

Compare LDA, QDA, and NB for both schemes (compute accuracy on the testing set) for fixed value $\rho = 0.5$ and different values of $\alpha = 0.1, 0.5, 1, 2, 3, 5$.

Repeat the experiment for different train/test splits and generate boxplots showing the values of accuracy for each method and each value of the parameter α .

Save the results in the file BayesianSimulatedData1.pdf

```
import matplotlib.pyplot as plt
import numpy as np

from tools import generate_y, generate_data_1, generate_data_2
from tools import train_test_split

from BinaryClassifiers import BinaryClassifier, LDA, QDA, NaiveBayes

np.random.seed(1337)

prob = 0.5
n = 1000

mean = 0
variance = 1

rho = 0.5
alpha_list = (0.1, 0.5, 1, 2, 3, 5)

models = (LDA, QDA, NaiveBayes)

def experiment_model(
    model: BinaryClassifier,
    prob, n, mean, alpha, variance, rho
) -> None:

    results = { # dataset: model accuracy
        0: [],
        1: []
    }

    for train_size in (0.5, 0.6, 0.7, 0.8, 0.9):
        y = generate_y(prob, n)
        data_1 = generate_data_1(y, mean, alpha, variance)
        data_2 = generate_data_2(y, rho, alpha)

        train_1, test_1, = train_test_split(data_1, train_size)
        train_2, test_2, = train_test_split(data_2, train_size)

        for i, data in enumerate(((train_1, test_1), (train_2,
test_2)))):
            train, test = data
```

```

model_instance: BinaryClassifier = model()
model_instance.fit(train[:, 1:], train[:, 0])

all_responses = 0
good_responses = 0
for record in test:
    y, x1, x2 = record
    y = int(y)

    y_predicted = int(model_instance.predict((x1, x2)))

    if y_predicted == y:
        good_responses += 1

    all_responses += 1

results[i].append(good_responses/all_responses*100)

return results

def draw_model_experiment(model: BinaryClassifier, results: dict) ->
None:
    colors = ("#1f77b4", "#ff7f0e")
    labels = ("Dataset 0", "Dataset 1")

    alphas = sorted(results.keys())
    positions = np.arange(len(alphas)) * 2

    plt.figure(figsize=(12, 6))

    for i, (_, results) in enumerate(results.items()):
        set_0_data, set_1_data = results[0], results[1]
        box = plt.boxplot(
            [set_0_data, set_1_data],
            positions=[positions[i], positions[i]+1],
            widths=0.6,
            patch_artist=True
        )

        for patch, color in zip(box["boxes"], colors):
            patch.set_facecolor(color)

    plt.legend(box["boxes"][:2], labels, loc="upper left")

    plt.xticks(positions + 0.5, [str(alpha) for alpha in alphas])
    plt.xlabel("Alpha")
    plt.ylabel("Accuracy (%)")
    title = f"Comparison of averange {model.name} accuracy "
    title += "for different values of the alpha parameter"
    plt.title(title)

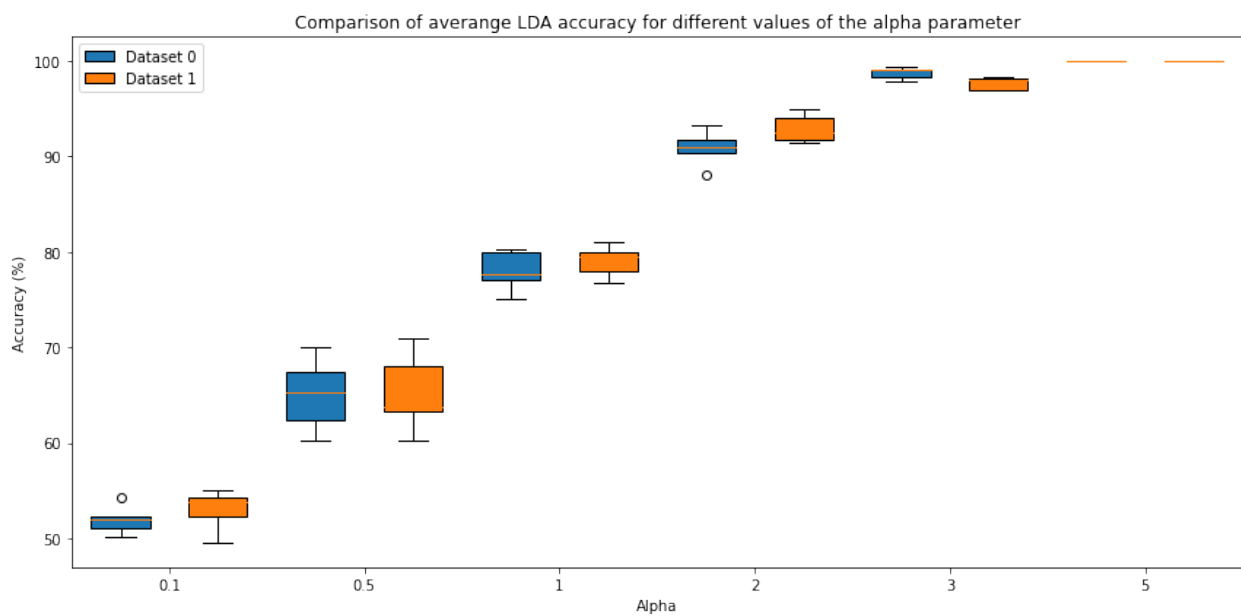
```

