Documentation: khermisc.sty

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Symbols defined in khermisc

The defined symbols are grouped by different areas of mathematics (as far as such a grouping is possible) and can be made available by enabling the options of the package. This allows to only import the definitions and commands that are needed for a specific project. The overloaded syntax is made possible by using $\ensuremath{\mbox{NewDocumentCommand}}$ of the xparse package, and as such optional parameters for the commands are in square brackets and come before the mandatory parameters in curly brackets. For exampe, in case of the indicator function it is mandatory to supply a set as an argument, while an evaluation point is optional. The usage is therefore $\ensuremath{\mbox{Ind}\{A\}}$ for the function $\ensuremath{\mathbbm{1}_A}$, while $\ensuremath{\mbox{ind}[x]}\{A\}$ adds the evaluation point $\ensuremath{\mathbbm{1}_A}(x)$.

General symbols - available by default

\mathbf{Symbol}	${f Name}$	Definition
a := b	left hand side definition: a is defined by b	a \ldef b
a =: b	right hand side definition: b is defined by a	a \rdef b

Symbols in option sets

\mathbf{Symbol}	\mathbf{Name}	Definition
\mathbb{N}	natural numbers	\NN
\mathbb{Z}	integers	\ZN
\mathbb{Q}	rational numbers	\QN
\mathbb{R}	real numbers	\RN
$\overline{\mathbb{R}}$	extended real numbers	\RNbar
\mathbb{C}	complex numbers	\CN
$\mathcal{P}(E)$	power set of E	\PowerSet(E)

Symbols in option real

Symbol	Name	Definition
e	Euler's number	\e
argmin	arg min	\argmin
argmax	arg max	\argmax
x	absolute value of x	\abs{x}
d	straight differential for integrals and derivatives (depreciated)	\d
d	straight differential for integrals and derivatives	\diff
d^2	straight differential with power for integrals and derivatives	\diff[2]
x	norm of x	$\operatorname{norm}\{x\}$
$ x _{L^{2}}$	norm of x with subscript	$\operatorname{norm}[L^2]\{x\}$
vol	volume operator	\vol
$\operatorname{vol}\left(A\right)$	volume of A	\vol[A]
$\mathbb{1}_A$	indicator function of set A	$\inf\{A\}$
$\mathbb{1}_{A}\left(x\right)$	indicator function of A evaluated at $x \in \mathbb{R}$	$\inf[x]{A}$
$\lfloor x \rfloor$	largest integer smaller than x	\floor{x}
$\lceil x \rceil$	smallest integer larger than x	$\cite{ceil{x}}$
sinc	sinc function $\operatorname{sinc}(x) = \sin(x)/x$	\sinc
o	small o	\landau
O	big O	\Landau
\langle , \rangle	scalar product symbol	\sprod
\langle , \rangle_X	scalar product X	\sprod[][][X]
$\langle x, y \rangle_X$	scalar product X of x and y	$\sqrt{\text{sprod}[x][y][X]}$
$\langle x, y \rangle$	scalar product of x and y	\sprod[x][y]

Symbols in option complex

\mathbf{Symbol}	Name	Definition
i	imaginary unit	\iu
Re	real part of imaginary number	\re
$\operatorname{Re}\left(z\right)$	real part of imaginary number z	\re[z]
Im	imaginary part of imaginary number	\im
$\operatorname{Im}(z)$	imaginary part of imaginary number z	$\lim[z]$

Symbols in option measure

\mathbf{Symbol}	\mathbf{Name}	Definition
ess sup	essential supremum	\esup
ess inf	essential infimum	\einf
\mathscr{D}	Dynkin system	\Dynkin
au	$\operatorname{topology}$	\Topology
$\mathscr{B}(\mathbb{R})$	Borel sigma algebra	\Borel(\R)

