

## Worksheet: 3D Printed Quarter: Face-Down vs. Edge-On Rising

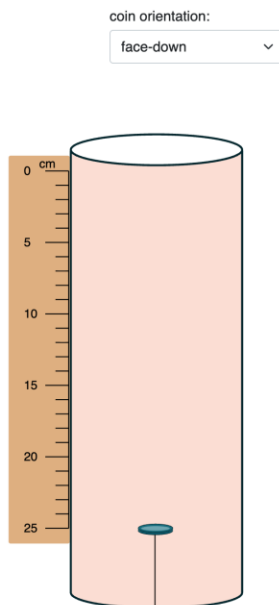
Name(s): \_\_\_\_\_

### Fill in all sections – These are today's notes

#### Student learning objectives

1. What is terminal velocity? How to measure terminal velocity experimentally?
2. What is the terminal velocity of a disk face-down vs edge-on?
3. What useful information can one extract from terminal velocity?

#### Dimensions and details of the experiment



The experiment consists of a 3D printed polystyrene quarter being released either face-down or edge-on in a viscous liquid. Select a coin orientation and then use the release button and start a stopwatch. Measure the distance from the release height versus time and estimate the terminal velocity for the two orientations. Based on the measurements, estimate the viscosity of the liquid.

#### Before starting the experiment.

1. Which direction do you think will rise faster: face-down or edge-on? Why?
2. The current experiment is being done in a liquid with a density greater than that of polystyrene. If the same experiment were done in water, do you think the terminal velocity and direction would be the same? Why/why not?
3. How will you infer if the drag is dominated by viscous or inertial forces?

#### During the experiment.

1. Set the orientation to “face-down” and measure the distance from release versus time. Report the values.

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2. Repeat 1 for “edge-on” orientation. Report the values.

### After the experiment.

1. Calculate the velocity from the data obtained for the face-down or edge-on orientations.
2. Do a force balance on the object, assuming viscous drag force  $F_{face-down} = 16 \mu a U$  and  $F_{edge-on} = \frac{32}{3} \mu a U$ , where  $\mu$  is the viscosity of the fluid,  $a$  is the radius of the coin, and  $U$  is the velocity of the disk. Find the two terminal velocities. Express the answer in terms of the density of the coin  $\rho_c$ , density of the liquid  $\rho$ , the radius of the coin  $a$ , the thickness of the coin  $t$ , viscosity of the liquid  $\mu$ , and gravitational constant  $g$ .
3. Find the density of polystyrene, and search for the thickness and radius of a quarter coin.
4. Calculate the values of  $\rho_c$  and  $\mu$ .
5. Based on the calculations, show that the flow is viscous such that  $Re \ll 1$ .

