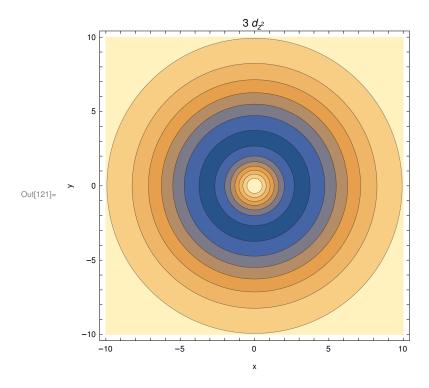
## Uhin Funtzio Totala (erradiala eta angeluarra)

```
In[69]:= Unprotect[R];
       Clear[R];
       Unprotect[a, Z];
       Unprotect[Φ];
       Clear[Φ];
       \Phi[n_{\text{integer}}, l_{\text{integer}}][\rho_{\text{integer}}] := Module[\{const\},
      const = Sqrt\left[\frac{(n-l-1)!}{(n+l)!2 n}\right];
          const (2 \ Z \ \rho / \ n)^{\prime} LaguerreL\left[n - l - 1, \ 2 \ l + 1, \ \frac{2 \ Z \ \rho}{n}\right] \exp\left[-\frac{Z \ \rho}{n}\right]
       Protect[Φ];
       Unprotect[R];
       Clear[R];
       Unprotect[a, Z];
      (* np_x(r, \theta, \phi) = \frac{1}{\sqrt{2}} \{Y_1^{-1}(\theta, \phi) - Y_1^{1}(\theta, \phi)\} R_{n, 1}(r) *)
       (* np<sub>x</sub>zatia berdina da n guztientzat: *)
       a = .5292;
       Z = 1;
In[83]:= convCarts = { r \rightarrow Sqrt[x^2 + y^2 + z^2]};
       convCartp = \{Cos[\theta] \rightarrow z/r, Sin[\theta] \rightarrow Sqrt[x^2+y^2]/r,
            Cos[\phi] \rightarrow x / Sqrt[x^2 + y^2], Sin[\phi] \rightarrow y / Sqrt[x^2 + y^2];
      nd_{z^2}(\theta, \phi) = R_{n/2}(r) Y_2^0(\theta, \phi)
```

```
In[113]:= Unprotect[dz2Ang];
       Clear[dz2Ang]
       dz2Ang[\theta_, \phi_] := SphericalHarmonicY[2, 0, \theta, \phi]
       Protect[dz2Ang];
       Unprotect[dz2];
       Clear[dz2]
        dz2[r_{}, \theta_{}, \phi_{}][n_{}] :=
         SphericalHarmonicY[2, 0, \theta, \phi] * R[n, 2][r]
       Protect[dz2];
       ContourPlot[Evaluate[dz2[r, \theta, \phi][3] /. convCartp /. convCarts /. z \rightarrow 0],
         \{x, -10, 10\}, \{y, -10, 10\},
         PlotPoints \rightarrow 50, PlotRange \rightarrow All, FrameLabel \rightarrow {"x", "y"}, PlotLabel \rightarrow 3 "d<sub>7</sub>2"]
```



In[122]:= ContourPlot[

Evaluate[dz2[r,  $\theta$ ,  $\phi$ ][3] /. convCartp /. convCarts /. y  $\rightarrow$  0, {x, -10, 10}, {z, -10, 10}, PlotPoints  $\rightarrow$  50, PlotRange  $\rightarrow$  All, FrameLabel  $\rightarrow$  {"x", "y"}, PlotLabel  $\rightarrow$  "3d<sub>z²</sub>"]]

