

Proof that relations are in Boyce-Codd Normal Form

1. 'Players' relation :

- Attributes :

Players {PlayerID, Name, Nationality, DoB, Role, StrikeRate, BowlingStyle, BattingStyle}

- Functional dependencies :

PlayerID \rightarrow Name

PlayerID \rightarrow Nationality

PlayerID \rightarrow DoB

PlayerID \rightarrow Role

PlayerID \rightarrow StrikeRate

PlayerID \rightarrow BowlingStyle

PlayerID \rightarrow BattingStyle

Let X = PlayerID

$X^+ = \{PlayerID, Name, Nationality, DoB, Role, StrikeRate, BowlingStyle, BattingStyle\}$

Thus, **Primary key = PlayerID**

The left side of all the FDs in minimal set of FDs for the relation 'Players' is PlayerID, which is the primary key of this relation, so **"Players" is in BCNF.**

2. 'IPL' relation :

- Attributes :

IPL {Year, TitleSponsor, ManOfTheSeries, ChampionTeam}

- Functional dependencies :

Year \rightarrow TitleSponsor

Year \rightarrow ManOfTheSeries

Year \rightarrow ChampionTeam

Let X = Year

$X^+ = \{\text{Year, TitleSponsor, ManOfTheSeries, ChampionTeam}\}$

Thus, **Primary key = Year**

The left side of all the FDs in minimal set of FDs for the relation 'IPL' is Year, which is the primary key of this relation, so **"IPL" is in BCNF.**

3. 'Stadium' relation :

- Attributes :
Stadium {StadiumName, City, Country, Capacity, RentAmount}
- Functional dependencies :
 $\{\text{StadiumName, City}\} \rightarrow \text{Country}$
 $\{\text{StadiumName, City}\} \rightarrow \text{Capacity}$
 $\{\text{StadiumName, City}\} \rightarrow \text{RentAmount}$

Let $X = \{\text{StadiumName, City}\}$

$X^+ = \{\text{StadiumName, City, Country, Capacity, RentAmount}\}$

Thus, **Primary key = {StadiumName, City}**

The left side of all the FDs in minimal set of FDs for the relation 'Stadium' is {StadiumName, City}, which is the primary key of this relation, so **"Stadium" is in BCNF.**

4. 'HeadCoachDetails' relation :

- Attributes :
HeadCoachDetails {CoachID, CoachName, YearsOfExperience, DoB, Country}
- Functional dependencies :
 $\text{CoachID} \rightarrow \text{CoachName}$
 $\text{CoachID} \rightarrow \text{YearsOfExperience}$
 $\text{CoachID} \rightarrow \text{DoB}$
 $\text{CoachID} \rightarrow \text{Country}$

Let $X = \text{CoachID}$

$X^+ = \{\text{CoachID}, \text{CoachName}, \text{YearsOfExperience}, \text{DoB}, \text{Country}\}$

Thus, **Primary key = CoachID**

The left side of all the FDs in minimal set of FDs for the relation

'HeadCoachDetails' is CoachID, which is the primary key of this relation, so

"HeadCoachDetails" is in BCNF.

5. 'Umpire' relation :

- Attributes :

Umpire {UmpireID, Name, YearsOfExperience, Country}

- Functional dependencies :

UmpireID \rightarrow Name

UmpireID \rightarrow YearsOfExperience

UmpireID \rightarrow Country

Let $X = \text{UmpireID}$

$X^+ = \{\text{UmpireID}, \text{Name}, \text{YearsOfExperience}, \text{Country}\}$

Thus, **Primary key = UmpireID**

The left side of all the FDs in minimal set of FDs for the relation 'Umpire' is

UmpireID, which is the primary key of this relation, so **"Umpire" is in BCNF.**

6. 'UmpiredBy' relation :

- Attributes :

UmpiredBy {MatchID, UmpireID}

Here Primary key = {MatchID, UmpireID}

According to theorem, all attribute primary key relation is always in BCNF.

Hence **"UmpiredBy" is in BCNF.**

7. 'TeamOwner' relation :

- Attributes :
TeamOwner {CompanyName, BusinessDomain, Country}
- Functional dependencies :
 CompanyName \rightarrow BusinessDomain
 CompanyName \rightarrow Country

Let X = CompanyName

$X^+ = \{ \text{CompanyName, BusinessDomain, Country} \}$

Thus, **Primary key = CompanyName**

The left side of all the FDs in minimal set of FDs for the relation 'TeamOwner' is CompanyName, which is the primary key of this relation, so **"TeamOwner" is in BCNF.**

8. 'TitleSponsor' relation :

- Attributes :
TitleSponsor {CompanyName, BusinessDomain, Country}
- Functional dependencies :
 CompanyName \rightarrow BusinessDomain
 CompanyName \rightarrow Country

