FEATURES = { NH, SHE, SPT, SHO }   

$$[D[=8 \Rightarrow 3+, 5-]$$
 $NH^{+} = 2+, 3 NH^{-} = 1+, 2 SHE^{+} = 1+, 2 SHE^{+} = 1+, 2 SHE^{+} = 2+, 3 SHO^{+} = 1+, 3 SHO^{+} = 1+, 3 SHO^{+} = 1+, 3 SHO^{+} = 2+, 2 SHO^{+} = 1+, 3 SHO^{+} = 2+, 2 SHO^{+} = 1+, 3 SHO^{+} = 1+, 3 SHO^{+} = 2+, 2 SHO^{+} = 1+, 3 SHO^{+} = 1+, 3-$ 

$$= 0, 95 - \left(\frac{1}{8}\left(5\left(0,529 + 0,442\right) + 3\left(0,91\right)\right)\right)$$

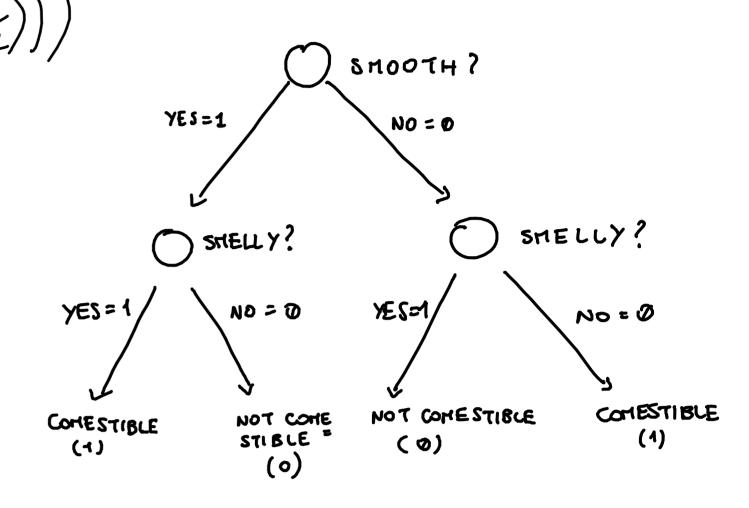
$$= 0,95 - 0,948 = 0,002$$

$$IG(SHE) = IG(SPT) = \int // SPLIT OF 1/2 = \sum_{entropy} SAME ENTROPY$$

$$IG(SNO) = 0,95 - \left(\frac{1}{8}\left(4\left(\frac{1}{4}\log 4 + \frac{3}{4}\log \frac{4}{3}\right) + 4\left(2\left(\frac{2\log 4}{4}\right)\right)\right)\right)$$

$$= 0,95 - \frac{1}{8}\left(4\left(0,5 + 0,311\right) + 8\left(0,5\right)\right)$$

$$= 0,95 - 0,9055 = 0,004$$



FEATURES =  $\{spt, she, nh\}$  // NOW WE CALCULATE METRICS OVER THE  $sno^{\dagger}/sno^{-}$  subsets! snooth = 1 |D| = 4  $E(D) = \frac{1}{4} \log 3 + \frac{3}{4} \log \frac{4}{3} = 0,70$ 

$$NH^{+} = 0+,2- \qquad NH^{-} = 1+,1- \\ SHE^{+} = 1+,0- \qquad SHE^{-} = 0+,3- \\ SPT^{+} = 0+,1- \qquad SPT^{-} = 1+,2- \\ IG (NH) = 0,7- \left(\frac{1}{4}\left(2\left(\frac{2}{2}\log^{2}z\right) + 2\left(\frac{1}{2}\log^{2}z + \frac{1}{2}\log^{2}z\right)\right)\right) \\ = 0,7- \left(\frac{1}{4}\left(0+z\right)\right) =$$

$$= 0,7 - 0,8 = 0,2$$

$$= 0,7 - \left(\frac{1}{4}\left(4\left(1081\right) + 3\left(\frac{3}{3}\log\frac{3}{3}\right)\right)\right)$$

$$= 0,7 - 0 = 0,7$$

$$= 0,7 - \left(\frac{1}{4}\left(4\left(1081\right) + 3\left(\frac{1}{3}\log\frac{3}{3}\right) + \frac{2}{3}\log\frac{3}{2}\right)\right)\right)$$

$$= 0,7 - \left(\frac{1}{4}\left(4\left(1081\right) + 3\left(\frac{1}{3}\log\frac{3}{4} + \frac{2}{3}\log\frac{3}{2}\right)\right)\right)$$

$$= 0,7 - \left(\frac{1}{4}\left(3\left(0,91\right)\right)\right) =$$

$$= 0,7 - 0,6825 = 0,0175$$

SINCE ALL INST. THAT ARE SHO = 1 A SHE = 1 OR

SHO = 1 A SHE = 0 HAVE THE SAME CLASS, WE

CAN OUTPUT A DECISION NOW

SHOOTH = 0 |D| = 4  $E(D) = \left(\frac{2}{4}\log\frac{4}{2}\right)2 = 1$   $NH^{\dagger} = 2+, 1 - NH^{-} = 0+, 4 - SPT^{+} = 1+, 4 - SPE^{+} = 0+, 2 - SPE^{+} = 2+, 0 - IG(NH) = 1 - \left(\frac{1}{4}\left(3\left(0, 91\right)\right)\right) = 1 - O_{f}6825 = O_{f}8175$   $IG(SPT) = 1 - \left(\frac{1}{4}\left(2\left(\frac{1}{2}\log\frac{2}{1} + \frac{1}{2}\log\frac{2}{1}\right) + 2\left(1\right)\right)\right)$   $= 1 - \frac{1}{4}\left(4\right) = 0 \text{ ///EVEN'' SPLIT TELLS US NOTHING}$   $IG(SME) = 1 - \frac{1}{4}\left(2\left(\frac{2}{2}\log\frac{2}{2}\right) + 2\left(1\right)\right)$   $= 1 - \frac{1}{4}\left(4\left(0\right)\right) = 1$ 

WE CAN NOW STOP FOR THE SAME REASONING AS BEFORE. CONTINUING IS POSSIBLE, BUT THE DEEPER WE GO, THE MORE WE RISK OVERFITTING