λ	Lebesgue measure	\leb
$f_{\sharp}\mu$	push forward measure of μ under f	$\pfm{\mu}{f}$
d	metric symbol	\metric
d_X	metric on X	<pre>\metric[][][X]</pre>
$d_X(x, y)$	metric on X of x and y	$\mbox{\tt metric[x][y][X]}$
d(x, y)	metric of x and y	$\mbox{\tt metric[x][y]}$
$f_n \xrightarrow{a.e.} f$	f_n converges to f almost everywhere	f_n \cae f
$f_n \xrightarrow{\mu \ a.e.} f$	f_n converges to f almost everywhere w.r.t. μ	f_n \cae[\mu] f
$f \stackrel{a.e.}{=} g$	f is equal to g almost everywhere	f \eqae g
$f \stackrel{\mu \stackrel{a.e.}{=}}{=} g$	f is equal to g almost everywhere w.r.t. μ	f \eqae[\mu] g
$f \overset{a.e.}{\neq} g$	f is not equal to g almost everywhere	f \neqae g
$f \stackrel{\mu}{\neq} g^{a.e.}$	f is not equal to g almost everywhere w.r.t. μ	f \neqae[\mu] g
$f \stackrel{L^p}{=} g$	f is equal to g in L^p	f \eqLp{p} g
$f \stackrel{L^p(\mu)}{=} g$	f is equal to g in $L^p(\mu)$	<pre>f \eqLp[\mu]{p} g</pre>

Symbols in option prob

\mathbf{Symbol}	\mathbf{Name}	Definition
$X \bot\!\!\!\!\perp Y$	X is independent of Y	X \indep Y
Ω	Probability space	\PSpace
F.	Sigma algebra based on letter F	\SigAlgF
$X_n \xrightarrow{d} X$	X_n converges to X in distribution	$X_n \in X$
$X_n \xrightarrow{a.s.} X$	X_n converges to X almost surely	X_n \as X
$X_n \xrightarrow{p.s.} X$	X_n converges to X presque sûrement	$X_n \ps X$
$X_n \xrightarrow{L^p} X$	X_n converges to X in L^p	$X_n \in \{p\} X$
$X_n \xrightarrow{\mathbb{P}} X$	X_n converges to X in probability	X_n \inprob X
$X \stackrel{d}{=} Y$	X is equal to Y in distribution	X \eqindist Y
$X \stackrel{a.s.}{=} Y$	X is equal to Y almost surely	X \eqas Y
$X \overset{a.s.}{\neq} Y$	X is not equal to Y almost surely	X \neqas Y
$X \stackrel{p.s.}{=} Y$	X is equal to Y presque sûrement	X \eqps Y
$X \overset{p.s.}{\neq} Y$	X is not equal to Y presque sûrement	X \neqps Y
$o_{a.s.}$	little o almost surely	\landauAS
$\mathcal{O}_{a.s.}$	big O almost surely	\LandauAS
$O_{\mathbb{P}}$	little o in probability	\landauP
$\mathcal{O}_{\mathbb{P}}$	big O in probability	\LandauP
cov	covariance operator	\cov
cov[X,X]	covariance of X	\cov[X]
$\operatorname{cov}\left[X,Y\right]$	covariance of X and Y	$\cov[X][Y]$
corr	correlation operator	\corr
$\operatorname{corr}\left[X,X\right]$	correlation of X	\corr[X]

$\operatorname{corr}\left[X,Y\right]$	correlation of X and Y	\corr[X][Y]
var	variance operator	\var
$\operatorname{var}\left[X\right]$	variance of X	\var[X]
sd	standard deviation operator	\sd
$\operatorname{sd}\left[X\right]$	standard deviation of X	$\sd[X]$
\mathbb{P}	probability measure	\Prob
$\mathbb{P}\left(A ight)$	probability measure of event A	\Prob[A]
\mathbb{P}_X	probability measure of X	\Prob[][X]
$\mathbb{P}_{X}\left(A\right)$	probability measure of X for event A	\Prob[A][X]
\mathbb{E}	expectation operator	\Exp
$\mathbb{E}\left[X ight]$	expectation of X	\Exp[X]
\mathbb{E}_F	expectation with respect to F	\Exp[][F]
$\mathbb{E}_{F}\left[X\right]$	expectation of X with respect to F	$\exp[X][F]$
med	median operator	\median
$\operatorname{med}\left[X\right]$	median of X	$\mbox{\ensuremath{\texttt{median}}[X]}$

Symbols in option bold

Bold symbols for the Latin and Greek alphabet. Bold symbols basically follow the pattern \b+LETTER. However, for some symbols this pattern leads to already reserved keywords. For bold $f,\ m$ and η we therefore have \bbf, \bbm and \bfeta.

