executed as well as skipped

Prime Path Coverage (PPC): TR contains each prime path in G.

- Will tour all paths of length 0, 1, ...
- That is, it subsumes node and edge coverage
- PPC almost, but not quite, subsumes EPC ...

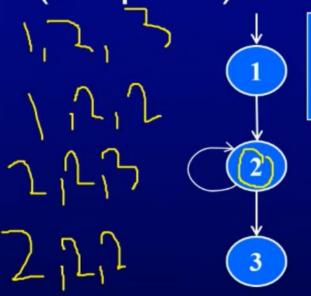
PPC Does Not Subsume EPC

- If a node n has an edge to itself (self edge), EPC requires [n, n, m] and [m, n, n]
- [n, n, m] is not prime
- Neither [n, n, m] nor [m, n, n] are simple paths (not prime)



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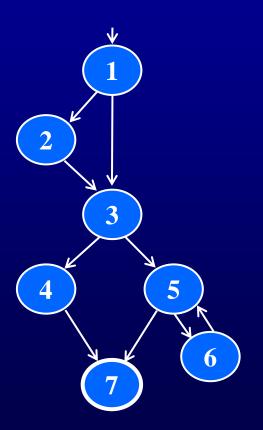
EPC Requirements: ?

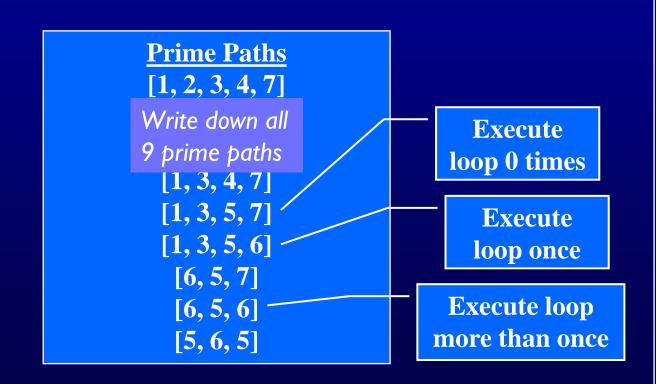
 $TR = \{ [1,2,3], [1,2,2], [2,2,3], [2,2,2] \}$

PPC Requirements: ?

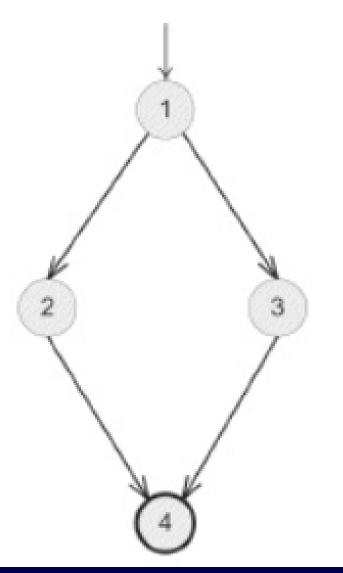
Prime Path Example

- The previous example has 38 simple paths
- Only nine prime paths





Prime Path Coverage vs Complete Path Coverage



```
Prime Paths = { [1, 2, 4], [1, 3, 4] } 

path (t_1) = [1, 2, 4] 

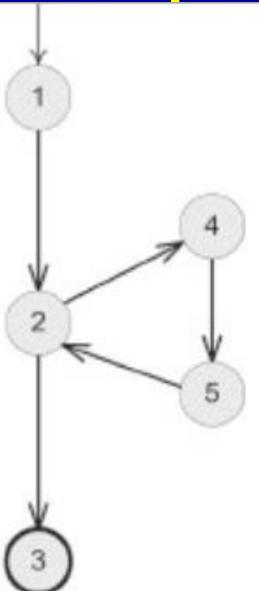
path (t_2) = [1, 3, 4] 

T_1 = \{t_1, t_2\} 

T_1 satisfies prime path coverage on the graph
```

(a) Prime Path Coverage on a Graph With No Loops

Prime Path Coverage vs Complete Path Coverage



```
Prime Paths = { [1, 2, 3], [1, 2, 4, 5], [2, 4, 5, 2],

[4, 5, 2, 4], [5, 2, 4, 5], [4, 5, 2, 3] }

path (t_3) = [1, 2, 3]

path (t_4) = [1, 2, 4, 5, 2, 4, 5, 2, 3]

T_2 = {t_3, t_4}

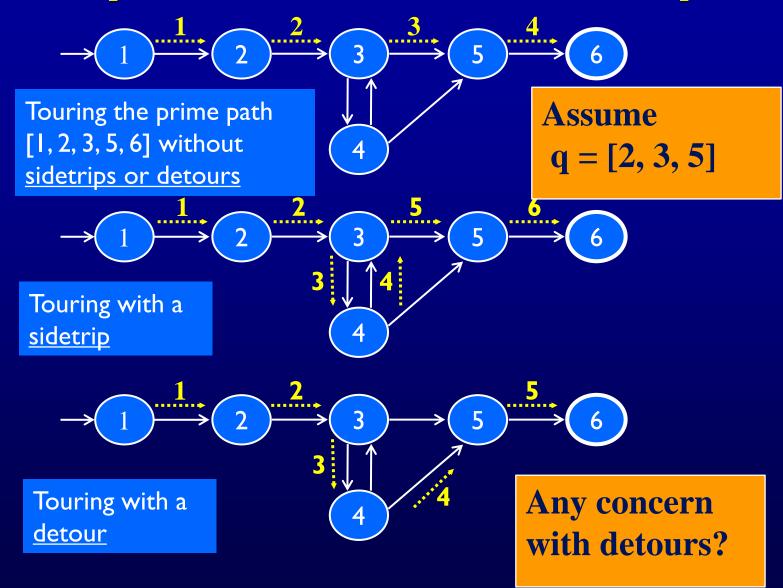
T_2 satisfies prime path coverage on the graph
```