Let X = CompanyName

$X^+ = \{ \text{CompanyName, BusinessDomain, Country} \}$

Thus, **Primary key = CompanyName**

The left side of all the FDs in minimal set of FDs for the relation 'TitleSponsor' is CompanyName, which is the primary key of this relation, so **"TitleSponsor" is in BCNF.**

9. 'YearWisePlayerDetails' relation :

- Attributes :
YearWisePlayerDetails {TeamID, PlayerID, Year, TotalWickets, TotalRuns, MaximumWickets, MaximumWicketRuns, MaximumRuns, PlayerPrice, Out-Notout}
- Functional dependencies :
 - {PlayerID, Year} \rightarrow TotalWickets
 - {PlayerID, Year} \rightarrow TotalRuns
 - {PlayerID, Year} \rightarrow MaximumWickets
 - {PlayerID, Year} \rightarrow MaximumWicketRuns
 - {PlayerID, Year} \rightarrow MaximumRuns
 - {PlayerID, Year} \rightarrow Out-Notout
 - {PlayerID, Year} \rightarrow PlayerPrice
 - {PlayerID, Year} \rightarrow TeamID

Let $X = \{\text{PlayerID, Year}\}$

$X^+ = \{\text{TeamID, PlayerID, Year, TotalWickets, TotalRuns, MaximumWickets, MaximumWicketRuns, MaximumRuns, Out-Notout, PlayerPrice}\}$

Thus, **Primary key = {PlayerID, Year}**

The left side of all the FDs in minimal set of FDs for the relation 'YearWisePlayerDetails' is {PlayerID, Year}, which is the primary key of this relation, so **"YearWisePlayerDetails" is in BCNF.**

10. 'TeamDetails' relation :

- Attributes :
Teams {Year, TeamID, CaptainID, CoachID, SponsorCompany, SponsorAmount}
- Functional dependencies :
 - {TeamID, Year} \rightarrow CaptainID
 - {TeamID, Year} \rightarrow CoachID
 - {TeamID, Year} \rightarrow SponsorCompany

$$\{\text{TeamID}, \text{Year}\} \rightarrow \text{SponsorAmount}$$

Let $X = \{\text{TeamID}, \text{Year}\}$

$X^+ = \{\text{Year}, \text{TeamID}, \text{CaptainID}, \text{CoachID}, \text{SponsorCompany}, \text{SponsorAmount}\}$

Thus, **Primary key = $\{\text{TeamID}, \text{Year}\}$**

The left side of all the FDs in minimal set of FDs for the relation 'Teams' is $\{\text{TeamID}, \text{Year}\}$, which is the primary key of this relation, so **"Teams" is in BCNF.**

Earlier, this table also had attributes, TeamName and OwnerCompany, but as the relation was not in BCNF, we have decomposed the table into two tables, 'Teams' and 'TeamDetails' both of which are in BCNF.

11. 'Teams' relation :

- Attributes :

TeamDetails $\{\text{TeamID}, \text{TeamName}, \text{OwnerCompany}\}$

- Functional dependencies :

$\text{TeamID} \rightarrow \text{TeamName}$

$\text{TeamID} \rightarrow \text{OwnerCompany}$

Let $X = \text{TeamID}$

$X^+ = \{\text{TeamID}, \text{TeamName}, \text{OwnerCompany}\}$

Thus, **Primary key = TeamID**

The left side of all the FDs in minimal set of FDs for the relation 'TeamDetails' is TeamID, which is the primary key of this relation, so **"TeamDetails" is in BCNF.**

12. 'Match' relation :

- Attributes :

Match {MatchID, MatchType, Date, StadiumName, City, ManOfTheMatch}

- Functional dependencies :

MatchID \rightarrow MatchType

MatchID \rightarrow Date

MatchID \rightarrow StadiumName

MatchID \rightarrow City

MatchID \rightarrow ManOfTheMatch

Let X = MatchID

X⁺ = {MatchID, MatchType, Date, StadiumName, City, ManOfTheMatch}

Thus, **Primary key = MatchID**

The left side of all the FDs in minimal set of FDs for the relation 'Match' is MatchID which is the primary key of this relation, so **"Match" is in BCNF.**

13. 'Played' relation :

- Attributes :

Played {MatchID, TeamID, TeamRuns, 4s, 6s, Wickets, Winner}

- Functional dependencies :

{MatchID, TeamID} \rightarrow TeamRuns

{MatchID, TeamID} \rightarrow 4s

{MatchID, TeamID} \rightarrow 6s

{MatchID, TeamID} \rightarrow Wickets

{MatchID, TeamID} \rightarrow Winner

Let X = {MatchID, TeamID}

X⁺ = {MatchID, TeamID, TeamRuns, 4s, 6s, Wickets, Winner}

Thus, **Primary key = {MatchID, TeamID}**

The left side of all the FDs in minimal set of FDs for the relation 'Played' is {MatchID,TeamID} which is the primary key of this relation, so **“Played” is in BCNF.**