\mathbf{Symbol}	\mathbf{Name}	Definition
$oldsymbol{A}$	bold A	\bA
\boldsymbol{B}	bold B	\bB
$oldsymbol{C}$	bold C	\bC
D	bold D	\bD
$oldsymbol{E}$	bold E	\bE
$oldsymbol{F}$	bold F	\bF
$oldsymbol{G}$	bold G	\bG
H	bold H	\bH
I	bold I	\bI
\boldsymbol{J}	$\operatorname{bold} \mathbf{J}$	\bJ
$oldsymbol{K}$	$\operatorname{bold} \mathrm{K}$	\bK
$oldsymbol{L}$	bold L	\bL
$oldsymbol{M}$	bold M	\bM
$oldsymbol{N}$	bold N	\bN
\boldsymbol{O}	bold O	\b0
P	bold P	\bP
$oldsymbol{Q}$	$\operatorname{bold} Q$	\bQ
${m R}$	bold R	\bR
$oldsymbol{S}$	bold S	\bS
$oldsymbol{T}$	bold T	\bT
$oldsymbol{U}$	bold U	\bU
$oldsymbol{V}$	bold V	\bV

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W
                 bold\ W
                                             \bW
\boldsymbol{X}
                 \mathrm{bold}\ X
                                             \bX
\boldsymbol{Y}
                 bold Y
                                             \bY
\boldsymbol{Z}
                 \mathrm{bold}\ Z
                                             \bZ
                                             \ba
\boldsymbol{a}
                 bold a
\boldsymbol{b}
                 bold b
                                             \bb
                 bold\ c
                                             \bc
\boldsymbol{c}
d
                 bold d
                                             \bd
                 bold e
                                             \be
\boldsymbol{e}
\boldsymbol{f}
                 bold f
                                             \bbf
                 bold g
                                             \bg
\boldsymbol{g}
\boldsymbol{h}
                 bold h
                                             \bh
\boldsymbol{i}
                 bold i
                                             \bi
                 bold j
                                             \bj
\boldsymbol{j}
\boldsymbol{k}
                 bold k
                                             \bk
                 bold l
\boldsymbol{l}
                                             \bl
                 bold m
                                             \bbm
m
                 bold\ n
                                             \bn
\boldsymbol{n}
                 bold\ o
                                             \bo
o
                 bold p
                                             \bp
\boldsymbol{p}
                 bold q
                                             \bq
\boldsymbol{q}
                 bold r
                                             \br
r
                 bold\ s
                                             \bs
s
                 bold\ t
                                             \bt
\boldsymbol{t}
                 bold u
                                             \bu
\boldsymbol{u}
                 bold v
                                             \bv
\boldsymbol{v}
                 bold w
                                             \bw
\boldsymbol{w}
                 bold x
\boldsymbol{x}
                                             \bx
                 bold y
                                             \by
\boldsymbol{y}
                 bold\ z
                                             \bz
\boldsymbol{z}
                 bold alpha
                                             \balpha
\alpha
\boldsymbol{\beta}
                 bold beta
                                             \bbeta
_{f \Gamma}^{\gamma}
                 bold gamma
                                             \bgamma
                 bold Gamma
                                             \bGamma
\boldsymbol{\delta}
                 bold delta
                                             \bdelta
\Delta
                 bold Delta
                                             \bDelta
                 bold epsilon
\epsilon
                                             \bepsilon
ε
                 bold varepsilon
                                             \bvarepsilon
\boldsymbol{\zeta}
                 bold zeta
                                             \bzeta
                 bold eta
                                             \bfeta
\eta
\theta
                 bold theta
                                             \btheta
\boldsymbol{\vartheta}
                 bold vartheta
                                             \bvartheta
Θ
                 bold Theta
                                             \bTheta
                 bold iota
                                             \biota
\iota
                 bold kappa
                                             \bkappa
\kappa
                 bold lambda
\lambda
                                             \blambda
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Λ	bold Lambda	\bLambda
μ	bold mu	\bmu
ν	bold nu	\bnu
ξ	bold xi	\bxi
Ξ	bold Xi	\bXi
π	bold pi	\bpi
Π	bold pi	\bPi
ρ	bold rho	\brho
ϱ	bold varrho	\bvarrho
σ	bold sigma	\bsigma
$oldsymbol{\Sigma}$	bold Sigma	\bSigma
au	bold tau	\btau
$oldsymbol{v}$	bold upsilon	\bupsilon
Υ	bold Upsilon	\bUpsilon
$oldsymbol{\phi}$	bold phi	\bphi
φ	bold varphi	\bvarphi
Φ	bold Phi	\bPhi
χ	bold chi	\bchi
$oldsymbol{\psi}$	bold psi	\bpsi
Ψ	bold Psi	\bPsi
ω	bold omega	\bomega
Ω	bold Omega	\b0mega