(b) Prime Path Coverage on a Graph With Loops

Touring, Sidetrips, and Detours

- Prime paths do not have internal loops
- Assume that q is a simple path. Test paths might
- Tour (directly): A test path p tours subpath q if q is a subpath of p
- Tour With Sidetrips: A test path p tours subpath q with sidetrips iff every edge in q is also in p in the same order
- Tour With Detours: A test path p tours subpath q with detours iff every **node** in q is also in p in the same order

Sidetrips and Detours Example



Prime Path coverage: 0 or more iterations

```
print( Say hello! );
for (i=0i;5;i++)

print Hii;

print Bye
```

```
print (Say Hello)

int = 0

do{

print Hi

while (i< 5)

print Bye
```

Infeasible Test Requirements

- An infeasible test requirement cannot be satisfied
 - -Unreachable statement (dead code)
 - -Subpath that can only be executed with a contradiction (X > 0 and X < 0)
- Most test criteria have some infeasible test requirements

```
If (false)
  unreachableCall();
```

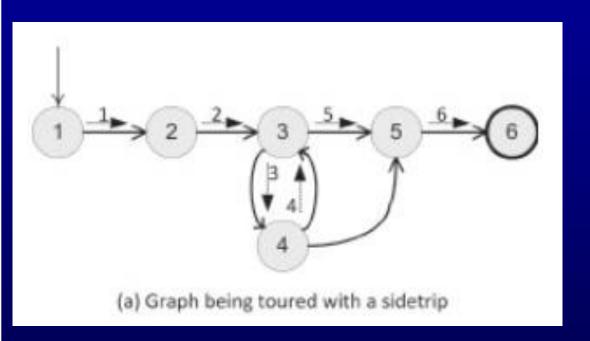
```
If (x>0)

if(x < 0)

unreachableCall();
```

Infeasible Test Requirements

 When sidetrips are not allowed, many structural criteria have more infeasible test requirements



- When do you need to tour this graph with side trips?
- When would side trips be a bad idea?

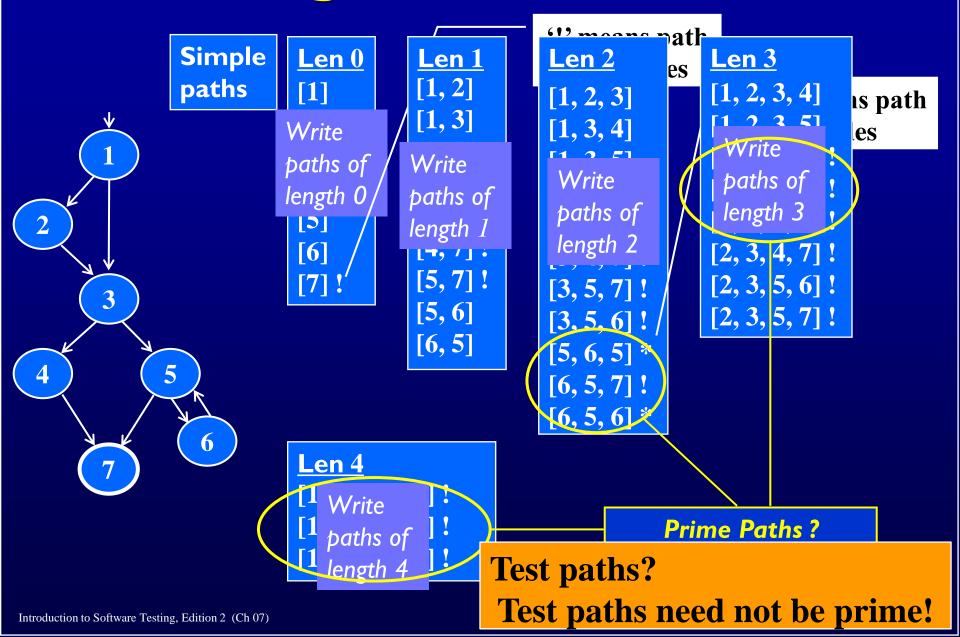
Refining Coverage Criteria

- We could define each graph coverage criterion and explicitly include the kinds of tours allowed, e.g.
 - prime paths, with direct tours;
 - prime paths, side-trips allowed;
 - prime paths, detours allowed.
- Detours seem less practical, so we do not include detours further.
- However, always allowing sidetrips weakens the test criteria

Practical recommendation—Best Effort Touring

- Satisfy as many test requirements as possible without sidetrips
- Allow sidetrips to try to satisfy remaining test requirements

Finding Prime Test Paths



Required Reading

• Sections 7.1 and 7.2 from the text book: An Introduction to Software Testing, 2nd edition.