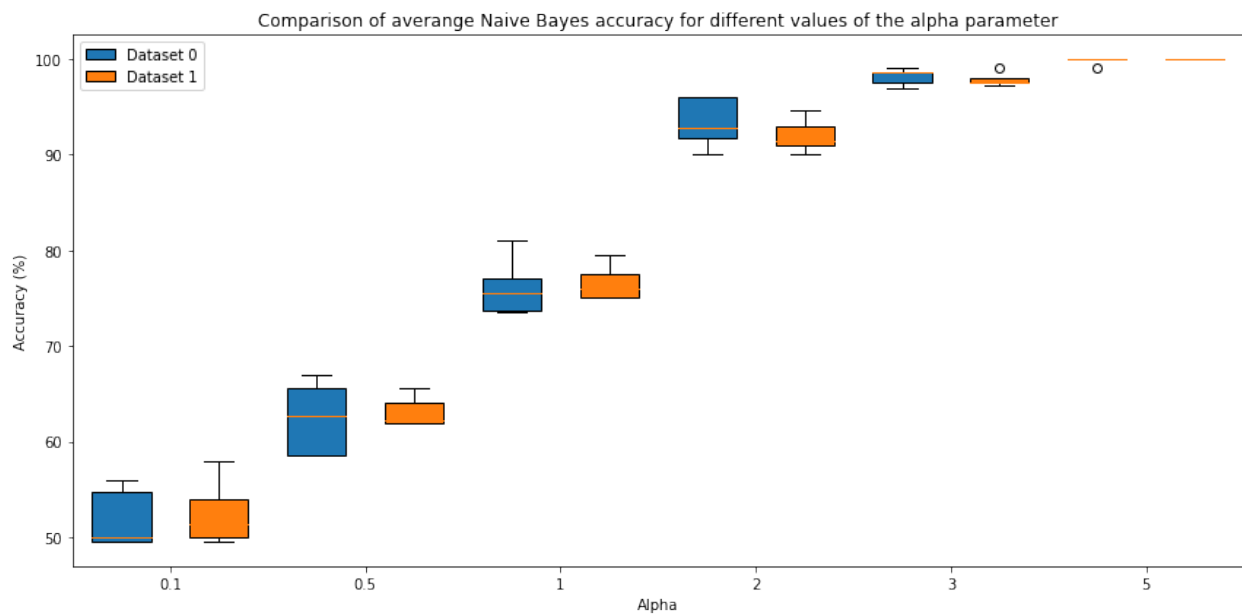
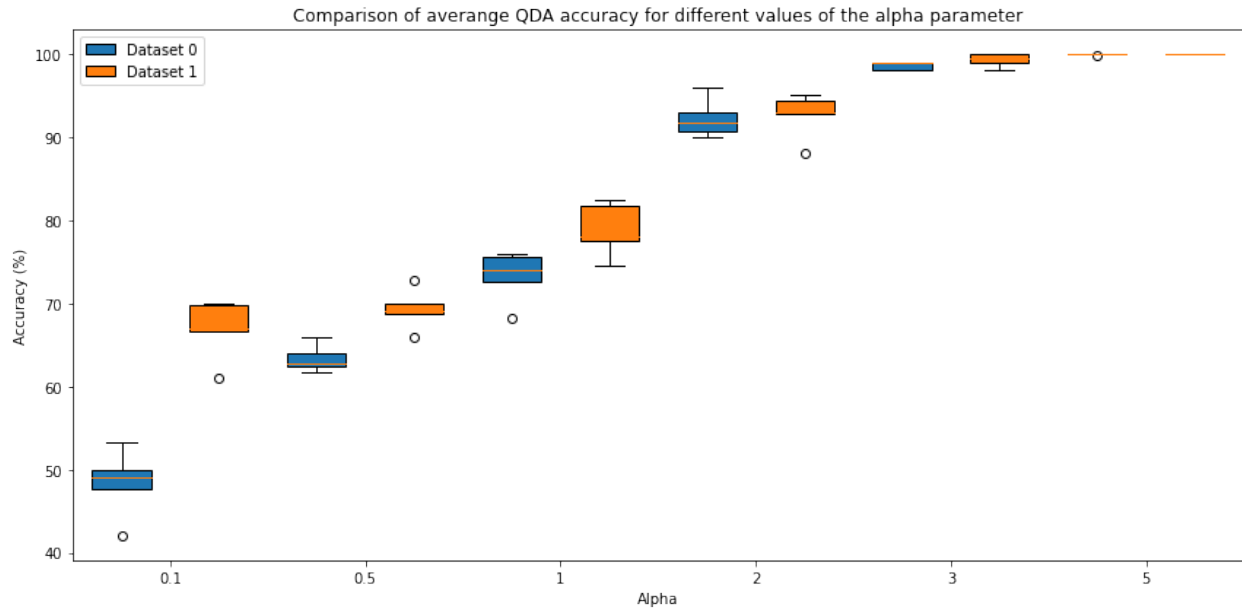
```

plt.savefig(f"plots/{model.name}_basedon_alpha.jpg")
plt.tight_layout()
plt.show()

for model in models:
    results = {}
    for alpha in alpha_list:
        results[alpha] = experiment_model(
            model,
            prob, n, mean, alpha, variance, rho
        )
    draw_model_experiment(model, results)