Symbols in option cal

Calligraphic letter for the Latin alphabet. Calligraphic symbols follow the pattern $\c 1$

\mathbf{Symbol}	\mathbf{Name}	Definition
\mathcal{A}	calligraphy A	\calA
${\cal B}$	calligraphy B	\calB
\mathcal{C}	calligraphy C	\calc
${\cal D}$	calligraphy D	\calD
${\cal E}$	calligraphy E	\calE
${\cal F}$	calligraphy F	\calF
${\cal G}$	calligraphy G	\calg
\mathcal{H}	calligraphy H	\calH
${\mathcal I}$	calligraphy I	\calI
${\cal J}$	calligraphy J	\calJ
\mathcal{K}	calligraphy K	\calK
$\mathcal L$	calligraphy L	\call
\mathcal{M}	calligraphy M	\calM
\mathcal{N}	calligraphy N	\calN
\mathcal{O}	calligraphy O	\ca10
${\cal P}$	calligraphy P	$\c lP$
$\mathcal Q$	calligraphy Q	\calQ

\mathcal{R}	calligraphy R	\calR
${\mathcal S}$	calligraphy S	\cals
$\mathcal T$	calligraphy T	\calT
\mathcal{U}	calligraphy U	\calU
\mathcal{V}	calligraphy V	\calV
${\mathcal W}$	calligraphy W	\calW
\mathcal{X}	calligraphy X	$\cal X$
\mathcal{Y}	calligraphy Y	\cal{Y}
${\mathcal Z}$	calligraphy Z	\calZ
a b	calligraphy a	\cala
l	calligraphy b	\calb
c d	calligraphy c	\calc
d	calligraphy d	\cald
e	calligraphy e	\cale
f	calligraphy f	\calf
g g	calligraphy g	\calg
h	calligraphy h	\calh
i	calligraphy i	\cali
j	calligraphy j	\calj
k	calligraphy k	\calk
l	calligraphy l	\call
m	calligraphy m	$\c $
n	calligraphy n	$\c aln$
a	calligraphy o	\calo
p	calligraphy p	$\c alp$
g	calligraphy q	\calq
r	calligraphy r	$\c $
3	calligraphy s	\cals
t	calligraphy t	\calt
u	calligraphy u	$\c alu$
v	calligraphy v	\calv
w	calligraphy w	\calw
x	calligraphy x	\calx
y	calligraphy y	\caly
x	calligraphy z	\calz

Symbols in option laws

Symbols for probability laws follow a ${\bf R}$ type syntax \1+NAME.

Symbol	Name	Definition
Unif	law of the uniform distribution	\label{lunif}
\mathcal{N}	law of the normal distribution	\label{lnorm}
Pois	law of the Poisson distribution	\label{lpois}
Binom	law of the binomial distribution	$\$ lbin
Exp	law of the exponential distribution	\label{lexp}

Ber	law of the Bernoulli distribution	\lber
t	law of the student t distribution	\lt
Gamma	law of the gamma distribution	$\lceil \log mma \rceil$
Beta	law of the beta distribution	\lbeta
Cauchy	law of the Cauchy distribution	$\$ lcauchy
Geom	law of the geometric distribution	\lgeom
χ^2	law of the chi-square distribution	$\$ lchisq