```





As we can see, for each model, the higher the alpha value, the higher the accuracy.

Let's see how data sets vary depending on the alpha value

```
def draw(data1: np.array, data2: np.array, name: str) -> None:
    plt.figure(figsize=(20, 10))

    plt.subplot(1, 2, 1)

    y0 = data1[:, 0] == 0
    plt.scatter(
        data1[y0][:, 1],
```

```

        data1[y0][:, 2],
        color="red",
        label="Class 0 (Dataset 0)"
    )

y1 = data1[:, 0] == 1
plt.scatter(
    data1[y1][:, 1],
    data1[y1][:, 2],
    color="blue",
    label="Class 1 (Dataset 0)"
)

plt.legend()
plt.xlabel("Feature 1 value")
plt.ylabel("Feature 2 value")
plt.title("Data distribution for dataset 0")

plt.subplot(1, 2, 2)

y0 = data2[:, 0] == 0
plt.scatter(
    data2[y0][:, 1],
    data2[y0][:, 2],
    color="green",
    label="Class 0 (Dataset 1)"
)

y1 = data2[:, 0] == 1
plt.scatter(
    data2[y1][:, 1],
    data2[y1][:, 2],
    color="orange",
    label="Class 1 (Dataset 1)"
)

plt.legend()
plt.xlabel("Feature 1 value")
plt.ylabel("Feature 2 value")
plt.title("Data distribution for dataset 1")

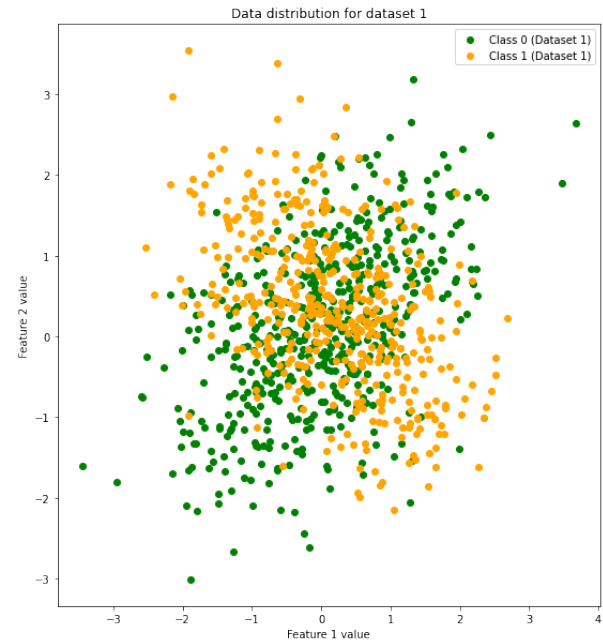
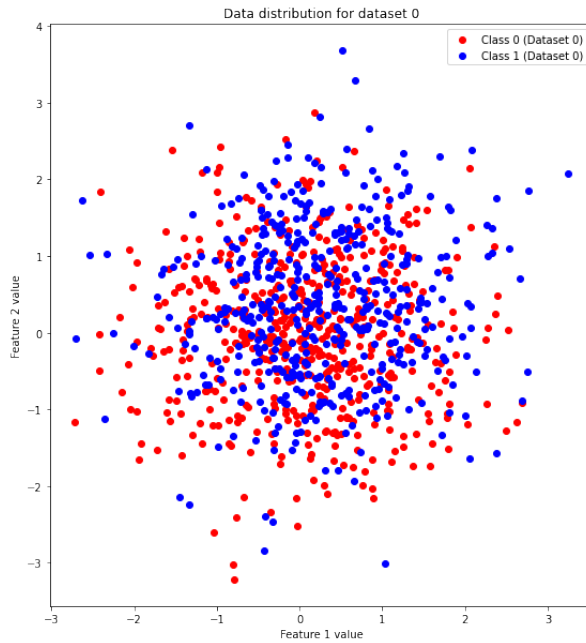
plt.suptitle(f"Comparison of data distributions with alpha =
{alpha}")
plt.savefig(f"plots/{name}.jpg")
plt.show()

for alpha in (0.3, 3.0):
    y = generate_y(prob, n)
    data1 = generate_data_1(y, mean, alpha, variance)
    data2 = generate_data_2(y, rho, alpha)

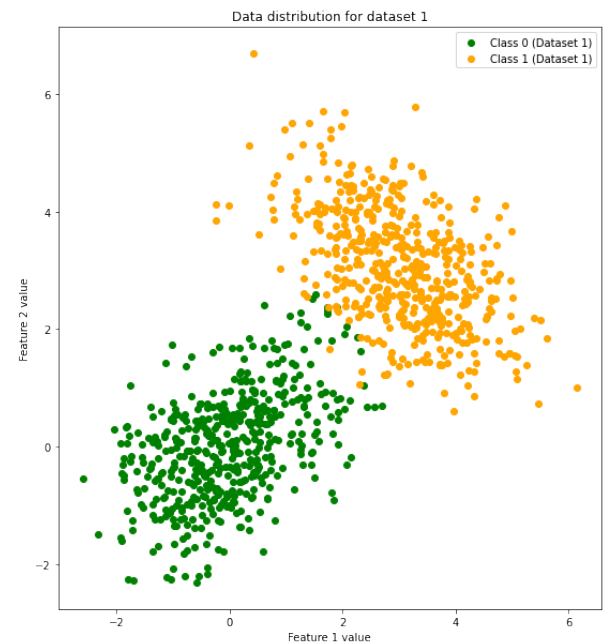
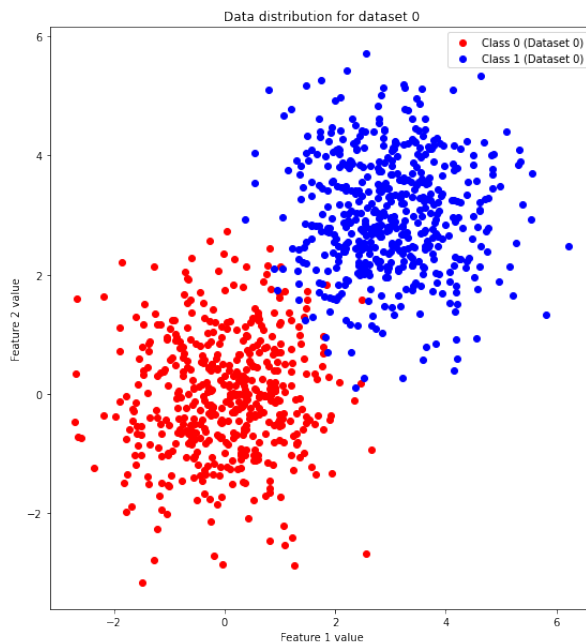
```

```
draw(data1, data2, f"data_distribution_alpha_{alpha}")
```

Comparison of data distributions with $\alpha = 0.3$



Comparison of data distributions with $\alpha = 3.0$



As we can see, a higher alpha value means a greater distance between the sets, so it is easier to detect the correct class.